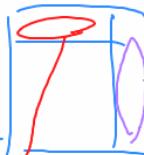


Decision Tree Learning Algorithm

```

function DECISION-TREE-LEARNING(examples, attributes, default) returns a decision tree
    inputs: examples, set of examples
            attributes, set of attributes
            default, default value for the goal predicate
    if examples is empty then return default
    else if all examples have the same classification then return the classification
    else if attributes is empty then return MAJORITY-VALUE(examples)
    else
        best ← CHOOSE-ATTRIBUTE(attributes, examples)
        tree ← a new decision tree with root test best
        for each value  $v_i$  of best do
            examples $_i$  ← {elements of examples with best =  $v_i$ }
            subtree ← DECISION-TREE-LEARNING(examples $_i$ , attributes - best,
                                              MAJORITY-VALUE(examples))
            add a branch to tree with label  $v_i$  and subtree subtree
        end
    return tree
  
```

Termination condition



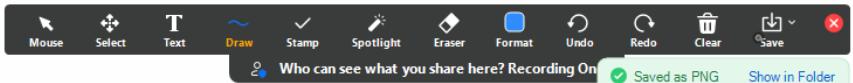
maj vote

When all fails
What should be
the answer

\uparrow
PTR(
 $\{x_1, x_2\}$, +)



$\{x_1, x_2\}, + \}$



Decision Tree Learning Algorithm

```

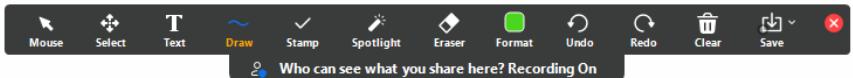
function DECISION-TREE-LEARNING(examples, attributes, default) returns a decision tree
    inputs: examples, set of examples
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            default, default value for the goal predicate
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```

Termination condition



maj vote
When all fails,
what should be
the answer.



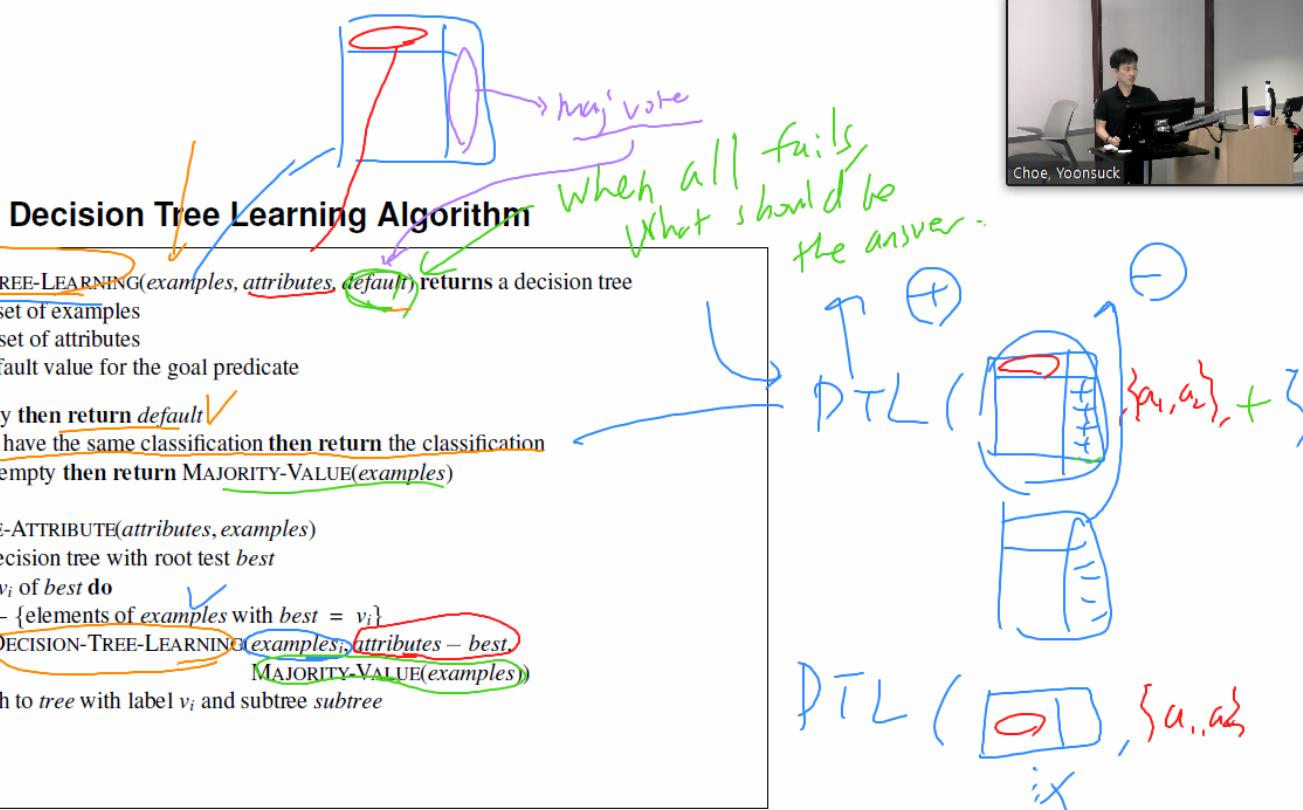


Decision Tree Learning Algorithm

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        end
    return tree
  
```

Termination condition





$DTL(\{x_1, x_2, \dots, x_n\}, \emptyset)$

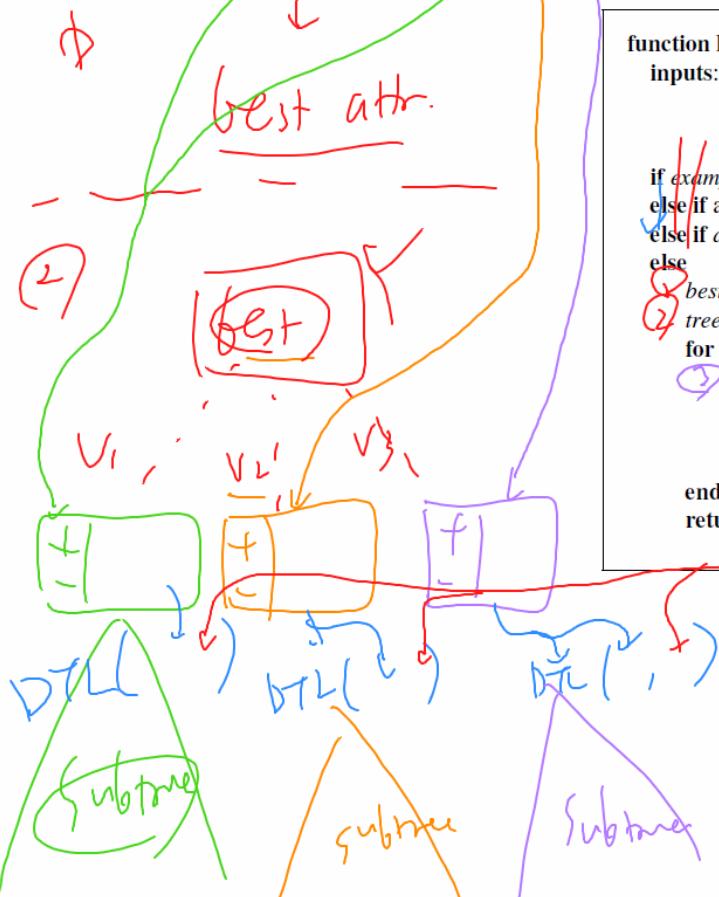
Decision Tree Learning Algorithm

```

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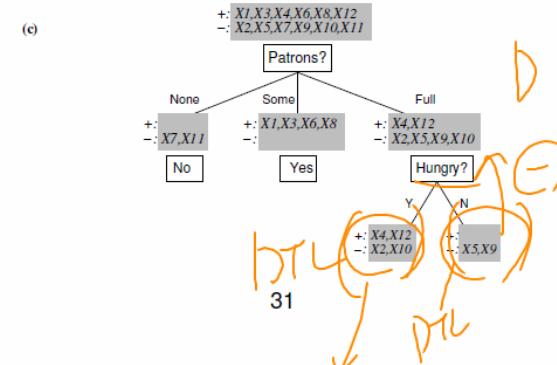
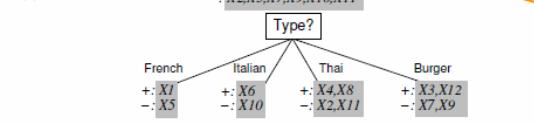
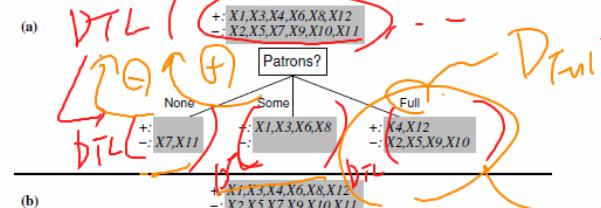
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    end
    return tree

```





Finding a Concise Decision Tree (cont'd)

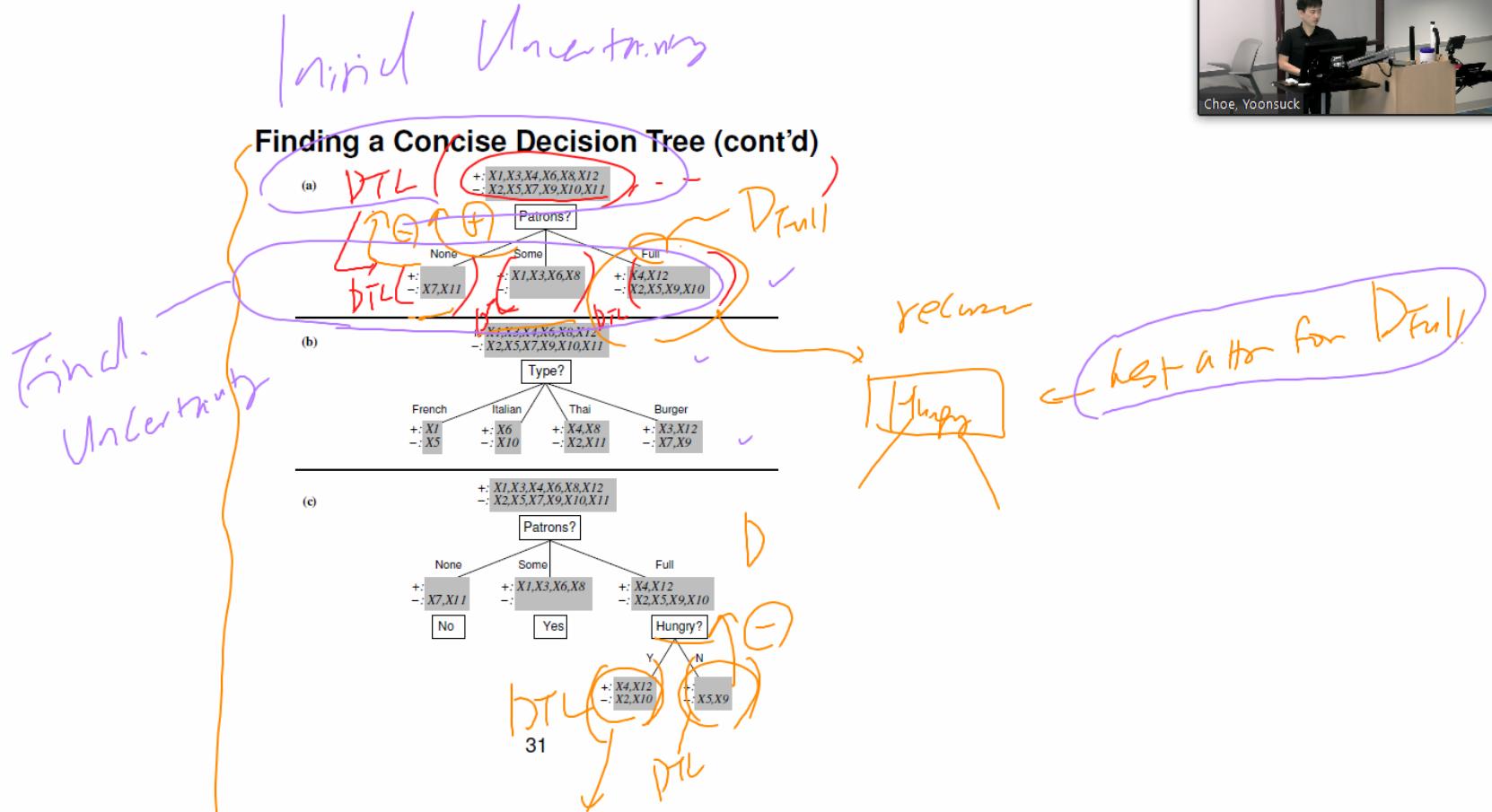


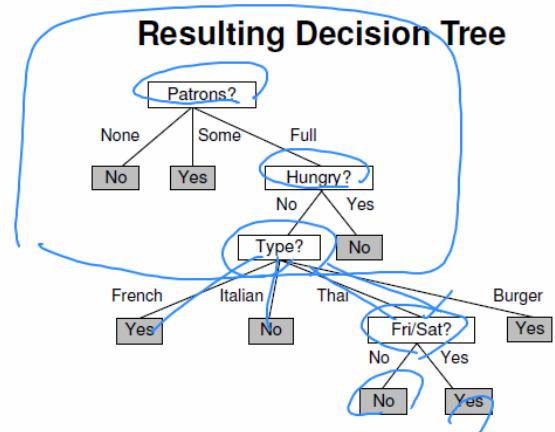
return
Hungry

test attr for D_{Full}

So what the only thing that we remain to be extended is,
how this best attribute is selected.

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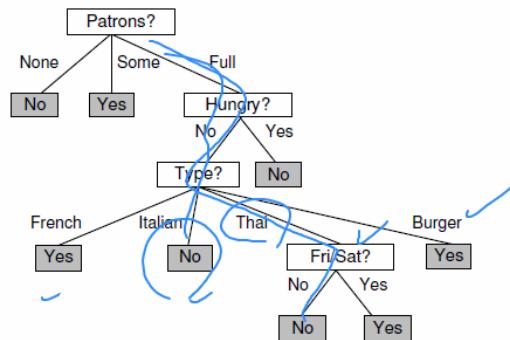




- Some attributes are not tested at all.
- Odd paths can be generated (Thai food branch).
- Sometimes the tree can be incorrect for new examples (exceptional cases).

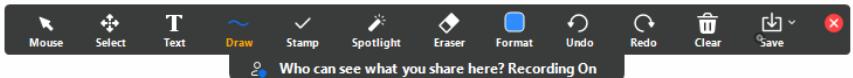
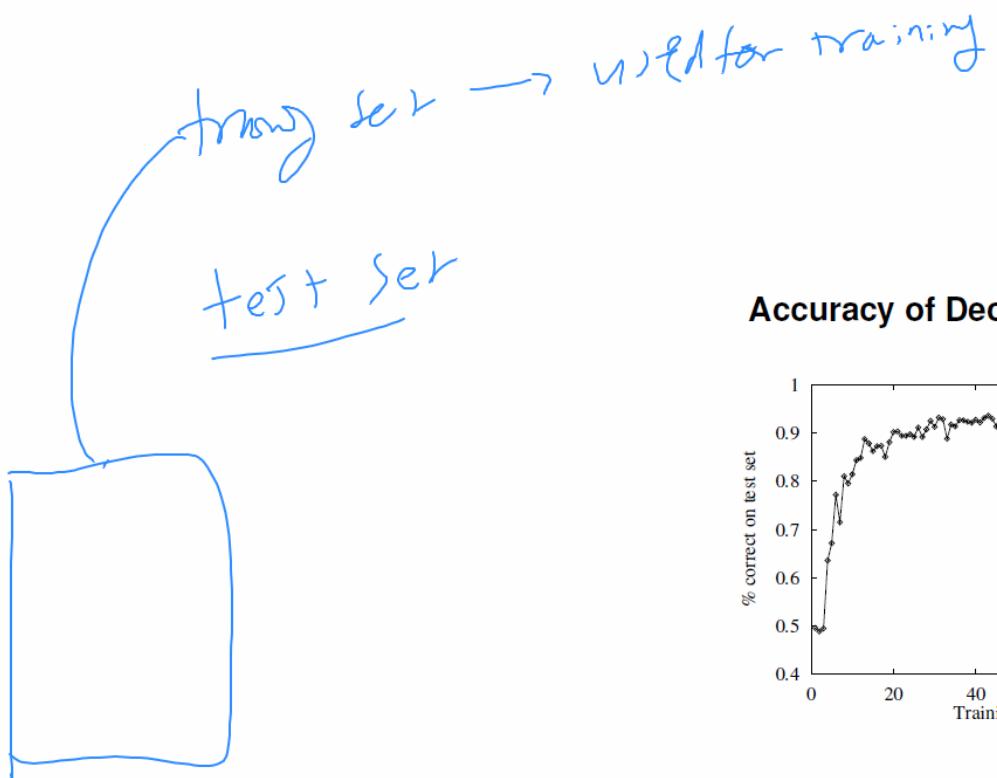


Resulting Decision Tree

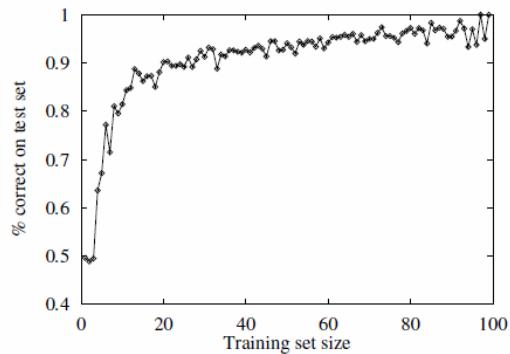


- Some attributes are not tested at all. ✓
- Odd paths can be generated (Thai food branch). ✓
- Sometimes the tree can be incorrect for new examples (exceptional cases).

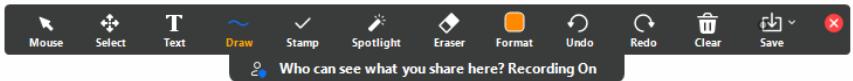
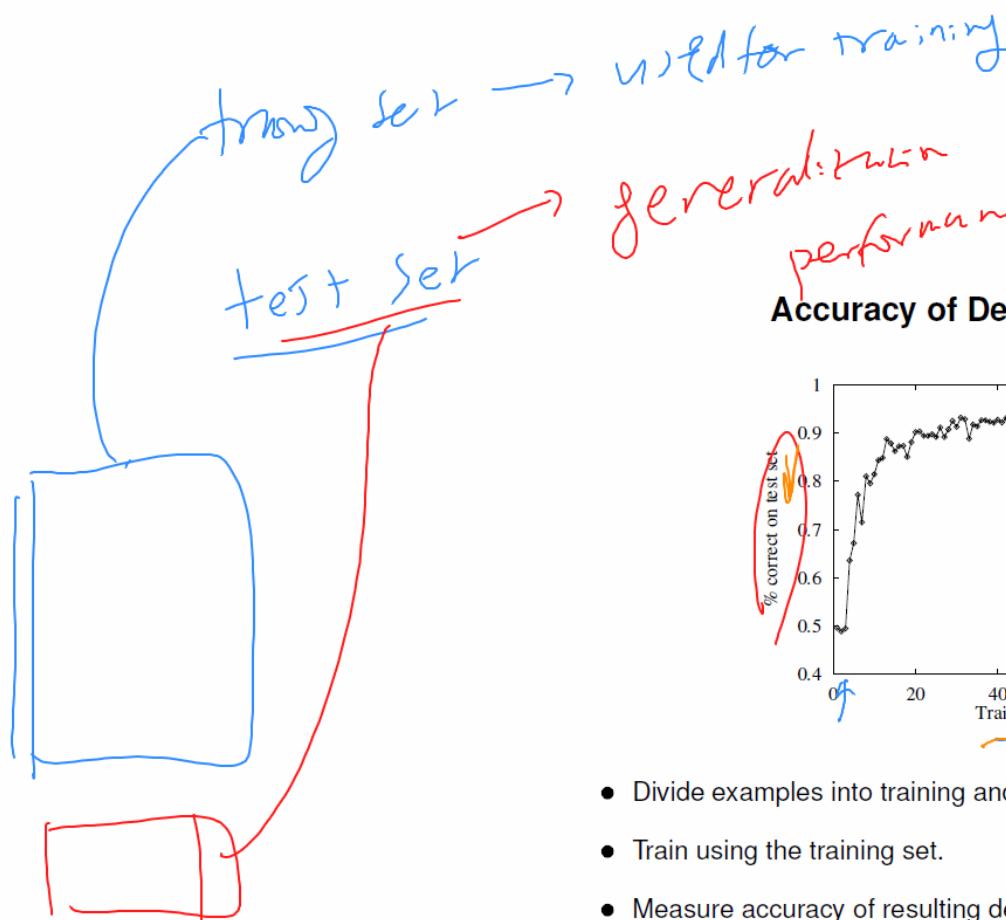
So if get a new sample then following through this let's say you came here then, maybe the correct answer is Yes.



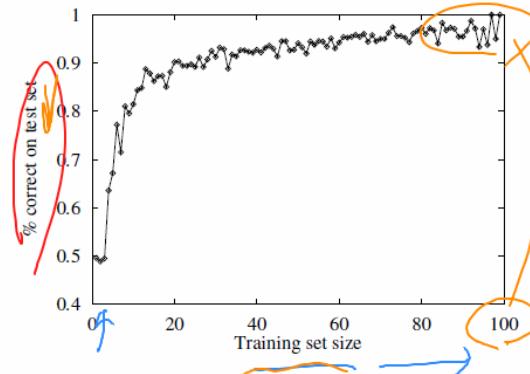
Accuracy of Decision Trees



- Divide examples into training and test sets.
- Train using the training set.
- Measure accuracy of resulting decision tree on the test set.

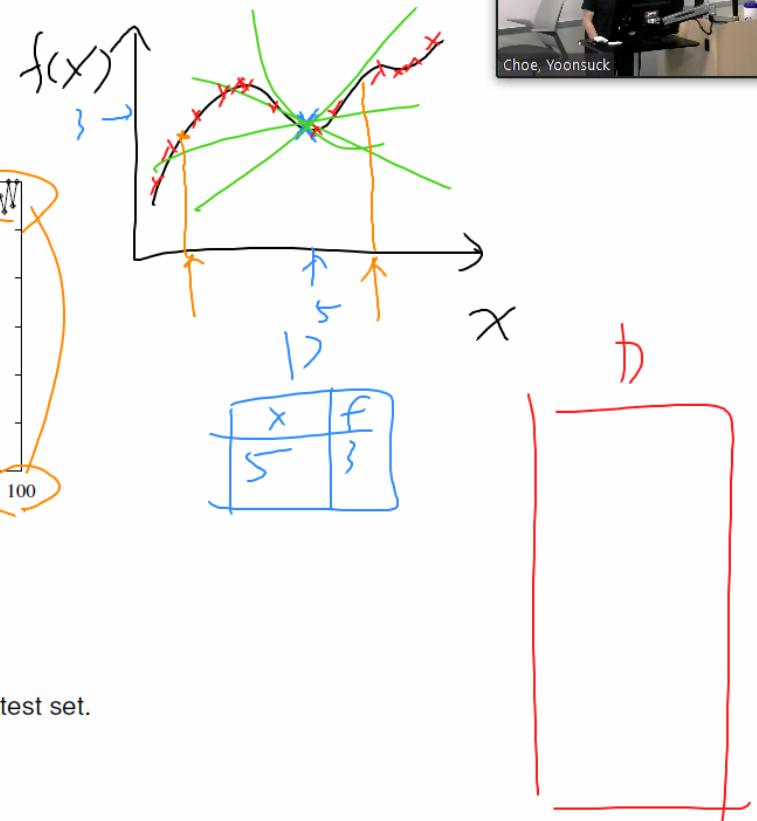


Accuracy of Decision Trees



- Divide examples into training and test sets.
- Train using the training set.
- Measure accuracy of resulting decision tree on the test set.

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shows you that if the train set increases the 3 set size increases, then you know, test set accuracy will increase

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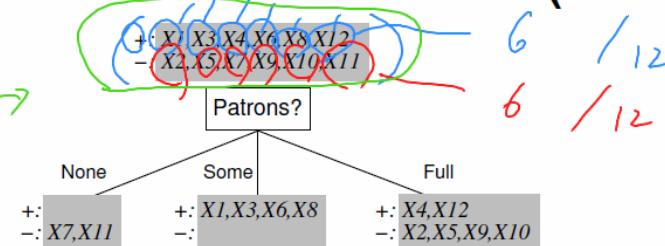


After Target

Finding a Concise Decision Tree (cont'd)

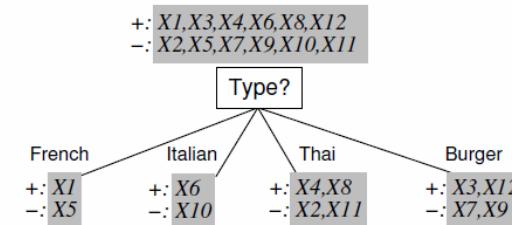
	+	-
X1	+	
X2		-
X3	+	
X4		-
X5	-	
X6	+	
X7		-
X8	+	
X9		-
X10	-	
X11	-	
X12		+

(a)

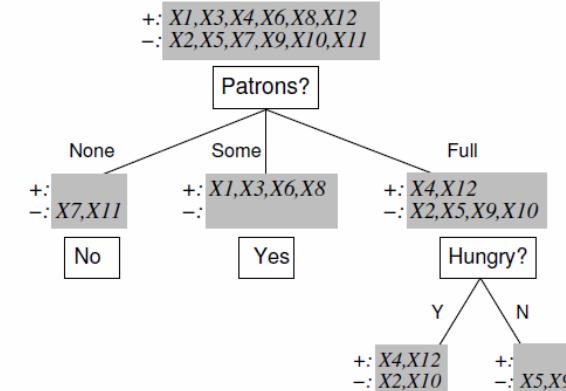


6 / 12
6 / 12

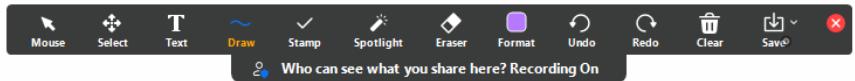
(b)



(c)



So that's how we got this representation even just the plus minus positive method class

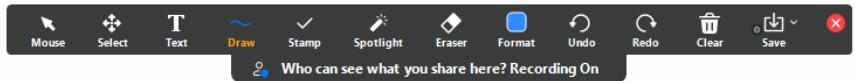


Choosing the Best Attribute to Test First

Use Shannon's information theory to choose the attribute that give the maximum **information gain**.

- Pick an attribute such that the information gain (or entropy reduction) is maximized.
- Entropy measures the average surprisal of events. Less probable events are more surprising.

average uncertainty } probability .



$X \in \{T/F\}$

$$\left\{ \begin{array}{l} P(X=T) = 0.5 \\ P(X=F) = 0.5 \end{array} \right.$$

maximum uncertainty
random variable

Entropy and Information Gain

$$\text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$$

$$\text{Gain}(E, A) = \text{Entropy}(E) - \sum_{v \in \text{Values}(A)} \frac{|E_v|}{|E|} \text{Entropy}(E_v)$$

- E : set of examples: $\langle x, f(x) \rangle$ pairs
- C : set of output classes
- A : a single attribute
- E_v : set of examples where attribute $A = v$.
- $|S|$: cardinality of set S .

T F F T T F T F T T F F F

$$P(X=T) = 1.0$$

$$P(X=F) = 0.0$$

T

36

0 Sorry

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$X \in \{T/F\}$

$$\left\{ \begin{array}{l} P(X=T) = 0.5 \\ P(X=F) = 0.5 \end{array} \right.$$

T F F T T T F T F T T F F F

$$P(X=T) = 1.0$$

$$P(X=F) = 0.0$$

T T T T T T T T T T T T

maximum uncertainty
random variable
~~uncertainty~~ (P_0, P_1)
Entropy and Information Gain
- degree of uncertainty

$$\text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$$

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Then you can represent it as a function of p plus, because you can just call this

$$P(\oplus) \quad P(\oplus) + P(\ominus) = 1. \quad P(\ominus)$$

$$P(\ominus) \quad P(\ominus) = 1 - P(\oplus)$$

$$\frac{P(X=T) = 0.0}{P(X=F) = 1.0} ?$$

F F F ... F



$X \in \{T/F\}$

$$\left\{ \begin{array}{l} P(T) \\ P(X=T) = 0.5 \\ P(F) \\ P(X=F) = 0.5 \end{array} \right.$$

maximum uncertainty

Entropy and Information Gain

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FFF TTT FTF TTF F F

$$\begin{aligned} P(T) &= 1.0 \\ P(X=T) &= 1.0 \end{aligned}$$

$$\underline{P(X=F) = 0.0}$$

TTTTTTTTT

+, no uncertainty

36

random variable
Uncertainty ($P(T), P(F)$)
Uncertainty ($P(T), 1-P(F)$)
Degree of uncertainty
max

$P(T)$

$$P(T) + P(F) = 1$$

$$P(T) = 1 - P(F)$$

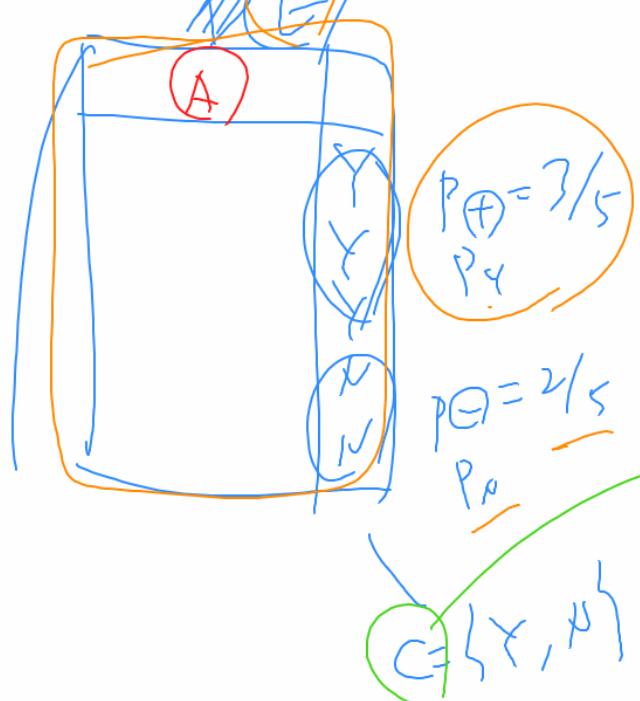
$$\underline{P(X=T) = 0.0}$$

$$\underline{P(X=F) = 1.0}$$

FFF ... F



Uncertainty (P_{\oplus}, P_{\ominus})



Entropy and Information Gain

$$\text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$$

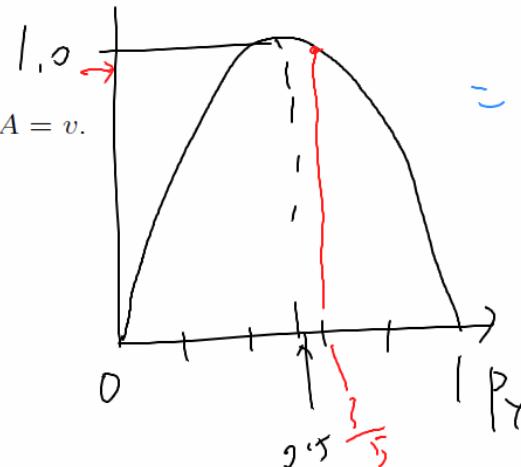
↑ *classes*

↓ *outcomes*

$$\text{Gain}(E, A) = \text{Entropy}(E) - \sum_{v \in \text{Values}(A)} \frac{|E_v|}{|E|} \text{Entropy}(E_v)$$

- E : set of examples: $\langle x, f(x) \rangle$ pairs
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$$P_i =$$

$$\sum_{i \in \{X, Y\}} -P_i \log_2(P_i)$$

$$= -P_Y \log_2 P_Y$$

$$-P_X \log_2 P_X$$

$$= -\left(\frac{3}{5}\right) \cdot \log_2 \frac{3}{5}$$

$$-\frac{2}{5} \cdot \log_2 \frac{2}{5} = \cancel{\frac{2}{5} \cdot 1.32} \quad \text{when } P_Y = P_N \approx 0.8$$



Patron

Entropy and Information Gain

$$\rightarrow \text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$$

$$\text{Gain}(E, A) = \text{Entropy}(E) - \sum_{v \in \text{Values}(A)} \frac{|E_v|}{|E|} \text{Entropy}(E_v)$$

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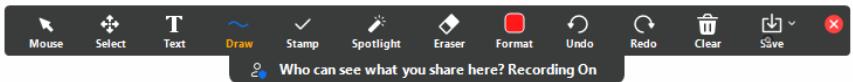
Entropy and Information Gain

Entropy formula: $\rightarrow \text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$

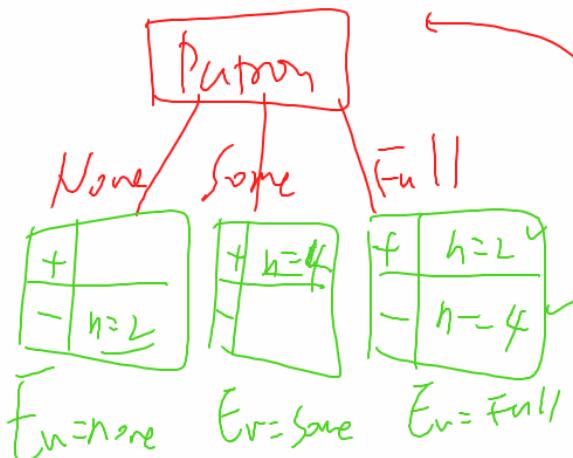
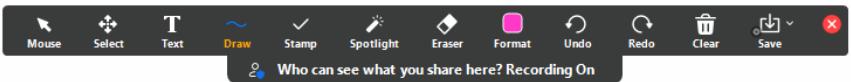
Information Gain formula: $\text{Gain}(E, A) = \text{Entropy}(E) - \sum_{v \in \text{Values}(A)} \frac{|E_v|}{|E|} \text{Entropy}(E_v)$

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- A : a single attribute
- E_v : set of examples where attribute $A = v$.
- $|S|$: cardinality of set S.

Annotations: 'single attribute' points to the entropy formula; 'before' and 'after' point to the information gain formula; 'Prob of outcome' and '(R, Θ)' and '(Y, N)' are written near the bottom right.



Entropy Data set $E = \{1.0\} \leftarrow \text{max value}$



$$\begin{aligned} E_v &= \{1.0\} \\ &\Rightarrow 2 \\ E_v &= \{1.0\} \\ &\Rightarrow 4 \\ E_v &= \{1.0\} \\ &\Rightarrow 6 \end{aligned}$$

Entropy and Information Gain

$$\rightarrow \text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$$

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- $|S|$: cardinality of set S .

Prob of outcome \dots down $(+, \theta)$
 $(-, N)$
 \vdots

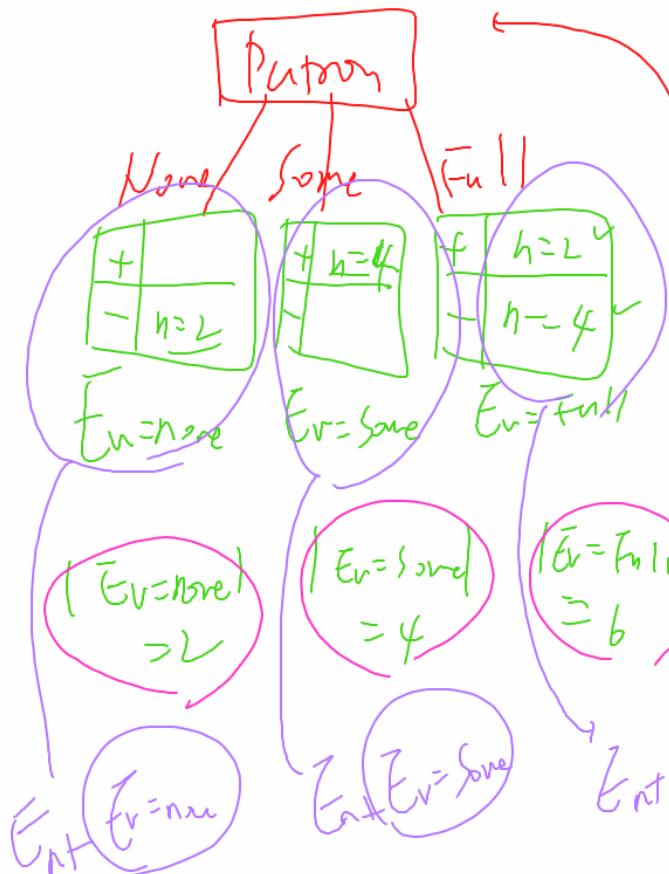
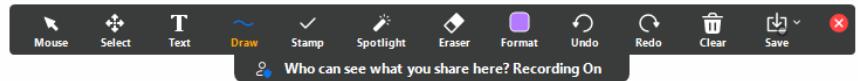
before
 $\{None, Some, Full\}$
 after

Entropy

Dataset $E = \{1.0\} \leftarrow \text{max value}$

$|E|/2$

+	$n=6$
-	$n=6$



Entropy and Information Gain

$$\rightarrow \text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$$

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- $|S|$: cardinality of set S .

before

after

$\{None, Some, Full\}$

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But the quantity here so

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Entropy $E = 1.0$ ← max value
 $|E| = 12$

Put after

Entropy and Information Gain

single attr. in

$\text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$

$\text{Gain}(E, A) = \text{Entropy}(E) - \sum_{v \in \text{Values}(A)} \frac{|E_v|}{|E|} \text{Entropy}(E_v)$

Prob of outcome \dots down $(+, \theta)$
 $(-, N)$
 \vdots

before

after

$\{None, Some, Full\}$

- E : set of examples: $\langle x, f(x) \rangle$ pairs
- C : set of output classes
- A : a single attribute
- E_v : set of examples where attribute $A = v$.
- $|S|$: cardinality of set S .

$E_v = None \Rightarrow 2$

$E_v = Some \Rightarrow 4$

$E_v = Full \Rightarrow 6$

$E_{None} = 2/12$

$E_{Some} = 4/12$

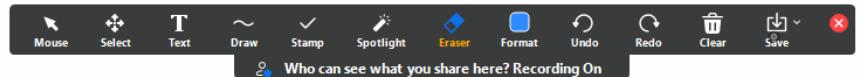
$E_{Full} = 6/12$

$E_{None} (E_v = Full) \Rightarrow 2$

36

So this ratio would be 6 over 12, so this would be number 2, which would be this particular zinc. Now

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Constructing Decision Trees from Examples

Alt

Target

Example	Attributes										Goal WillWait
	Alt	Bar	Fri	Hun	Pat	Price	Rain	Res	Type	Est	
X ₁	Yes	No	No	Yes	Some	\$\$\$	No	Yes	French	0–10	Yes
X ₂	Yes	No	No	Yes	Full	\$	No	No	Thai	30–60	No
X ₃	No	Yes	No	No	Some	\$	No	No	Burger	0–10	Yes
X ₄	Yes	No	Yes	Yes	Full	\$	No	No	Thai	10–30	Yes
X ₅	Yes	No	Yes	No	Full	\$\$\$	No	Yes	French	>60	No
X ₆	No	Yes	No	Yes	Some	\$\$	Yes	Yes	Italian	0–10	Yes
X ₇	No	Yes	No	No	None	\$	Yes	No	Burger	0–10	No
X ₈	No	No	No	Yes	Some	\$\$	Yes	Yes	Thai	0–10	Yes
X ₉	No	Yes	Yes	No	Full	\$	Yes	No	Burger	>60	No
X ₁₀	Yes	Yes	Yes	Yes	Full	\$\$\$	No	Yes	Italian	10–30	No
X ₁₁	No	No	No	No	None	\$	No	No	Thai	0–10	No
X ₁₂	Yes	Yes	Yes	Yes	Full	\$	No	No	Burger	30–60	Yes

- Given a set of examples (**training set**), both **positive** and **negative**, the task is to construct a decision tree that describes a concise decision path.
- Using the resulting decision tree, we want to **classify** new instances of examples (either as **yes** or **no**).



On paper

Dataset $E = \{1, 0\}$ ← max value
 $|E| = 12$

+	$n=6$
-	$n=6$

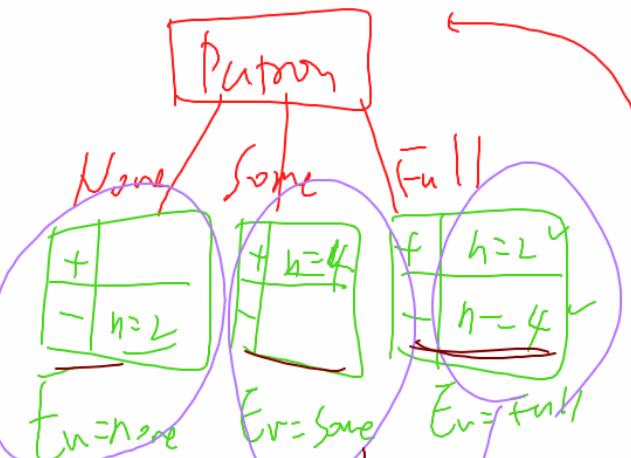
Entropy and Information Gain

single attr. in

$$Gain(E, A) = Entropy(E) - \sum_{v \in Values(A)} \frac{|E_v|}{|E|} Entropy(E_v)$$

- E : set of examples: $\langle x, f(x) \rangle$ pairs
- C : set of output classes
- A : a single attribute
- E_v : set of examples where attribute $A = v$.
- $|S|$: cardinality of set S .

Prob of outcome \dots down $(+, \theta)$
 $(-, N)$
 \vdots



$(\bar{E}_v = \text{none}) = 2$

$(\bar{E}_v = \text{some}) = 4$

$(\bar{E}_v = \text{full}) = 6$

$\bar{E}_v = \text{none}$

$\bar{E}_v = \text{some}$

$\bar{E}_v = \text{full}$

$\frac{2}{12}$

$\frac{4}{12}$

before

{None, Some, Full}

Σ

ratio * Subct's

Entrop.

Resulting Entropy.

3

resulting entropy:

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2

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Entropy

Dataset $E = \{1, 0\}$ ← max value
 $|E| = 12$

Put after

Entropy and Information Gain

Prob of outcome \dots class $(+, \theta)$
 $(-, N)$

None Some Full

None $E_n = \{1, 0\}$ $n=6$ $h=2$

Some $E_s = \{1, 0\}$ $n=4$ $h=4$

Full $E_f = \{1, 0\}$ $n=4$ $h=2$

$E_n = \text{None}$ $E_s = \text{Some}$ $E_f = \text{Full}$

$E_v = \{1, 0\}$ $v \in \text{values}(A)$

Gain(E, A) = Entropy(E) - $\sum_{v \in \text{values}(A)} \frac{|E_v|}{|E|} \text{Entropy}(E_v)$

- E : set of examples: $(x, f(x))$ pairs
- C : set of output classes
- A : a single attribute
- E_v : set of examples where attribute $A = v$.
- $|S|$: cardinality of set S .

before

after ①

None, Some, Full

Resulting Entropy

$\sum \text{ratio} * \text{SubSet's Entropy}$

Man. Finally, Finally, when you subtract this without the entropy from the initial entropy, then that gives you the information gain

36

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+	4
-	4

$$\text{Ent}(E) = 1.0 - \frac{1}{8}$$

Attr

Cold / Hot

+	4
-	4

$$|E_{\text{hot}}| = 4$$

$$|E_{\text{cold}}| = 4$$

$$\text{Ent}(E) = 1.0 - \frac{1}{8}$$

Entropy and Information Gain

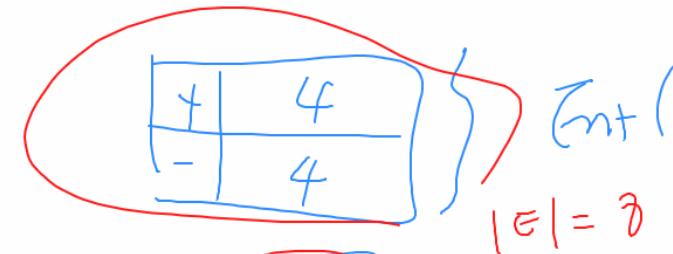
$$\text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$$

$$\text{Gain}(E, A) = \text{Entropy}(E) - \sum_{v \in \text{Values}(A)} \frac{|E_v|}{|E|} \text{Entropy}(E_v)$$

- E : set of examples: $\langle x, f(x) \rangle$ pairs
- C : set of output classes
- A : a single attribute
- E_v : set of examples where attribute $A = v$.
- $|S|$: cardinality of set S .

$$1.0 - \left(\frac{4}{8} \cdot 0 + \frac{4}{8} \cdot 0 \right) = 0.0$$





Attribute (Attr)

Cold / Hot

+	4
-	4

+	4
-	0

$$|E_{\text{hot}}| = 4$$

$$|E_{\text{cold}}| = 4$$

$$4 \cdot \text{Ent}(E_{\text{cold}}) = 0.0$$

$$4 \cdot \text{Ent}(E_{\text{hot}}) = 0.0$$

Entropy and Information Gain

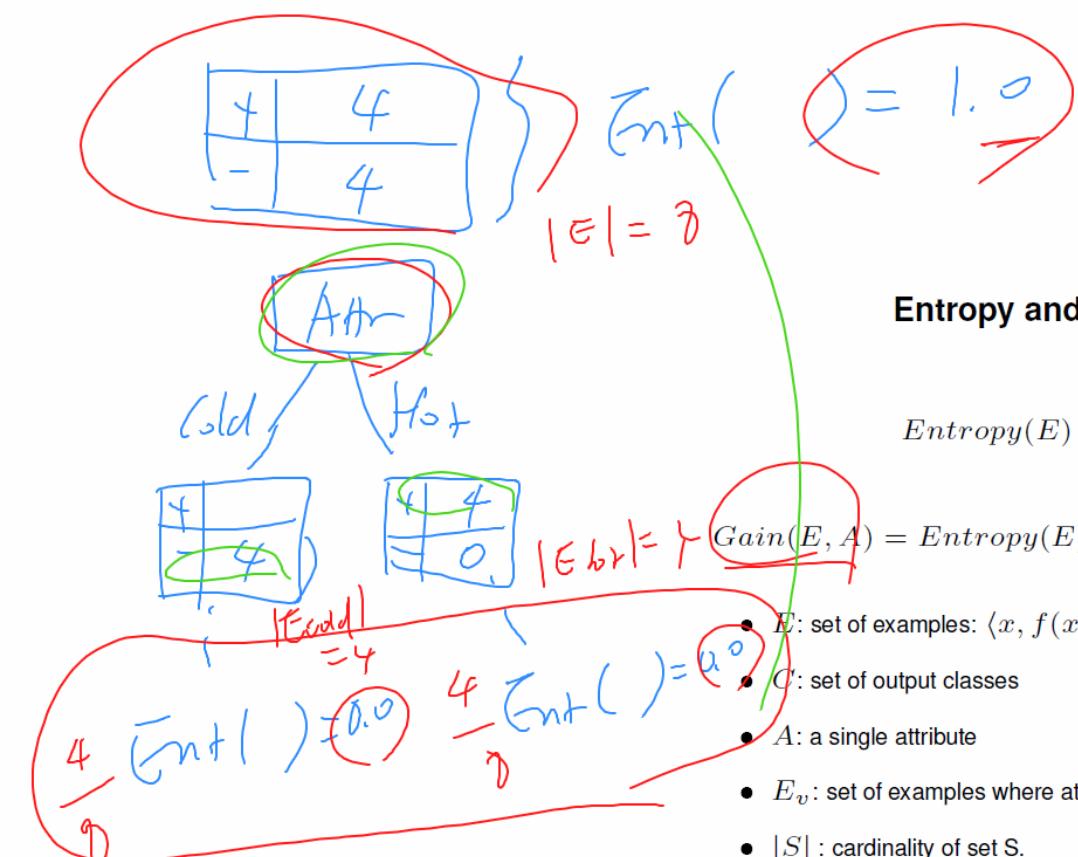
$$\text{Entropy}(E) = \sum_{i \in C} -P_i \log_2(P_i)$$

$$\text{Gain}(E, A) = \text{Entropy}(E) - \sum_{v \in \text{Values}(A)} \frac{|E_v|}{|E|} \text{Entropy}(E_v)$$

- E : set of examples: $\langle x, f(x) \rangle$ pairs
- C : set of output classes
- A : a single attribute
- E_v : set of examples where attribute $A = v$.
- $|S|$: cardinality of set S .

$$1.0 - \left(\frac{4}{8} \cdot 0 + \frac{4}{8} \cdot 0 \right) = 0.0$$

So you gain a much, much information after testing is this attribute so that's one trivial case. Yeah.



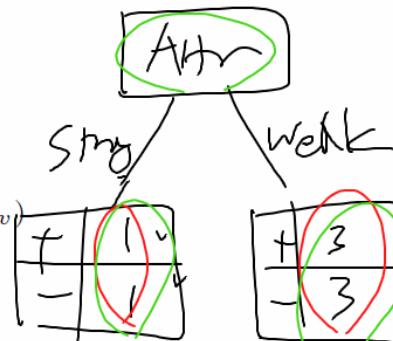
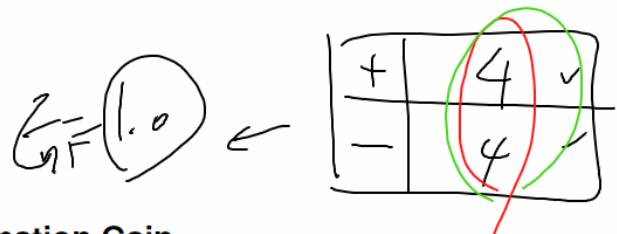
$$Entropy(E) = \sum_{i \in C} -P_i \log_2(P_i)$$

- E : set of examples: $\langle x, f(x) \rangle$ pairs
- C : set of output classes
- A : a single attribute
- E_v : set of examples where attribute $A = v$.
- $|S|$: cardinality of set S .

$$1.0 - \left(\frac{4}{8} \times 0 + \frac{4}{8} \times 0 \right) = 0$$

36

There was 50 50 before, and 50 50 after there's no information gained, but of course you

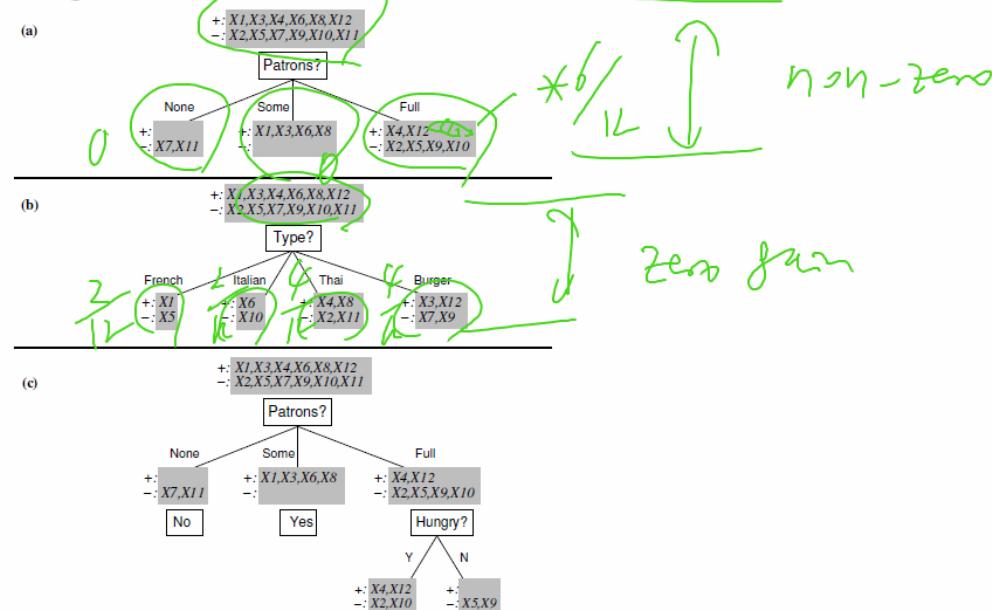


$$1.0 - \left(\frac{2}{8} \times 1.0 + \frac{6}{8} \times 1.0 \right) = 0$$

$$\frac{2}{8} \times 1.0 = 0$$

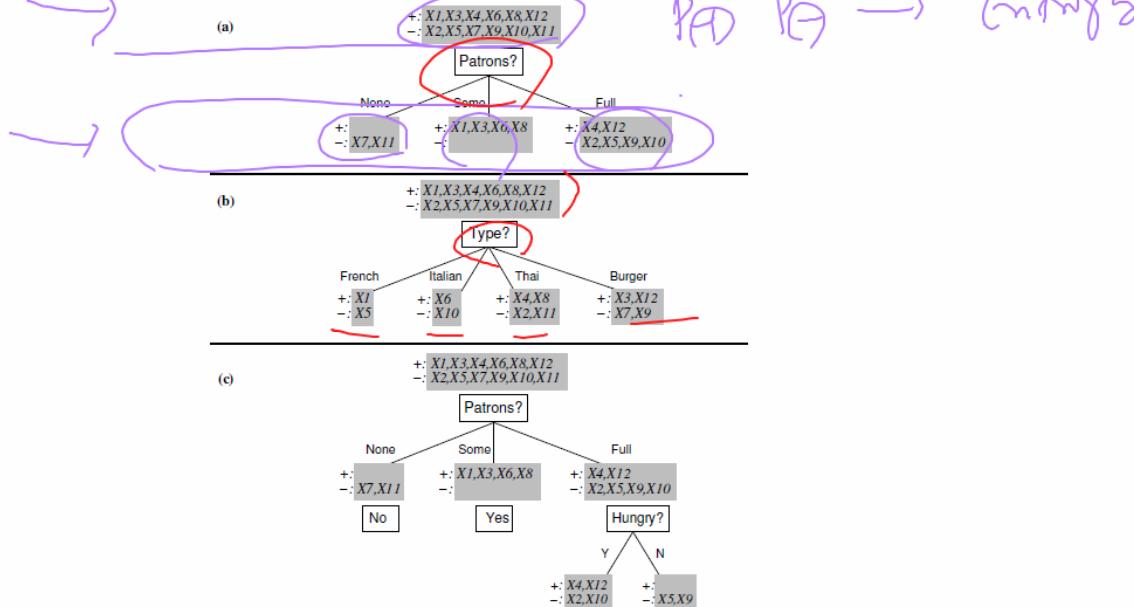


Finding a Concise Decision Tree (cont'd)

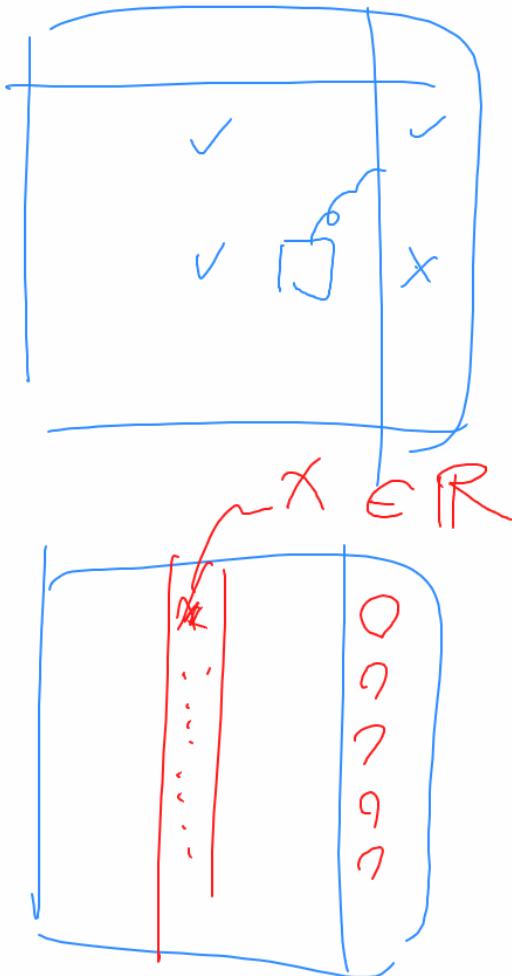




Finding a Concise Decision Tree (cont'd)

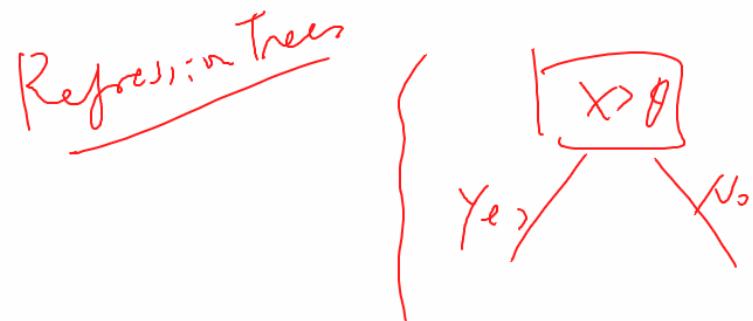
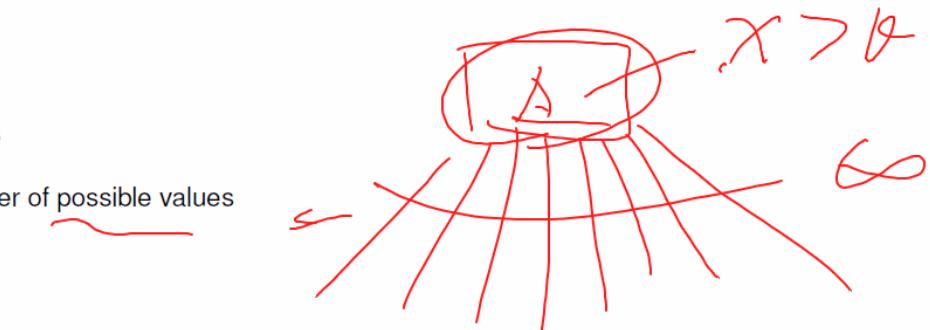


So if you check the different attribute, even with the same data set, you get a difference that. And so

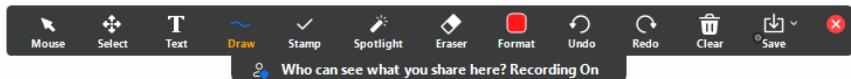


Issues in Decision Tree Learning

- Noise and overfitting
- Missing attribute values from examples
- Multi-valued attributes with large number of possible values
- Continuous-valued attributes.



37

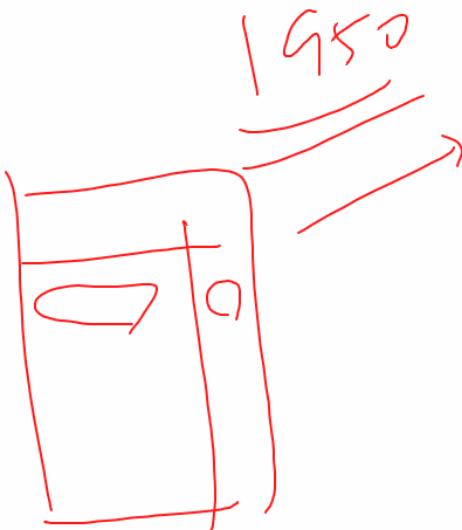


Key Points

Decision tree learning:

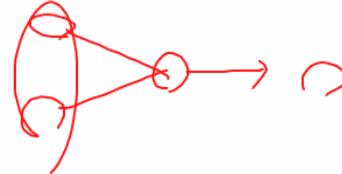
- What is the embodied principle (or "inductive bias")?
- How to choose the best attribute? Given a set of examples, choose the best attribute to test first.
- What are the issues? noise, overfitting, etc.

want shorter trees
use of information



IG50

Percepts

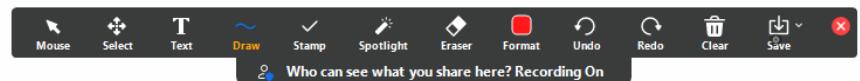


Neural Networks

Neural networks is one particular form of learning from data.

- simple processing elements: called “units”, or “neurons”
- connective structure and associated connection weights
- learning: adaptation of connection weights

Neural networks mimic the human (or animal) nervous system.



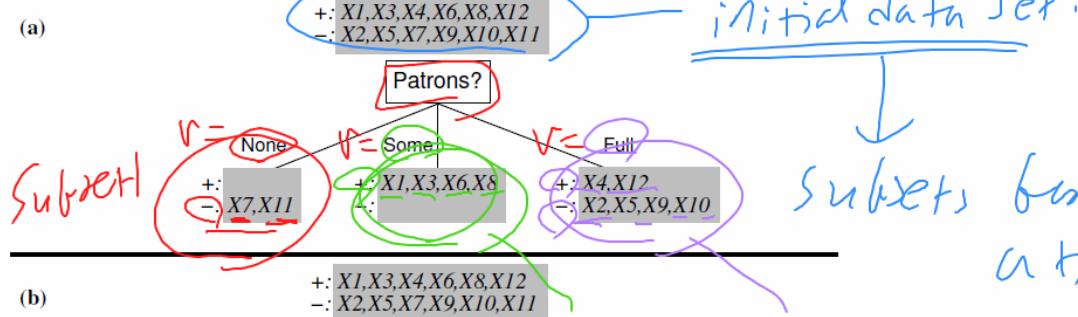


Finding a Concise Decision Tree (cont'd)

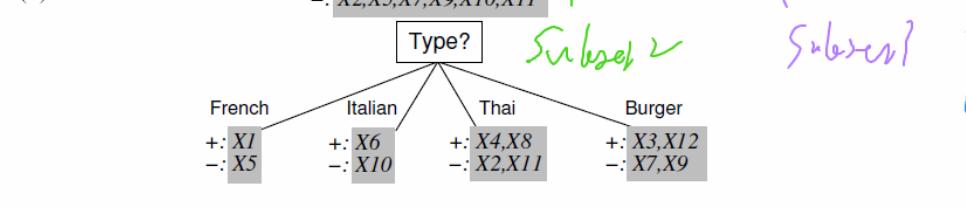
After Target

#	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12
1	Some	Full	None	Full	Full	Some	None	Full	Full	Full	None	Full
2	Full	None	Full	None	None	Full	Full	None	Full	Full	Full	None
3	None	Full	Full	None	None	Full						
4	Full	None	None	Full								
5	Full											
6	Some	None	Full									
7	None	Some	Full									
8	Some	Full										
9	Full											
10	Full											
11	None	Full										
12	Full											

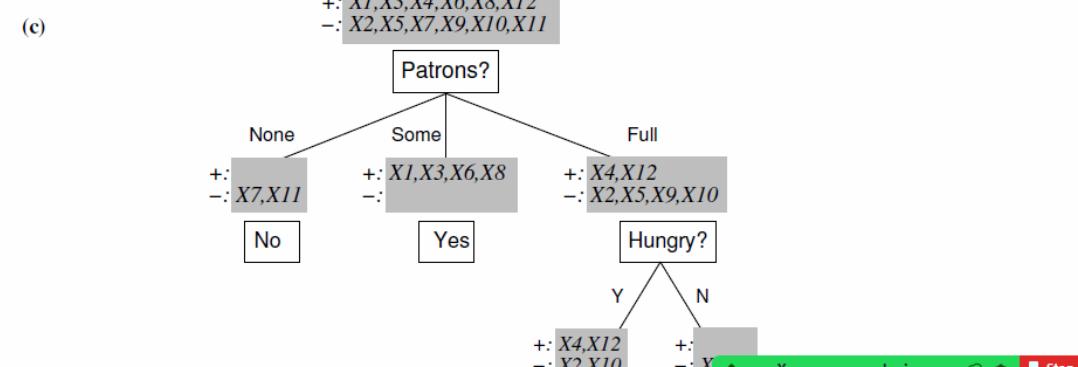
(a)



(b)

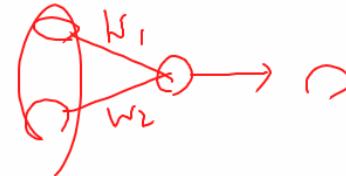


(c)





IG50
Perceptrons



Neural Networks

Neural networks is one particular form of learning from data.

- simple processing elements: called “units”, or “neurons”
- connective structure and associated connection weights
- learning: adaptation of connection weights

Neural networks mimic the human (or animal) nervous system.

IG75
2010~2012 DL

39



22 FALL CSCE 420 501: ARTIFICIAL NEURAL NETWORKS

A Neural Network Playground

playground.tensorflow.org/#activation=tanh&batchSize=10&dataset=gauss®Dataset=reg-plane&learningRate=0.03®ularizationRate=0&noise=0

Who can see what you share here? Recording On

Epoch: 000,000 | Learning rate: 0.03 | Activation: Tanh | Regularization: None | Regularization rate: 0 | Problem type: Classification

DATA: Which dataset do you want to use? (X₁, X₂)

FEATURES: Which properties do you want to feed in?

OUTPUT: Test loss 0.016 | Training loss 0.015

Ratio of training to test data: 50% | Noise: 0 | Batch size: 10 | REGENERATE

0 HIDDEN LAYERS

sin(X₁) | sin(X₂) | X₁ | X₂ | X₁² | X₂² | X₁X₂

Um, What Is a Neural Network?

It's a technique for building a computer program that learns from data. It is based on the principle that one is 2x2 is 0, and then target is zoom is positive. It works First, a

Choe, Yoonsuck

22 FALL CSCE 420 501: ARTIFICIAL NEURAL NETWORKS

A Neural Network Playground

playground.tensorflow.org/#activation=tanh&batchSize=10&dataset=gauss®Dataset=reg-plane&learningRate=0.03®ularizationRate=0&noise=0

Who can see what you share here? Recording On

Epoch: 000,000 | Learning rate: 0.03 | Activation: Tanh | Regularization: None | Regularization rate: 0 | Problem type: Classification

DATA: Which dataset do you want to use? (X₁, X₂)

FEATURES: Which properties do you want to feed in? (X₁, X₂, X₁², X₂², X₁X₂, sin(X₁), sin(X₂))

OUTPUT: Test loss 0.016, Training loss 0.015

Handwritten annotations:

- Blue arrows point from the "DATA" section to the feature selection area.
- A large blue arrow points from the "DATA" section to the output plot.
- Red annotations on the right side of the output plot include:
 - $X_1 = 2$, $X_2 = -3.5$
 - $X_1 = -2$, $X_2 = 0$
 - $X_1 = 0$, $X_2 = 3.5$
 - $X_1 = -3.5$, $X_2 = 0$
 - $X_1 = 0$, $X_2 = -3.5$

Um, What Is a Neural Network?

It's a technique for building a computer program that learns from data. It is based on how the human brain works. So that's the data set so let me think the human brain works. First, a

You are screen sharing

12:20 PM 11/3/2022

A Neural Network Playground

Who can see what you share here? Recording On

Epoch: 000,000 | Learning rate: 0.03 | Activation: Tanh | Regularization: None | Regularization rate: 0 | Problem type: Classification

DATA: Which dataset do you want to use? (Handwritten) x_1 x_2 x_1^2 x_2^2 x_1x_2 sin(x_1) sin(x_2)

FEATURES: Which properties do you want to feed in? (-4.7) x_1 x_2 x_1^2 x_2^2 x_1x_2 sin(x_1) sin(x_2)

HIDDEN LAYERS: 0

OUTPUT: Test loss 1.098 | Training loss 1.088

backgroun[?]

$x_1 = -4.7$ $x_2 = -5$

$x_1 = 2$ $x_2 = 0$

$x_1 = -2$ $x_2 = -3.5$

$x_1 = 1$ $x_2 = 1$

Colors shows data, neuron and weight values.

Show test data Discretize output

Um, What Is a Neural Network?

It's a tech Okay, so have you understood up to this point? Okay, is based Goodbosoely on how we think the human brain works First, a

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12:22 PM 11/3/2022

A Neural Network Playground

Who can see what you share here? Recording On

Epoch: 000,000 | Learning rate: 0.03 | Activation: Tanh | Regularization: None | Regularization rate: 0 | Problem type: Classification

DATA: Which dataset do you want to use? (Gauss, Reg-plane) Ratio of training to test data: 50% Noise: 0 Batch size: 10

FEATURES: Which properties do you want to feed in? (x_1 , x_2 , x_1^2 , x_2^2 , x_1x_2 , $\sin(x_1)$, $\sin(x_2)$)

OUTPUT: Test loss 1.098, Training loss 1.088. A scatter plot showing two classes of data points (red and blue) separated by a decision boundary. Handwritten annotations include red circles around data points, arrows pointing to specific points, and values like 0.5, 5.1, 0.25, and 0.45. A color bar at the bottom indicates values from -1 to 1.

Um, What Is a Neural Network?

It's a technique for building a computer program that learns from data. It is based loosely on how we think the human brain works. First, a

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A Neural Network Playground

Who can see what you share here? Recording On

Epoch: 000,000 | Learning rate: 0.03 | Activation: Tanh | Regularization: None | Regularization rate: 0 | Problem type: Classification

DATA: Which dataset do you want to use? (Gauss, Reg-plane) Ratio of training to test data: 50% Noise: 0 Batch size: 10

FEATURES: Which properties do you want to feed in? (x_1 , x_2 , x_1^2 , x_2^2 , x_1x_2 , $\sin(x_1)$, $\sin(x_2)$)

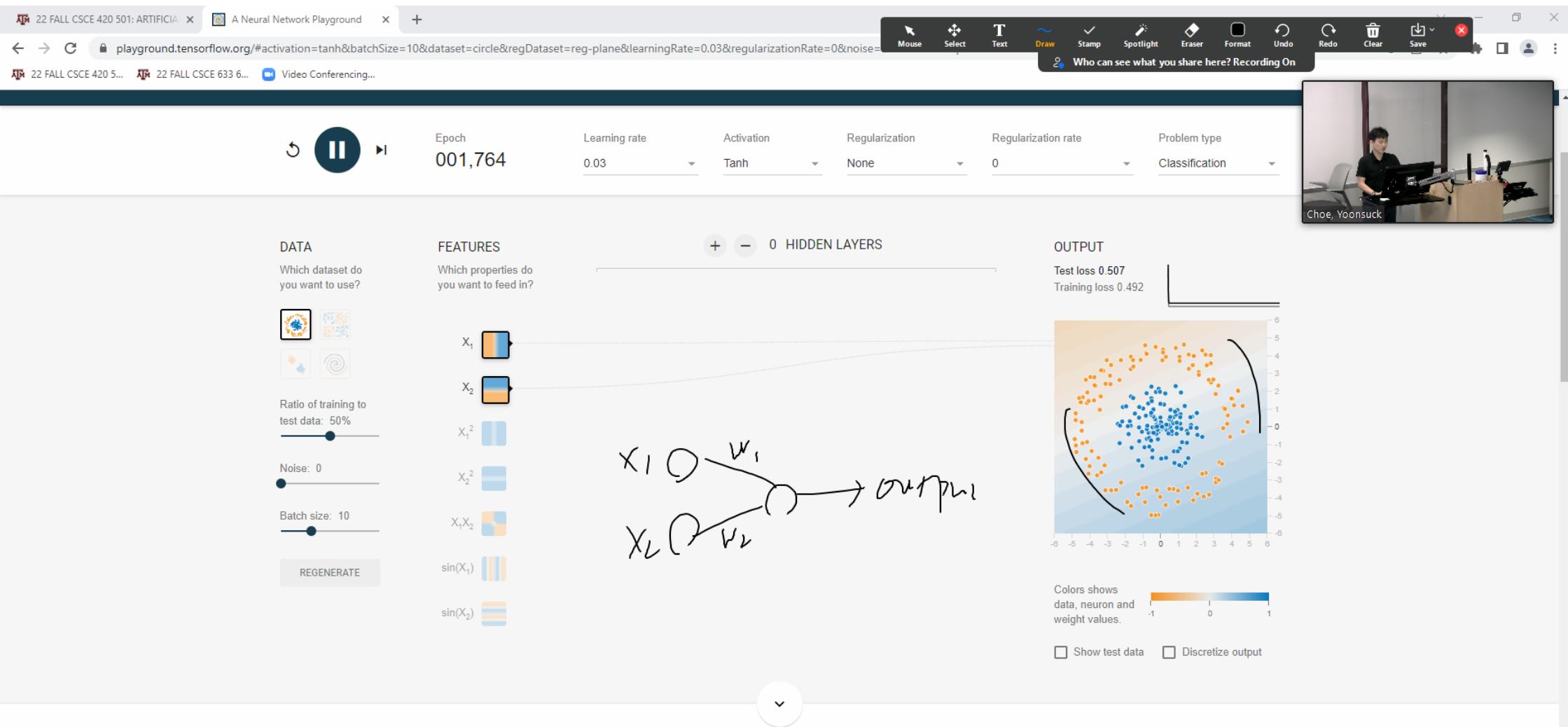
OUTPUT: Test loss 1.098, Training loss 1.088. Colors show data, neuron and weight values. (0.25, 0.25, 0.25)

Um, What Is a Neural Network?

It's a technique for building a computer program that learns from data. It is based loosely on how we think the human brain works. First, a

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Um, What Is a Neural Network?

It's a technique for building a computer program that learns from data. It is based ~~on~~ it's kind of on how we think the human brain works. First, a

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Alt
Target

#	X1	X2	X3	X4	X5	X6	X7	X8	X9	X10	X11	X12
1	Some	Full	Some	Full	Full	Some	Some	Full	Full	Full	Full	Full
2	Full	None	Full	None	None	Full	Full	None	None	None	None	None
3	Some	Full										
4	Full	None	Full									
5	Full											
6	Some	None	Full									
7	None	Some	Full									
8	Some	Full										
9	Full											
10	Full	None	Full									
11	None	Full										

Finding a Concise Decision Tree (cont'd)

(a)

+: $X_1, X_3, X_4, X_5, X_8, X_{12}$
-: $X_2, X_5, X_7, X_9, X_{10}, X_{11}$

Patrons?

None
+: X_7, X_{11}
-: X_2, X_5, X_9, X_{10}

Some
+: X_1, X_3, X_6, X_8
-: X_4, X_{12}

Full
+: $X_2, X_5, X_7, X_9, X_{10}, X_{11}$
-: $X_1, X_3, X_4, X_6, X_8, X_{12}$

(b)

+: $X_1, X_3, X_4, X_6, X_8, X_{12}$
-: $X_2, X_5, X_7, X_9, X_{10}, X_{11}$

Type?

French
+: X_1
-: X_5

Italian
+: X_6
-: X_{10}

Thai
+: X_4, X_8
-: X_2, X_{11}

Burger
+: X_3, X_{12}
-: X_7, X_9

(c)

+: $X_1, X_3, X_4, X_6, X_8, X_{12}$
-: $X_2, X_5, X_7, X_9, X_{10}, X_{11}$

Patrons?

None
+: X_7, X_{11}
-: X_2, X_5, X_9, X_{10}

Some
+: X_1, X_3, X_6, X_8
-: X_4, X_{12}

Full
+: X_2, X_5, X_9, X_{10}
-: $X_1, X_3, X_4, X_6, X_8, X_{12}$

No

Yes

Hungry?

Y
+: X_4, X_{12}
-: X_2, X_{10}

N
+: X_1
-: X_3

They give us this hint so I don't wanna just show you that actually this is e slide.

Mute Stop Video Security Participants Chat Polls New Share Pause Share Annotate Remote Control Apps More

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Constructing Decision Trees from Examples

Annotations on the table:

- Alt**: Handwritten label above the first column.
- Target**: Handwritten label above the last column.
- Attributes**: Handwritten label above the header row, pointing to the columns Alt, Bar, Fri, Hun, Pat, Price, Rain, Res, Type, Est.
- Goal**: Handwritten label above the last column.
- Some**, **Full**, **None**: Handwritten labels in the first column, corresponding to rows X1-X3, X4-X5, X6-X12 respectively.
- +**, **-**: Handwritten labels in the second column, corresponding to rows X1-X3, X4-X5, X6-X12 respectively.
- French**, **Thai**, **Burger**, **Italian**: Handwritten labels in the Type column.
- Yes**, **No**: Handwritten labels in the WillWait column.
- 10-30**, **>60**: Handwritten labels in the Est column.
- 30-60**: Handwritten label in the Est column for row X12.
- French**, **Thai**, **Burger**, **Italian**: Handwritten labels in the Type column for rows X1-X3.
- Yes**, **No**: Handwritten labels in the WillWait column for rows X1-X3.
- 10-30**, **>60**: Handwritten labels in the Est column for rows X4-X5.
- Yes**, **No**: Handwritten labels in the WillWait column for rows X4-X5.
- 30-60**: Handwritten label in the Est column for row X12.
- Yes**, **No**: Handwritten labels in the WillWait column for rows X6-X12.

#	Example	Attributes										Goal
		Alt	Bar	Fri	Hun	Pat	Price	Rain	Res	Type	Est	
X1		Yes	No	No	Yes	Some	\$\$\$	No	Yes	French	0-10	Yes
X2		Yes	No	No	Yes	Full	\$	No	No	Thai	30-60	No
X3		No	Yes	No	No	Some	\$	No	No	Burger	0-10	Yes
X4		Yes	No	Yes	Yes	Full	\$	No	No	Thai	10-30	Yes
X5		Yes	No	Yes	No	Full	\$\$\$	No	Yes	French	>60	No
X6		No	Yes	No	Yes	Some	\$\$	Yes	Yes	Italian	0-10	Yes
X7		No	Yes	No	No	None	\$	Yes	No	Burger	0-10	No
X8		No	No	No	Yes	Some	\$\$	Yes	Yes	Thai	0-10	Yes
X9		No	Yes	Yes	No	Full	\$	Yes	No	Burger	>60	No
X10		Yes	Yes	Yes	Yes	Full	\$\$\$	No	Yes	Italian	10-30	No
X11		No	No	No	No	None	\$	No	No	Thai	0-10	No
X12		Yes	Yes	Yes	Yes	Full	\$	No	No	Burger	30-60	Yes

Given a set of examples (**training set**), both **positive** and **negative**, the task is to construct a decision tree that describes a concise decision path.

Using the resulting decision tree, we want to **classify** new instances of examples (either as **yes** or **no**).



Constructing Decision Trees from Examples

Annotations on the left side of the table:

- Alt**: Handwritten label above the first column.
- Target**: Handwritten label above the last column.
- Attributes**: Handwritten label above the header row of the table.
- Class**: Handwritten label above the last column of the table.
- Positive**: Handwritten label with a green circle and a checkmark.
- Negative**: Handwritten label with a red circle and a minus sign.
- Some**: Handwritten label with an orange circle.
- Full**: Handwritten label with a purple circle.
- None**: Handwritten label with a yellow circle.
- French**: Handwritten label with a blue circle.
- Thai**: Handwritten label with a green circle.
- Burger**: Handwritten label with a red circle.
- Italian**: Handwritten label with a pink circle.

Table structure:

Example	Attributes										Goal WillWait
	Alt	Bar	Fri	Hun	Pat	Price	Rain	Res	Type	Est	
X1	Yes	No	No	Yes	Some	\$\$\$	No	Yes	French	0–10	Yes
X2	Yes	No	No	Yes	Full	\$	No	No	Thai	30–60	No
X3	No	Yes	No	No	Some	\$	No	No	Burger	0–10	Yes
X4	Yes	No	Yes	Yes	Full	\$	No	No	Thai	10–30	Yes
X5	Yes	No	Yes	No	Full	\$\$\$	No	Yes	French	>60	No
X6	No	Yes	No	Yes	Some	\$\$	Yes	Yes	Italian	0–10	Yes
X7	No	Yes	No	No	None	\$	Yes	No	Burger	0–10	No
X8	No	No	Yes	Yes	Some	\$\$	Yes	Yes	Thai	0–10	Yes
X9	No	Yes	Yes	No	Full	\$	Yes	No	Burger	>60	No
X10	Yes	Yes	Yes	Yes	Full	\$\$\$	No	Yes	Italian	10–30	No
X11	No	No	No	No	None	\$	No	No	Thai	0–10	No
X12	Yes	Yes	Yes	Yes	Full	\$	No	No	Burger	30–60	Yes

Given a set of examples (**training set**), both **positive** and **negative**, the task is to construct a decision tree that describes a concise decision path.

Using the resulting decision tree, we want to **classify** new instances of examples (either as **yes** or **no**).



Constructing Decision Trees from Examples

Annotations on the table:

- Alt**: Handwritten label above the column.
- Target**: Handwritten label above the row.
- Attributes**: Handwritten label above the columns.
- Goal**: Handwritten label above the last column.
- Classifications**: Handwritten labels (+, -, None, Some, Full) are placed next to each example row.
- Decision Tree**: A hand-drawn decision tree diagram on the right side of the table, branching into nodes labeled X1, X2, and X3.

Example	Attributes										Goal
	Alt	Bar	Fri	Hun	Pat	Price	Rain	Res	Type	Est	
X1	Yes	No	No	Yes	Some	\$\$\$	No	Yes	French	0–10	Yes
X2	Yes	No	No	Yes	Full	\$	No	No	Thai	30–60	No
X3	No	Yes	No	No	Some	\$	No	No	Burger	0–10	Yes
X4	Yes	No	Yes	Yes	Full	\$	No	No	Thai	10–30	Yes
X5	Yes	No	Yes	No	Full	\$\$\$	No	Yes	French	>60	No
X6	No	Yes	No	Yes	Some	\$\$	Yes	Yes	Italian	0–10	Yes
X7	No	Yes	No	No	None	\$	Yes	No	Burger	0–10	No
X8	No	No	No	Yes	Some	\$\$	Yes	Yes	Thai	0–10	Yes
X9	No	Yes	Yes	No	Full	\$	Yes	No	Burger	>60	No
X10	Yes	Yes	Yes	Yes	Full	\$\$\$	No	Yes	Italian	10–30	No
X11	No	No	No	No	None	\$	No	No	Thai	0–10	No
X12	Yes	Yes	Yes	Yes	Full	\$	No	No	Burger	30–60	Yes

Given a set of examples (**training set**), both **positive** and **negative**, the task is to construct a decision tree that describes a concise decision path.

Using the resulting decision tree, we want to **classify** new instances of examples (either as **yes** or **no**).

Finding a Concise Decision Tree (cont'd)

(a)

+: $X_1, X_3, X_4, X_6, X_8, X_{12}$
-: $X_2, X_5, X_7, X_9, X_{10}, X_{11}$

Patrons?

None

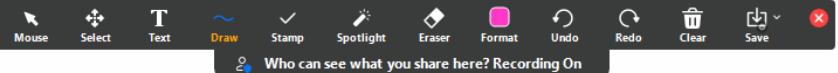
Some

Full

+: $X_1, X_3, X_4, X_6, X_8, X_{12}$
-: $X_2, X_5, X_7, X_9, X_{10}, X_{11}$

+: X_1, X_3, X_6, X_8
-: X_7, X_{11}

+: X_4, X_{12}
-: X_2, X_5, X_9, X_{10}



Who can see what you share here? Recording On



(empty)

s

Uncertain

hye don
uncertainty

(b)

+: $X_1, X_3, X_4, X_6, X_8, X_{12}$
-: $X_2, X_5, X_7, X_9, X_{10}, X_{11}$

Type?

French Italian Thai Burger

+: X_1
-: X_5

+: X_6
-: X_{10}

+: X_4, X_8
-: X_2, X_{11}

+: X_3, X_{12}
-: X_7, X_9

(c)

+: $X_1, X_3, X_4, X_6, X_8, X_{12}$
-: $X_2, X_5, X_7, X_9, X_{10}, X_{11}$

Patrons?

None

Some

Full

+: X_7, X_{11}
-: X_1, X_3, X_6, X_8

No

Yes

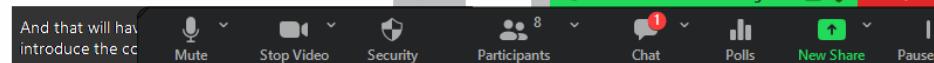
Hungry?

Y

N

+: X_4, X_{12}
-: X_2, X_{10}

+: X_1
-: X_3



And that will have introduced the concept of decision trees.

info gained
 $\Sigma \eta = h$
= D.O



Finding a Concise Decision Tree (cont'd)

