

stats_c183_hw2_Charles_Liu

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Setting up for Problem 4:

```
inverse_Q <- matrix(c(166.21139, -22.40241, -22.40241, 220.41076), nrow = 2, ncol = 2)
inverse_Q # solve(Q) = inverse of Covmat of Q
```

```
##           [,1]      [,2]
## [1,] 166.21139 -22.40241
## [2,] -22.40241 220.41076
ones <- rep(1, 2)
```

4a)

```
X_numerator <- inverse_Q %*% ones
X_denominator <- t(ones) %*% inverse_Q %*% ones # = 341.8173
X <- X_numerator/341.8173

# Composition of Minimum Risk Portfolio:
X
```

```
##           [,1]
## [1,] 0.4207188
## [2,] 0.5792812
```

4b)

```
sigma_min <- 0.05408825
R_bar_min <- 0.01315856
R_bar_B <- 0.01219724
R_f <- 0.011

R_B <- R_bar_min - (R_f * ones)
X_B_numerator <- inverse_Q %*% R_B
X_B_denominator <- t(ones) %*% inverse_Q %*% R_B # = 0.7378332
X_B <- X_B_numerator/0.7378332

# Composition of Portfolio B in terms of Portfolio A and Risk Free Asset:
X_B
```

```
##           [,1]
## [1,] 0.4207188
```

[2,] 0.5792812

4c)

Given this level of risk (0.03), you can do better for Expected Returns for Portfolio B because any portfolio on the Capital Allocation Line (CAL) will yield a higher return for the same amount of risk. The CAL is just above the Minimum Risk Portfolio and attached to the Point of Tangency (G) for the Risk Free Asset. Essentially, yes you can do better Expected Returns for a lower amount of risk (i.e. #4b has risk of 0.01219724).