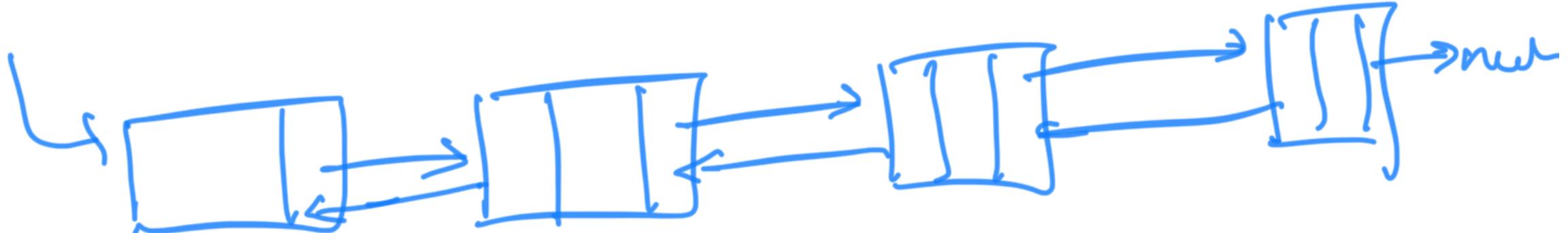
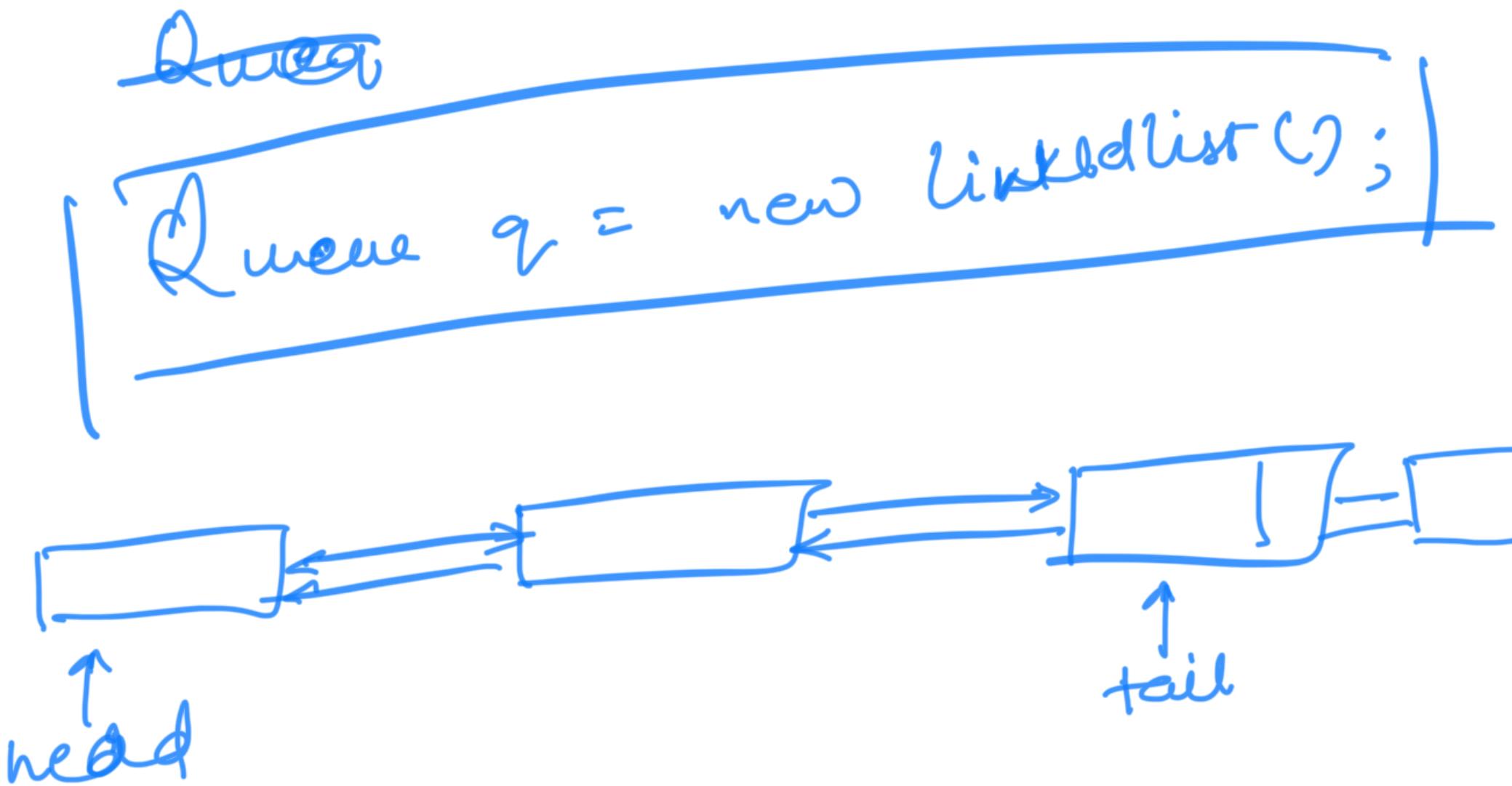


```
class Node {  
    int val;  
    Node prev;  
    Node next;}
```



Doubly linked list



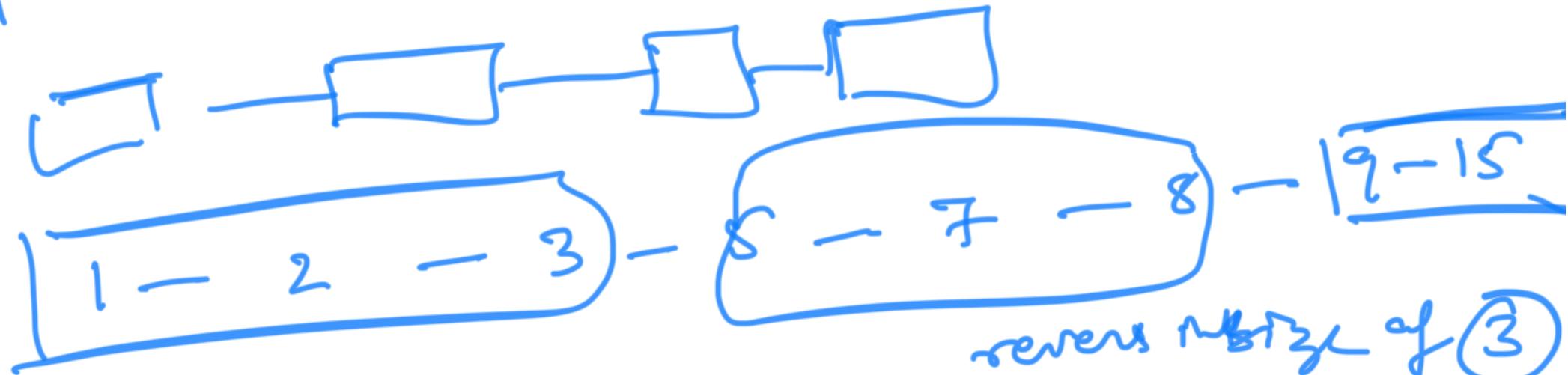
head
~~tail~~

~~tail~~

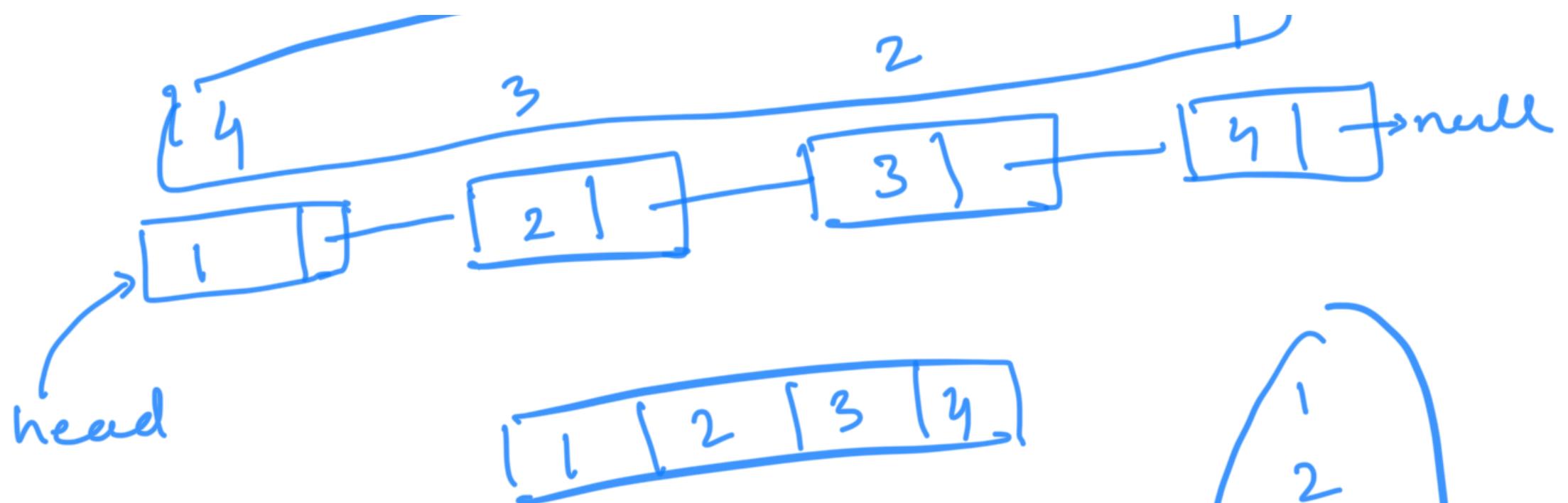
tail

reverse a linked list

reverse in size of k

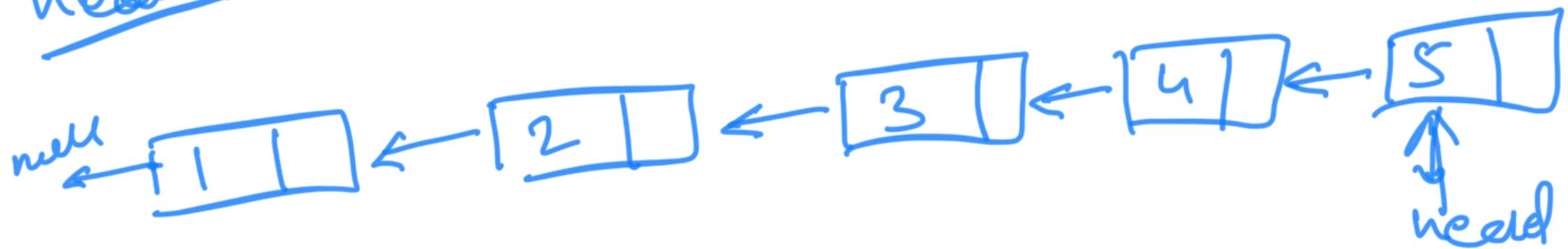


3 - 2 - 1 → 8 - 7 - 5 - 15 - 9



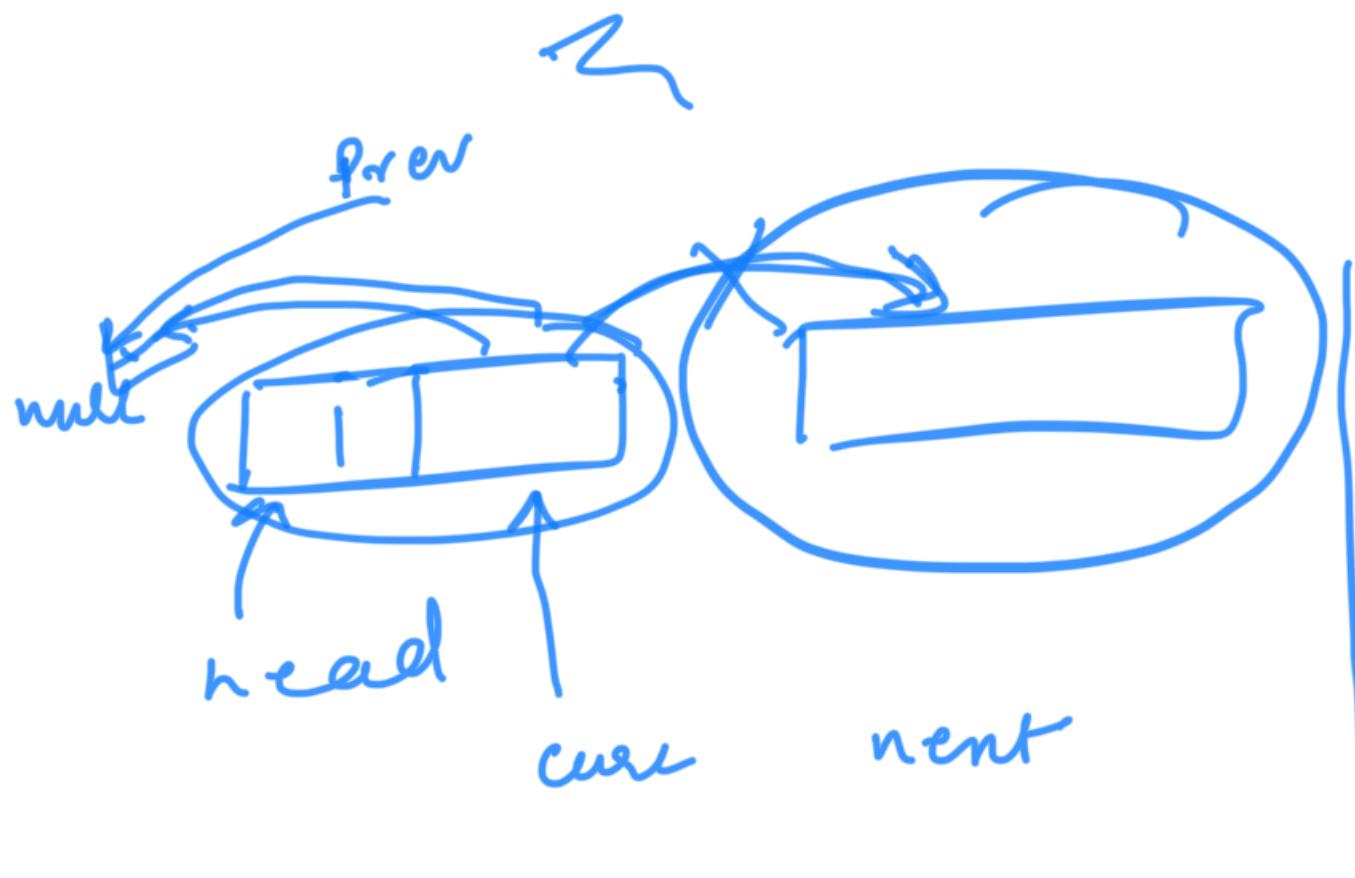


head



null

head



next = current;

cur.next = prev;

prev = cur
cur = next

for next
iteration

```
Node reverse ( Node head )
```

```
{ Node prev = null ;
```

```
    Node cur = head ;
```

```
    Node next = null ;
```

```
    while ( cur != null )
```

```
{
```

```
        next = cur.next ;
```

```
        cur.next = prev ;
```

```
        prev = cur ;
```

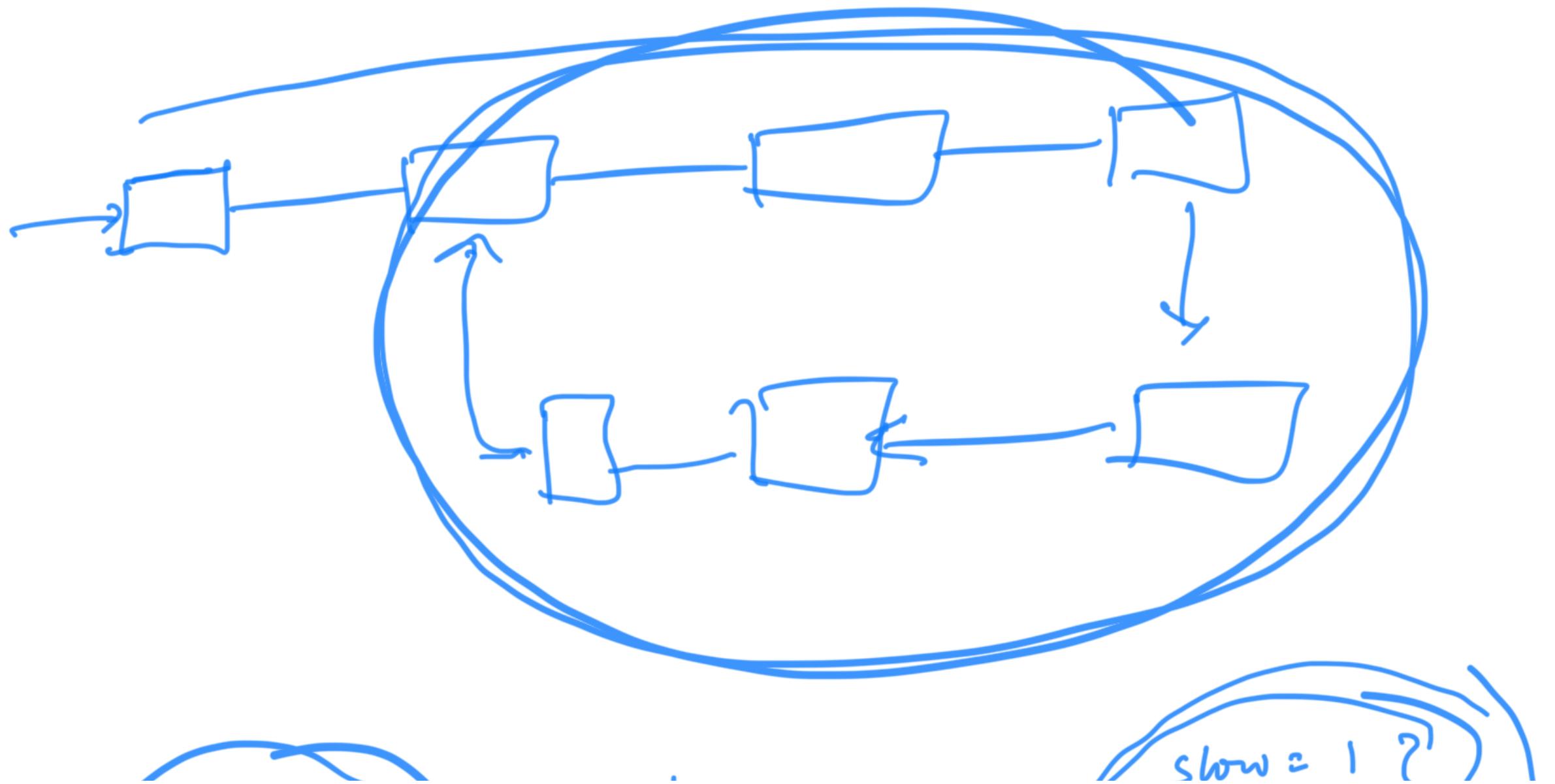
```
        cur = next ;
```

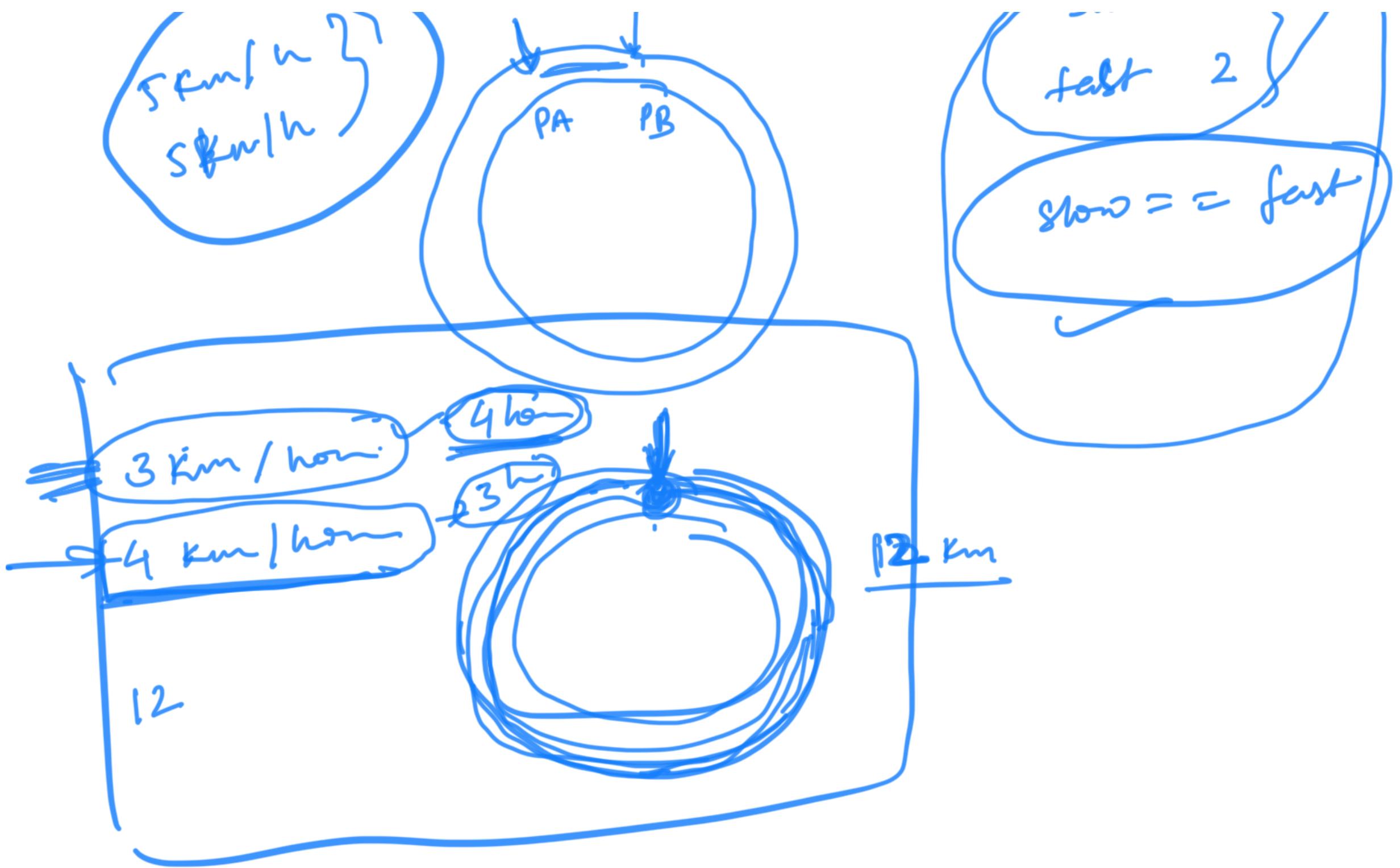
```
}
```

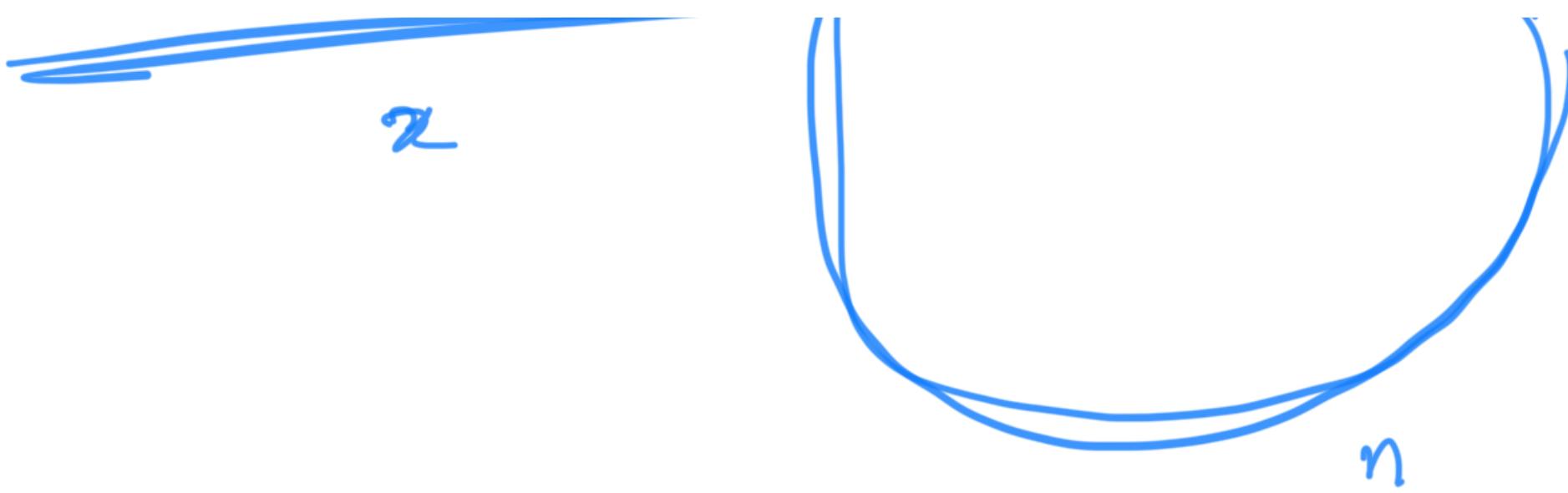
return rev;

}

slow and fast pointer
+ floyd warshall algorithm
rains on tortoise







~~find the~~

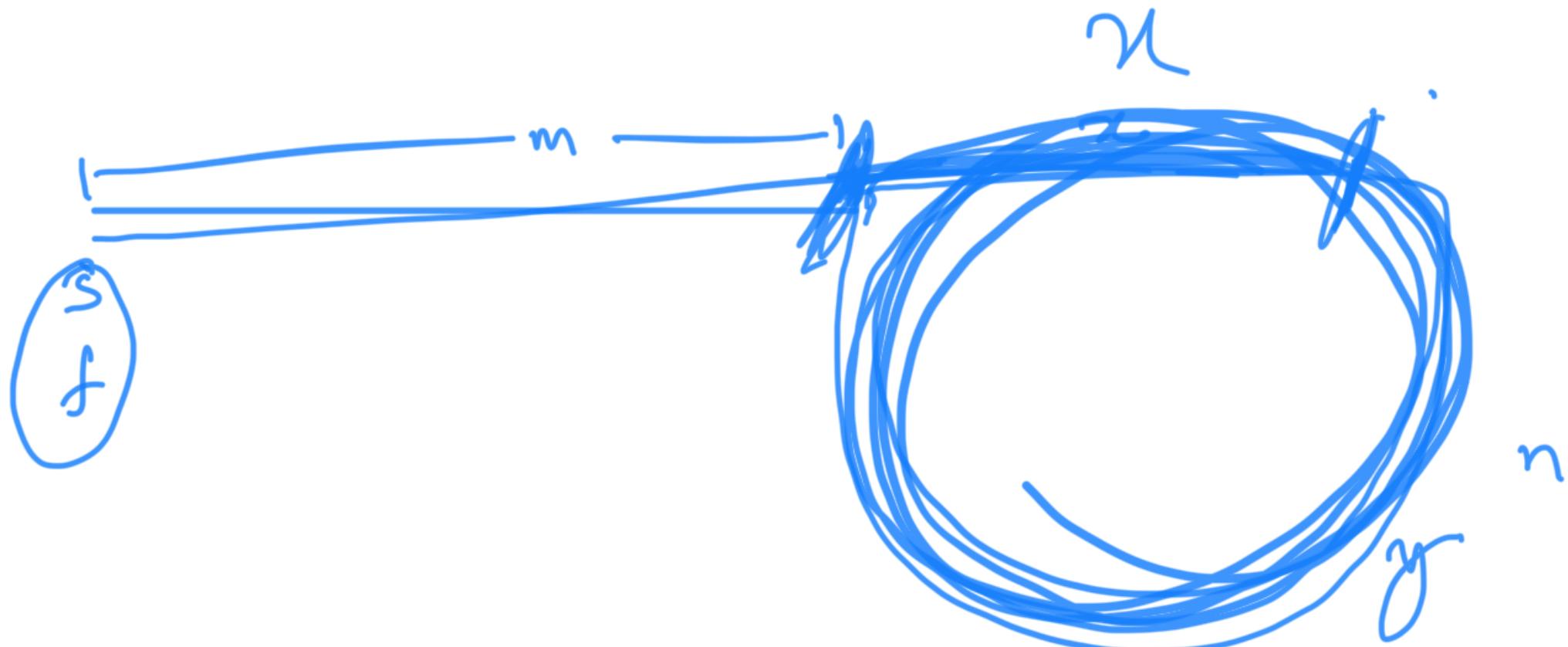
check the loop first.

if loop exists

reset slow to head
and update both slow and
fast pointer by 1.

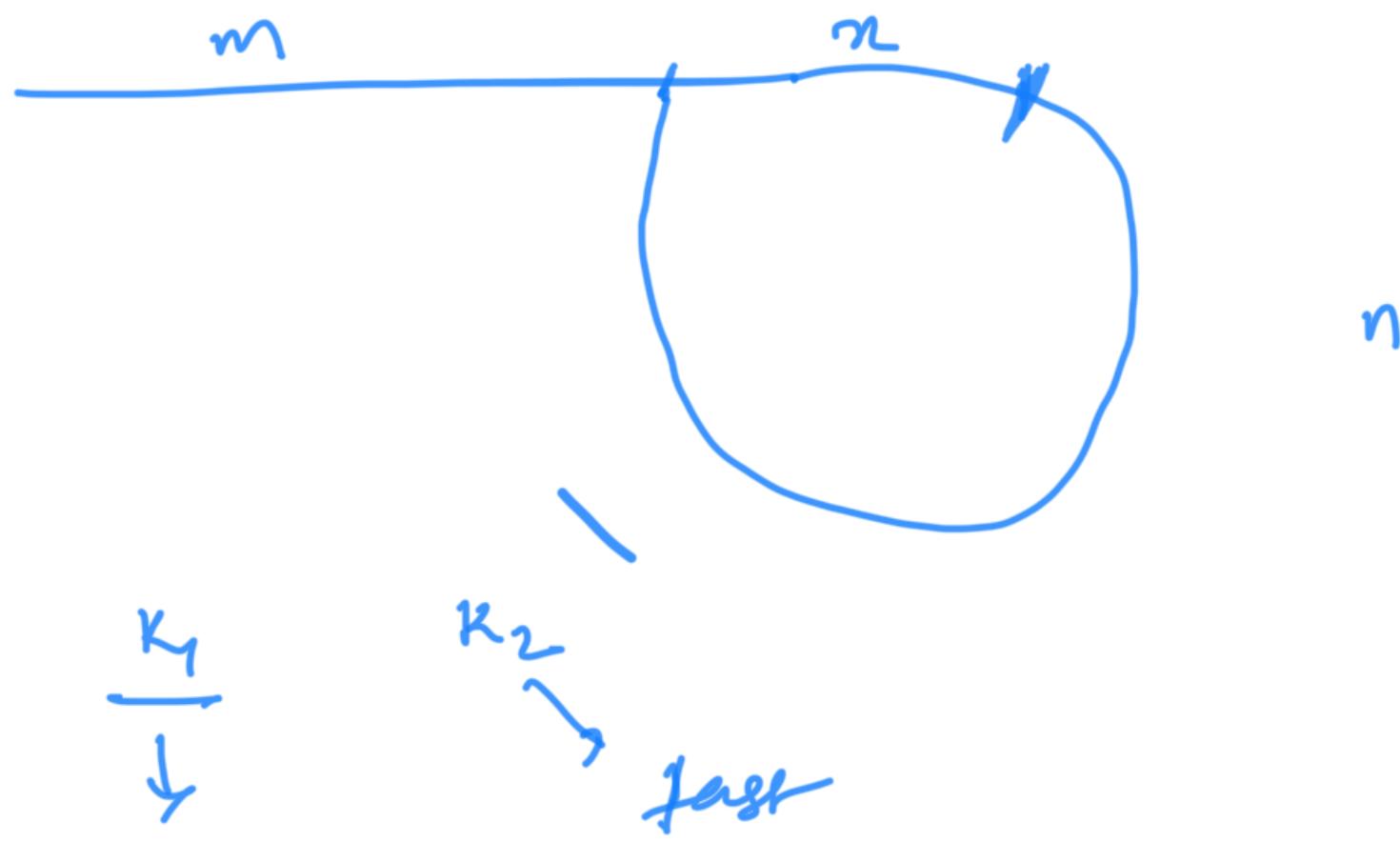
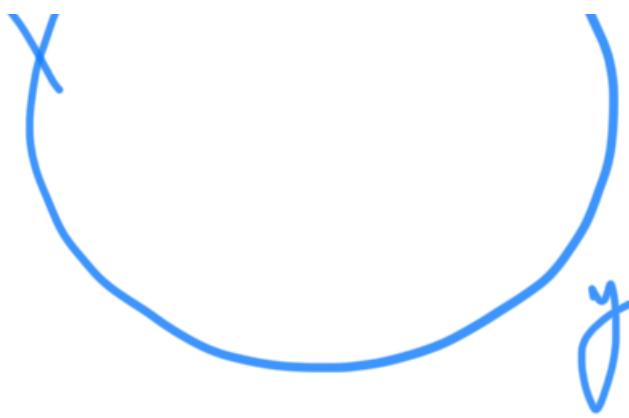
the place when they meet
again . is the starting

point of loop.



$$S = \boxed{m + kn} \rightarrow m + k(x+y)$$
$$f = \underline{2(m+kn)} \quad 2(m+k(x+y))$$





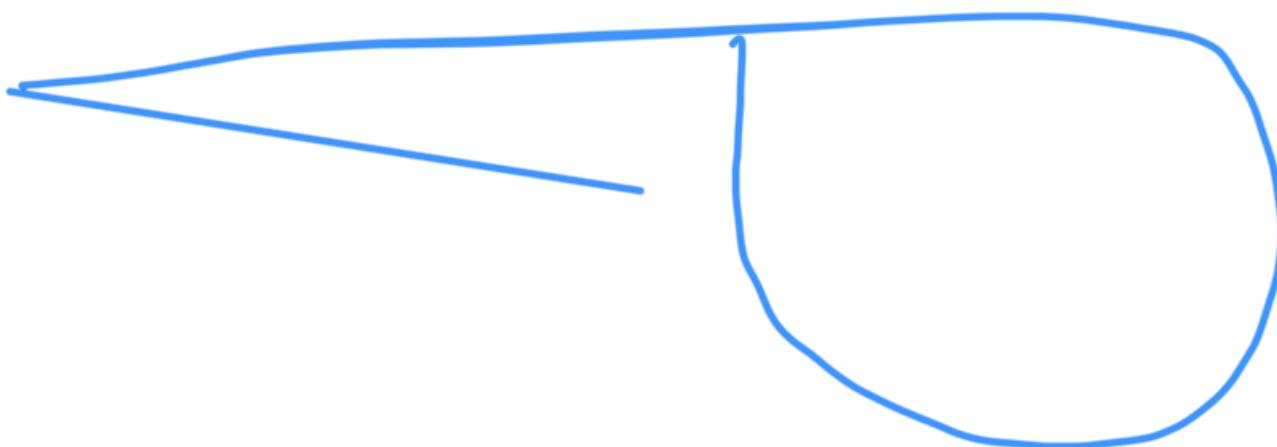
~~slow loop~~
How many time slow looped the circle



$m + n \neq n$

$m + n = n$

~~$m + n \neq n$~~



s^m

s

x

$$s = \frac{m}{n-n}$$
$$f =$$

$$m + k_1 \times n + \alpha$$

$$m + k_2 \times n + \alpha$$

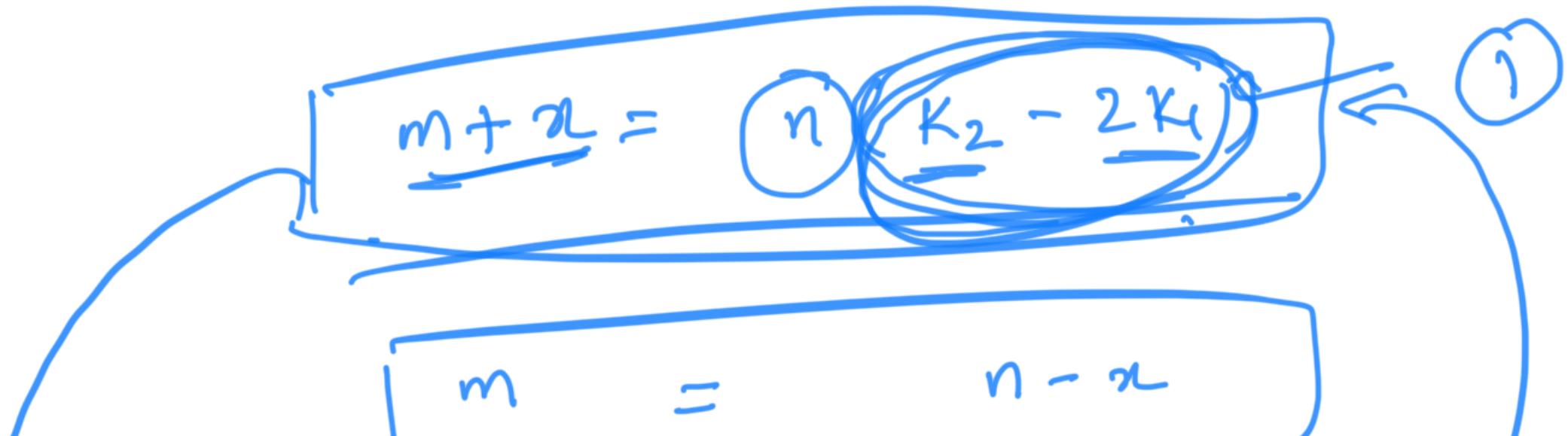
slow point

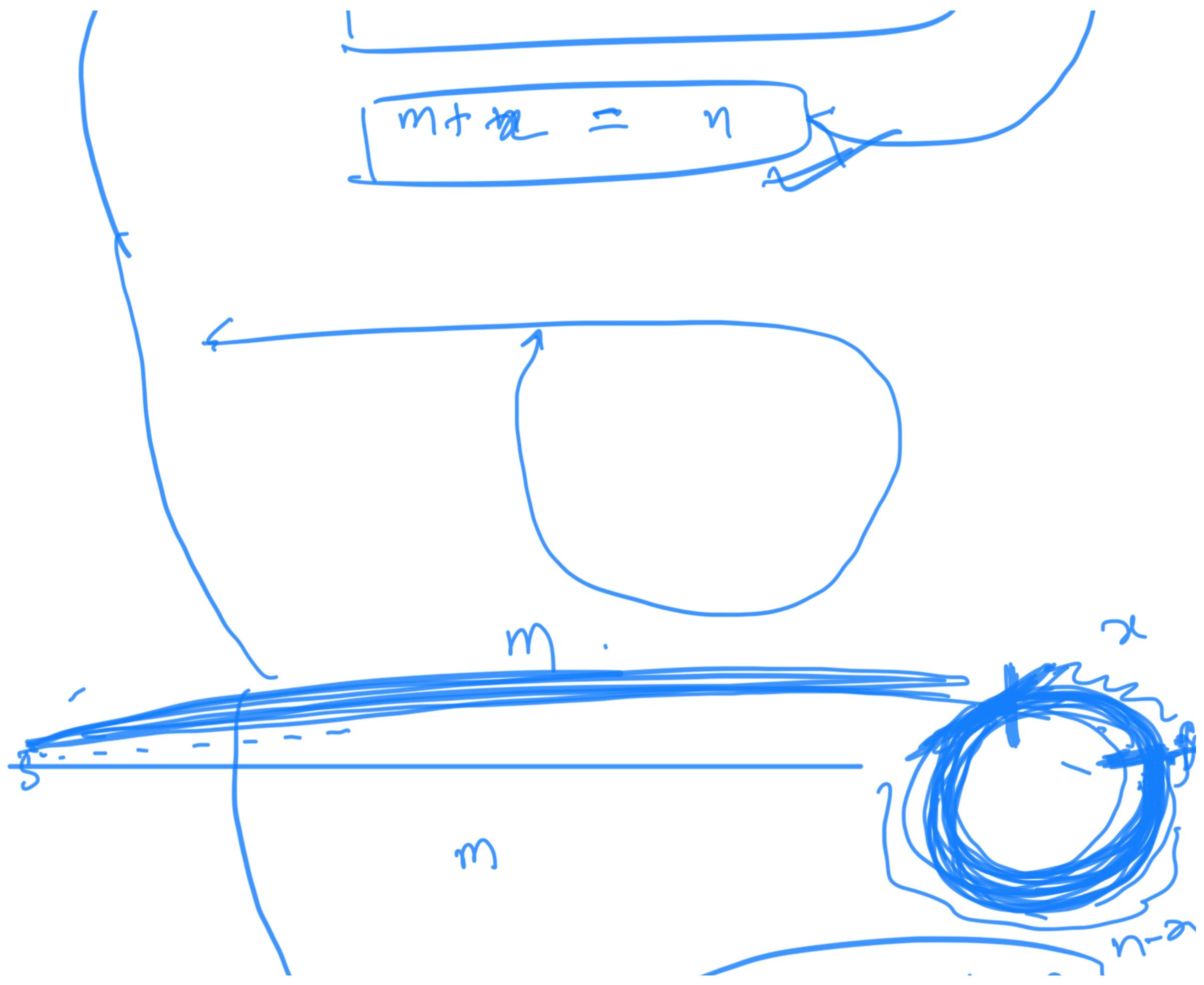
fast pointer

$$m + k_2 \times n + \alpha = 2(m + k_1 \times n + \alpha)$$

$$m + \cancel{\alpha} - 2m - 2\alpha = 2k_1 \cancel{m} - k_2 n$$

$$-(m + \alpha) = n(2k_1 - k_2)$$





$m + n =$ (multiple of N)

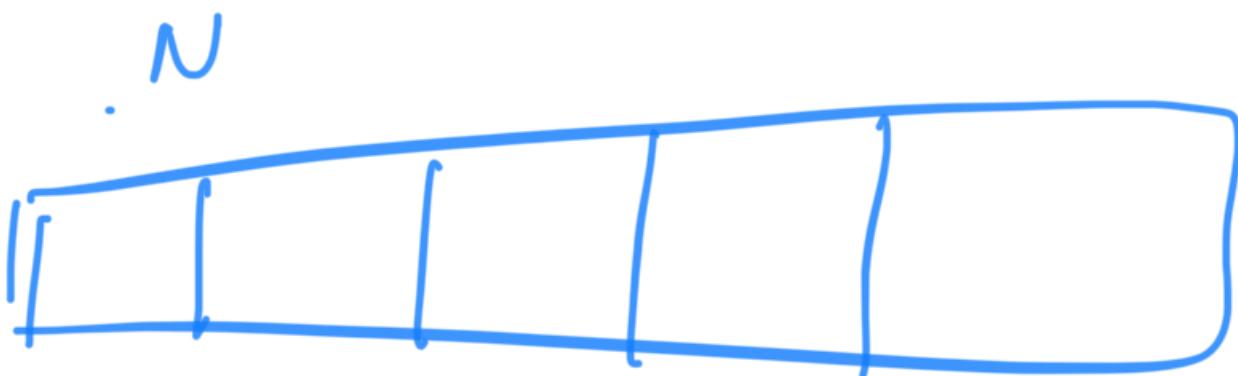
or $n - \lambda$

$K_3 \times n + n - \lambda$

$m = K_3 \times n + n - \lambda$

$m + \lambda = n (K_3 + 1)$

$3, 4 \Rightarrow (12)$



$1, N-1$

N

$[1, N-1]$

\rightarrow

An array of 5 boxes containing the numbers 4, 1, 2, 3, 1, 2. The last two boxes are grouped by a bracket labeled $[1, 4]$. A bracket labeled s covers the first four boxes. An arrow points from the original array to this modified version.

$[1, s-1]$

$r_1 \cup \{7\}$

{

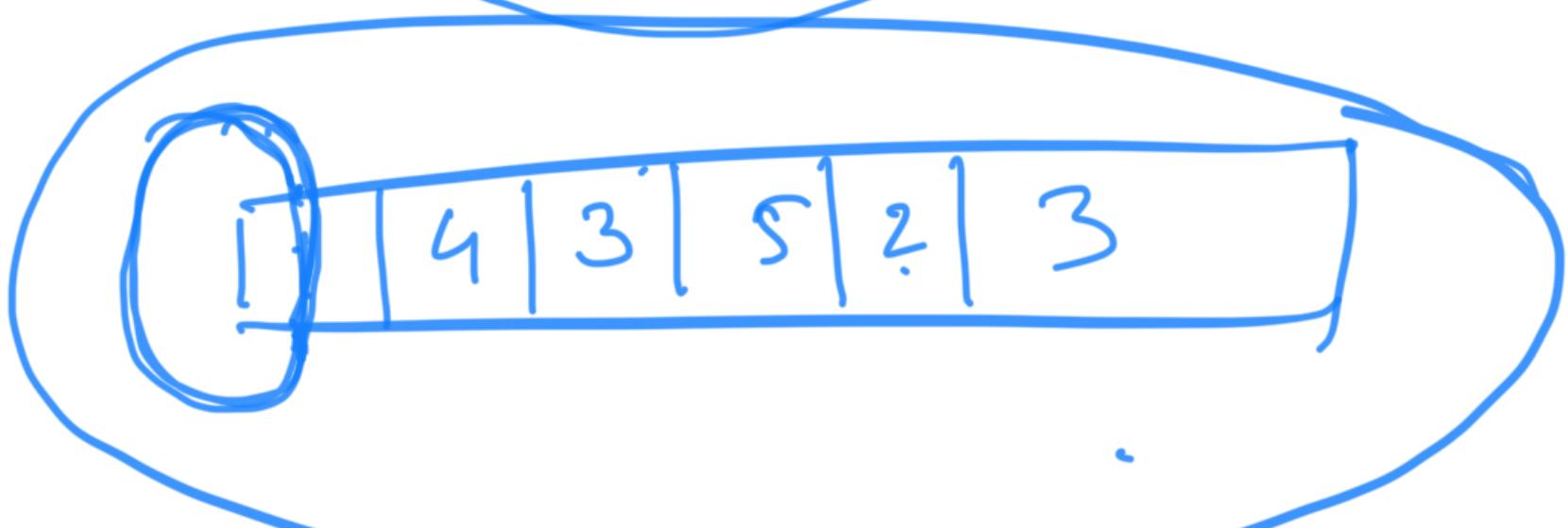
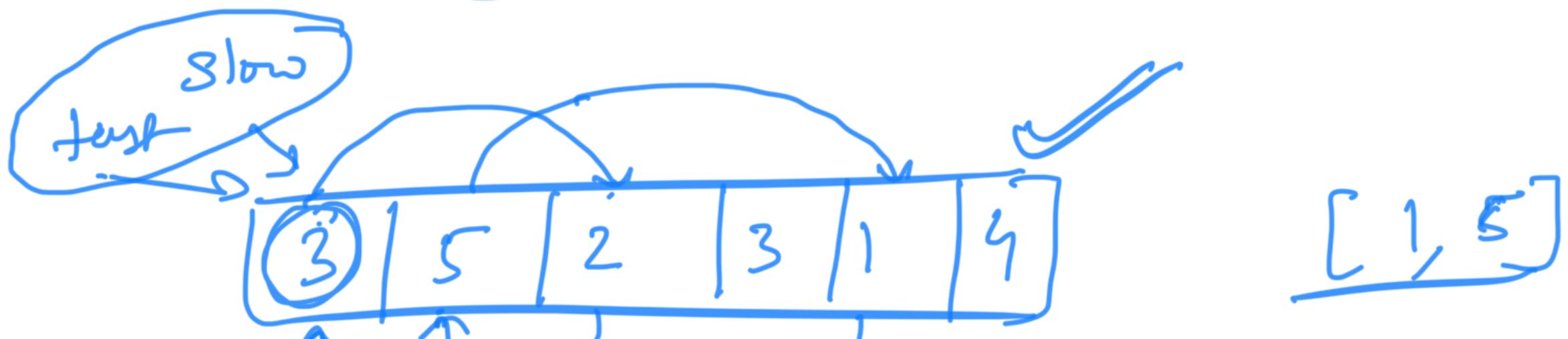
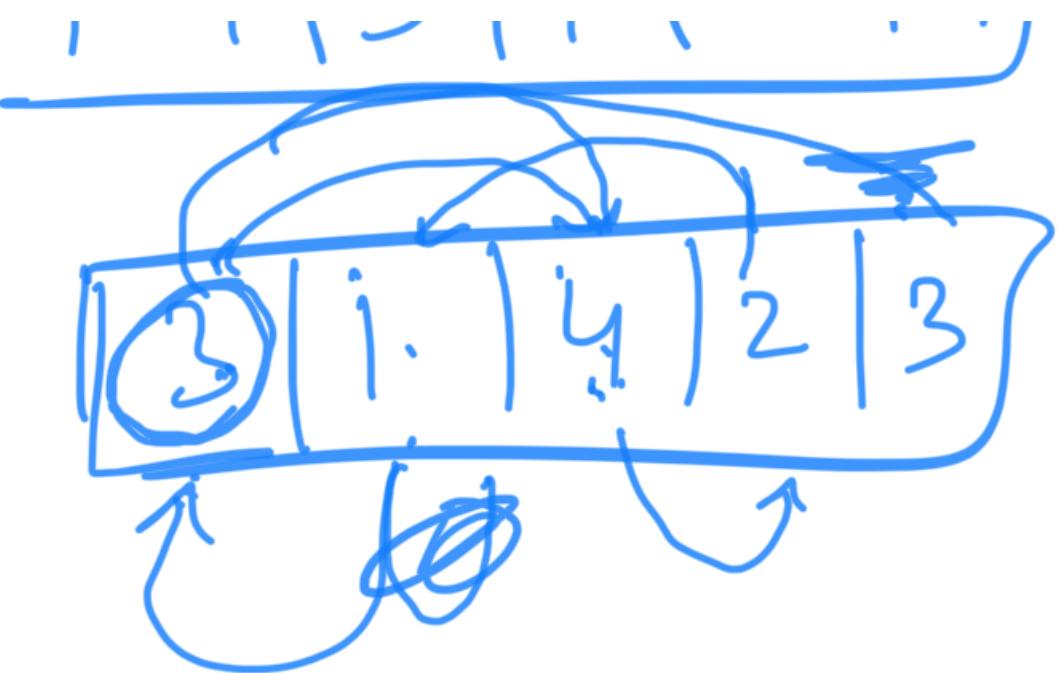
Given an array of size N
allowed to contain element
in range $[1, N-1]$
such array is bound to have
repetition.

$[1, N-1]$

2	2	2	1	1

$[1, 4]$

4	3	1	2	4



slow →
fast →

slow = head
fast

Slow + f
fast f

