☐ The mathematical representation for irrotational flow is :

- a. $\nabla \cdot \mathbf{v} = 0$
- b. $\nabla x v = 0$
- c. $\nabla^2 \mathbf{v} = 0$
- d. $\nabla v = 0$
- e. None of these

 \Box Dimensions of kinematic viscosity $\nu = \frac{\mu}{\rho}$ are :

- a. ML⁻¹T⁻²
- b. ML^2T^{-2}
- c. $L^{2}T^{-1}$
- d. MLT⁻²
- e. LT⁻¹

- ☐ Potential flow is characterized by the:
- a. Shear stress and velocity
- b. Velocity gradient and pressure intensity
- c. Shear stress rate of angular deformation in a fluid
- d. Pressure gradient and rate of angular deformation.
- e. None of these

☐ Utilizing the order of magnitude analysis, which of the following dimensionless numbers relate to the boundary layer thickness. Use the following information.

$$\frac{{v_{\infty}}^2}{l_o} = O\left(\frac{\mu \, v_{\infty}}{\rho \, {\delta_0}^2}\right)$$

- a. Froude Number : $\frac{v_{\infty}}{\sqrt{g_0 l_0}}$
- b. Mach Number : $\frac{v_{\infty}}{c}$

- c. Reynolds Number : $\frac{\rho \, v_{\infty} l_0}{\mu}$ d. Weber Number : $\frac{\rho \, v_{\infty}^2 l_0}{\sigma}$ e. Dean Number : $\frac{\rho v_{\infty} l_0}{\mu} \left(\frac{l_0}{2R}\right)^{1/2}$

☐ The law of dimensional homogeneity is used to

- a. Neglect variables in equation of motion.
- b. Check consistency of physical laws.
- c. Identify dimensionless numbers
- d. Design model experiments
- e. None of these

 \Box It is observed that the velocity 'v' of a liquid leaving a nozzle depends upon the pressure drop 'P' and the density ' ρ '. The relationship between the variables can be given by

a.
$$v = C \left(\frac{P}{\rho}\right)^{1/2}$$

b.
$$v = C \left(\frac{P}{\rho}\right)^{-1/2}$$

c.
$$v = C (P\rho)^{-1/2}$$

d.
$$v = C (P\rho)^{1/2}$$

e. None of these

- ☐ The Laplace equation for potential flow is automatically satisfied due to which assumption
 - a. Irrotational and incompressible.
 - b. Irrotational
 - c. Laminar, Irrotational
 - d. Steady State and Irrotational
 - e. None of these

☐ The main use of Equation of motion for Potential flow is to

- a. Get shear stress on solid object
- b. Get pressure distribution for a velocity profile
- c. Obtain velocity gradients far from solid object
- d. Obtain relationship between free stream velocity and boundary layer velocity
- e. None of these

☐ The dimensions of Torque is :

- a. ML^2T^{-3}
- b. MLT⁻²
- c. ML^2T^{-2}
- d. $ML^{-1}T^2$
- e. MLT

- \Box Given the following relation assumed for velocity profile in boundary layer, which of the required conditions are not met. $\frac{V_x}{V_\infty} = \frac{y}{\delta}$
- a. Incompressible flow
- b. Velocity gradient with y on outer edge of boundary layer is 0.
- c. No slip condition.
- d. Steady flow.
- e. Dependence on y.

Bernoulli's equation for steady, frictionless, continuous flow states that the at all sections is same.

- a. Total pressure
- b. Total energy
- c. Velocity gradients
- d. forces
- e. None of these

☐ Streamlines do not cross each other because :

- a. Flow is irrotational
- b. Incompressible fluid
- c. Velocity is tangential and n.v = 0
- d. Viscosity effects are negligible
- e. None of these

☐ Mass flow rate is related to stream function as :

- a. Gradient of ψ
- b. Difference of ψ
- c. Laplace of ψ
- d. Addition of ψ
- e. Integral of ψ for correct dimension

 \Box The velocity components for a flow given by $\psi = axy$ is

a.
$$v_x = ax^2$$
; $v_y = ay^2$

b.
$$v_x = ax$$
 ; $v_y = -ay$

c.
$$v_x = axy$$
; $v_y = -axy$

d.
$$v_x = a \frac{x}{y}$$
; $v_y = -a \frac{x}{y}$

e.
$$v_x = 0$$
; $v_v = -axy$

☐ Which of the following velocity fields are irrotational, assume b to be a constant (Hint : remember the mathematical formulation for irrotational flow)

a.
$$v_x = by$$
; $v_y = 0$; $v_z = 0$

b.
$$v_x = bx$$
; $v_v = 0$; $v_z = 0$

c.
$$v_x = by$$
; $v_y = bx$; $v_z = 0$

d.
$$v_x = -by$$
; $v_y = bx$; $v_z = 0$