# LSTM in Pytorch with Temporal Data - Lab -

Matteo Boschini, Lorenzo Bonicelli, Angelo Porrello, Emanuele Frascaroli, Aniello Panariello

# Agenda

- Jena Weather Dataset
- RNNs & LSTMs
- Build your LSTM-based model
- Train your LSTM-based model

Notebook link: <a href="https://shorturl.at/xAl37">https://shorturl.at/xAl37</a>

#### Jena Weather

#### **Dataset**

For today's lab session, we will use an openly available weather data: the <u>Jena Weather Analysis dataset</u>.

It includes 10-minute recordings of multiple weather parameters for the German city of Jena, including:

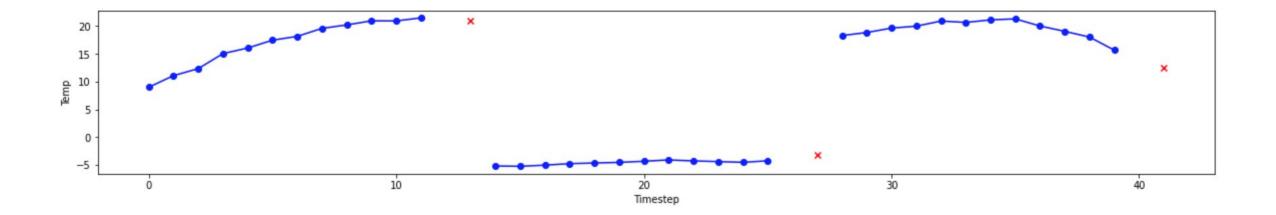
- Temperature
- Dew Point
- Relative Humidity
- Vapor Pressure
- Atmospheric Pressure
- Wind Speed
- •

#### Jena Weather

#### **Dataset**

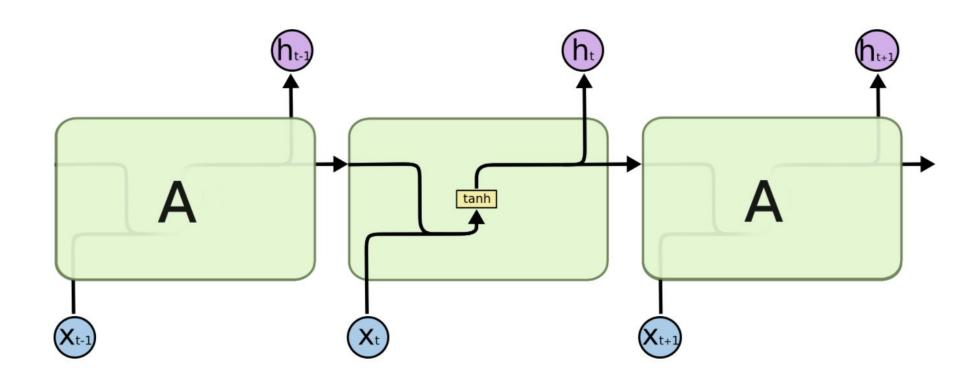
We will design a model that

- Receives a 12 hourly recordings of 19 weather variables
- Forecasts the temperature two hours into the future



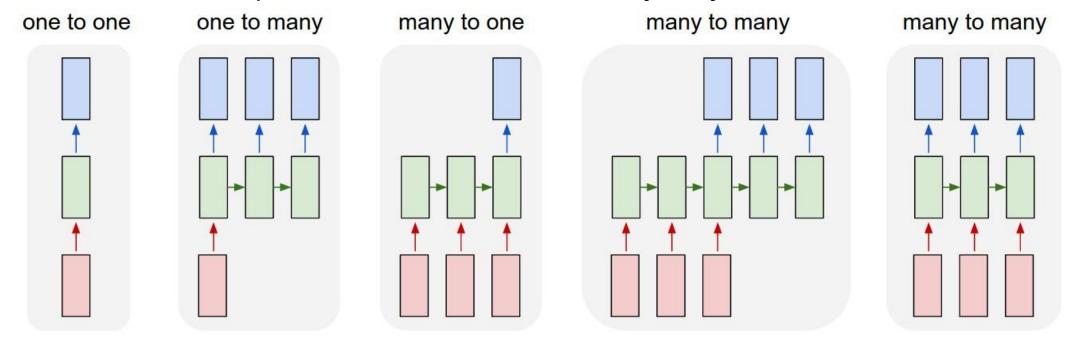
#### **Recurrent Neural Networks**

- Handle sequential data in an optimized manner
- Operation is similar to a state-machine
- Information on previous timesteps is encapsulated in the hidden state



# Modes of operation

As we deal with sequential data, there are many ways we can use RNNs

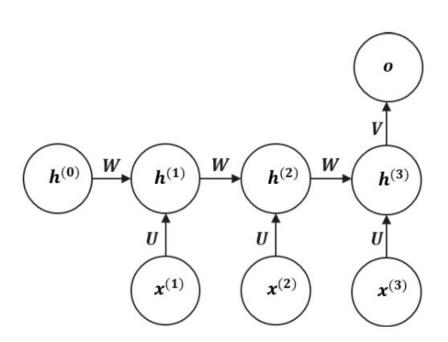


What is our configuration for today's task?

Mong to some. We wont to predict a new possible timestip for a fiven temporal series

## **Backpropagation Through Time**

- When applying backpropagation, we must unroll the computational graph
- Long-term dependencies are problematic (vanishing gradients)!



• 
$$\frac{\partial L}{\partial \mathbf{V}} = \frac{\partial L}{\partial \mathbf{o}} \frac{\partial \mathbf{o}}{\partial \mathbf{V}}$$

• 
$$\frac{\partial L}{\partial \mathbf{W}} = \frac{\partial L}{\partial \mathbf{o}} \frac{\partial \mathbf{o}}{\partial \mathbf{h}^{(3)}} \sum_{k=0}^{3} \left( \frac{\partial \mathbf{h}^{(3)}}{\partial \mathbf{h}^{(k)}} \frac{\partial \mathbf{h}^{(k)}}{\partial \mathbf{W}} \right)$$

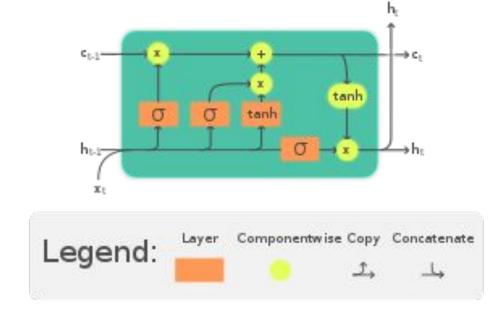
• 
$$\frac{\partial L}{\partial \mathbf{U}} = \frac{\partial L}{\partial \mathbf{o}} \frac{\partial \mathbf{o}}{\partial \mathbf{h}^{(3)}} \sum_{k=0}^{3} \left( \frac{\partial \mathbf{h}^{(3)}}{\partial \mathbf{h}^{(k)}} \frac{\partial \mathbf{h}^{(k)}}{\partial \mathbf{U}} \right)$$

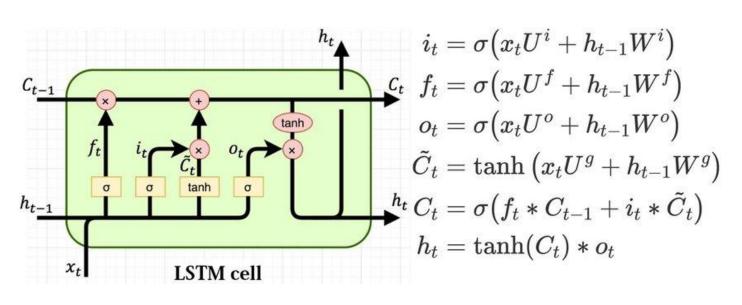
## **Long-Short Term Memory**

#### **Networks**

To compensate for this issue, we introduce LSTMs:

- They facilitate the flow of gradients through their hidden states
- Dual-track cell structure: cell state (gradient superhighway) + hidden state (output)
- Forget, input & output gates regulate the information flow from/to cell state
- Sigmoids vs tanhs!





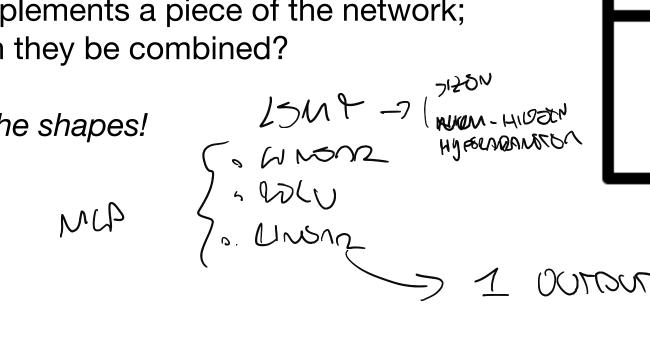
# **Defining our model**

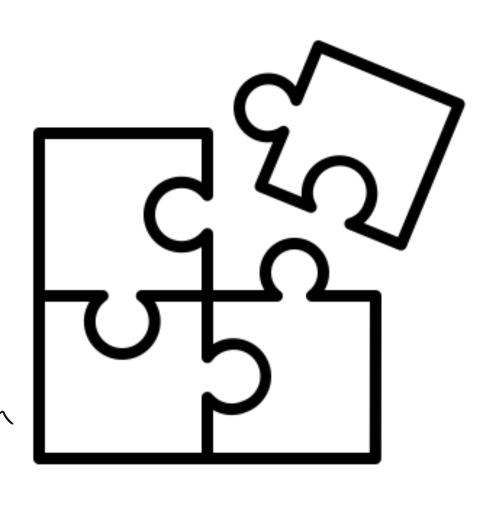
To build our model, we will need to combine the following classes today:

- torch.nn.Linear
- torch.nn.LSTM
- torch.nn.ReLU

Each implements a piece of the network; how can they be combined?

Follow the shapes!





1 outour for series

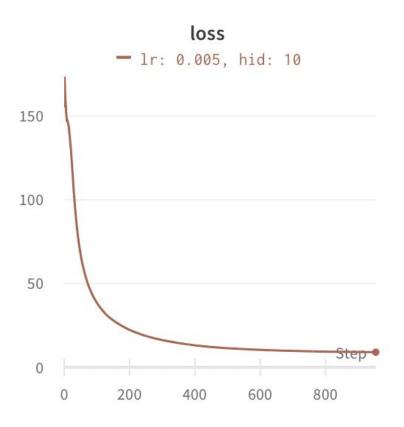
## **Training our model**

To train our model, we:

- Feed it randomly shuffled sequences of data
- Ask it to guess the corresponding target temperature
- Compute the error (loss)
- Back-propagate the loss through the network
- Adjust parameters accordingly
- goto 1!

When do we stop?





#### **Error Measures**

The way we compute errors is a crucial part of the training procedure:

- Cross-Entropy Loss  $\ell(x,y) = L = \{l_1,\ldots,l_N\}^ op, \quad l_n = -w_{y_n}\log\frac{\exp(x_{n,y_n})}{\sum_{c=1}^C\exp(x_{n,c})}$  Mean Square Error  $\ell(x,y) = L = \{l_1,\ldots,l_N\}^ op, \quad l_n = (x_n-y_n)^2$
- Mean Absolute Error (L1loss)  $\ell(x,y) = L = \{l_1,\ldots,l_N\}^ op, \quad l_n = |x_n y_n|$

What can we use for the task at hand? Why?

Seconde uer wont the jorg thout more mong for it is y-ones from ground troth (we don't need occuracy or evolutions consults)

## Tweaking Hyperparameters

Our model seems to be working, but can we do better?

- Trying out different optimizers
- Testing out different hidden sizes
- Changing the learning rate
- Learning rate scheduling