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2. Vanilla GPFA

It is vanilla in the sense that it only handles trials with the same length for now.

```
In [2]: %reload ext autoreload
        %autoreload 2
In [83]: import numpy as np
        import quantities as pq
        from sklearn.decomposition import FactorAnalysis
        import matplotlib.pyplot as plt
In [84]:
        from e_step import e_step
        from m step import m step
        from postprocessing import post_processing
In [19]:
        # =========
        # load simulated data
        # =========
        seqs = np.load('simulated_data1.npy',allow_pickle=True)
# Initialize state model parameters
        x_dim = 2
        bin_width=20.0
                       # in ms, this should match how we simulated the synthetic data.
        tau init=100.0
        eps_init=1.0E-3
        em tol = 1.0E-3
        max_iteration_num = 100
        params_init = dict()
        params_init['covType'] = 'rbf' # so far only rbf is implemented for this vanilla version
        # GP timescale
        # Assume binWidth is the time step size.
        params_init['gamma'] = (bin_width / tau_init) ** 2 * np.ones(x_dim)
        # GP noise variance
        params_init['eps'] = eps_init * np.ones(x_dim)
        # Initialize observation model parameters
        print('Initializing parameters using factor analysis...')
        y_all = np.hstack(seqs['y'])
        fa = FactorAnalysis(n_components=x_dim, copy=True,
                          noise_variance_init=np.diag(np.cov(y_all, bias=True)))
        fa.fit(y all.T)
        params init['d'] = y all.mean(axis=1)
        params_init['C'] = fa.components_.T
        params_init['R'] = np.diag(fa.noise_variance_)
        params_init['x_dim'] = 2
        params_init['tau'] = tau_init
```

Initializing parameters using factor analysis...

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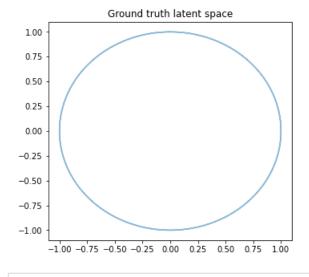
```
In [57]:
          # Fit model parameters
          params = params_init
          for i in range(max_iteration_num):
              seqs_out, LL_i = e_step(seqs, params)
              params = m_step(seqs_out, params)
              # Check convergence
              if i <= 1:
                  LL_base = LL_i
                  LL_old = LL_i
              elif LL_i < LL_old:</pre>
                  print(f"\nError: Log likelihood decreased from {LL_old:.1f} to {LL_i:.1f}")
              elif (LL_i - LL_base) < (1 + em_tol) * (LL_old - LL_base):</pre>
                  print(f"\nConverged after {i+1} EM iterations")
                  break
              LL_old = LL_i
```

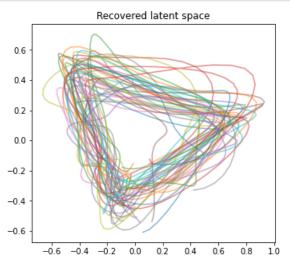
Converged after 42 EM iterations

```
fin [88]: # results
groudtruth = np.load('simulated_groundtruth.npy',allow_pickle=True)
```

```
In [93]: f, (ax1, ax2) = plt.subplots(1, 2, figsize=(12, 5))
    ax1.plot(groudtruth[0,:], groudtruth[1,:], alpha = 0.5)
    ax1.set_title("Ground truth latent space")

for n in range(len(seq_final)):
    reduced_data = seq_final["latent_variable_orth"][n]
    ax2.plot(reduced_data[0,:], reduced_data[1,:], alpha = 0.5)
    ax2.set_title("Recovered latent space")
```





In []: