

Modelling astrocyte functions with NEST

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What are glial cells?

Glial cells are **non-neuronal cells** in the central and peripheral nervous system that contribute to various functions in the developing and adult brain.

Types of glial cells:

Schwann cells – Axonal conduction

Oligodendrocytes – Axonal conduction

Astrocytes – Neuronal and vascular control

Microglia - Maintenance

Ependymal cells – Cerebrospinal fluid control

Radial glia – Guidance of neuronal development

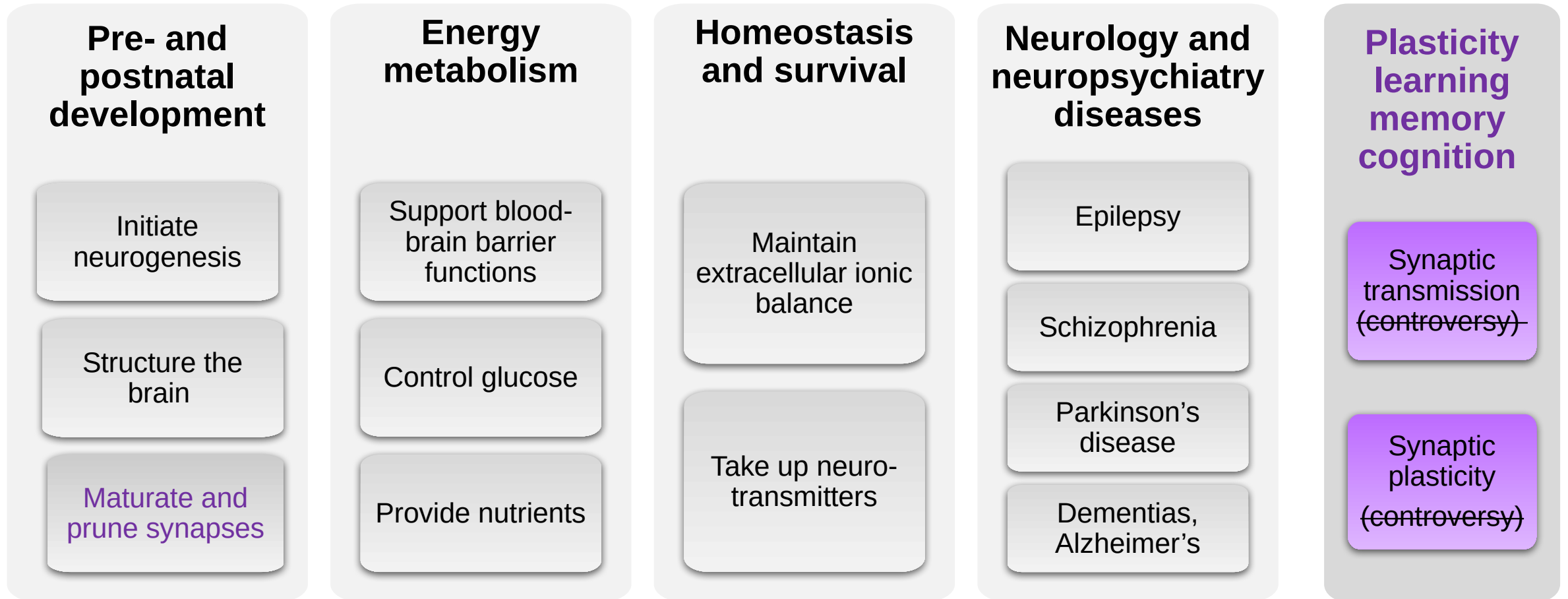
NG2 glia – "Multipotent" cells



Discovered by a pathologist
Rudolf Virchow in 1856.

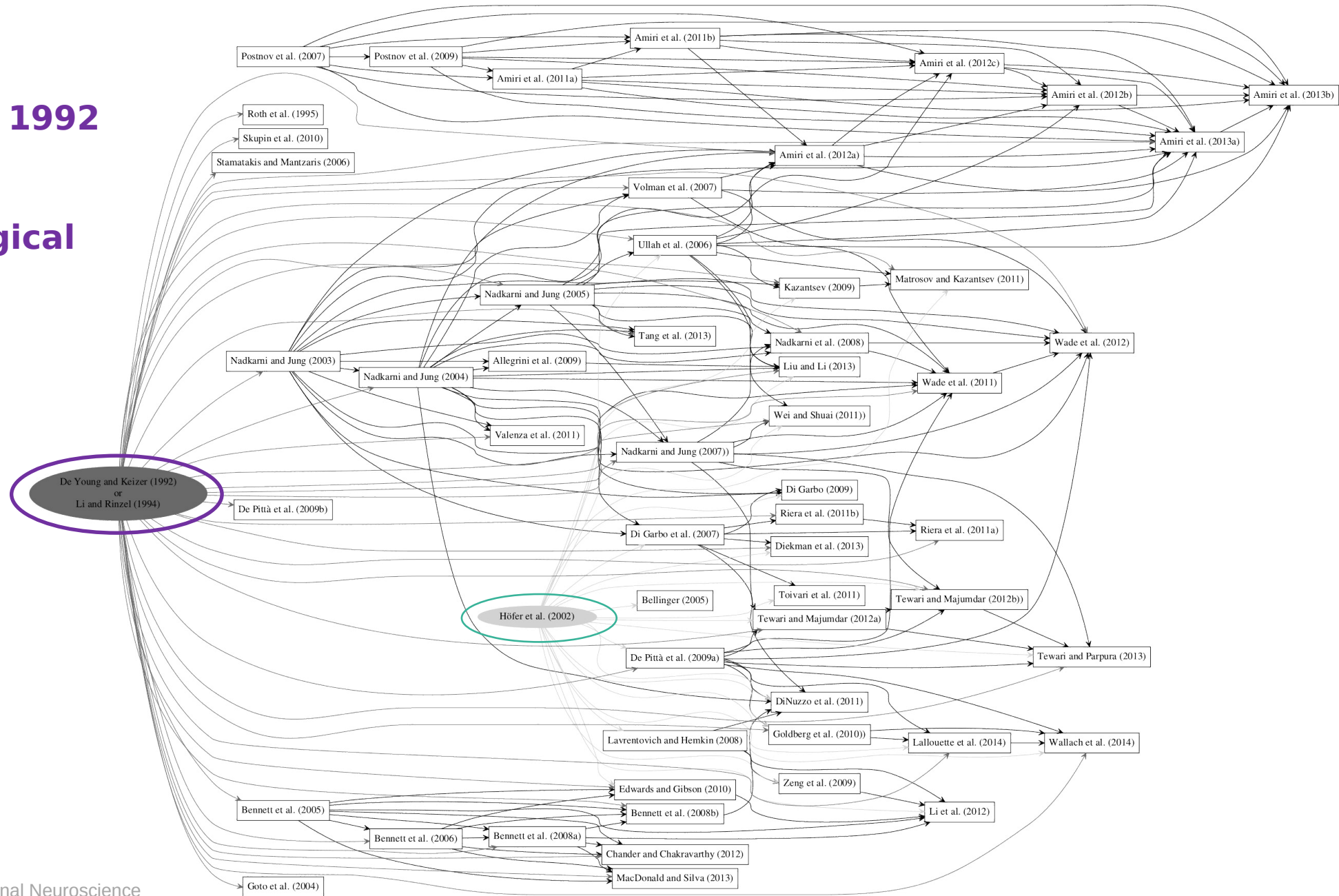
Glial complexity and number increases with the overall complexity of the nervous system.

Astrocytes have important roles in many brain functions



De Young and Keizer 1992
Li and Rinzel 1994

(more phenomenological
than Höfer et al.)

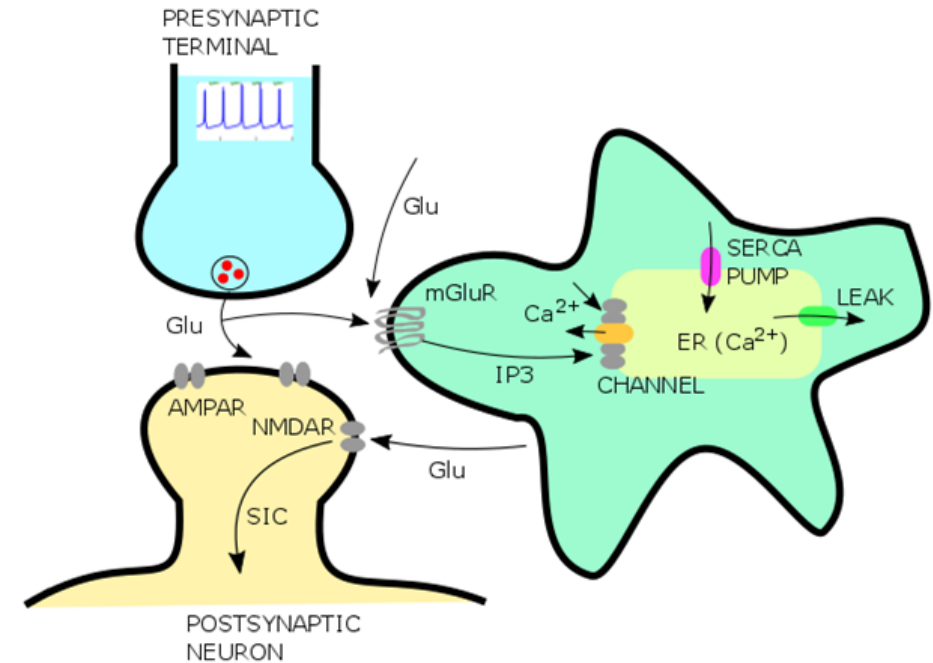


Höfer et al. 2002

(more biophysical)

Modelling Slow Inward Current (SIC)

- Modelled astrocyte components (dynamic states):
 - Cytosolic calcium $[Ca^{2+}]_c(t)$
 - Free Inositol Trisphosphate (IP3) $[IP3](t)$
 - Fraction of open IP3 receptor channels h
- The total amount of calcium in astrocyte is fixed
- SIC is given as a logarithmic transformation from a scaled $[Ca^{2+}]_c(t)$



See Refs.

Young&Keizer (1992) Proceedings of National Academy of Sciences,
 Li&Rinzel (1994) Journal of Theoretical Biology,
 Nadkarni&Jung (2003) Physical Review Letters

Calcium dynamics in astrocyte

IP3 concentration: $\frac{d[IP3](t)}{dt} = \frac{[IP3]_0 - [IP3](t)}{\tau_{IP3}} + r_{IP3}\delta(t - t_{spike})$

Cytosolic calcium: $\frac{d[Ca^{2+}]_c(t)}{dt} = -J_{SERCA} + J_{LEAK} + J_{CICR}$

Calcium currents: $J_{SERCA} = v_{SERCA}^{max} \frac{[Ca^{2+}]_c^2(t)}{[Ca^{2+}]_c^2(t) + K_{SERCA}^2}$

$J_{LEAK} = v_{LEAK}([Ca^{2+}]_{ER} - [Ca^{2+}]_c(t))$

$J_{CICR} = v_{CICR}n_{\infty}^3m_{\infty}^3h^3(t)([Ca^{2+}]_{ER} - [Ca^{2+}]_c(t))$

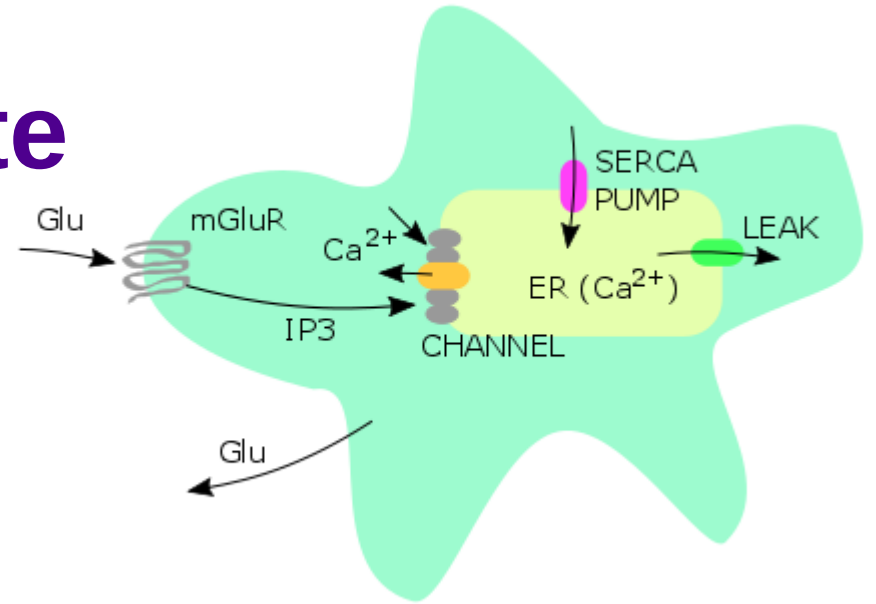
IP3R gating variable: $\frac{dh}{dt} = \alpha(1 - h) - \beta h$

Intermediate variables: $m_{\infty} = \frac{[IP3](t)}{[IP3](t) + K_{IP3,1}}$

$n_{\infty} = \frac{[Ca^{2+}]_c(t)}{[Ca^{2+}]_c(t) + K_{act}}$

$\beta = v_{IP3R}[Ca^{2+}]_c(t)$

$\alpha = v_{IP3R}K_{inh} \frac{[IP3](t) + K_{IP3,1}}{[IP3](t) + K_{IP3,2}}$

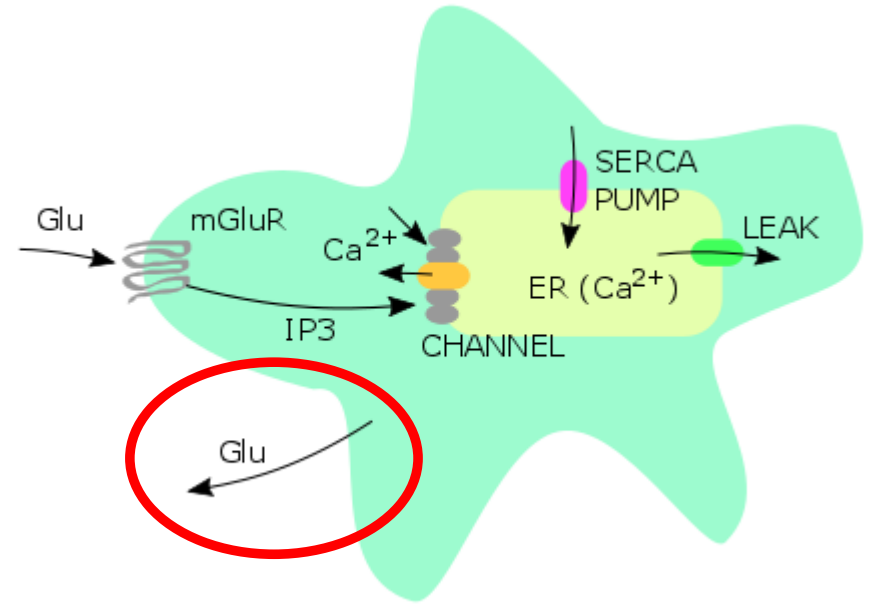


SIC to postsynaptic neuron

SIC from astrocyte to postsynaptic neuron is modelled as a logarithm of a scaled calcium (Nadkarni&Jung, 2003):

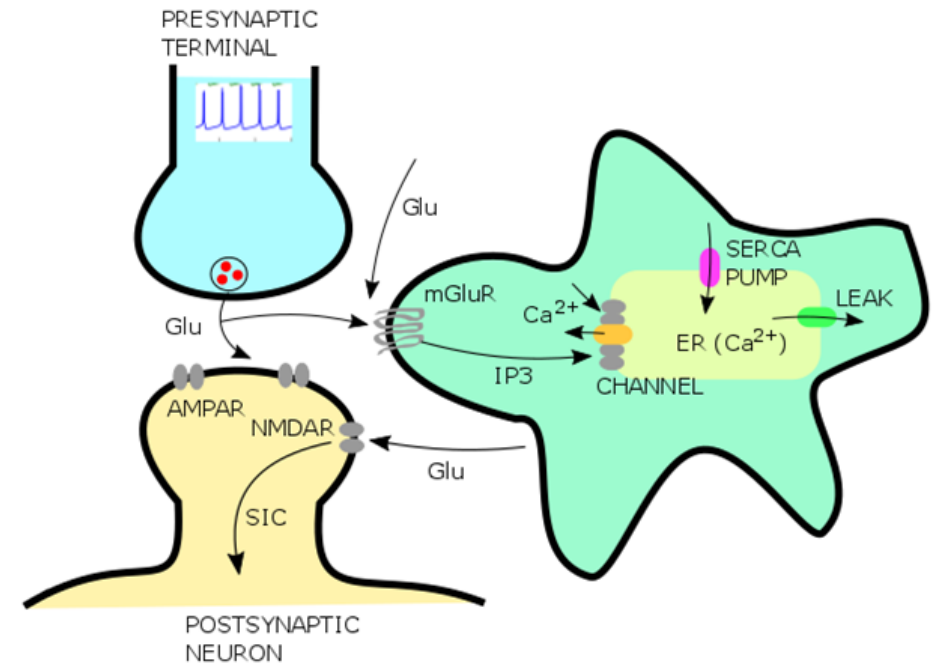
$$I^{\text{SIC}} = a\Theta(\ln(y)) \ln(y)$$

$$y = \frac{[\text{Ca}^{2+}]_c(t) - b}{1 \text{ nM}}$$



Model in brief

- 1) Presynaptic excitatory spike releases glutamate which activates free IP3 production in astrocyte.
- 2) IP3 opens SERCA channel which releases calcium from ER to cytosol
- 3) Cytosolic calcium induces glutamate release to perisynaptic areas of the postsynaptic neuron.
- 4) Perisynaptic NMDA receptors are activated and SIC is generated.



Notebooks outlook

- | | |
|----------------------------------|---|
| 1) astrocyte_single.ipynb | - calcium dynamics in astrocyte |
| 2) astrocyte_interaction.ipynb | - single astrocyte interacting with pre- and postsynaptic neurons |
| 3) astrocyte_small_network.ipynb | - exploring different coupling rules |
| 4) astrocyte_brunel.ipynb | - balanced network simulation with astrocytes |