

first data point

inputs

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In[584]:= neT = nearr[[1]]
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Out[584]=  $1.80757 \times 10^{18}$ 
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In[585]:=  $\psi$ T =  $\psi$ edge[[1]]
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Out[585]= 1.60164
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In[588]:= VlayerT = Vlayer[[1]]
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Out[588]= 0.00114254
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In[586]:= zT = zarr[[1]]
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Out[586]= -0.15
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In[587]:=  $\theta$ 1T =  $\theta$ 1arr[[1]]
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Out[587]= 0
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In[589]:= B0T = B0[[1]]
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Out[589]= 0.0707731
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In[591]:= te = 5
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Out[591]= 5
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In[592]:= mu = 2
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Out[592]= 2
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In[593]:= zz = 1
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Out[593]= 1
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In[595]:=  $\omega = 13.56 * 10^6 * 2 \pi$ 
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Out[595]=  $8.52 \times 10^7$ 
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In[608]:= ddsI = 0.005
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Out[608]= 0.005
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In[613]:=  $\epsilon$ 0SI =  $8.8542 * 10^{-12}$ 
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Out[613]=  $8.8542 \times 10^{-12}$ 
```

calculations

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In[664]:=  $\lambda_{\text{deSI}} = 743. * \text{Sqrt}[\text{te} / (\text{neT} * 10^{-6})] * 0.01$ 
Out[664]= 0.0000123574

In[599]:=  $\omega_{\text{pi}} = 1.32 \times 10^3 \text{ zz Sqrt}[(\text{neT} * 10^{-6}) / \mu]$ 
Out[599]=  $1.25489 \times 10^9$ 

In[600]:=  $\Omega_{\text{i}} = 9580. \text{ zz B0T} * 10^4 / \mu$ 
Out[600]=  $3.39003 \times 10^6$ 

In[601]:=  $\omega_{\text{hat}} = \omega / \omega_{\text{pi}}$ 
Out[601]= 0.0678943

In[602]:=  $\Omega_{\text{hat}} = \Omega_{\text{i}} / \omega_{\text{pi}}$ 
Out[602]= 0.00270145

In[603]:=  $\text{bnT} = \text{Abs}[\text{Cos}[\psi_{\text{T}}]]$ 
Out[603]= 0.0308429

In[604]:=  $\xi_{\text{T}} = \text{VlayerT} / \text{te}$ 
Out[604]= 0.000228508

In[606]:=  $\{\omega_{\text{hat}}, \Omega_{\text{hat}}, \text{bnT}, \xi_{\text{T}}\}$ 
Out[606]= {0.0678943, 0.00270145, 0.0308429, 0.000228508}

In[657]:=  $\text{yhatT} = \text{ytot}[\omega_{\text{hat}}, \Omega_{\text{hat}}, \text{bnT}, \xi_{\text{T}}]$ 
Out[657]=  $0.0335034 - 0.02503 \text{ i}$ 

In[667]:=  $\epsilon_{\text{rel}} = - \frac{\text{Im}[\text{yhatT}]}{\omega_{\text{hat}}} \frac{\text{ddSI}}{\lambda_{\text{deSI}}}$ 
Out[667]= 149.166

In[670]:=  $\sigma_{\text{SI}} = \epsilon_{\text{0SI}} \omega_{\text{pi}} \frac{\text{ddSI}}{\lambda_{\text{deSI}}} \text{Re}[\text{yhatT}]$ 
Out[670]= 0.150622

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details of ytot calculation

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In[756]:=  $\{\omega_{\text{hat}}, \Omega_{\text{hat}}, \text{bnT}, \xi_{\text{T}}\}$ 
Out[756]= {0.0678943, 0.00270145, 0.0308429, 0.000228508}

In[752]:=  $\text{ff}[\xi_{\text{T}}, 0]$ 
Out[752]= 3.18513

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In[753]:= gg[what]
Out[753]= 0.976065

In[754]:= phi0avg[what, xiT, 0]
Out[754]= 3.18513

In[757]:= niw[what, Ohat, bnT, xiT, 0]
Out[757]= 0.0863721

In[768]:= niwpars = {k0 -> 3.7616962640756197`, k1 -> 0.2220204461728174`};
           phiavg = phi0avg[what, xiT, 0];
           philow = k0 + k1 (xiT - k0) - Log[1 - 0/upar0] /. niwpars;
           phimod = philow + (phiavg - philow) Tanh[what]
Out[771]= 2.9441

In[775]:= Re[niw[Ohat, bnT, phimod]]
Out[775]= 0.0863721

In[776]:= yd[what, Ohat, bnT, xiT, 0]
Out[776]= 0. - 0.0125685 i

In[778]:= he[xiT]
Out[778]= 0.999996

In[777]:= ye[bnT, xiT, 0]
Out[777]= 0.0326021

In[779]:= yi[what, Ohat, bnT, xiT, 0]
Out[779]= 0.000901283 - 0.0124615 i

In[780]:= ytot[what, Ohat, bnT, xiT, 0]
Out[780]= 0.0335034 - 0.02503 i

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