Radiation Physics

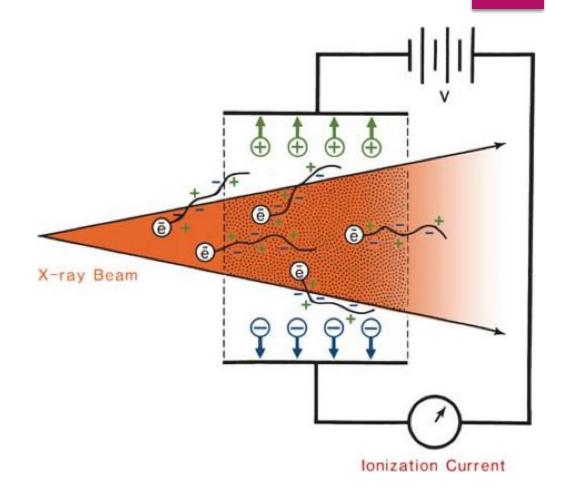
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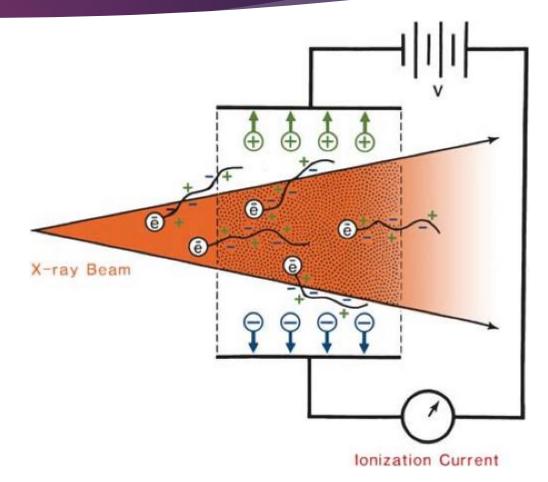
Measurement of Absorbed Dose

Chapter 8



Exposure

- ► Exposure (Chapter 6.2)
 - Measure of ionization produced in air by photons
 - X = dQ/dm
- Exposure unit
 - ► C/kg
 - ► Roentgen, R
 - ▶ 1R = 1 esu/cc of air at STP
 - ightharpoonup 1 esu = 3.333 x 10⁻¹⁰ C
 - ▶ Density of air, $\rho = 1.29 \text{ kg/m}^3$ and mass of 1 cc of air = 1.29 kg/m³ x 10-6 m³ = 1.29 x 10-6 kg
 - ↑ R = 1 esu/1 cc of air = 3.333 x 10⁻¹⁰ C/1.29 x 10⁻⁶ kg
 = 2.58 x 10⁻⁴ C/kg



- Kinetic energy released in the matter, KERMA
 - ▶ Measure of energy transfer from photons to charged particles in medium
 - $K = dE_{tr}/dm$
- KERMA unit (tip: same as dose)
 - J/kg
- ▶ Kerma is a quantity applicable to **indirectly ionizing** radiations, such as photons and neutrons.
- \blacktriangleright Kerma is directly proportional to the photon energy fluence, Ψ
 - = K = Ψ μ_{tr}/ρ
- ▶ The total kerma is divided into two components: collision kerma, K^{col} and radiation Kerma, K^{rad}
 - $K = K^{col} + K^{rad}$
 - \blacktriangleright K^{col} = $\Psi \mu_{en}/\rho$
 - under CPE (charged particle equilibrium): D = $K^{col} = \Psi \mu_{en}/\rho$

What is the exact meaning of "Energy Transfer"?

The term energy transfer refers to **uncharged particles**, e.g., photons, neutrons, etc.

The photon fate after an interaction with an atom includes two possible outcomes:

- Photon disappears (i.e., is absorbed completely) and a portion of its energy is transferred to light charged particles (electrons and positrons in the absorbing medium).
- ▶ Photon is scattered and two outcomes are possible:
 - ▶ The resulting photon has the same energy as the incident photon and no light charged particles are released in the interaction.
 - ▶ The resulting scattered photon has a lower energy than the incident photon and the energy excess is transferred to a light charged particle (electron).

Continued: What is the exact meaning of "Energy Transfer"?

- The energy that is transferred in a photon interaction to a light charged particle (mostly a secondary electron) is called an energy transfer.
- This process is described by the energy transfer coefficient

$$\mu_{\mathsf{tr}} = \mu \frac{\overline{E}_{\mathsf{tr}}}{h v}$$

with \bar{E}_{tr} the average energy transferred from the primary photon with $h\nu$ energy to kinetic energy of charged particles (e- and e+).

Relation between "Energy Transfer" and "Energy Absorption"

- For charged particles, most of the energy loss is directly absorbed Energy Absorption
- For uncharged particles, energy is transferred in a first step to (secondary) charged particles **Energy Transfer**.

In a second step, the secondary charged particles lose their energy according to the general behavior of charged particles (again **Energy Absorption**).

The energy of uncharged particles like photons or neutrons is imparted to matter in a two-stage process.

Absorbed Dose

- Absorbed dose is a quantity applicable to both indirectly and directly ionizing radiations.
- Indirectly ionizing radiation means:
 the energy is imparted to matter in a two-step process.
 - ▶ In the first step (resulting in kerma), the indirectly ionizing radiation transfers energy as kinetic energy to secondary charged particles.
 - ▶ In the second step, these charged particles transfer a major part of their kinetic energy to the medium (finally resulting in absorbed dose).
- Directly ionizing radiation means:
 - ▶ charged particles transfer a major part of their kinetic energy directly to the medium (resulting in absorbed dose).

Dose

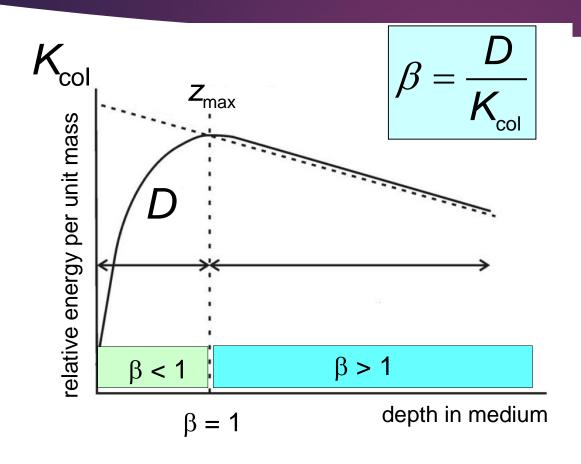
- Radiation absorbed dose, absorbed dose, or dose
 - Measure of energy deposited in a medium by ionizing radiation
 - \triangleright D = dE/dm
- Dose unit
 - ► Gray (Gy), J/kg
 - rad
 - ightharpoonup 1 rad = 1 cGy = 0.01 Gy
- D = K^{col} = Ψ μ_{en}/ρ
 - under CPE (charged particle equilibrium)
 - Ψ: Energy fluence, J/ m²
 - $\blacktriangleright \quad \mu_{en}/\rho$: Mass energy absorption coefficient, m^2/kg

$$D_{\text{med}} = \Phi \cdot \left(\frac{S_{\text{col}}}{\rho}\right)_{\text{med}} \qquad \left(\frac{S}{\rho}\right)_{\text{tot}} = \left(\frac{S}{\rho}\right)_{\text{col}} + \left(\frac{S}{\rho}\right)_{\text{rad}}$$

 Φ : fluence, $1/m^2$

 S_{col}/ρ : collision stopping power, (MeV m²/kg)

Relationship between collision kerma and absorbed dose



In the buildup region:

$$\beta$$
 < 1

In the region of a transient charged particle equilibrium:

$$\beta > 1$$

At the depth $z = z_{\text{max}}$, a true charged particle equilibrium exists.

$$\beta = 1$$

$$D = K_{col} = K \cdot (1 - \overline{g})$$

W/e and f factor

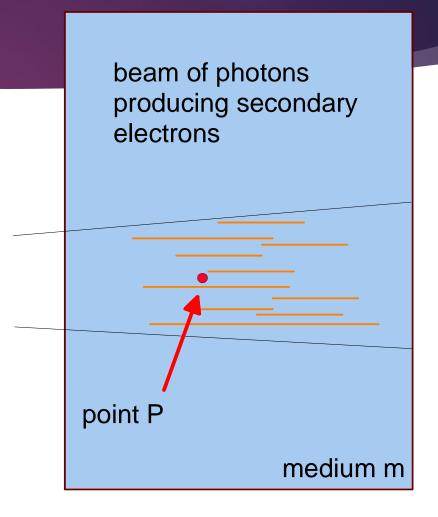
- W, Mean energy required to produce an ion pair in dry air
 - ▶ W = 33.97 eV/ion pair
 - W = 33.97 J/C
- Absorbed dose to air, Dair
 - \triangleright D_{air} = (K^{col}) _{air} = X (W/e)
- D_{air} (rad)= 0.876 (rad/R) X(R)
 - ▶ Roentgen-to-rad conversion factor
- Dose to medium

 - $D_{\text{med}} = D_{\text{air}} (\mu_{\text{en}}/\rho)_{\text{med-air}} A = X (W/e) (\mu_{\text{en}}/\rho)_{\text{med-air}} A$
- f factor for MV beams, $f_{med} = [(W/e) (\mu_{en}/\rho)_{med-air}] = 0.876 (\mu_{en}/\rho)_{med-air}$ if convert R to rad

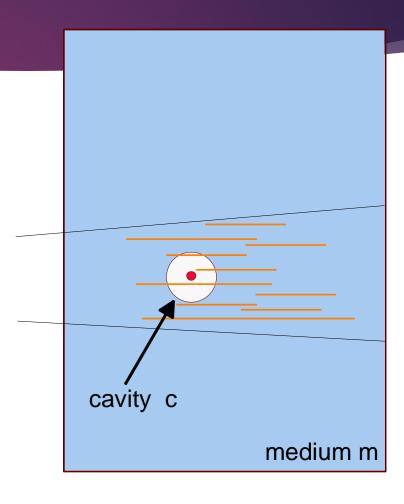
 - $f_{air} = 0.876$ $f_{water} = 0.962$ $f_{tissue} = 0.971$

- Consider a point P within a medium m within a beam of photon radiation (right).
- The absorbed dose at point P can be calculated by:

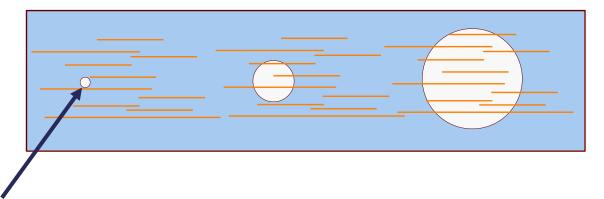
$$D_{\text{med}}(P) = \Phi \cdot \left(\frac{\overline{S}}{\rho}\right)_{\text{med}}$$



- In order to **measure** the absorbed dose at point P in the medium, it is necessary to introduce a radiation sensitive device (dosimeter) into the medium.
- ► The sensitive medium of the dosimeter is frequently called a **cavity**.
- Generally, the sensitive medium of the cavity will not be of the same material as the medium in which it is embedded.



Cavity sizes are referred to as **small**, **intermediate or large** in comparison with the **ranges of secondary charged particles** produced by photons in the cavity medium.



The case where the range of charged particles (electrons) is much larger than the cavity dimensions (i.e. the cavity is regarded as small) is of special interest.

In order to determine D_m from D_c , various cavity theories have been developed depending on the size of the cavity.

Examples are:

- for small cavities:
 - Bragg-Gray theory
 - ► Spencer-Attix theory
- for cavities of intermediate sizes:
 - **▶** Burlin theory.

- The Bragg–Gray cavity theory was the first cavity theory developed to provide a relation between **the absorbed dose in a dosimeter** and the **absorbed dose in the medium** containing the dosimeter.
- There are two conditions for application of the Bragg–Gray cavity theory.
- ► Condition (1):
 - The cavity must be **small** when compared with the range of charged particles incident on it, so that its presence does not perturb the fluence of charged particles in the medium;

- The result of condition (1) is that the electron fluences are almost the same and equal to the equilibrium fluence established in the surrounding medium.
- However:
 - ► This condition can only be valid in regions of charged particle equilibrium or transient charged particle equilibrium.
 - ► The presence of a cavity always causes some degree of fluence perturbation that requires the introduction of a fluence perturbation correction factor.

Condition (2):

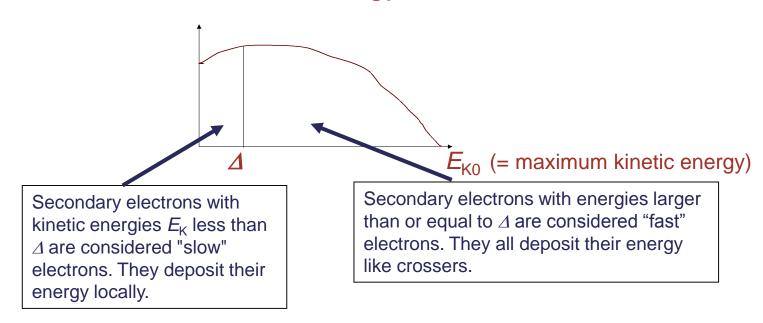
The absorbed dose in the cavity is deposited solely by those electrons crossing the cavity.

- This implies that
 - Photon interactions in the cavity are assumed negligible and thus ignored.
 - All electrons depositing the dose inside the cavity are produced outside the cavity and **completely cross the cavity**. Such electrons can be called "**crossers**".
 - No secondary electrons are produced inside the cavity (starters) and no electrons stop within the cavity (stoppers).

- Bragg-Gray cavity theory: The <u>ionization produced</u> in a <u>gas</u>-filled cavity placed in a <u>medium</u> is related to the <u>energy absorbed</u> in the surrounding medium
 - ▶ The absorbed dose to the medium at point P can be obtained from measured absorbed dose in the cavity by multiplication with the stopping power ratio
- Stopping power, S
 - ▶ The energy loss by electrons per unit length of a material
 - Spencer-Attix cavity theory
 - Restricted stopping power, L
 - ► cut off energy, δ: ~10-20 keV
 - $D_{\text{med}} = J_g (W/e) (L/\rho)_{\text{med-gas}}$
- Dose calibration protocol, TG-51
 - $D_w = M k_0 N^{Co60}$
 - $M = P_{tp} P_{elec} P_{ion} P_{pol} M_{raw}$

The concept of the Spencer-Attix cavity theory:

The total secondary electron fluence (crossers and δ electrons) is divided into two components based on a user-defined **energy threshold** Δ .



Other Dose Measurement Methods

- Calorimetry: temperature change due to ionizing radiation, limits to relatively large dose
- ▶ Chemical Dosimetry, Fricke Ferrous Sulfate dosimeter, limits in laboratory use due to storage
- Solid State Methods
 - ► TLD (Thermoluminescence dosimetry)
 - OSLD (Optically Stimulated Luminescence dosimetry), nanodot
 - RPLD (Radio-photoluminescence dosimetry)
 - ▶ The silver activated phosphate glass irradiated with ionizing radiations emits luminescence when exposed to UV lights
- Film Dosimetry
 - ► Characteristic curve: log (exposure) versus optical density
 - Gradient, gamma, slope = (D2-D1)/Log (E2-E1)
 - Speed (sensitivity) = 1/R for OD equal to unity
 - ▶ Latitude (contrast) = range of log exposure to give an acceptable density range)
 - Film badge dosimeter: personal dosimetry used for monitoring cumulative radiation dose
 - ► Tissue depth of interest include

Skin: 0.07 cm

Lens of the eye: 0.30 cm

Deep dose, or dose to the whole body: 1.0 cm

