Independent Component Analysis Lab

March 5, 2019

1 Independent Component Analysis Lab

In this notebook, we'll use Independent Component Analysis to retrieve original signals from three observations each of which contains a different mix of the original signals. This is the same problem explained in the ICA video.

1.1 Dataset

Let's begin by looking at the dataset we have. We have three WAVE files, each of which is a mix, as we've mentioned. If you haven't worked with audio files in python before, that's okay, they basically boil down to being lists of floats.

Let's begin by loading our first audio file, ICA mix 1.wav [click to listen to the file]:

```
In [3]: import numpy as np
    import wave

# Read the wave file
    mix_1_wave = wave.open('ICA mix 1.wav','r')
```

Let's peak at the parameters of the wave file to learn more about it

```
In [4]: mix_1_wave.getparams()
Out[4]: _wave_params(nchannels=1, sampwidth=2, framerate=44100, nframes=264515, comptype='NONE',
```

So this file has only channel (so it's mono sound). It has a frame rate of 44100, which means each second of sound is represented by 44100 integers (integers because the file is in the common PCM 16-bit format). The file has a total of 264515 integers/frames, which means its length in seconds is:

```
In [5]: 264515/44100
Out[5]: 5.998072562358277
```

Let's extract the frames of the wave file, which will be a part of the dataset we'll run ICA against:

/opt/conda/lib/python3.6/site-packages/ipykernel_launcher.py:3: DeprecationWarning: Numeric-styl This is separate from the ipykernel package so we can avoid doing imports until

signal_1 is now a list of ints representing the sound contained in the first file.

```
In [7]: 'length: ', len(signal_1) , 'first 100 elements: ',signal_1[:100]
Out[7]: ('length: ',
        264515,
        'first 100 elements: ',
        array([ 879, 1268, 1460, 1756,
                                          1943, 2216,
                                                        2407, 2668,
                                                                      2866,
                3106, 3308, 3546, 3752,
                                           3981, 4175,
                                                        4395, 4588, 4790,
                4966, 5146, 5292, 5436,
                                           5550, 5643,
                                                        5717, 5759,
                                                                      5790,
                5798, 5789, 5756, 5713,
                                           5649, 5576,
                                                        5478, 5381,
                                                                      5267,
                5146, 4999, 4856, 4682,
                                           4502, 4308,
                                                        4097, 3875, 3637,
                3380, 3107, 2825, 2514,
                                           2194, 1847, 1472, 1087,
                 227, -219, -691, -1176, -1666, -2167, -2669, -3179, -3668,
               -4170, -4643, -5116, -5559, -5985, -6380, -6765, -7105, -7422,
               -7706, -7955, -8163, -8339, -8470, -8557, -8600, -8618, -8585,
               -8524, -8425, -8298, -8129, -7947, -7720, -7475, -7205, -6916,
               -6606, -6266, -5922, -5556, -5165, -4774, -4353, -3922, -3476, -3021], dtype=int
```

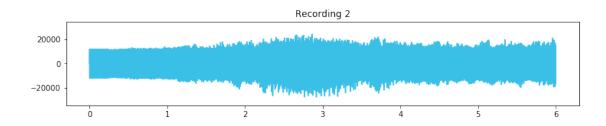
If we plot this array as a line graph, we'll get the familiar wave form representation:

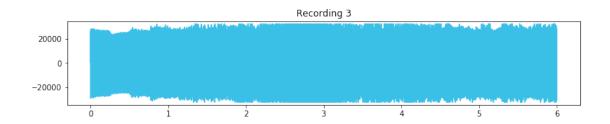
```
In [9]: mix_2_wave = wave.open('ICA mix 2.wav', 'r')
        #Extract Raw Audio from Wav File
        signal_raw_2 = mix_2_wave.readframes(-1)
        signal_2 = np.fromstring(signal_raw_2, 'Int16')
        mix_3_wave = wave.open('ICA mix 3.wav','r')
        #Extract Raw Audio from Wav File
        signal_raw_3 = mix_3_wave.readframes(-1)
        signal_3 = np.fromstring(signal_raw_3, 'Int16')
        plt.figure(figsize=(12,2))
        plt.title('Recording 2')
        plt.plot(timing,signal_2, c="#3ABFE7")
        plt.ylim(-35000, 35000)
        plt.show()
        plt.figure(figsize=(12,2))
        plt.title('Recording 3')
        plt.plot(timing,signal_3, c="#3ABFE7")
```

```
plt.ylim(-35000, 35000)
plt.show()
```

 $\verb|/opt/conda/lib/python3.6/site-packages/ipykernel_launcher.py:6: DeprecationWarning: Numeric-styles and the condave of the$

/opt/conda/lib/python3.6/site-packages/ipykernel_launcher.py:13: DeprecationWarning: Numeric-sty
 del sys.path[0]

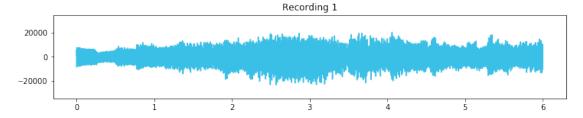




```
In [10]: import matplotlib.pyplot as plt

    fs = mix_1_wave.getframerate()
        timing = np.linspace(0, len(signal_1)/fs, num=len(signal_1))

    plt.figure(figsize=(12,2))
    plt.title('Recording 1')
    plt.plot(timing,signal_1, c="#3ABFE7")
    plt.ylim(-35000, 35000)
    plt.show()
```



In the same way, we can now load the other two wave files, **ICA mix 2.wav** and **ICA mix 3.wav** Now that we've read all three files, we're ready to zip them to create our dataset.

• Create dataset X by zipping signal_1, signal_2, and signal_3 into a single list

We are now ready to run ICA to try to retrieve the original signals.

- Import sklearn's FastICA module
- Initialize FastICA look for three components
- Run the FastICA algorithm using fit_transform on dataset X

ica_result now contains the result of FastICA, which we hope are the original signals. It's in the shape:

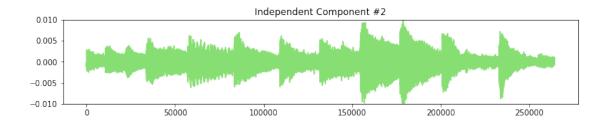
```
In [13]: ica_result.shape
Out[13]: (264515, 3)
```

Let's split into separate signals and look at them

Let's plot to see how the wave forms look

50000

```
In [15]: # Plot Independent Component #1
         plt.figure(figsize=(12,2))
         plt.title('Independent Component #1')
         plt.plot(result_signal_1, c="#df8efd")
         plt.ylim(-0.010, 0.010)
         plt.show()
         # Plot Independent Component #2
         plt.figure(figsize=(12,2))
         plt.title('Independent Component #2')
         plt.plot(result_signal_2, c="#87de72")
         plt.ylim(-0.010, 0.010)
         plt.show()
         # Plot Independent Component #3
         plt.figure(figsize=(12,2))
         plt.title('Independent Component #3')
         plt.plot(result_signal_3, c="#f65e97")
         plt.ylim(-0.010, 0.010)
         plt.show()
                                    Independent Component #1
      0.010
      0.005
      0.000
     -0.005
     -0.010
```



150000

200000

250000

100000



Do some of these look like musical wave forms?

The best way to confirm the result is to listen to resulting files. So let's save as wave files and verify. But before we do that, we'll have to: * convert them to integer (so we can save as PCM 16-bit Wave files), otherwise only some media players would be able to play them and others won't * Map the values to the appropriate range for int16 audio. That range is between -32768 and +32767. A basic mapping can be done by multiplying by 32767. * The sounds will be a little faint, we can increase the volume by multiplying by a value like 100

```
In [16]: from scipy.io import wavfile

# Convert to int, map the appropriate range, and increase the volume a little bit
    result_signal_1_int = np.int16(result_signal_1*32767*100)
    result_signal_2_int = np.int16(result_signal_2*32767*100)
    result_signal_3_int = np.int16(result_signal_3*32767*100)

# Write wave files
    wavfile.write("result_signal_1.wav", fs, result_signal_1_int)
    wavfile.write("result_signal_2.wav", fs, result_signal_2_int)
    wavfile.write("result_signal_3.wav", fs, result_signal_3_int)
```

The resulting files we have now are: [note: make sure to lower the volume on your speakers first, just in case some problem caused the file to sound like static] * result_signal_1.wav * result_signal_2.wav * result_signal_3.wav

Music: * Piano - The Carnival of the Animals - XIII. The Swan (Solo piano version). Performer: Markus Staab * Cello - Cello Suite no. 3 in C, BWV 1009 - I. Prelude. Performer: European Archive

In []: