Adiabatic Quantum Computation at D-Wave Systems Inc.

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MA 591 Special Topics in Quantum Computation



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Outline

Adiabatic Quantum Computation

Adiabatic Theorem
Application of Adiabatic Theorem

D-Wave

D-Wave

Background Chimera C4 Chip Applications

Controversy

Is it Really a Quantum Computer? Complexity Theory



Outline

Adiabatic Quantum Computation

Adiabatic Theorem

Application of Adiabatic Theorem

Chimera C4 Chip

Applications



Adiabatic Theorem

Adiabatic Theorem

Max Born and Vladimir Fock (1928)

A physical system remains in its instantaneous eigenstate if a given perturbation is acting on it slowly enough and if there is a gap between the eigenvalue and the rest of the Hamiltonian's spectrum.

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Application of Adiabatic Theorem

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Chimera C4 Chip **Applications**



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Application

- ▶ Start with $|\psi(0)\rangle$ as the ground state of $\mathcal{H}(0)$.
- Quantum systems evolve according to the Schrödinger equation.

$$i\frac{d}{dt}|\psi(t)\rangle = \mathcal{H}(t)|\psi(t)\rangle$$

If there is a non-zero gap between $|\psi(0)\rangle$, the ground state, and the next lowest energy level as long as $\mathcal{H}(t)$ varies slowly enough (i.e. little energy is added to the system) $|\psi(t)\rangle$ will remain close to the instantaneous ground state of $\mathcal{H}(t)$.



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The Magic

- ► Encode the solution in the ground state of a problem Hamiltonian \mathcal{H}_P .
 - ▶ Specifying \mathcal{H}_P is easy but finding its ground state is difficult.
- ► Choose an initial Hamiltonian \mathcal{H}_B whose ground state is easy to find.
- Construct the system:

$$\mathcal{H}(t) = (1 - t/T)\mathcal{H}_B + (t/T)\mathcal{H}_P$$

Where T is a parameter to control the rate at which $\mathcal{H}(t)$ varies. Normalized to $\tilde{\mathcal{H}}(s)$, $0 \le s \le 1$:

$$\mathcal{\tilde{H}}(s) = (1-s)\mathcal{H}_B + s\mathcal{H}_F$$

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The Magic

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Outline

Adiabatic Theorem Application of Adiabatic Theorem

D-Wave

D-Wave

Background

Chimera C4 Chip **Applications**



History

- Founded in 1999 by:
 - Haig Farris
 - Geordie Rose (CTO)
 - Bob Wiens (former CFO)
 - Alexandre Zagoskin (Chief Scientist)
- Started as an off-shoot of the University of British Columbia funding academic research in quantum computing.
- Currently located in Burnaby, British Columbia.



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D-Wave

Goals

- Find low cost solutions to Quadratic Unconstrained Binary Optimization (QUBO) problems.
 - arXiv:quant-ph/0001106v1 3-SAT
 - NPC controversy
- Equivalent to finding low energy states of classical Ising Hamiltonian:

$$\mathcal{H} = \sum_{i} h_{i} \sigma_{zi} + \sum_{ij} J_{ij} \sigma_{zi} \sigma_{zj}$$

Find a reasonable way to do it



Outline

Adiabatic Theorem Application of Adiabatic Theorem

D-Wave •0000

D-Wave

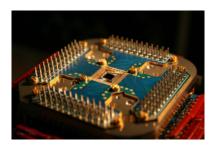
Chimera C4 Chip

Applications





Infrastructure

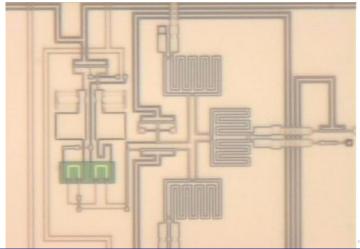


- Superconducting metals operating at ultra low temperatures
- Manufactured with existing fabrication techniques





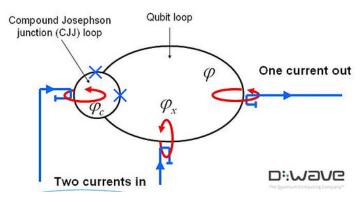
The Qubit





Schematic

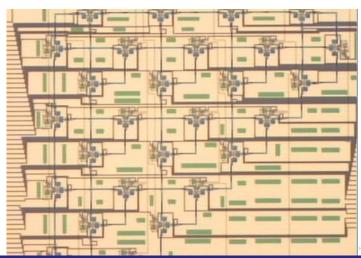
Device schematic: Niobium CJJ RF-SQUID flux qubit







System



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Outline

Adiabatic Theorem Application of Adiabatic Theorem

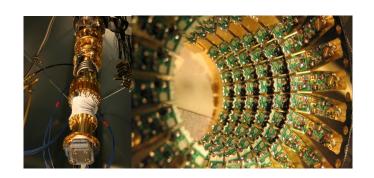
D-Wave

Chimera C4 Chip **Applications**



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Orion



- 16 qubit System
 - www.apps.dwavesys.com
 - Orion web services API



D-Wave

Applications

Google's Interest

- Image matching
 - Google Goggles
 - Face Recognition
- Machine learning
 - Recognizing cars



Controversy

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Complexity Theory



Controversy

Is it Really a Quantum Computer?

DiVincenzo

- 1. A scalable physical system with well characterized gubits
- 2. The ability to initialize state
- 3. Long relevant decoherence times
- 4. Universal set of quantum gates
- 5. The ability to measure specific quibits



Adiabatic Quantum Computation

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Adiabatic Theorem Application of Adiabatic Theorem

Chimera C4 Chip **Applications**

Controversy

Complexity Theory



P == NP?

Adiabatic Quantum Computation

- ► QUBQ ⊃ P
- Goldstone, Gutmann, and Sipser adiabatic algorithmic solution for 3-SAT
- Aharonov, van Dam, et al adiabatic quantum computation is equivalent to standard computation (NMR)
- Problems with simulated annealing
 - QUBO solutions are only NP-Hard



Summary

 Adiabatic quantum computating is feasible with current manufacturing techniques and because of long decoherence times.

D-Wave

- The Chimera C4 chip has been demonstrated successfully.
- The actual quantum nature of the system is controversial.
- Outlook
 - D-Wave has yet to produce a fully entangled system due to bus connectivity issues.
 - The backend of Orion is still a simulation but should be up and running soon.



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More Resources I



D. Aharonov, W. vanDam, J. Kempe, Z. Landau, S. Lloyd,

O. Regev

Adiabatic Quantum Computation is Equivalent to Standard Quantum Computation.

arXiv:guant-ph/0405098v2,2005.



D. DiVincenzo.

The Physical Implementation of Quantum Computation. arXiv:guant-ph/0002077v3,2000.



E. Farhi, J. Goldstone, S. Gutmann, M. Sipser Quantum Computation by Adiabatic Evolution. arXiv:guant-ph/0001106v1,2000.

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More Resources II



R. Harris et al.

Experimental Demonstration of a Robust and Scalable Flux Qubit

arXiv:0909.4321v1 [cond-mat.supr-con],2009.



H. Neven

Machine Learning with Quantum Algorithms http://googleresearch.blogspot.com/2009/12/machine-learning-with-quantum.html,2009.



G. Rose rose.blog

http://dwave.wordpress.com/

More Resources III



H. Neven, G. Rose
Google Tech Talks: Quantum Computing
http://www.youtube.com/watch?v=I56UugZ₈DIfeature = channel, 2007.



D-Wave Systems Inc. http://www.dwavesys.com/

