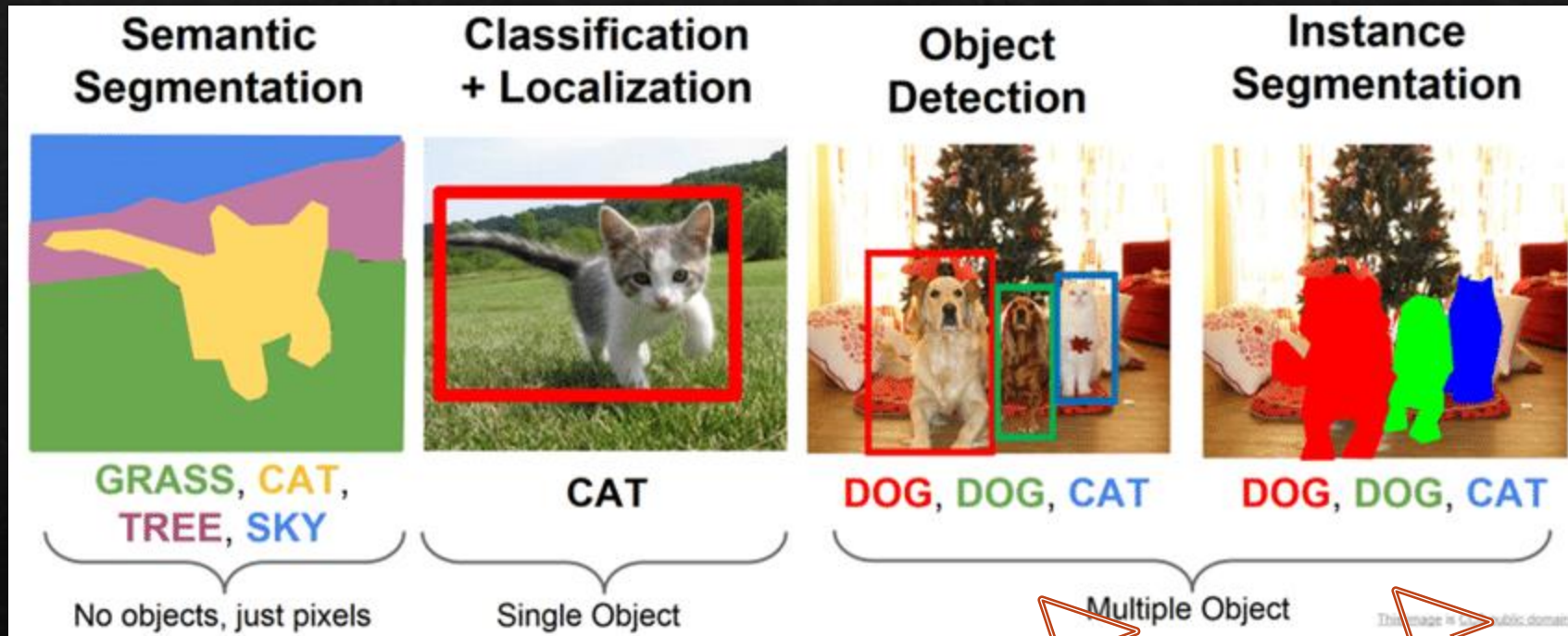


VJAI 2020
By Le Anh

End-to-End Object Detection with Transformers (DETR)

DETR



DETR

DETR

Agenda

- ◆ DETR
 - ◆ Hungarian Algorithm
 - ◆ Weighted bipartite graph
 - ◆ DETR architecture
 - ◆ Encoder-Decoder
 - ◆ FPN
 - ◆ Loss Function
 - ◆ Object Query
- ◆ Summary

Introduction to DETR

DETR stands for End-to-End Object Detection with Transformers

New method that views object detection as a direct set prediction problem

- Output is fixed set of N objects

Removing the need for many hand-designed components

- non-maximum suppression
- anchor generation

Compare to Faster RCNN

- significantly better performance on large objects
- lower performances on small objects

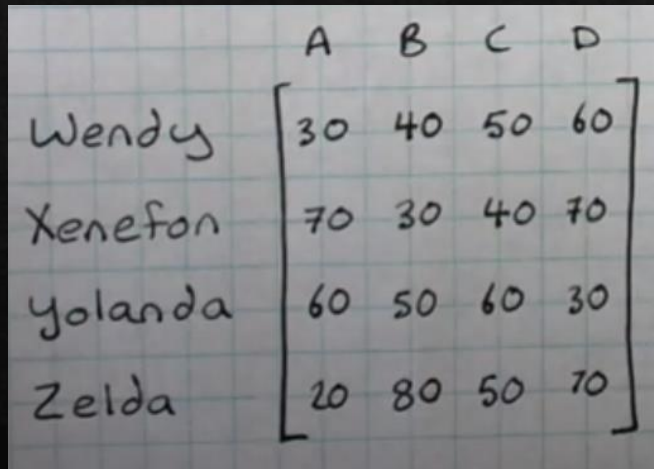
Term

- ◇ Bounding Box
- ◇ ROI
- ◇ IOU
- ◇ Transformer
 - ◇ Attention
- ◇ Fully Connection Network (FCN)

Hungarian Algorithm

◆ Problems

- ◆ A factory needs to assign each of 4 workers to one of 4 tasks
- ◆ Aim: Determine the best assignment of workers to tasks so that the overall time taken is minimized



A handwritten table on grid paper showing the time taken by four workers (Wendy, Xenefon, Yolanda, Zelda) to complete four tasks (A, B, C, D). The tasks are listed as columns and workers as rows. The values are enclosed in large square brackets.

	A	B	C	D
Wendy	30	40	50	60
Xenefon	70	30	40	70
Yolanda	60	50	60	30
Zelda	20	80	50	70

Result

Zelda – A : 20 mins

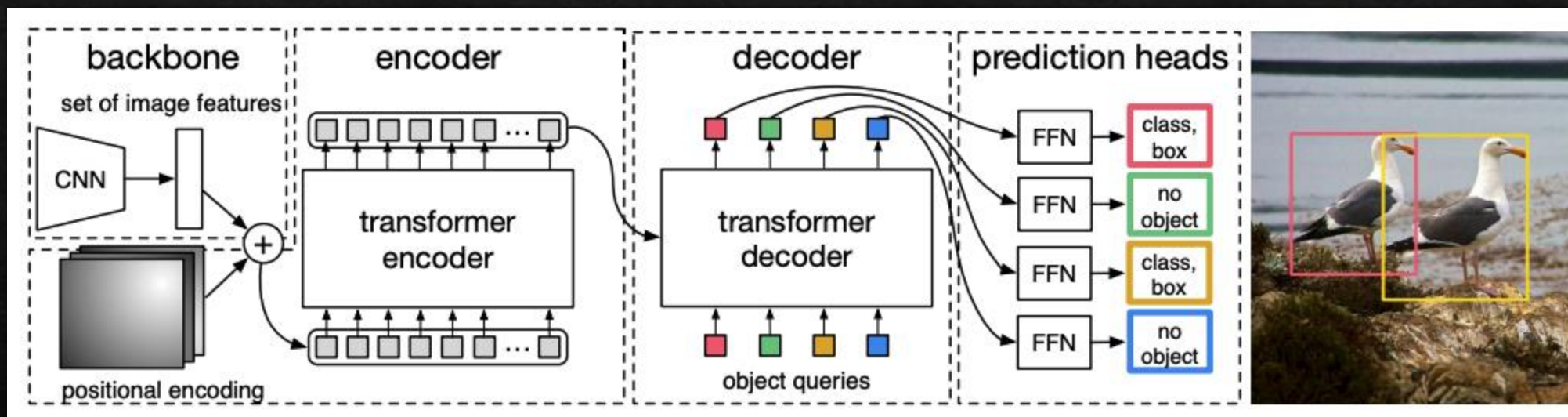
Yolanda – D : 30 mins

Wendy – B or C : 40 min or 50 min

Xenefor - C or B : 50min or 40min

Overall: 140mins

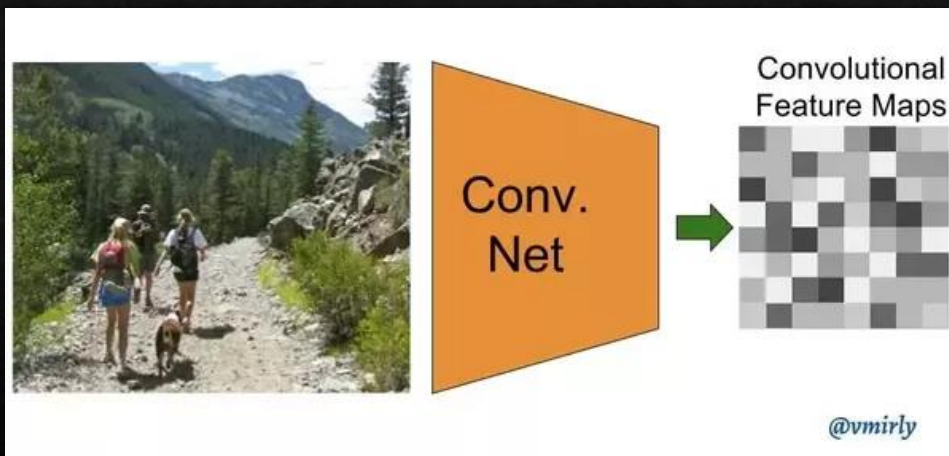
DETR architecture



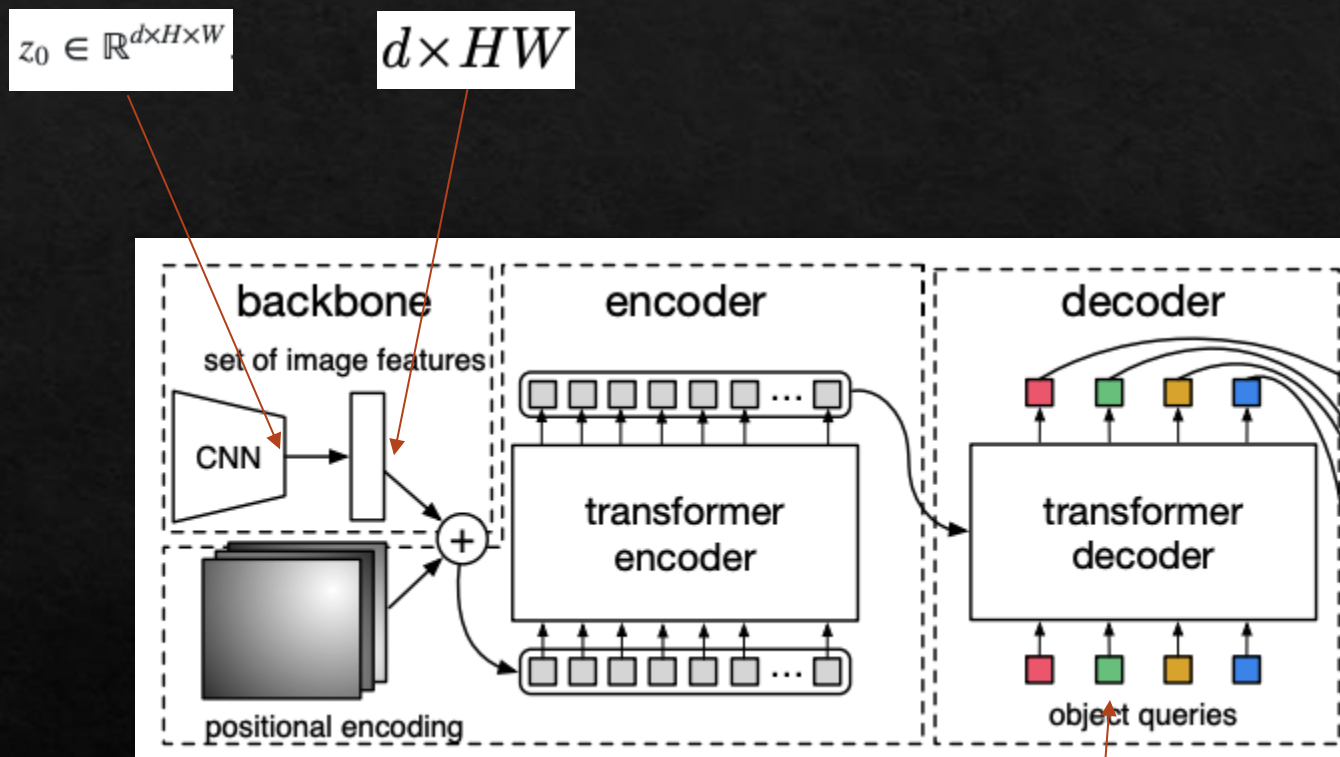
DETR architecture

$$x_{\text{img}} \in \mathbb{R}^{3 \times H_0 \times W_0}$$

$$f \in \mathbb{R}^{C \times H \times W}$$



Transformer

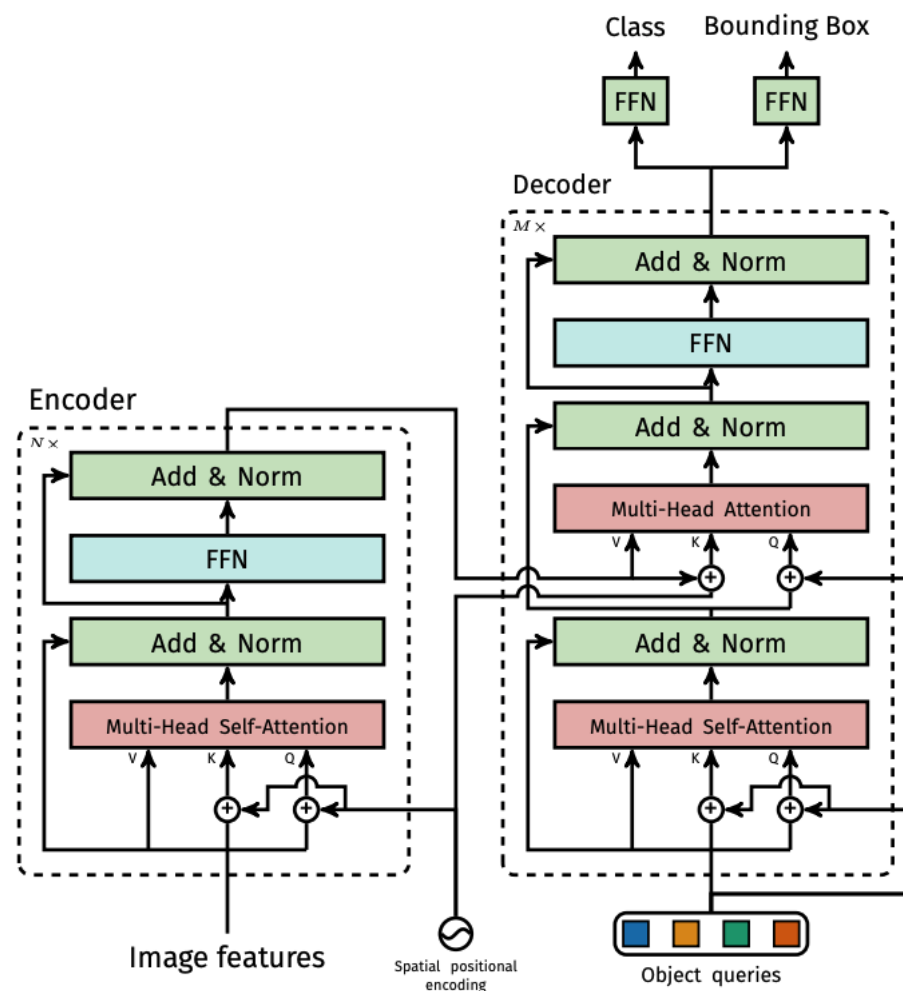


$$z_0 \in \mathbb{R}^{d \times H \times W}$$

$$d \times HW$$

N embeddings of size d

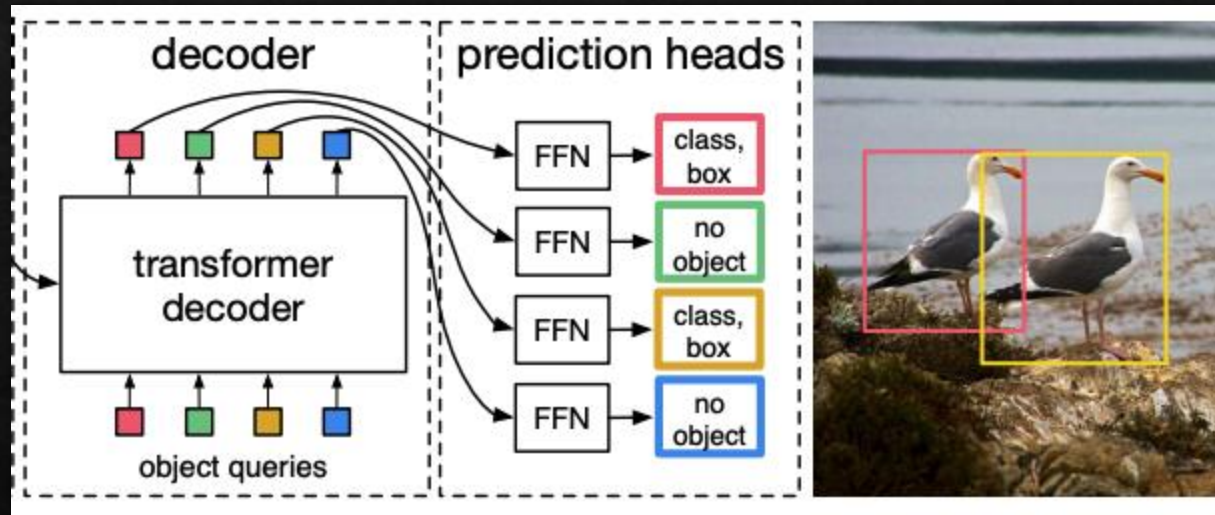
Transformer



FCN

```
self.class_embed = nn.Linear(hidden_dim, num_classes + 1)
self.bbox_embed = MLP(hidden_dim, hidden_dim, 4, 3)
```

Output



$$\begin{aligned} & \hat{y} \\ & (\hat{c}_1, \hat{b}_1) \\ & (\hat{c}_2, \hat{b}_2) \\ & \vdots \\ & (\hat{c}_N, \hat{b}_N) \end{aligned}$$

Loss Function

Step 1: find a bipartite matching between these two sets

Step 2: compute the loss function, the Hungarian loss for all pairs matched in the previous step

Loss Function

Step 1: find a bipartite matching between these two sets

- Pair matching cost between ground truths and predictions

$$-\mathbb{1}_{\{c_i \neq \emptyset\}} \hat{p}_{\sigma(i)}(c_i) + \mathbb{1}_{\{c_i \neq \emptyset\}} \mathcal{L}_{\text{box}}(b_i, \hat{b}_{\sigma(i)})$$

- find one-to-one matching for direct set prediction without duplicates

$$\hat{\sigma} = \arg \min_{\sigma \in \mathfrak{S}_N} \sum_i^N \mathcal{L}_{\text{match}}(y_i, \hat{y}_{\sigma(i)}),$$

Loss Function

Step 1: find a bipartite matching between these two sets

\hat{y}	y
(\hat{c}_1, \hat{b}_1)	(c_1, b_1)
(\hat{c}_2, \hat{b}_2)	(c_2, b_2)
\vdots	(ϕ, \dots)
(\hat{c}_N, \hat{b}_N)	(ϕ, \dots)

	y_1	y_2	\dots	y_n
\hat{y}_1	10	15	\dots	15
\hat{y}_2	2	1	\dots	19
\vdots	\vdots	\vdots	\dots	\vdots
\hat{y}_N	16	18	\dots	20

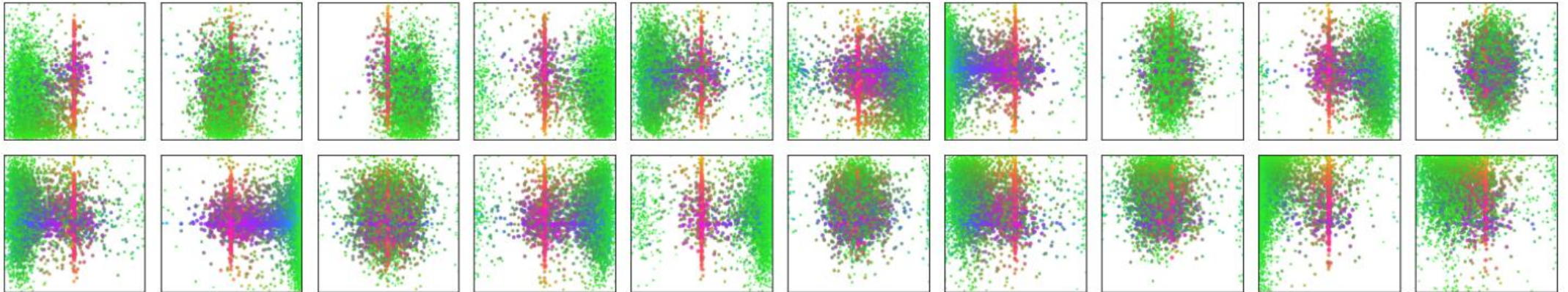
Loss Function

Step 2: compute the loss function, the Hungarian loss for all pairs matched in the previous step

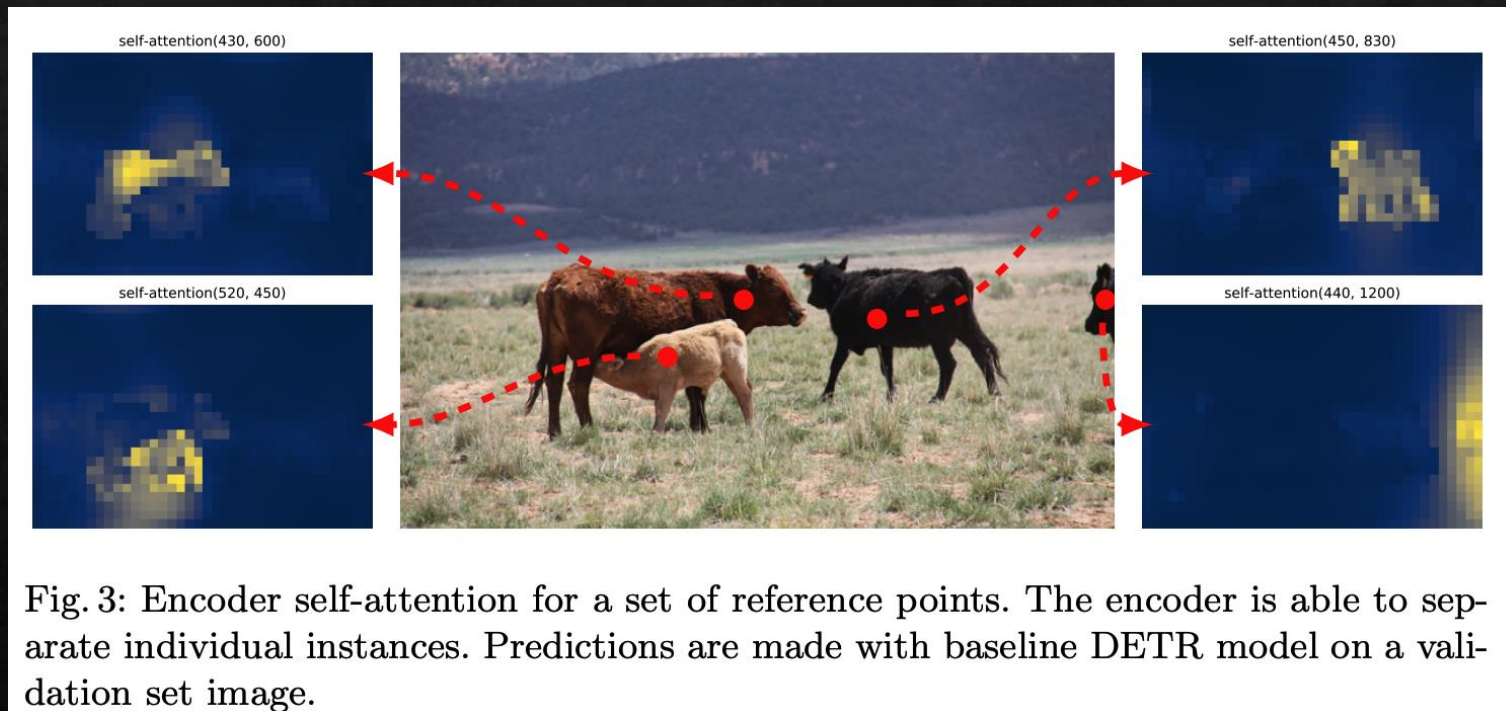
$$\mathcal{L}_{\text{Hungarian}}(y, \hat{y}) = \sum_{i=1}^N \left[-\log \hat{p}_{\hat{\sigma}(i)}(c_i) + \mathbb{1}_{\{c_i \neq \emptyset\}} \mathcal{L}_{\text{box}}(b_i, \hat{b}_{\hat{\sigma}(i)}) \right]$$

Object Query

- Trainable parameters
- each slot learns to specialize on certain areas and box sizes with several operating modes



Encoder Self Attention



Decoder attention

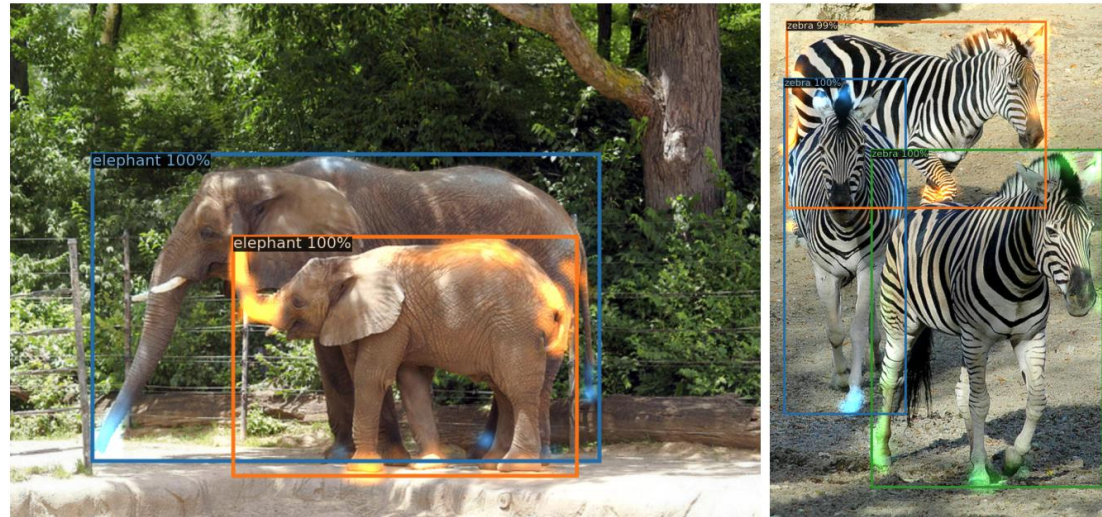


Fig. 6: Visualizing decoder attention for every predicted object (images from COCO val set). Predictions are made with DETR-DC5 model. Attention scores are coded with different colors for different objects. Decoder typically attends to object extremities such as legs and heads. Best viewed in color.

Summary

- ◇ Introduction to DETR
- ◇ Hungarian algorithms
- ◇ Using of Transformer in object detection