

# PyData Global

**Harnessing Generative Models for  
Synthetic Non-Life Insurance Data**

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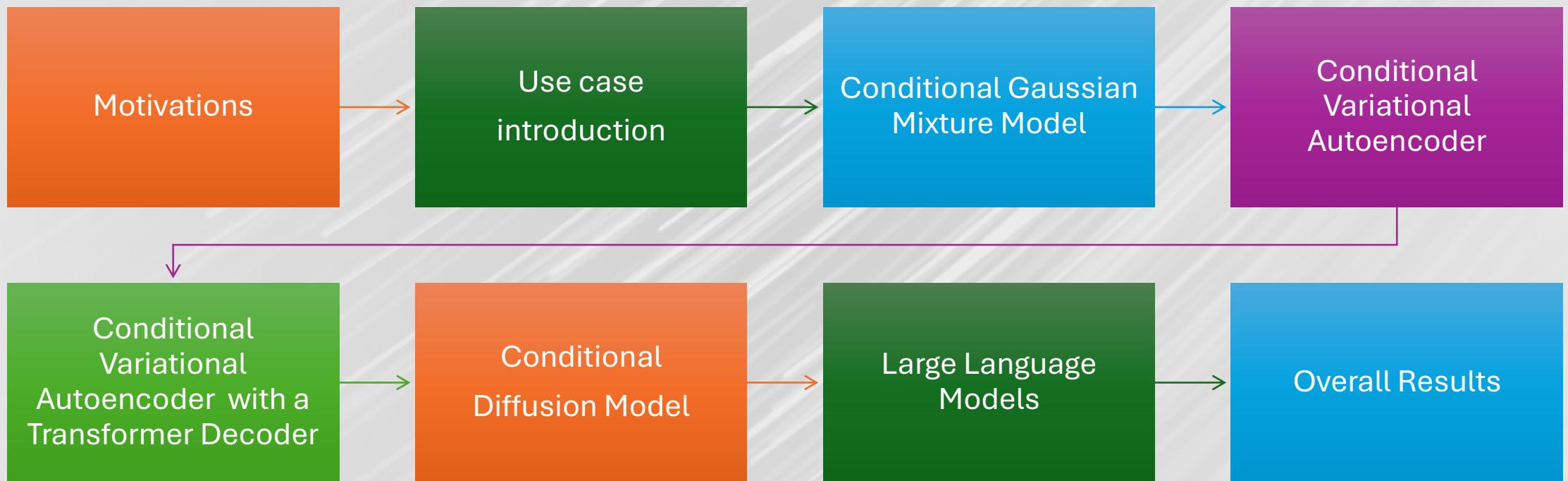
# MySelf:

Actuary during the day &  
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# Agenda



# Motivations

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- Insurance Use Case
- Employ a wide range of Generative Models

Google Nano Banana



# Data Scarcity in Insurance Research

**The Problem:** Access to realistic datasets is a major barrier to advancing actuarial research and developing insurance analytics tools.

- Most insurance data is confidential and proprietary
- Data masking and bureaucratic processes prevent disclosure
- Limited open resources lack diversity for robust modelling

**The Solution:** Develop simulated datasets using generative models

# The Anatomy of Insurance Non-Life Risk Data: Statistical Components in the Pricing dataset

**Risk Premium Components:**

**Frequency = Number of Claims / Number of Exposures**

**Severity = Losses / Number of Claims**

**Risk Premium = Frequency × Severity**

*The risk premium equals the product of expected claim frequency and expected cost per claim*

# Datasets employed

**Datasets are retrieved from the “CASdatasets” R Package**

**Dataset 1:** ausprivauto0405 - Automobile claim datasets in Australia

It is a data frame of 9 columns and 67,856 rows:

Exposure, VehValue, VehAge, VehBody, Gender, DrivAge, ClaimOcc, ClaimNb, ClaimAmount

**Dataset 2:** swmotorcycle - Swedish Motorcycle Insurance dataset

It is a data frame of 9 columns and 64,548 rows:

OwnerAge, Gender, Area, RiskClass, VehAge, BonusClass, Exposure, ClaimNb, ClaimAmount

# Unlocking Data Quality: Leveraging Claim Occurrence for Stable Generative Modelling

## What is ClaimOcc ?

It is a binary indicator which indicates occurrence of a claim

If  $\text{ClaimOcc} = 0 \rightarrow \text{ClaimNb} = 0 \text{ and } \text{ClaimAmount} = 0$

If  $\text{ClaimOcc} = 1 \rightarrow \text{ClaimNb} \geq 1 \text{ and } \text{ClaimAmount} > 0$

## Why use ClaimOcc?

**Structural relationship:** drives logical dependency between ClaimNb and ClaimAmount

**Class imbalance:** separates rare claim events from common no-claim cases

**Model stability:** improves synthetic data quality by conditioning

## Role in Generative Models

**CGMM:** Fits separate Gaussian mixture models for each ClaimOcc value

**CVAE & CTVAE:** Concatenates ClaimOcc to the latent encoding for conditional generation

**CDM:** Uses ClaimOcc as a condition signal to guide the denoising process

# Synthetic Data Generation Trials

## **Trial 1: 80% Training → 80% Generation Baseline Quality Assessment**

What is the baseline quality of synthetic insurance data when a generative model is trained on 80% of the original data? How well does it preserve statistical distributions and enable accurate GLM predictions?

## **Trial 2: 60% Training → 80% Generation Data Augmentation with Limited Training**

Can a generative model trained on only 60% of the data successfully generate synthetic samples to reach 80% dataset size while maintaining statistical fidelity and predictive performance?

## **Trial 3: 80% Gender-Masked → 80% Generation Fairness-Aware Generation**

Can a gender-masked generative model generate unbiased synthetic insurance data while maintaining predictive utility, and what is the fairness-accuracy trade-off?

# Conditional Gaussian Mixture Model (CGMM)

## What is it?

A Gaussian Mixture Model assumes that the data are generated by a mixture of K Gaussian distributions, each with unknown parameters and corresponding to a cluster. Every Gaussian has its own mean  $\mu_k$ , covariance  $\Sigma_k$ , and mixing weight  $\pi_k$ .

### Gaussian Components:

- **Mean ( $\mu_k$ ):** Center of each Gaussian component
- **Covariance ( $\Sigma_k$ ):** Spread and orientation of the cluster
- **Mixing weights ( $\pi_k$ ):** represent the contribution of each component to the overall mixture

### How does it work?

The Expectation-Maximization (EM) algorithm iteratively optimizes model parameters

- **Initialization:** Start with initial guesses for the parameters ( $\mu_k, \Sigma_k, \pi_k$ ).

- **E-Step:** Calculate the probability that each data point belongs to each Gaussian component.

- **M-Step:** Update model parameters ( $\mu_k, \Sigma_k, \pi_k$ ) to maximize the likelihood of the data.

#### - Repeat until convergence

Once fitted to observations, GMM becomes a generative probabilistic model.

### Switch to Conditional Gaussian Mixture Model

Use **ClaimOcc** as the binary conditioning variable (0 = no claim, 1 = claim).

CGMM fits separate models for claim/no-claim groups, preserving claim occurrence patterns.

# Conditional Variational Autoencoder (CVAE)

## What is it?

A Variational Autoencoder (VAE) is a type of neural network that learns to represent input data as a probability distribution in a lower-dimensional space and then decode it to generate similar input data.

### Components:

- **Encoder (Inference Network):** maps input data into a latent space
- **Latent Space:** a compressed representation of the input data
- **Decoder (Generative Network):** reconstruct the original input from the latent space

### How does it work?

- Input data is fed into the **encoder**, producing two vectors for each feature: the mean and standard deviation.
  - A **latent vector** is sampled using the reparametrization trick.
  - The **decoder** comes back to the input, taking a sample from the compressed representations. After training, the decoder can be used to generate new, similar data.
- The model is trained to minimize:
- Reconstruction Loss**
  - KL Divergence**

### Switch to Conditional Variational Autoencoder

Use **ClaimOcc** as the binary conditioning input (0 = no claim, 1 = claim). The CVAE learns claim-dependent latent structure, enabling the decoder to generate synthetic samples consistent with claim occurrence.

# Conditional Variational Autoencoder with a Transformer-based Decoder (CTVAE)

## What is it?

It's a hybrid architecture that leverages:

-**VAEs** for learning a smooth, continuous latent space.

-**Transformers** for decoding sequences with long-range dependencies and attention mechanisms.

## Components:

- **Encoder (Inference Network):** maps input data into a latent space

- **Latent Space:** a compressed representation of the input data

- **Transformer Decoder:** decodes the latent representation into a reconstructed input

## How does it work?

- Input data is fed into the **encoder**, producing two vectors for each feature: the mean and standard deviation.

- A **latent vector** is sampled using the reparametrization trick.

- The **Transformer decoder** comes back to the input, taking a sample from the compressed representations. It uses self-attention to generate output sequences. The model is trained to minimize:

- Reconstruction Loss**
- KL Divergence**

## Switch to Conditional Variational Autoencoder with a Transformer-based Decoder

Uses **ClaimOcc** as binary conditioning variable. During training, it's concatenated with input features for encoding. During decoding, **ClaimOcc** is concatenated with the sampled latent vector, guiding the transformer decoder to generate realistic synthetic data consistent with the claim status

# Conditional Diffusion Model (CDM)

## What is it?

A Diffusion Model learns to generate data by simulating a gradual noising-and-denosing process.

### Components:

- **Forward process**  
**(Diffusion):** gradually adds noise to data over time, turning it into pure noise.
- **Reverse Process**  
**(Denoising):** learns to remove noise step-by-step to recover the original data
- **Neural Network:** predicts the noise at each step (typically U-Net architecture)

### How does it work?

The **forward phase** gradually corrupts clean data by adding noise via a Markov chain of steps, transforming the original data into Gaussian noise.

In the **reverse phase**, starting from pure noise, the model trains a neural network to predict and subtract noise at each step, and generate samples that match the data distribution.

The model is trained to minimize the difference between the actual noise and the predicted noise at each step.

### Switch to Conditional Diffusion Model

Uses **ClaimOcc** (claim occurrence) as a binary conditioning variable to control the generation process, ensuring synthetic samples maintain logical consistency with the claim/no-claim structure

# Large Language Model (LLM)

## What is it?

Language Models can be defined as a probability distribution over sequences of words.

Given a vocabulary of words, a Language Model assigns a probability to each sequence of words, and the purpose is to predict the next word in the sequence.

Large Language Models like BERT and GPT are trained on a vast amount of text data, to learn the structure, meaning, and usage of language.

## Components:

### • Transformer architecture:

the backbone of most LLMs.

It's an encoder-decoder network based on the self-attention mechanism to weigh the importance of different words in a sentence, allowing the model to understand context more effectively.

## How does it work?

- Tokenization: Convert words to numbers
- Token Embeddings: convert a token into a vector
- Positional Embeddings: calculate the position of each token in the sequence of tokens
- Self-Attention: assign weights to every word relative to every other word
- Feed-Forward Network: predicts the next word by assigning scores for every word
- Softmax Layer: convert scores into probabilities
- De-Tokenization: convert token into word

## How is it employed in synthetic data generation?

By a detailed prompt in the ChatGPT platform with the distribution of data, describing some relationships, and providing a few record examples.

# Validation by Consistency records

```
# Find inconsistencies
inconsistent_records = new_samples_df[
    ~((new_samples_df["ClaimNb"] == 0) & (new_samples_df["ClaimOcc"] == 0) & (new_samples_df["ClaimAmount"] == 0)) |
    ((new_samples_df["ClaimNb"] > 0) & (new_samples_df["ClaimOcc"] > 0) & (new_samples_df["ClaimAmount"] > 0)))
]

print(f"Number of inconsistent records: {len(inconsistent_records)}")
print(inconsistent_records.head()) # Show a few inconsistent rows
```

```
Number of inconsistent records: 1
   Exposure VehValue VehAge VehBody Gender DrivAge ClaimNb \
49759  0.736911  5.434924      3        6       1       6     1.0

   ClaimAmount ClaimOcc
49759        0.0         1
```

The consistency test validates the **logical relationships** between three insurance claim variables in the synthetic data:

- ClaimNb** (Number of claims)
- ClaimOcc** (Claim occurrences)
- ClaimAmount** (Claim amount)

**No Claims:** All three = 0 (no claims occurred)  
**Claims Exist:** All three > 0 (claims occurred with positive values)

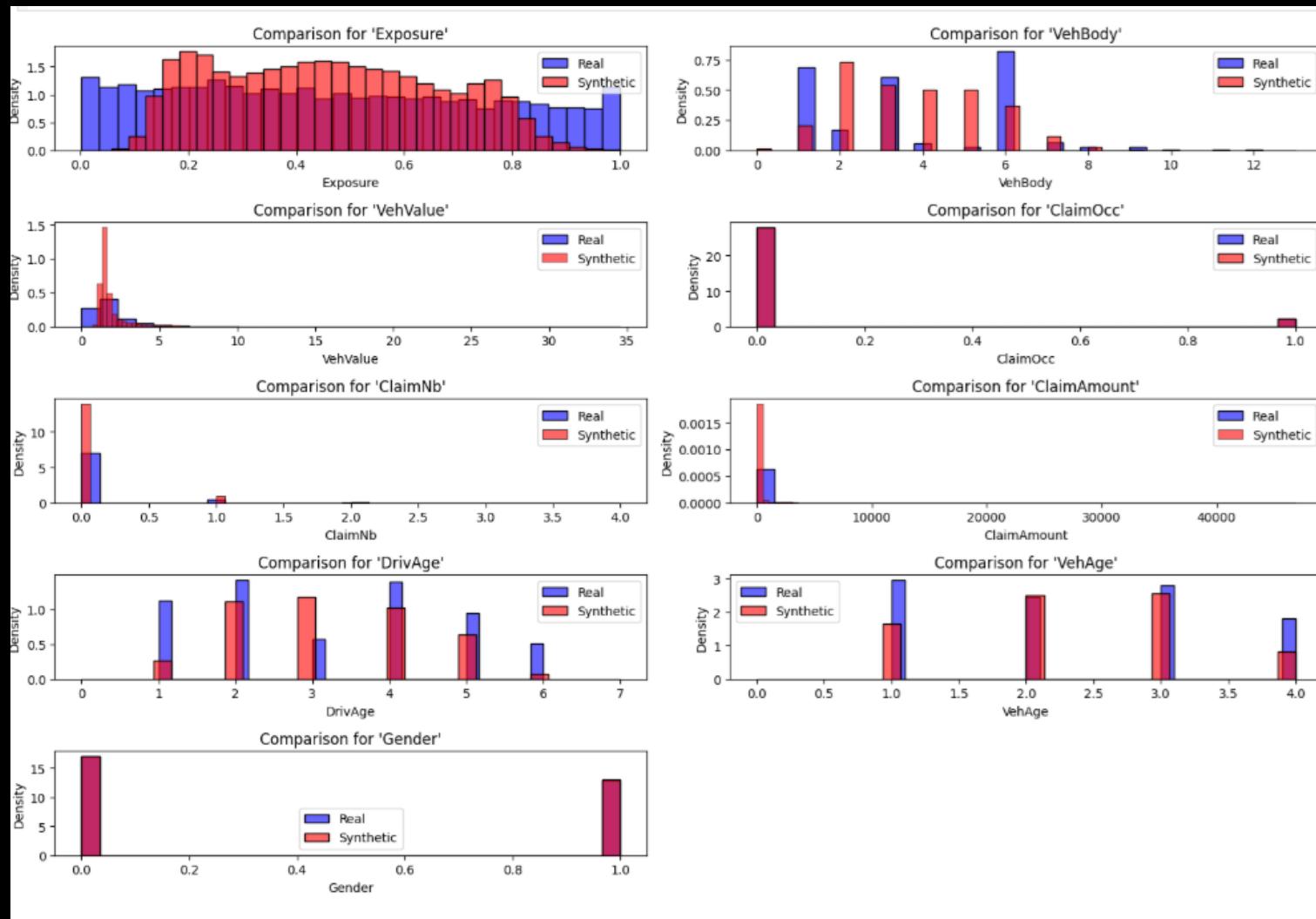
# Validation by Kolmogorov-Smirnov Test

```
[]: # Kolmogorov-Smirnov test
for column in X_train.columns:
    original = X_train[column].values
    generated = new_samples_df[column].values
    statistic, p_value = ks_2samp(original, generated)
    print(f"KS Test for {column}: Statistic={statistic}, P-value={p_value}")

KS Test for Exposure: Statistic=0.13863465866466618, P-value=0.0
KS Test for VehValue: Statistic=0.2830457614403601, P-value=0.0
KS Test for VehAge: Statistic=0.07691297824456114, P-value=1.3001617749392413e-137
KS Test for VehBody: Statistic=0.20864591147786948, P-value=0.0
KS Test for Gender: Statistic=0.001444111027756878, P-value=0.9999999970492804
KS Test for DrivAge: Statistic=0.12738184546136533, P-value=0.0
KS Test for ClaimOcc: Statistic=0.0, P-value=1.0
KS Test for ClaimNb: Statistic=0.0017254313578394243, P-value=0.9999982405003918
KS Test for ClaimAmount: Statistic=0.016185296324081055, P-value=1.6976741222647111e-06
```

The Kolmogorov-Smirnov (KS) test compares the distributions of original and synthetic data for each feature. A **high p-value (>0.05)** indicates that the two distributions are statistically similar, while a **low p-value (<0.05)** suggests significant differences.

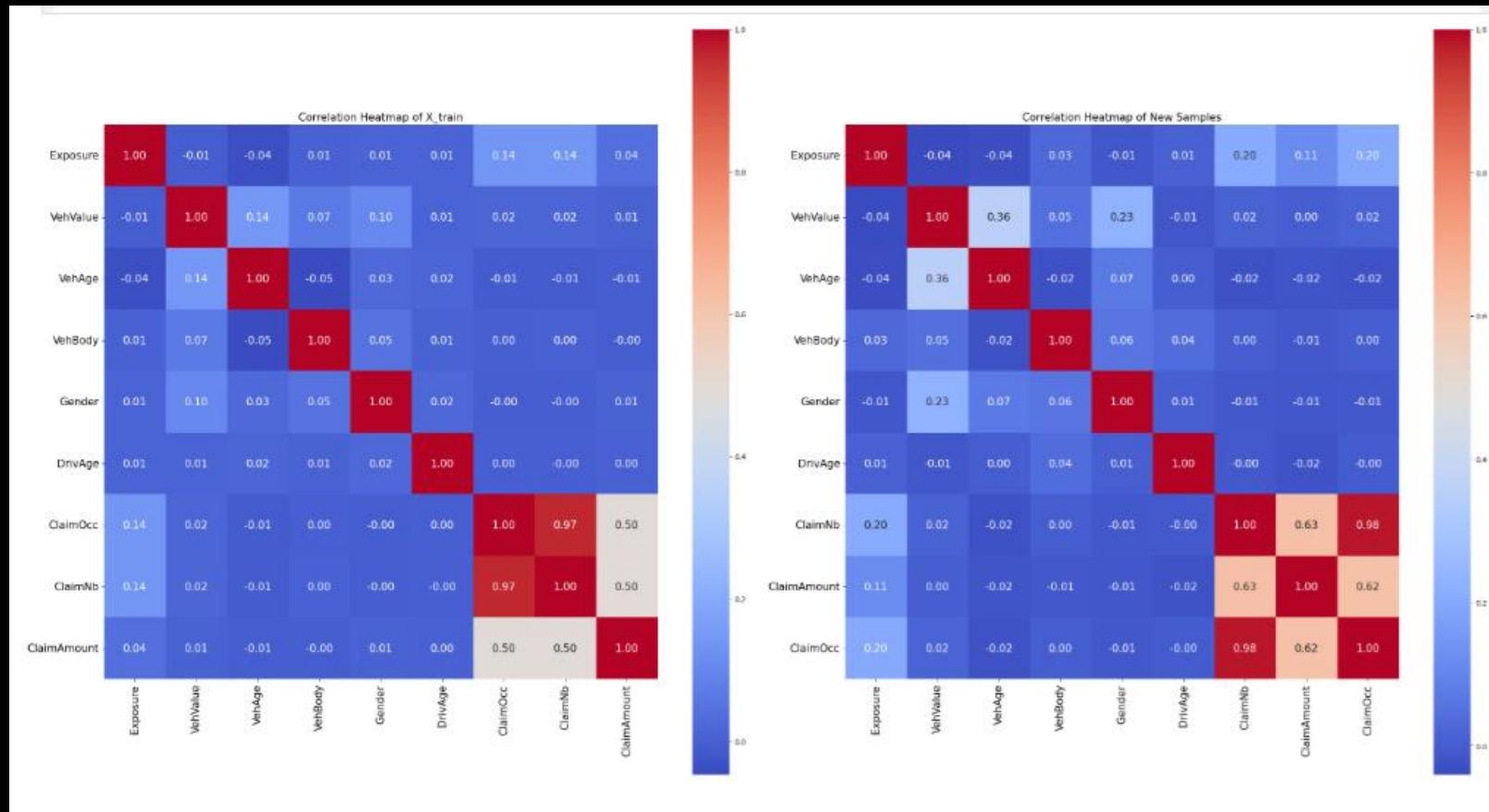
# Validation by Data Visualization



## Univariate Analysis

Displays the alignment of the univariate statistical properties for each feature across the real and synthetic data

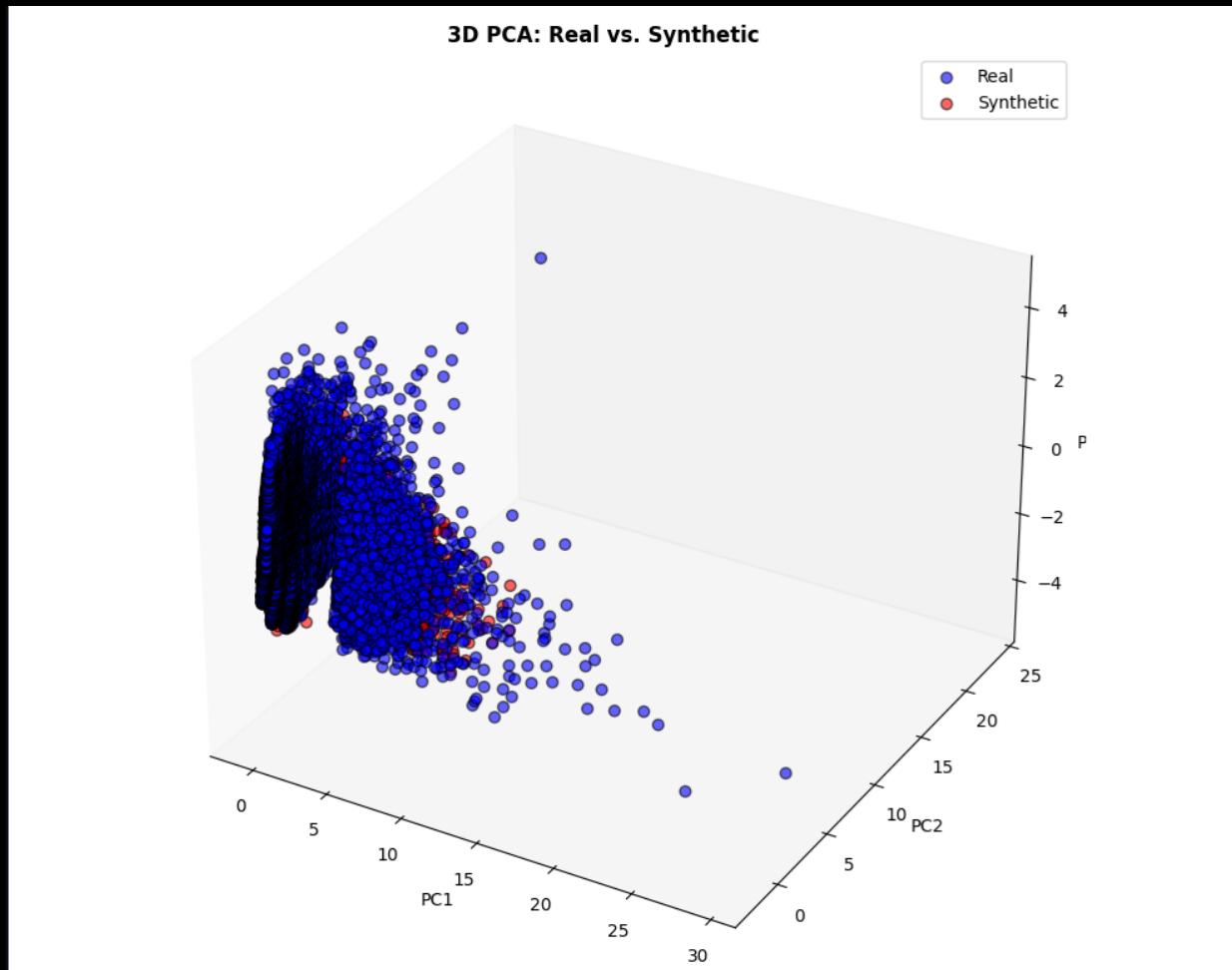
# Validation by Data Visualization



## Correlation Matrix

Assesses the structural fidelity of the synthetic data by comparing the correlation matrix to the original data

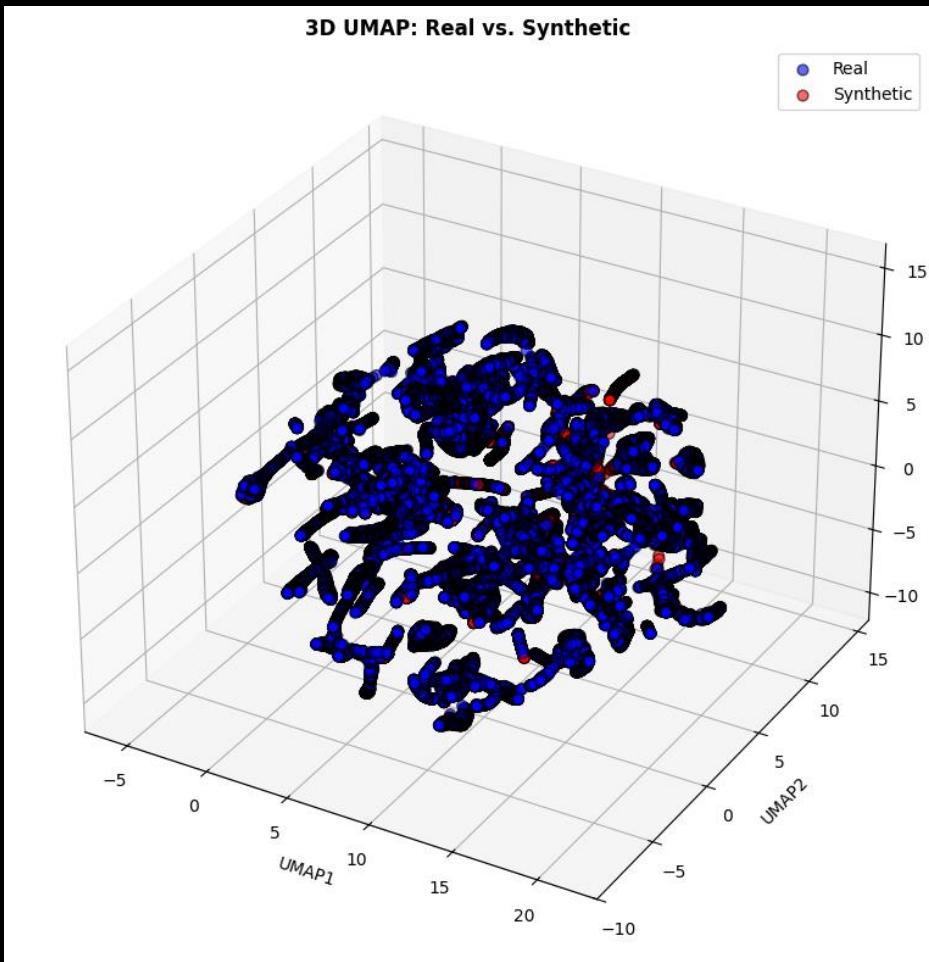
# Validation by Data Visualization



## 3D PCA

Compares the explained variance captured by the principal components of the synthetic data against the real data

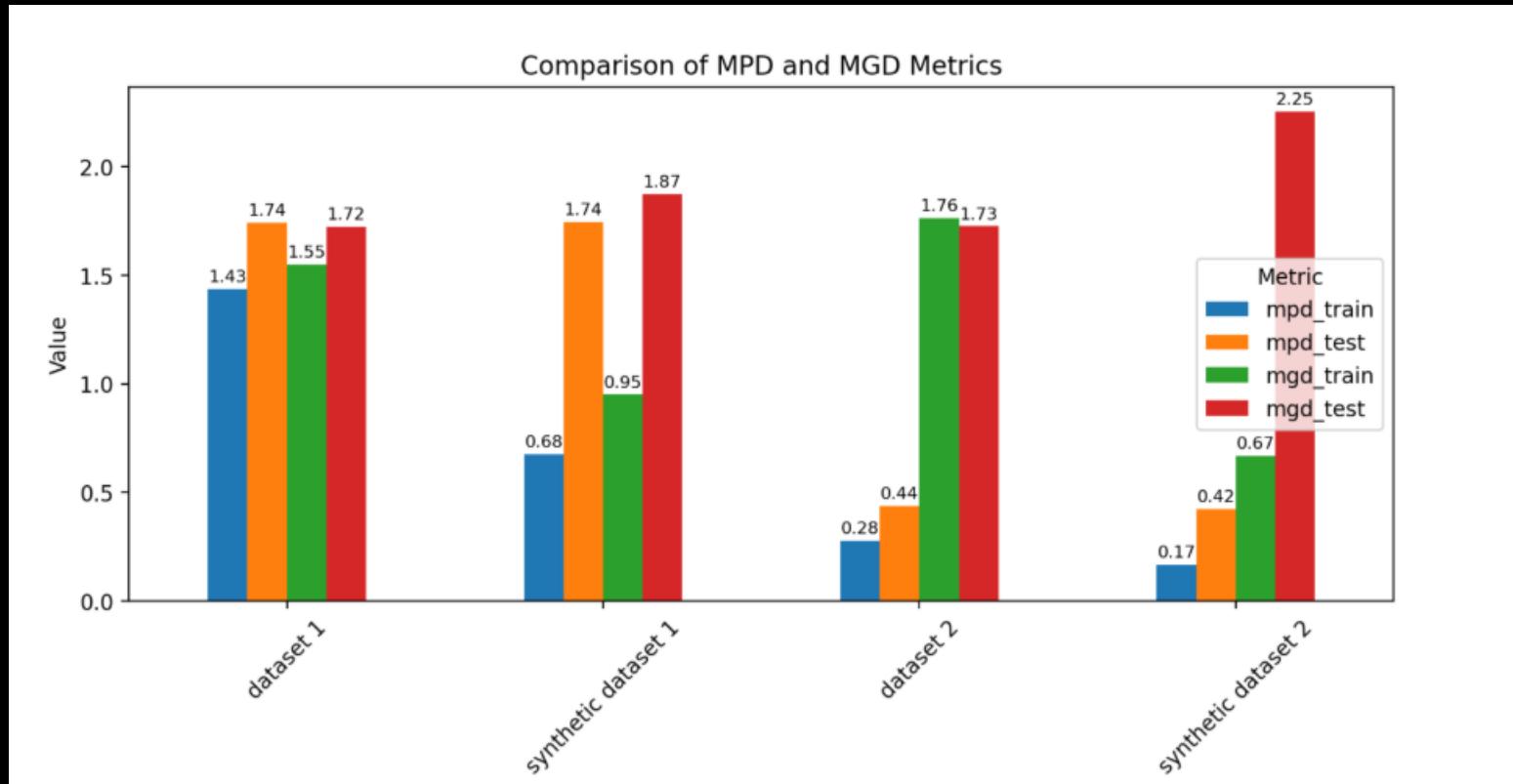
# Validation by Data Visualization



## 3D UMAP

Evaluates the degree to which the synthetic data preserves the local and global topological structure of the original data

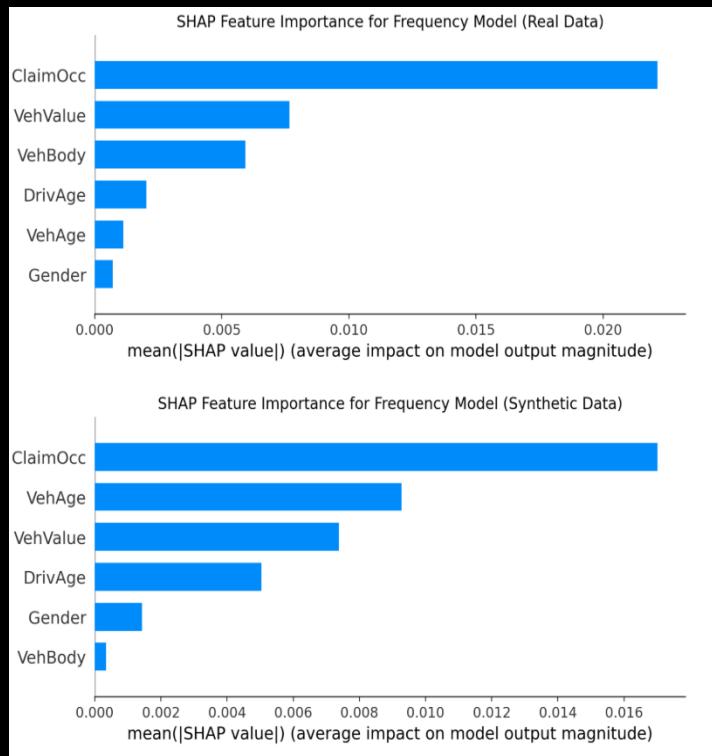
# Validation by Predictive Modelling



## Frequency and Severity prediction

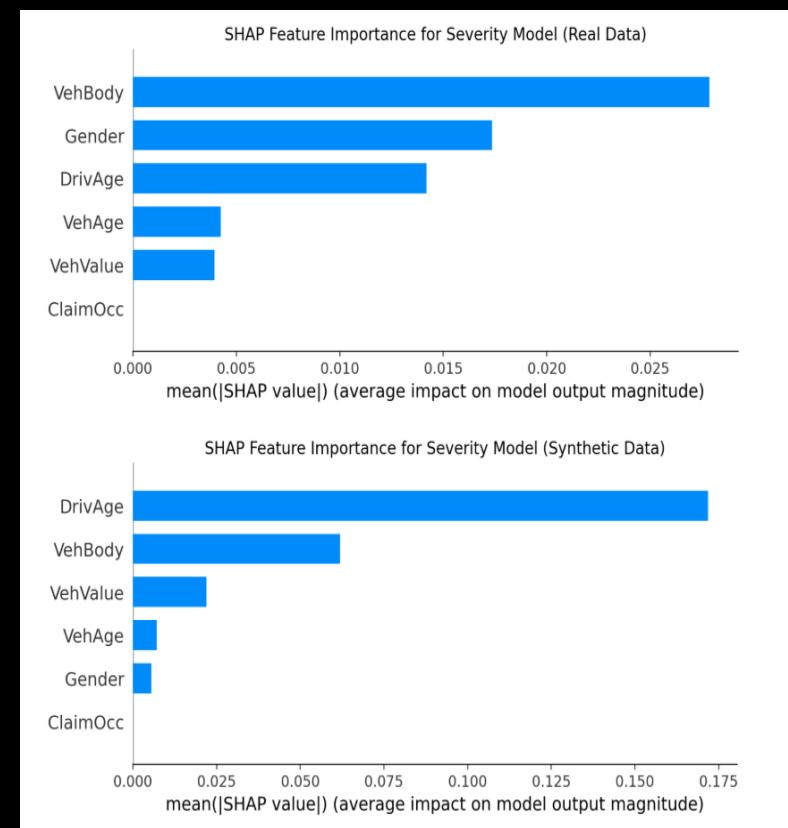
GLM on both synthetic and real data to evaluate performance using deviance metrics.

# Validation by Feature Importance



## SHAP Feature Importance

Shows whether drivers of frequency and severity predictions remain consistent across datasets.



# Overall Results

Focusing on the performance of predictive modelling and on preserving the statistical properties of the Kolmogorov-Smirnov test and the correlation matrix from trial 1, I liked the Conditional Gaussian Mixture Model, the Large Language Model, and the Conditional Diffusion Model. The two Conditional Variational Autoencoders produce overfitting in predictive modelling. In subsequent trials, all models degrade in performance, but in some cases, they remain acceptable. What the results in the demo web app.



# Conclusions

## — What I've learned

- Conditional Gaussian Mixture Models are competitive as generative models for tabular data. Good compromise between ease of use and effectiveness.
- Large Language Models are promising for synthetic data generation due to their performance and ease of use. Complex model implementation isn't required, but detailed prompting and deep data analysis are needed to write a good prompt.
- Conditional Diffusion Model is competitive in performance, but it requires computational and coding effort.

# References

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