

The **untraced Polyakov loop**

$$L(\vec{x}) = \prod_{\tau} U_4(\vec{x}, \tau)$$

is related to the **color-averaged free energy** of a quark-antiquark pair¹

$$F_{q\bar{q}}(r, T) = -T \log \left\langle \frac{1}{9} \text{tr} L(\vec{x}) \text{tr} L(\vec{y})^{\dagger} \right\rangle \quad r = |\vec{x} - \vec{y}|.$$

Also of interest to us will be **color-singlet free energy**²

$$F_1(r, T) = -T \log \left\langle \frac{1}{3} \text{tr} L(\vec{x}) L(\vec{y})^{\dagger} \right\rangle.$$

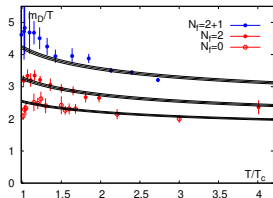
¹L. D. McLerran and B. Svetitsky, Phys. Rev. D, 24.2, 450–460 (1981).

²S. Nadkarni, Phys. Rev. D, 34.12, 3904–3911 (1986).

- $r_D = 1/m_D$ characterizes distance at which in-medium modifications of quark-antiquark interaction dominate (**color screening**)
- Extract m_D from large r behavior of quark-antiquark free energy

$$F_1(r, T) \sim \frac{\alpha(T)}{r} e^{-r m_D(T)}$$

- m_D dependence on T and N_f can be seen, e.g. in lattice simulations³



QUESTION: How does m_D depend on m_ℓ ?

³O. Kaczmarek, PoS(CPOD07), 043 (2008).

Pure $SU(N_c)$ and quenched QCD:

- Polyakov loop is the order parameter
- At finite N_s , the susceptibility peaks near $\beta_c(N_s)$
- Can use this to extract the critical temperature T_c

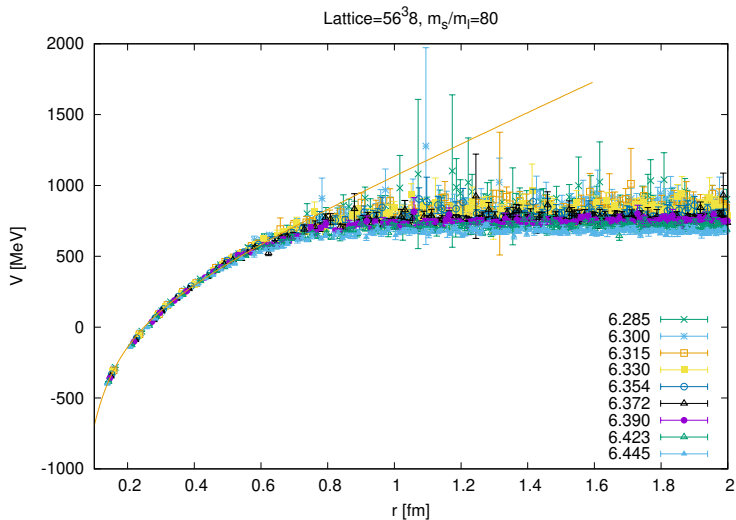
Finite quark mass:

- Peaks no longer contain information on deconfinement
- One may not find a peak anyway

GOAL: Also examine these observables as a function of m_ℓ

- F_1 measured in Coulomb gauge; gauge fixing with OR
- Free energies renormalized using qq -scheme⁴
- Scale is set with r_1
- m_D extracted from long-distance ($rT \gtrsim 1$) behavior of F_1
- But F_1 tends to be noisy at large distances
- IDEA: smooth using gradient flow to improve the signal

⁴O Kaczmarek et al., Phys. Lett. B, 543.1-2, 41–47 (2002).



Preliminary: m_ℓ dependence of different F s

