

Multilayer Block Models for Exploratory Analysis of Computer Event Logs

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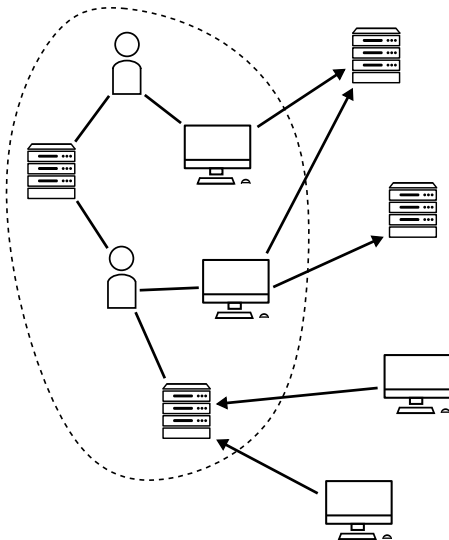


French National Cybersecurity Agency (ANSSI), Paris, France

Complex Networks '22, Palermo, Italy

November 9th, 2022

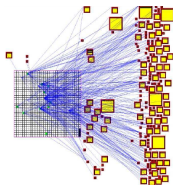
Problem definition – Computer network monitoring



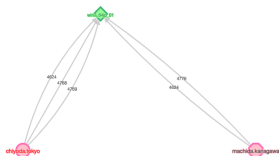
Event logs

- ▶ Record **various types** of activity
 - ▶ Many events can be seen as **interactions** between entities
 - ▶ Here, we focus on **authentications** and **network flows**
-
- ▶ Massive amount of data
 - ▶ Goal: quickly **explore** and **understand** their content, and uncover **suspicious behaviors**

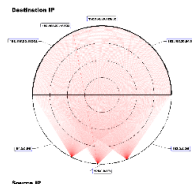
Related work – Visualization tools



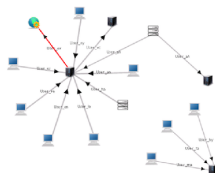
VISUAL [Ball et al., 2004]



LogonTracer [Tomonaga, 2017]



FloVis [Taylor et al., 2009]



APTHunter [Siadati et al., 2016]

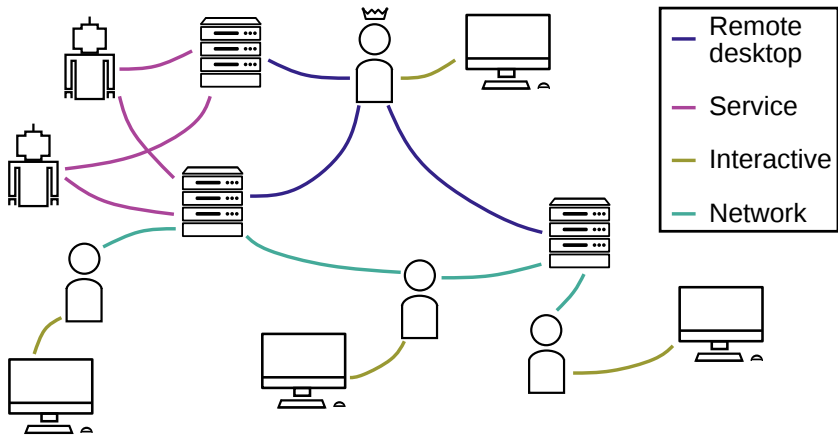
Problem

Displaying everything **does not scale** well!

- Need to **summarize** the graphs

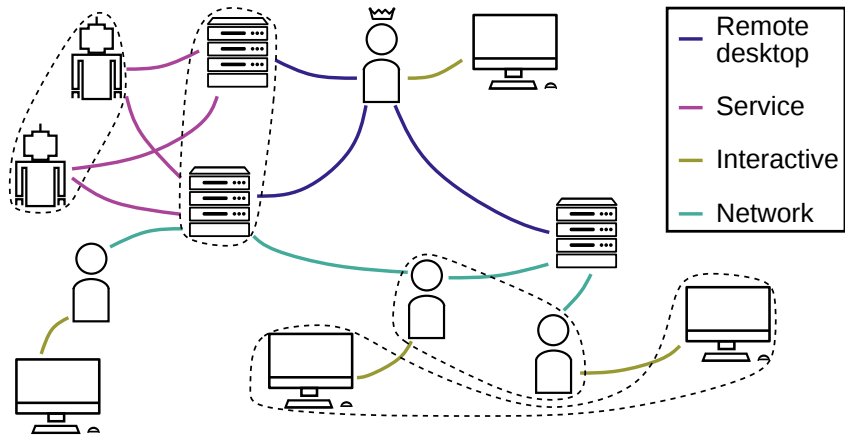
Summarizing the data

Intuition: many nodes have **similar connectivity patterns**.



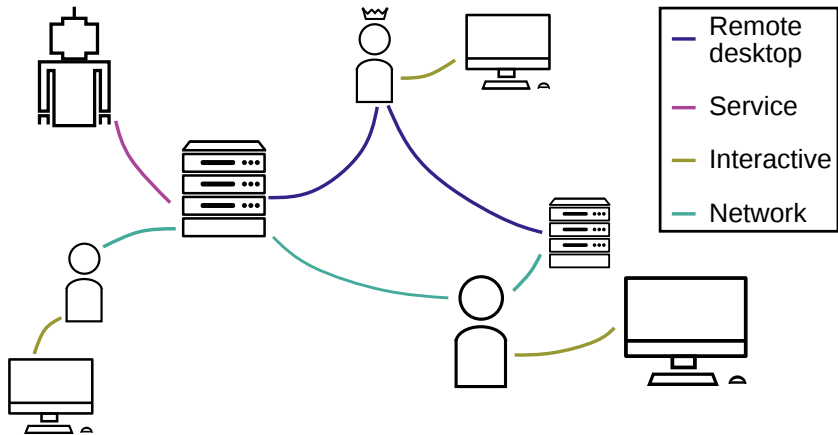
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Definitions

Let \mathcal{U}, \mathcal{V} be the **top** and **bottom** node sets, respectively. Assume there are L **edge types**. We consider a **bipartite multiplex graph** $\mathcal{G} = (\mathcal{U}, \mathcal{V}, \mathcal{E})$, where $\mathcal{E} \subset \mathcal{U} \times \mathcal{V} \times [L]$ is the edge set. For each type $\ell \in [L]$, the biadjacency matrix for layer ℓ is denoted $\mathbf{B}^{(\ell)} = (b_{ij}^{(\ell)})$.

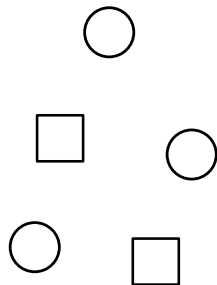
Generative model: multilayer extension of the **Poisson latent block model** [Govaert and Nadif, 2010].

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- ▶ H top clusters, K bottom clusters

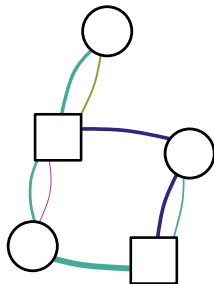


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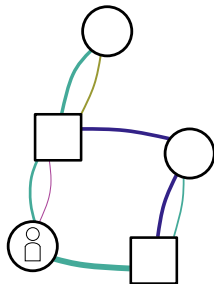


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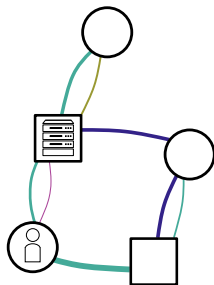


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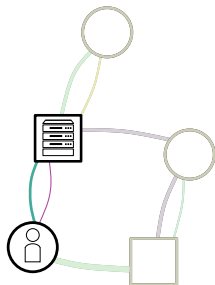


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- ▶ $\forall (i, j, \ell) \in \mathcal{U} \times \mathcal{V} \times [L]$, draw edge indicator $b_{ij}^{(\ell)} \sim \text{Poisson}(\mu_i \nu_j \theta_{U_i V_j}^{(\ell)})$.



Model inference and selection

Cluster assignments and model parameters are inferred through **maximum likelihood estimation**.

- Goal: maximize the complete data log-likelihood

$$L_C = \sum_i \log \pi_{U_i} + \sum_j \log \rho_{V_j} + \sum_{i,j,\ell} \left\{ b_{ij}^{(\ell)} \log \left(\mu_i \nu_j \theta_{U_i V_j}^{(\ell)} \right) - \mu_i \nu_j \theta_{U_i V_j}^{(\ell)} \right\}$$

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- ▶ We adapt the **variational EM** procedure of [Govaert and Nadif, 2010]:
 - Estimate node activities μ, ν from the marginal totals of $\mathbf{B}^{(1:L)}$
 - Introduce **soft cluster assignment** matrices $\mathbf{U} \in [0, 1]^{|U| \times H}$ and $\mathbf{V} \in [0, 1]^{|V| \times K}$
 - Alternately optimize \mathbf{U} , \mathbf{V} and $\Theta^{(1:L)}$
 - Round \mathbf{U} and \mathbf{V} to obtain hard cluster assignments

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Model selection

The number of clusters is selected through **grid search** by maximizing the **integrated completed likelihood** (ICL [Biernacki et al., 2000]),

$$\text{ICL} \propto 2L_C - (H - 1) \log |\mathcal{U}| - (K - 1) \log |\mathcal{V}| - LHK \log (L|\mathcal{U}||\mathcal{V}|)$$

First case study – Network flows (description)

Dataset – VAST Challenge 2013 MC3

Two weeks of **simulated network flows** between an enterprise network and external hosts, with **several attacks** (DDoS, port scans, botnet infection, data exfiltration).

Flow = ($@IP_{src}$, $@IP_{dst}$, protocol, $Port_{dst}$)

Case 1: internal source, external destination

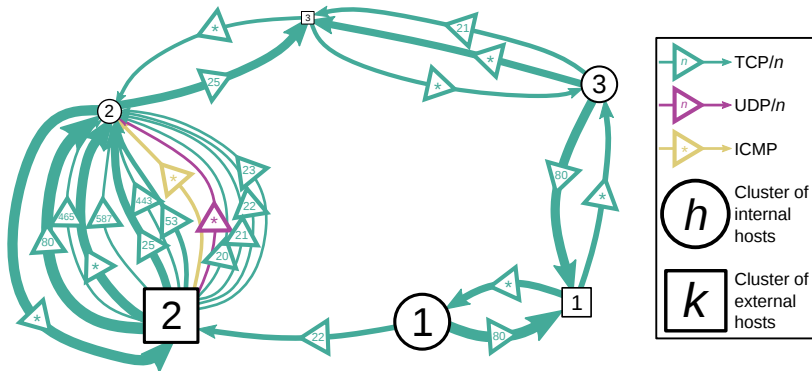


Case 2: external source, internal destination



- ▶ 1,220 internal hosts (top nodes)
- ▶ 200 external hosts (bottom nodes)
- ▶ 18 edge types (dest. port restricted to 10 well-known ports and one "Other port" token)
- ▶ 26,597 edges

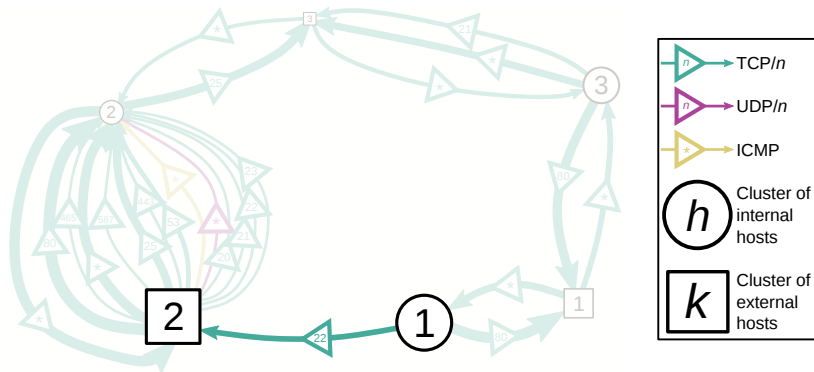
First case study – Network flows (results)



Relevant clusters:

Suspicious behaviors:

First case study – Network flows (results)



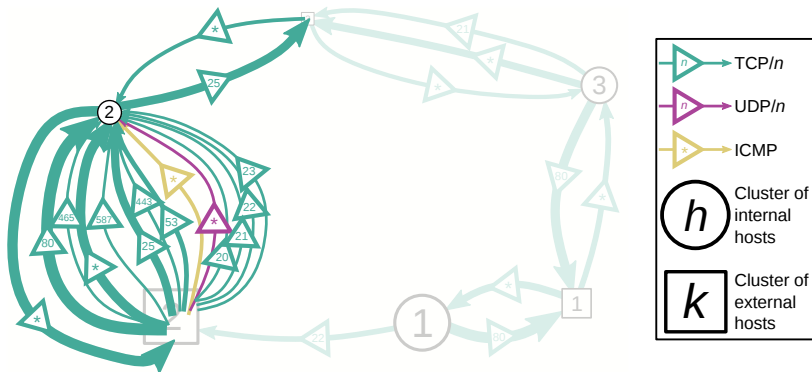
Relevant clusters:

- Internal workstations

Suspicious behaviors:

- Outbound SSH traffic from 8 internal hosts to an external host (botnet C&C)

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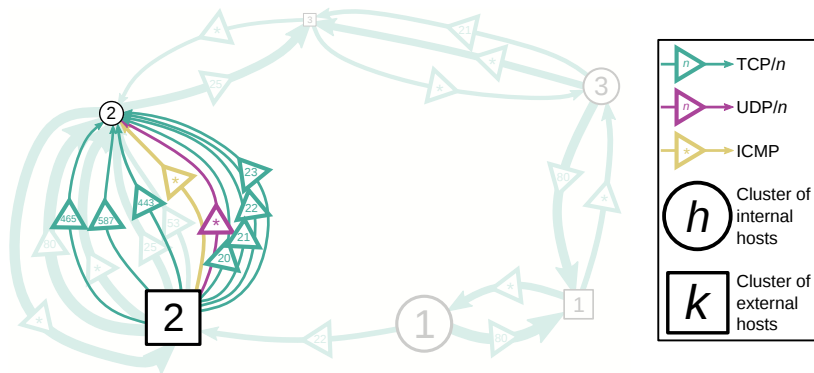
Relevant clusters:

- ▶ Internal workstations
- ▶ Internal servers

Suspicious behaviors:

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Relevant clusters:

- ▶ Internal workstations
- ▶ Internal servers

Suspicious behaviors:

- ▶ Outbound SSH traffic from 8 internal hosts to an external host (botnet C&C)
- ▶ Many ports with few connections (port scans)

Second case study – Authentication logs (description)

Dataset – "Comprehensive, Multi-Source Cyber-Security Events"

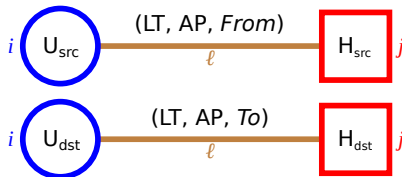
58 days of **authentication logs** from a **real enterprise network**, with labelled events corresponding to a **red team exercise**.

Event = (U_{src} , U_{dst} , H_{src} , H_{dst} , AuthPkg, LogonType)

Case 1: $H_{src} = H_{dst}$

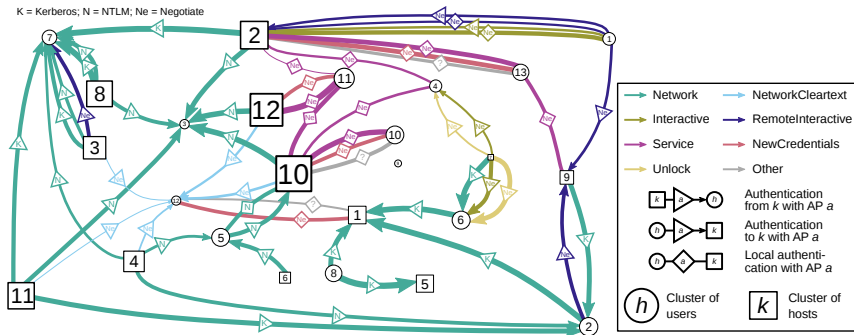


Case 2: $H_{src} \neq H_{dst}$

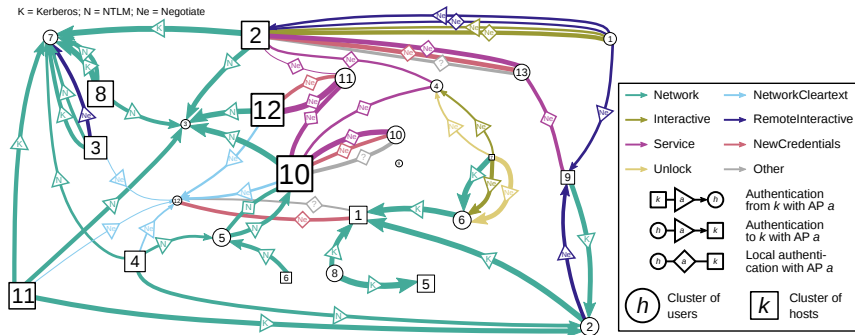


- ▶ 74,049 users (top nodes)
- ▶ 16,119 hosts (bottom nodes)
- ▶ 44 edge types
- ▶ 869,547 edges

Second case study – Authentication logs (results)



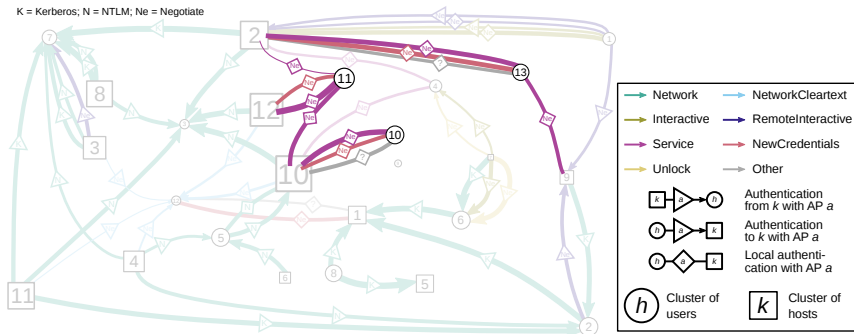
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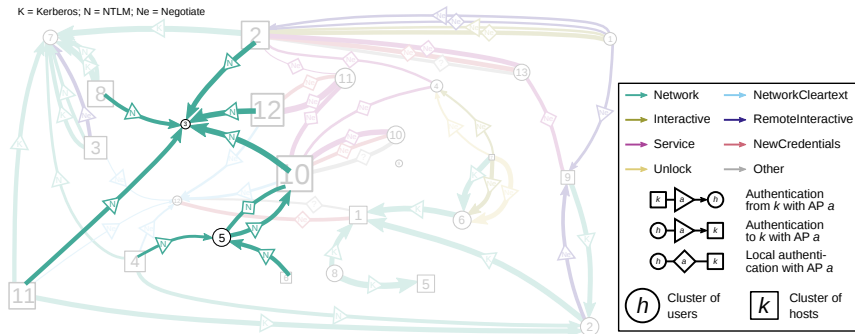


Relevant clusters:

- Service accounts

Suspicious behaviors:

Second case study – Authentication logs (results)

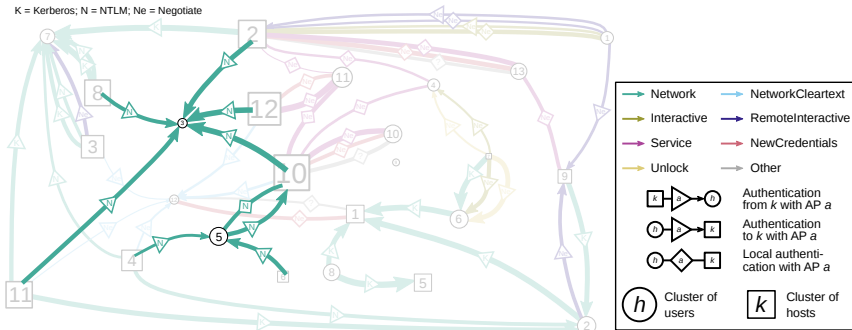


Relevant clusters:

- ▶ Service accounts
- ▶ Anonymous credentials

Suspicious behaviors:

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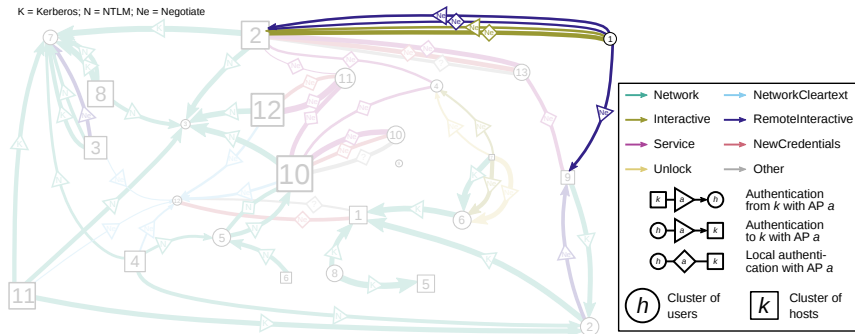
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Suspicious behaviors:

- ▶ Compromised user accounts among anonymous credentials

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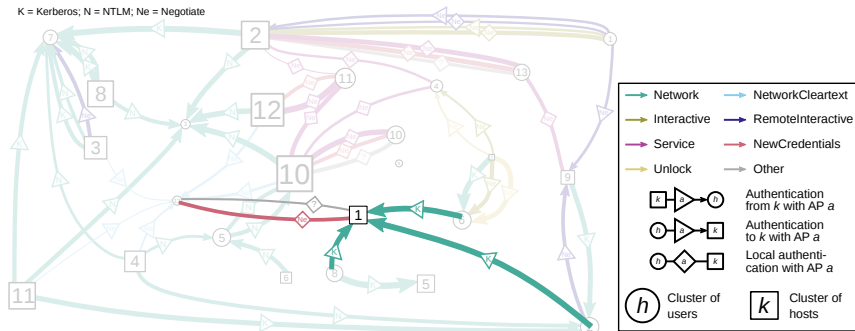
Relevant clusters:

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- ▶ Potential admin accounts

Suspicious behaviors:

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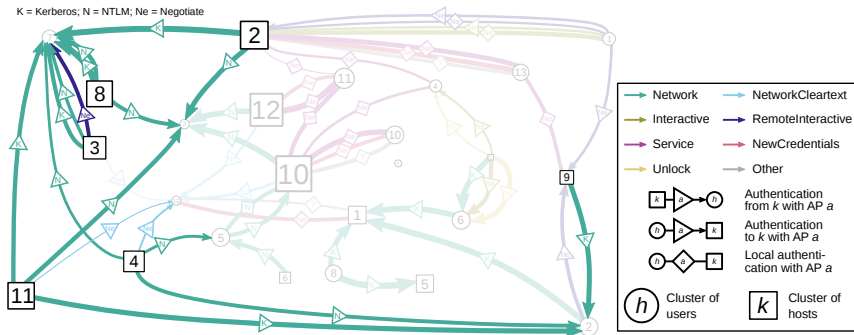
Relevant clusters:

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- ▶ Potential admin accounts
- ▶ Servers

Suspicious behaviors:

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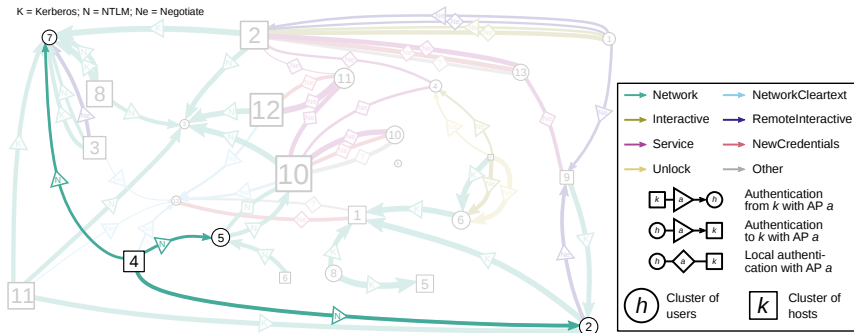
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- ▶ Potential admin accounts
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Suspicious behaviors:

- ▶ Compromised user accounts among anonymous credentials
- ▶ Outbound NTLM authentications mostly originating from compromised host

Contributions

We propose a **graph-oriented approach** to event log exploration. Our method uncovers **meaningful clusters** of entities, and it helps **detect suspicious behaviors**. Overall, it facilitates exploratory analysis by **summarizing** the information contained in the logs.

Future work:

- ▶ Better model selection criteria
- ▶ Adding a temporal dimension
- ▶ Clustering edge types in addition to top and bottom nodes

- [Ball et al., 2004] Ball, R., Fink, G. A., and North, C. (2004). Home-centric visualization of network traffic for security administration. In *VizSec/DMSec*.
- [Biernacki et al., 2000] Biernacki, C., Celeux, G., and Govaert, G. (2000). Assessing a mixture model for clustering with the integrated completed likelihood. *IEEE Trans. Pattern Anal. Mach. Intell.*, 22(7):719–725.
- [Govaert and Nadif, 2010] Govaert, G. and Nadif, M. (2010). Latent block model for contingency table. *Commun. Stat. Theory Methods*, 39(3):416–425.
- [Siadati et al., 2016] Siadati, H., Saket, B., and Memon, N. (2016). Detecting malicious logins in enterprise networks using visualization. In *VizSec*.
- [Taylor et al., 2009] Taylor, T., Paterson, D., Glanfield, J., Gates, C., Brooks, S., and McHugh, J. (2009). Flovis: Flow visualization system. In *CATCH*.
- [Tomonaga, 2017] Tomonaga, S. (2017). Visualise event logs to identify compromised accounts - logontracer.