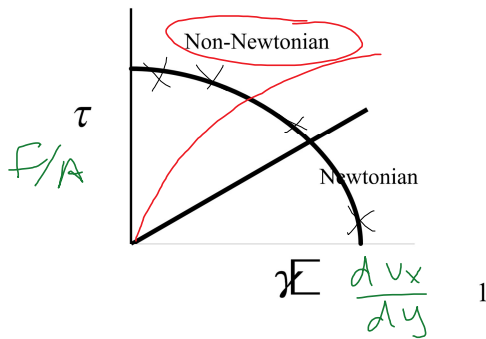


NON-NEWTONIAN FLUIDS

- Non-Newtonian Fluids are those for which **shear stress is not proportional to shear rate**.



force — shear stress

NON-NEWTONIAN FLUIDS

Non-Newtonian Fluids can be further divided into:

- Time Independent Fluids:** The fluid behavior does not depend on the past shear history of the fluid. Examples are most of the foods such as mayonnaise, tomato ketchup, yogurt etc.
- Time Dependent Fluids:** The fluid behavior depends on the past shear history of the fluid. Examples are whipping cream, bentonite suspensions etc.

Apparent viscosity instead of viscosity

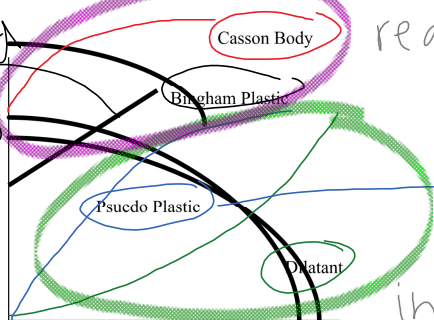
i.e. Cornstarch solution, Ketchup, quicksand

Ketchup - more force = low viscosity

cornstarch/quicksand - more force = high viscosity

TIME INDEPENDENT FLUIDS

had viscosity can vary have viscosity



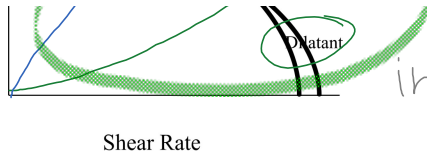
i.e. chocolate

requires yield stress to cause movement intercept $\neq 0$

i.e. Ketchup

intercept = 0

~ 1.1



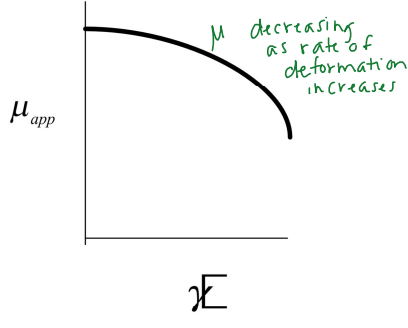
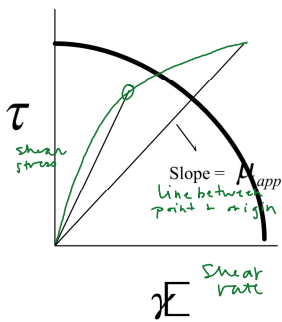
intercept = 0

3

behaves like solid until critical force causes flow (i.e. toothpaste)

PSUEDO PLASTIC FLUID

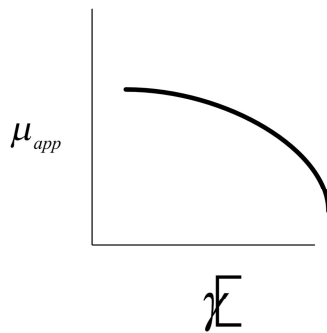
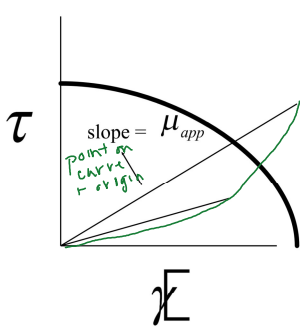
Shear Thinning: Apparent Viscosity Decreases with Shear Rate



4

DILATANT FLUID

Shear Thickening: Apparent Viscosity Increases with Shear Rate



5

POWER LAW FLUID

no yield stress.
pseudoplastic or dilatant

homework: to fit τ vs. $\dot{\gamma}$ to power law, find k in

$$\tau = k \left(\frac{dv}{dy} \right)^n = k \dot{\gamma}^n$$

k is the consistency index, $\text{N s}^n \text{m}^{-2} \text{Pa.s}^n$
 n is the flow behavior index, dimensionless
 $n = 1$ for Newtonian Fluid
 $n < 1$ for Pseudo Plastic Fluid
 $n > 1$ for Dilatant

6

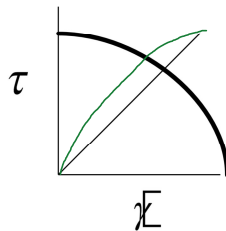
POWER LAW FLUID

$$\mu_{app} = \frac{\tau}{\dot{\gamma}}$$

same as Newtonian but different @ different pts

For Power Law Fluid

$$\mu_{app} = k \dot{\gamma}^{n-1}$$



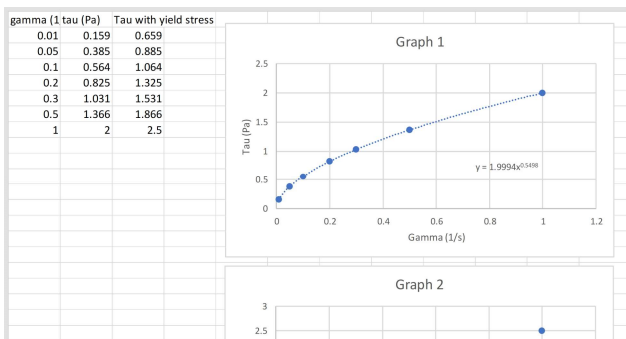
pseudoplastic: If $n < 1$, μ_{app} decreases with an increase in $\dot{\gamma}$

dilatant: If $n > 1$, μ_{app} increases with an increase in $\dot{\gamma}$

Newtonian: If $n = 1$, μ_{app} is independent of $\dot{\gamma}$ $\mu_{app} = k$

example

Lecture 1 Non-Newtonian Fluids 18 - 1 - Spreadsheet



Observations of Graph 1:

- Curved
- $N < 1$
- Pseudoplastic
- Assume it goes through origin
 - Equation: $y = 1.9994x^{0.5498}$
 - $K = 1.9994$
 - $N = 0.5498$

If there is a yield stress (graph 2)

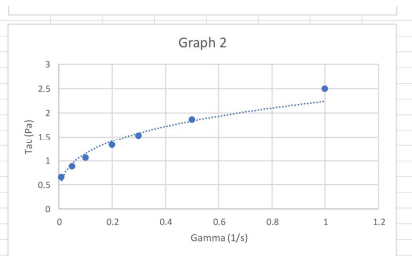
Find yield stress (τ_{y0})

Shift y axis by τ_{y0} , do same equation as Graph 1 + τ_{y0}

Equation: $y = 1.9994x^{0.5498} + 0.5$

Valid only when $\tau > \tau_{y0}$

Velocity gradient is nonzero when $\tau > \tau_{y0}$



If there is a yield stress (graph 2)
 Find yield stress (τ_{u0})
 Shift y axis by τ_{u0} , do same equation as Graph 1 + τ_{u0}
 Equation: $y = 1.9974x^{0.5498} + 0.5$
 Valid only when $\tau > \tau_{u0}$
 Velocity gradient is nonzero when $\tau > \tau_{u0}$
 Gamma is 0 is $\tau < \tau_{u0}$
 $(\tau - \tau_{u0}) = k \cdot \gamma^n$
 Plot $\tau - \tau_{u0}$ vs γ to fit to power equation
 Find τ_{u0} with the y intercept (extrapolate)
 $\ln(\tau - \tau_{u0}) = \ln(k) + n \ln(\gamma)$
 Plot $\ln(\tau - \tau_{u0})$ vs $\ln(\gamma)$ to get a straight line. Slope is n , intercept is $\ln(k)$