

COEN 317: Distributed Systems
Spring 2020
Homework Assignment 3
Due: Tuesday, 6/2/2020 @11:59pm

- 1) In a certain system, each process typically uses a critical section many times before another process requires it. Explain why Ricart and Agrawala's mutual exclusion algorithm is inefficient for this case, and describe how to improve its performance.
- 2) In the Bully algorithm, a recovering process starts an election and will become the new coordinator if it has a higher identifier than the current incumbent. Is this a necessary feature of the algorithm?
- 3) A distributed system may have multiple, independent critical regions. Imagine that process 0 wants to enter critical region A and process 1 wants to enter critical region B. Can Ricart and Agrawala's algorithm lead to deadlocks? Explain your answer.
- 4) Consider a deadlock detection scheme for a single server. Describe precisely when edges are added to and removed from the wait-for-graph. Illustrate your answer with respect to the following transactions T, U and V at the server:

T	U	V
<i>Write(i, 55)</i>	<i>Write(i, 66)</i>	
	<i>Commit</i>	<i>Write(i, 77)</i>

When U releases its write lock on a_i , both T and V are waiting to obtain write locks on it. Does your scheme work correctly if T (first come) is granted the lock before V? If your answer is 'No', then modify your description.

- 5) The transactions T and U at the server are defined as follows:

T: $x := \text{Read}(i)$; $\text{Write}(j, 44)$;

U: $\text{Write}(i, 55)$; $\text{Write}(j, 66)$;

Initial values of a_i and a_j are 10 and 20. Which of the following interleavings are serially equivalent and which could occur with two-phase locking?

(a)	<table border="1"><tr><td>T</td><td>U</td></tr><tr><td>$x := \text{Read}(i);$</td><td>$\text{Write}(i, 55);$</td></tr><tr><td>$\text{Write}(j, 44);$</td><td>$\text{Write}(j, 66);$</td></tr></table>	T	U	$x := \text{Read}(i);$	$\text{Write}(i, 55);$	$\text{Write}(j, 44);$	$\text{Write}(j, 66);$	(b)	<table border="1"><tr><td>T</td><td>U</td></tr><tr><td>$x := \text{Read}(i);$</td><td>$\text{Write}(i, 55);$</td></tr><tr><td>$\text{Write}(j, 44);$</td><td>$\text{Write}(j, 66);$</td></tr></table>	T	U	$x := \text{Read}(i);$	$\text{Write}(i, 55);$	$\text{Write}(j, 44);$	$\text{Write}(j, 66);$
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