

Question 1

□ The starting point for solving fluid flow problems with constant ρ and μ is :

- a. Stoke's equation
- b. Euler Equation
- c. Navier-Stoke's Equation
- d. Hagen-Poiusellie Equation
- e. None of these

Question 2

☐ Steady state is a :

- a. *strictly Eulerian concept*
- b. *strictly Lagrangian concept*
- c. *Both*
- d. *Depends on assumption*
- e. None of these

Question 3

❑ The correct relationship between Eulerian and Lagrangian frame of reference is :

- a. Eulerian = Lagrangian + Acceleration
- b. Lagrangian rate of change = Eulerian rate of change + Convective rate of change
- c. If Eulerian shows steady state, Lagrangian must show steady state too.
- d. *Lagrangian measurements are generally converted to Eulerian*
- e. Eulerian and Lagrangian vector representation produces same visualization for fluid.

Question 4

❑ Which of the following equation is used for Capillary Viscometer ?

- a. Stoke's equation
- b. Euler Equation
- c. Navier-Stoke's Equation
- d. Hagen-Poiusellie Equation
- e. None of these

Question 5

❑ The main difference between “analytical fluid dynamics” and “computational fluid dynamics” is :

- a. *Problem set up*
- b. Addressing different problems all together.
- c. Assumptions and solution method(s)
- d. Frame of reference
- e. Practical Applications

Question 6

□ Assume the co-ordinate system to begin in center, i.e $x = 0$ at the center of W . The expression for average velocity in the given scenario is :

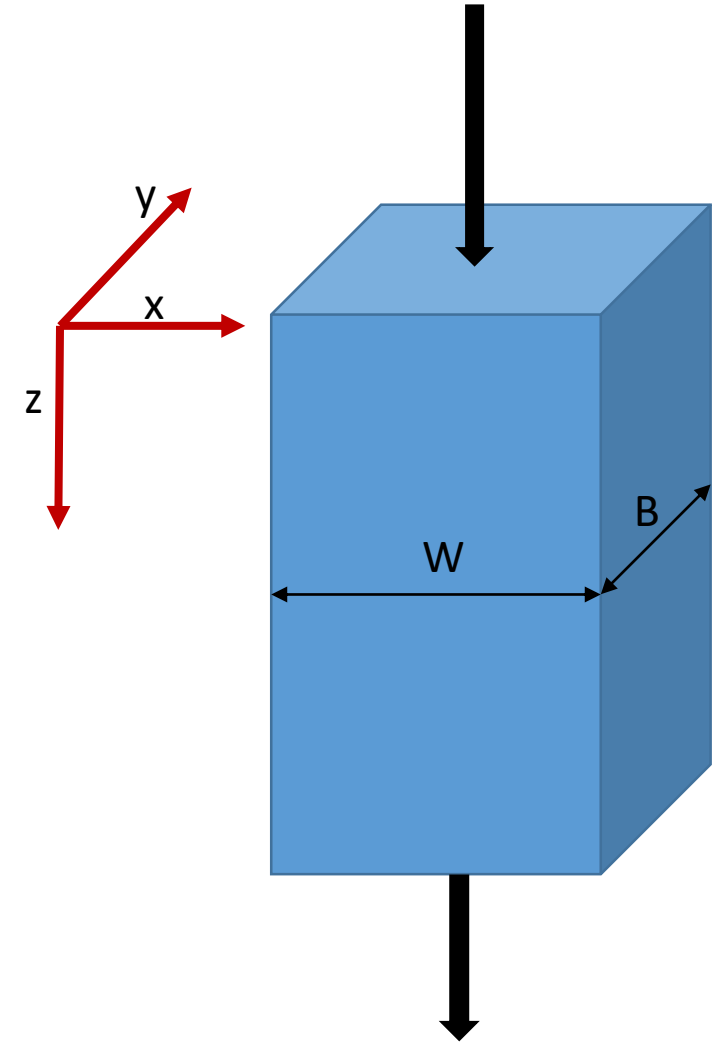
a. $\langle v_z \rangle = \frac{\int_{-W/2}^{W/2} \int_{-B/2}^{B/2} v_z \, dx \, dy}{\int_{-W/2}^{W/2} \int_{-B/2}^{B/2} dx \, dy}$

b. $\langle v_z \rangle = \frac{\int_{-W}^W \int_{-B}^B v_z \, dx \, dy}{\int_{-W}^W \int_{-B}^B dx \, dy}$

c. $\langle v_z \rangle = \frac{\int_0^{W/2} \int_0^{B/2} v_z \, dx \, dy}{\int_0^{W/2} \int_0^{B/2} dx \, dy}$

d. $\langle v_z \rangle = \frac{\int_0^W \int_0^B v_z \, dx \, dy}{\int_0^W \int_0^B dx \, dy}$

e. None of these



Question 7

□ For an incompressible fluid, the equation of continuity reduces to :

a. $\nabla \cdot \mathbf{v} = 0$

b. $\mu \nabla^2 \mathbf{v} = 0$

c. Trivial solution

d. $-\nabla P + \mu \nabla^2 \mathbf{v} = 0$

e. None of the above.

Question 8

☐ Equation of a motion is a equation that relates :

- a. Resistance forces to flow of fluid
- b. Acceleration of fluid property to forces applied
- c. Velocity of fluid to forces
- d. Rate of change of momentum to convective transport, molecular transport and external body forces
- e. None of the above.

Question 9

- ☐ The principle of operation of Couette Viscometer is:
- a. Transfer of momentum from outer cylinder to inner cylinder to generate torque being measured.
 - b. Formation of thin film of fluid in steady state.
 - c. Rotational motion converted to translational motion through fluid
 - d. Torque forces being balanced by external applied force
 - e. None of the above.

Question 10

□ A flow is incompressible and three-dimensional. The components in the x and y direction are $u = 3x$, $v = 3y$. Which of the following is the correct expression for z direction velocity component denoted by w:

- a. $w = 7z$
- b. $w = 3z$
- c. $w = 21z$
- d. $w = -10z$ (-6z)
- e. $w = -3z$