# **DATA MINING**

# Exercise 1

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Completed Exercises: 1,2,3,4,5,6(All)

### Question 1:

Code file is attached as well.

```
%Numbers from 1 to 100.
t1=1:100

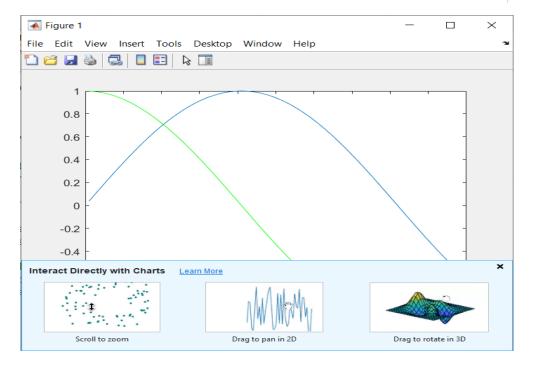
%Question 1
%Numbers from 100 to 1
for i = 100:-1:1
    disp(i);
end

%Numbers from 1 to 100 with interval of 2
for i = 1:2:100
    disp(i);
end
```

# Question 2:

```
%Question 2
%Dimensions of "Matrix t". Even a scalar is matrix in Matlab (Matrix laboratory)
l=length(t1)
d≡size(t1)
%Transpose of t.
tp=t1'
size(tp)
%100 samples from 50Hz sinusoidal signal sampled at frequency of 8192Hz.
f=50
F=8192
y=sin(2*pi*t1*(f/F))
plot(t1,y)
%Another signal into the same plot.
y2=cos(2*pi*t1*(f/F))
plot(t1,y)
hold on
plot(t1,y2,'g')
```

```
%finding intersection
intersection_indices = find(abs(y - y2) < 0.01); % You can adjust the tolerance as needed
intersection_points = t1(intersection_indices);
disp(intersection_indices);
disp(intersection_points);
%theoretically(manually) we can't find the intersection of these two waves as both
%sine and cosine waves are infinite series,but
%visually we can see the intersection when x=20 and y=0.720003</pre>
```



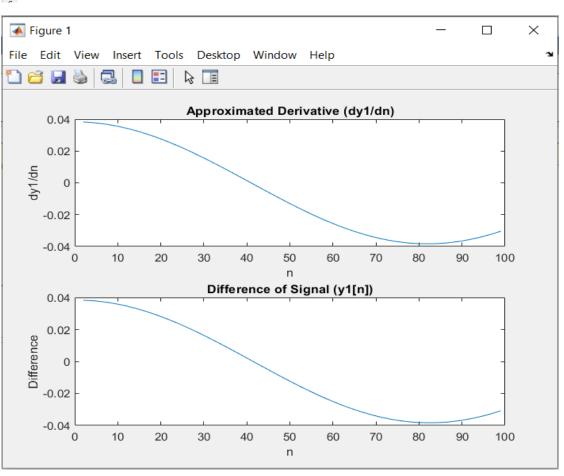
As we can from the graph, visually the intersection can be found out and it is at x=20 and y=0.720003. Whereas when we try to find the exact intersection manually (theoretically) it is not possible as the sine and waves are infinite.

### Question 3:

```
%Question 3
dy1_dn_approx = (y(n + 1) - y(n - 1)) / 2;
% Compute the difference of y1[n]
diff_y1 = diff(y);
% Plot the derivative and difference vectors using their valid indices
subplot(2, 1, 1);
plot(n, dy1_dn_approx);
title('Approximated Derivative (dy1/dn)');
xlabel('n');
ylabel('dy1/dn');
subplot(2, 1, 2);
plot(n, diff_y1(1:end-1)); % Adjust for the length
title('Difference of Signal (y1[n])');
xlabel('n'):
ylabel('Difference');
% Calculate the maximum absolute difference between the two approaches
\label{eq:max_abs_diff} \verb| max(abs(dy1\_dn\_approx - diff\_y1(1:end-1))); \\
\label{thm:mum_absolute} fprintf('Maximum absolute difference between the two approaches: \%.5f\n' \displays max_abs_diff);
```

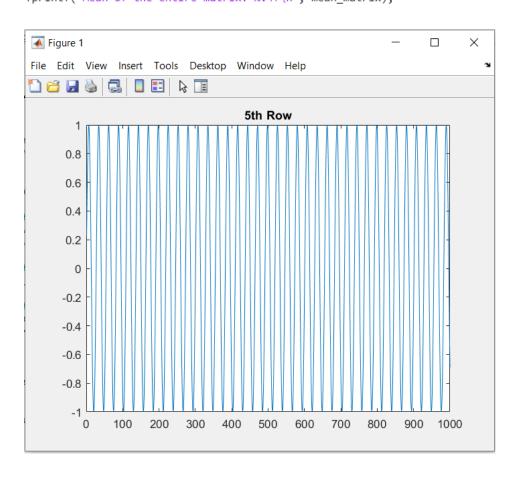
```
Command Window
New to MATLAB? See resources for <u>Getting Started</u>.

s compute the derivative of yr with respect to h
  n = 2:99;
  dy1_dn_approx = (y(n + 1) - y(n - 1)) / 2;
  % Compute the difference of y1[n]
  diff_y1 = diff(y);
  % Plot the derivative and difference vectors using their valid indices
  subplot(2, 1, 1);
  plot(n, dy1_dn_approx);
  title('Approximated Derivative (dy1/dn)');
  xlabel('n');
  ylabel('dy1/dn');
  subplot(2, 1, 2);
  plot(n, diff_y1(1:end-1)); % Adjust for the length
  title('Difference of Signal (y1[n])');
  xlabel('n');
  ylabel('Difference');
  % Calculate the maximum absolute difference between the two approaches
  max abs diff = max(abs(dy1 dn approx - diff y1(1:end-1)));
  fprintf('Maximum absolute difference between the two approaches: %.5f\n', max_abs_diff);
  Maximum absolute difference between the two approaches: 0.00074
```



# Question 4:

```
%Question 4
% Load the data from the file "Matrix.txt"
A = load('D:\MS\Data Mining\1\Matrix.txt');
% Extract the 5th row (remember that MATLAB uses 1-based indexing)
fifth_{row} = A(5, :);
% Plot the 5th row
plot(fifth_row);
title('5th Row');
% Listen to the content of the 5th row
soundsc(fifth_row);
% Calculate the means
mean_rows = mean(A, 2); % Mean of each row
mean_columns = mean(A, 1); % Mean of each column
mean_matrix = mean(A(:)); % Mean of the entire matrix
fprintf('Mean of rows:\n');
disp(mean_rows);
fprintf('Mean of columns:\n');
disp(mean_columns);
fprintf('Mean of the entire matrix: %.4f\n', mean_matrix);
```



```
Mean of rows:
                  0.0056
                  0.0100
                0.0658
                0.0003
                0.0071
  Mean of columns:
         Columns 1 through 12
                 0.2120 0.3438 0.3587 0.2832 0.1907 0.1596 0.2288 0.3756 0.5278 0.6049 0.5630 0.4206
         Columns 13 through 24
              0.2486 0.1321 0.1235 0.2146 0.3423 0.4250 0.4094 0.3007 0.1607 0.0733 0.0973 0.2334
         Columns 25 through 36
              Columns 37 through 48
      Columns 985 through 996
             0.2070 \quad 0.2183 \quad 0.1372 \quad 0.0356 \quad -0.0070 \quad 0.0505 \quad 0.1875 \quad 0.3336 \quad 0.4073 \quad 0.3628 \quad 0.2160 \quad 0.0363 \quad 
      Columns 997 through 1,000
            -0.0909 -0.1111 -0.0299 0.0912
Mean of the entire matrix: 0.0178
```

### Question 5:

```
>> %Question 5
% Calculate the mean amplitude for each row
mean_amplitudes = mean(A, 2);

% Find the row with the lowest mean amplitude
[lowest_amplitude, lowest_row] = min(mean_amplitudes);

fprintf('The lowest sounding signal is in row %d with a mean amplitude of %.4f\n', lowest_row, lowest_amplitude);
The lowest sounding signal is in row 4 with a mean amplitude of 0.0003
```

### Question 6:

```
%Question 6
data = readtable('D:\MS\Data Mining\1\inco13par.txt');
% Check the number of cases and variables
[num_cases, num_vars] = size(data);
fprintf('Number of cases: %d\n', num_cases);
fprintf('Number of variables: %d\n', num_vars);
% Initialize a matrix to store missing value counts
missing_values_per_variable = zeros(1, num_vars);
% Convert the data to numeric format and count missing values
for i = 1:num \ vars
    variable_data = str2double(data(:, i));
    missing_values_per_variable(i) = sum(isnan(variable_data));
end
fprintf('Number of missing values for each variable:\n');
disp(missing_values_per_variable);
fprintf('Number of missing values for each variable:\n');
disp(missing values per variable);
Number of cases: 529
Number of variables: 16
Number of missing values for each variable:
      1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
```