

```

{-# OPTIONS --guardedness #-}

open import Codata.Musical.Notation
open import Data.Nat using (; suc; zero)
open import Relation.Binary.Core using (Rel)
open import Relation.Binary.Bundles using (Setoid)
open import Relation.Binary.Definitions using (Reflexive; Symmetric; Transitive)
open import Relation.Binary.PropositionalEquality using (==; subst; subst) renaming (sym to eqSym; trans to eqTrans)
import Level using (zero)
open import Data.Maybe using (Maybe; nothing; just)
open import Data.Maybe.Properties
open import Data.Bool using (Bool; true; false)
open import Data.Product
open import Data.Sum
open import Function.Base using (case_of_)
open import Relation.Nullary using (contradiction)

module Trace3 where

Id : Set
Id =

Val : Set
Val =

State : Set
State = Id → Val

record Trace : Set where
  coinductive
  constructor mkTr
  field
    hd : State
    tl : Maybe Trace
open Trace

record _ (tr tr : Trace) : Set where
  coinductive
  field
    hd : hd tr hd tr
    tl : (tl tr nothing × tl tr nothing)

```

$$\{A = (\text{Trace} \times \text{Trace})\} \quad x \rightarrow ($$

$$\text{tl } tr \text{ just } (\text{proj } x)$$

$$\times$$

$$\text{tl } tr \text{ just } (\text{proj } x)$$

$$\times$$

$$(\text{proj } x) \text{ } (\text{proj } x))$$

postulate

$$\text{test} : \{tr \text{ } tr \text{ } tr : \text{Trace}\} \rightarrow$$

$$tr \text{ } tr \rightarrow tr \text{ } tr \rightarrow tr \text{ } tr$$