

Beamer Report

- A Beamer template for easily positioning and manipulating content

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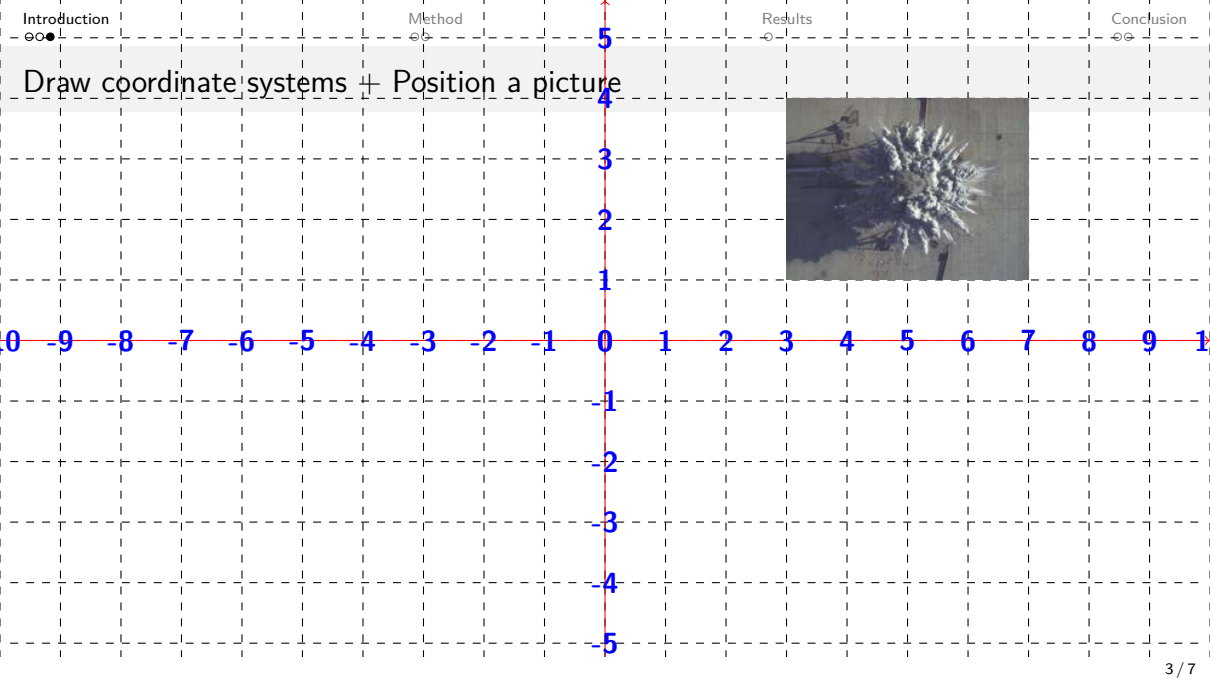
Compilation: requires L^AT_EX environment

- ① Just compile like an ordinary Beamer/L^AT_EX: `pdflatex+biber+pdflatex+pdflatex`
- ② Or use compilation script:
 - Linux or MacOS: run in terminal
 - `./artratex.sh pb`: full compilation with reference cited in biblatex format
 - `./artratex.sh p`: run pdflatex only, no biber for reference
- ③ Switch to Chinese: just add the "CJK" option in "artrabeamer.tex":
`\usepackage[CJK,biber,authoryear,tikz,table,xlink]{Style/artrabeamer}`
- ④ Many other functionalities: check the available options below the line
`\usepackage[biber,authoryear,tikz,table,xlink]{Style/artrabeamer}` in
"artrabeamer.tex"

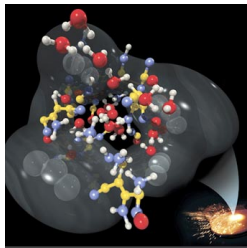
Useful commands added to generic L^AT_EX

- `\enorc{English}{Chinese}`: automatically switch between English and Chinese versions
- `\tikzart[t=m]{}:` draw coordinate system to help you position contents
- `\tikzart[t=p,x=-7,y=3,w=4]"comments"{filename}`: position a picture named "filename" at location "(x,y)" with width "w=4" and comments below the picture.
- `\tikzart[t=o,x=0,y=-0.8,s=0.8]{objects-such-as-tikz-diagrams}`: position objects at location "(x,y)" with scaling "s=0.8"
- `\tikzart[t=v,x=9.5,y=-6.5,w=0.5]{Video/vortex_preserve_geo.mp4}[\includegraphics{cover_image}]`: position a video at location "(x,y)" with a cover image of width "w=0.5"
- `\lolt{lowlight}`, `\hilt{highlight}`: make the item show in different color when in different state

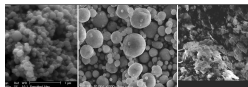
Draw coordinate systems + Position a picture



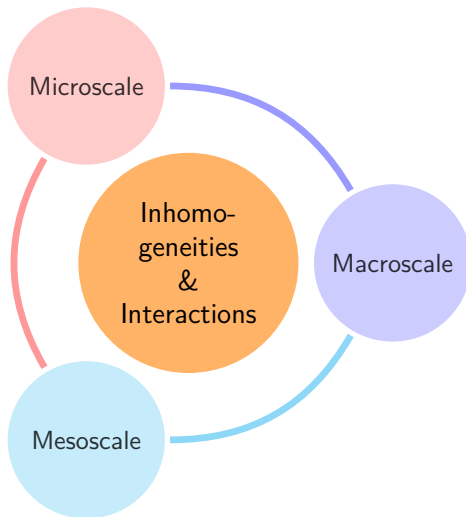
Smart diagrams + Position objects + Citation + Trim figures + Low/Highlight



(Reed et al. 2008, Nat. Phys.)

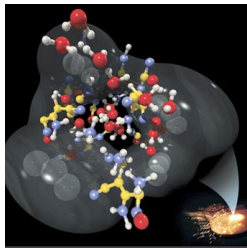


(Zhang et al. 2009, JPP)

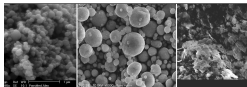


(Zhang et al. 2010, IDS)

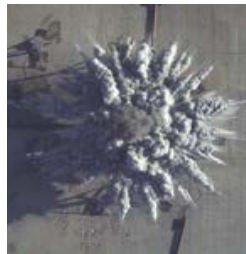
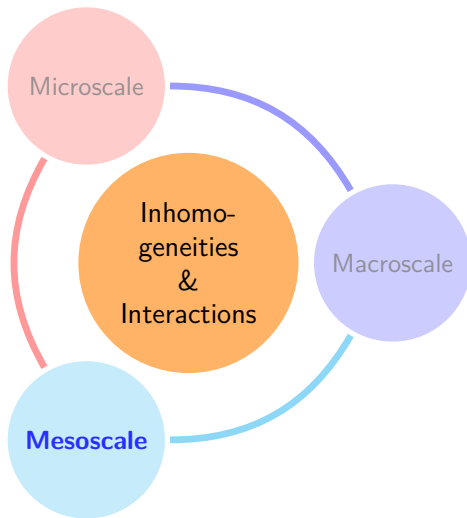
Smart diagrams + Position objects + Citation + Trim figures + Low/Highlight



(Reed et al. 2008, Nat. Phys.)



(Zhang et al. 2009, JPP)



(Zhang et al. 2010, IDS)

Math + Position text + Full citation + Notes

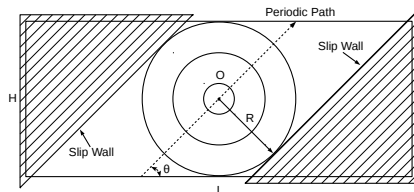
$$\psi_I = f(\{\psi_N\}, \psi_O)$$

- ① Prediction step: $\psi_I^* = \left[\sum w(d_N) \psi_N \right] / \left[\sum w(d_N) \right]$
- ② Boundary condition enforcement step: $\psi_O = C\psi_I + \text{RRHS}$
- ③ Correction step: $\psi_I = \left[\psi_I^* + \frac{w(d_O)}{\sum w(d_N)} \psi_O \right] / \left[1 + \frac{w(d_O)}{\sum w(d_N)} \right]$

H. Mo et al. (2018). "An immersed boundary method for solving compressible flow with arbitrarily irregular and moving geometry". In: *Int. J. Numer. Methods Fluids* 88.5, pp. 239–263

Type	Example form	C	RRHS
Dirichlet	$\psi_O = g$	0	g
Neumann	$\frac{\partial \psi}{\partial n} \Big _O = \frac{\partial \psi_O}{\partial n}$	1	$- \mathbf{x}_I - \mathbf{x}_O \frac{\partial \psi_O}{\partial n}$
Robin	$\alpha \psi_O + \beta \frac{\partial \psi}{\partial n} \Big _O = g$ $(\mathbf{V} \cdot \mathbf{n}) _{\mathbf{x}=\mathbf{x}_O} = \mathbf{V}_S \cdot \mathbf{n}$	$\frac{\beta}{\beta - \mathbf{x}_I - \mathbf{x}_O \alpha}$	$\frac{- \mathbf{x}_I - \mathbf{x}_O g}{\beta - \mathbf{x}_I - \mathbf{x}_O \alpha}$
Cauchy	$\frac{\partial(\mathbf{V} \cdot \hat{\mathbf{t}})}{\partial n} \Big _{\mathbf{x}=\mathbf{x}_O} = 0$ $\frac{\partial(\mathbf{V} \cdot \tilde{\mathbf{t}})}{\partial n} \Big _{\mathbf{x}=\mathbf{x}_O} = 0$	$\begin{bmatrix} n_x & n_y & n_z \\ \hat{t}_x & \hat{t}_y & \hat{t}_z \\ \tilde{t}_x & \tilde{t}_y & \tilde{t}_z \end{bmatrix}^T \begin{bmatrix} 0 & 0 & 0 \\ \hat{t}_x & \hat{t}_y & \hat{t}_z \\ \tilde{t}_x & \tilde{t}_y & \tilde{t}_z \end{bmatrix} \begin{bmatrix} n_x & n_y & n_z \\ \hat{t}_x & \hat{t}_y & \hat{t}_z \\ \tilde{t}_x & \tilde{t}_y & \tilde{t}_z \end{bmatrix}^T \begin{bmatrix} n_x & n_y & n_z \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix} \cdot \mathbf{V}_S$	

Position animation + Make Table



To play the video, the compiled PDF should be moved out from the "Tmp" directory

$m_x \times m_y$	L_1 error	L_1 order	L_2 error	L_2 order	L_∞ error	L_∞ order
40×20	$3.536\text{e-}2$	—	$6.097\text{e-}2$	—	$4.105\text{e-}1$	—
80×40	$9.113\text{e-}3$	1.956	$2.497\text{e-}2$	1.288	$1.997\text{e-}1$	1.039
160×80	$2.034\text{e-}3$	2.163	$6.548\text{e-}3$	1.931	$5.236\text{e-}2$	1.931
320×160	$5.114\text{e-}4$	1.992	$1.640\text{e-}3$	1.997	$1.278\text{e-}2$	2.035
640×320	$1.287\text{e-}4$	1.990	$4.097\text{e-}4$	2.001	$3.119\text{e-}3$	2.034
1280×640	$3.233\text{e-}5$	1.993	$1.024\text{e-}4$	2.000	$7.818\text{e-}4$	1.996

Ordinary text

- **A 3D, high-resolution, parallelized, gas-solid flow solver**
 - Establishes a numerical framework for the direct simulation of gas-solid flows.
 - Solves coupled and interface-resolved fluid-fluid, fluid-solid, and solid-solid interactions.
 - Addresses shocked flow conditions, irregular and moving geometries, and multibody contact and collisions.
- **Advancement in understanding particle clustering and jetting**
 - Demonstrates a valid statistical dissipative property in solving explosively dispersed granular materials with respect to Gurney velocity.
 - Extends the time range of the velocity scaling law with regard to Gurney energy in the Gurney theory from the steady-state termination phase to the unsteady evolution phase.
 - Proposes an explanation for particle clustering and jetting instabilities to increase the understanding of experimental observations.

Thank you for your attention!



Part I

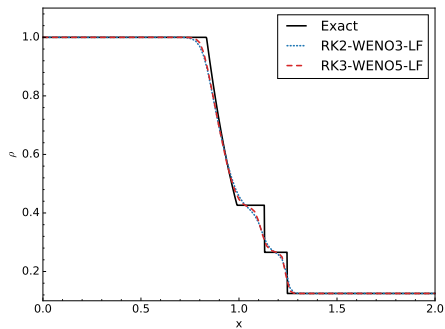
Appendix

5 Appendix

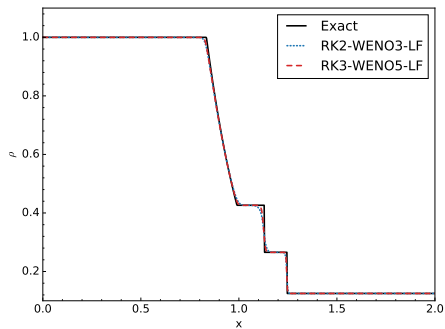
Classic Beamer Style

References

Sod's problem (Sod 1978)



$n = 100$



$n = 500$

$$\begin{aligned} \rho &= 1; & u &= 0; & p &= 1 & \text{if } 0 \leq x < 1 \\ \rho &= 0.125; & u &= 0; & p &= 0.1 & \text{if } 1 < x \leq 2 \end{aligned}$$

References I

- Mo, H. et al. (2018). "An immersed boundary method for solving compressible flow with arbitrarily irregular and moving geometry". In: *Int. J. Numer. Methods Fluids* 88.5, pp. 239–263.
- Reed, E. J. et al. (2008). "A transient semimetallic layer in detonating nitromethane". In: *Nat. Phys.* 4.1, p. 72.
- Sod, G. A. (1978). "A survey of several finite difference methods for systems of nonlinear hyperbolic conservation laws". In: *J. Comput. Phys.* 27.1, pp. 1–31.
- Zhang, F., A. Yoshinaka, and R. Ripley (2010). "Hybrid detonation waves in metalized explosive mixtures". In: *Proc. 14th Int. Detonation Symp.* Pp. 11–16.
- Zhang, F., K. Gerrard, and R. C. Ripley (2009). "Reaction mechanism of aluminum-particle-air detonation". In: *J. Propuls. Power* 25.4, pp. 845–858.