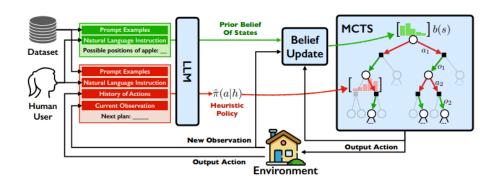
[NIPS'23] Large Language Models as Commonsense Knowledge for Large-Scale Task Planning

- 1. Link: https://llm-mcts.github.io/
- 2. Arthurs and institution: Zirui Zhao, Wee Sun Lee, David Hsu from NUS

TL;DR We use Large Language Models as both the commonsense world model and the heuristic policy within the Monte Carlo Tree Search framework, enabling better-reasoned decision-making for daily tasks.



Differences of Setups between ULbench and this

	ULBench	LLM-MCTS
Simulator	Coppeliasim	VirtualHOme
Scene	table top, 1 room	multiple rooms
object set	fixed	fixed
object position	random	random
task	fixed	random
action space	9 * action param	5 * action param

Existing problems

1. Even though LLMs are trained on internet-scale data, LLM-Policies shows limits in generalization.

Contributions

- We use LLMs as the commonsense world model and the heuristic policy within MCTS to achieve better-reasoned decision-making for daily tasks.
- 2. We propose using the minimum description length (MDL) principle to decide the question "when would using LLM as a model outperform using LLM as a policy, and vice versa?"

Key concepts

Algorithm

```
Algorithm 1 LLM-MCTS
 1: procedure Search(h, b, T, N)
                                                                                   if \gamma^d < \epsilon or done = True then
                                                                         20:
           n \leftarrow 0
                                                                         21:
                                                                                         return 0
           while n < N do
                                                                        22:
                                                                                   end if
 3:
                s \sim b(s)
                                                                                   if h is not in \mathcal T then
 4.
                                                                        23.
 5.
                SIMULATE(s, h, \text{False}, 0, \mathcal{T})
                                                                        24:
                                                                                         \mathcal{T} \leftarrow \mathcal{T} \cup h, N(h) \leftarrow 0
                                                                                         \forall a \in A, N(h, a) \leftarrow 0, Q(h, a) \leftarrow 0
                n \leftarrow n + 1
           end while
                                                                                         return ROLLOUT(s, h, done, d)
                                                                        26:
 7:
           return \operatorname{argmax}_{a \in A} Q(h, a)
                                                                        27:
                                                                                   end if
                                                                                   \hat{\pi}(a|h) \leftarrow \text{QUERYLLMPOLICY}(h)
 9: end procedure
10: procedure ROLLOUT(s, h, done, d)
                                                                                   a^* \leftarrow \operatorname{argmax} Q(h, a) + c\hat{\pi}(a|h) \frac{\sqrt{N(h)}}{N(h, a) + 1}
           if \gamma^d < \epsilon or done = True then
11:
                return 0
12:
                                                                                    (s', o, r, \text{done}) \sim \mathcal{G}(s, a^*)
                                                                        30:
13:
           end if
                                                                                   h' \leftarrow \text{PushBack}(h, [a^*, o]), d' \leftarrow d + 1

R \leftarrow r + \gamma \cdot \text{Simulate}(s', h', \text{done}, d', \mathcal{T})
           a \sim \pi_{\text{rollout}}(h, \cdot)
14:
                                                                        32:
15:
           (s', o, r, done) \sim \mathcal{G}(s, a)
                                                                        33:
                                                                                   N(h, a^*) += 1, N(h) += 1
           h' \leftarrow \text{PUSHBACK}(h, [a^*, o]), d' \leftarrow d+1
                                                                                   Q(h, a^*) \leftarrow Q(h, a^*) + \frac{R - Q(h, a^*)}{N(h, a^*)}
                                                                        34:
           return r + \gamma \cdot \text{ROLLOUT}(s, h', \text{done}, d')
17:
                                                                                   \mathbf{return}\;R
                                                                        35:
18: end procedure
                                                                        36: end procedure
19: procedure SIMULATE(s, h, done, d, T)
```

- 1. The parts done by LLM are:
 - 1. L-Model
 - 1. generate the initial belief of state
 - translate the natural language goal into a formal goal for MCTS
 - 2. L-policy

- 1. guide the action selection in the simulation procedure
- 2. sample the LLM for M times to approximate the policy probability distribution
- 3. empirical policy

cosine similarity $\operatorname{CosineSim}(\alpha_i,a)$. The empirical policy distribution is formulated as follows: $\hat{\pi}(a|h) = \lambda \frac{1}{|A|} + (1-\lambda)\operatorname{Softmax}\{\sum_{i=1}^M \operatorname{CosineSim}(\alpha_i,a) - \eta\}$, where η is the average value of $\sum_i \operatorname{CosineSim}(\alpha_i,a)$ and |A| is the size of the admissible action space. λ is a hyper-parameter that adds randomness to the belief, as the sampled actions from LLM could be very deterministic.

MDL

Theorem 4.1 (Occam's Razor). Let \mathcal{H} be a hypothesis class and let $d: \mathcal{H} \to \{0, 1\}^*$ be a prefix-free description language for \mathcal{H} . Then, for every sample size, m, every confidence parameter, $\delta > 0$, and every probability distribution, D, with probability greater than $1 - \delta$ over the choice of $S \sim D^m$ we have that, $\forall h \in \mathcal{H}$, $L_D(h) \leq L_S(h) + \sqrt{(|h| + \ln{(2/\delta)})/2m}$ where $L_S(h)$ is the empirical loss of h on the S, $L_D(h)$ is the expected loss of h, and |h| is the length of d(h).

- a method that suggests choosing the method that has a shorter description when both methods fit the training data. (the simpler the model ,the better the model, ceteris paribus)
- 2. selecting between a model or policy depending on which of them has the smaller description length given the description language.

Details

- action space {pick(obj), place(obj, placement), open(container), close(container), move(room/obj/container)}
- 2. belief contruction
 - 1. predict the position of all moveable object with INSIDE/ON relationship. (sample of llm queried results)

```
["alcohol": [["INSIDE", "kitchencabinet"], ["INSIDE", "kitchencabinet"],
["INSIDE", "kitchencabinet"], ["INSIDE", "kitchencabinet"], ["INSIDE",
"kitchencabinet"], ["INSIDE", "kitchencabinet"], ["INSIDE", "kitchencabinet"],
["INSIDE", "kitchencabinet"], ["INSIDE", "kitchencabinet"], ["INSIDE",
["INSIDE", "bathroom cabinet": [["INSIDE", "bathroom", 50]],
```