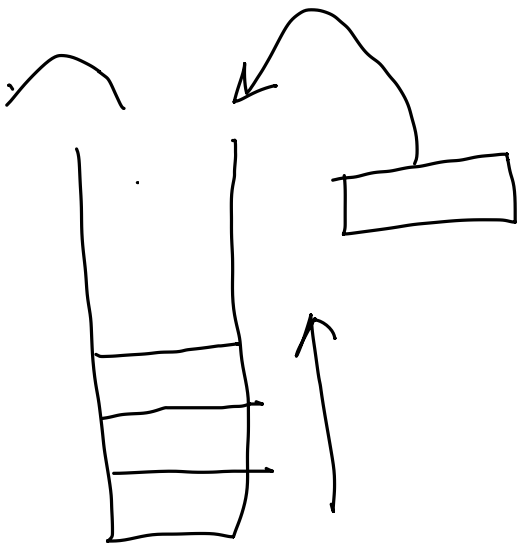


Stack

- Stack
 - Applications
 - Implementation
 - Keeping minimum in Stack
 - Brackets Sequence
-

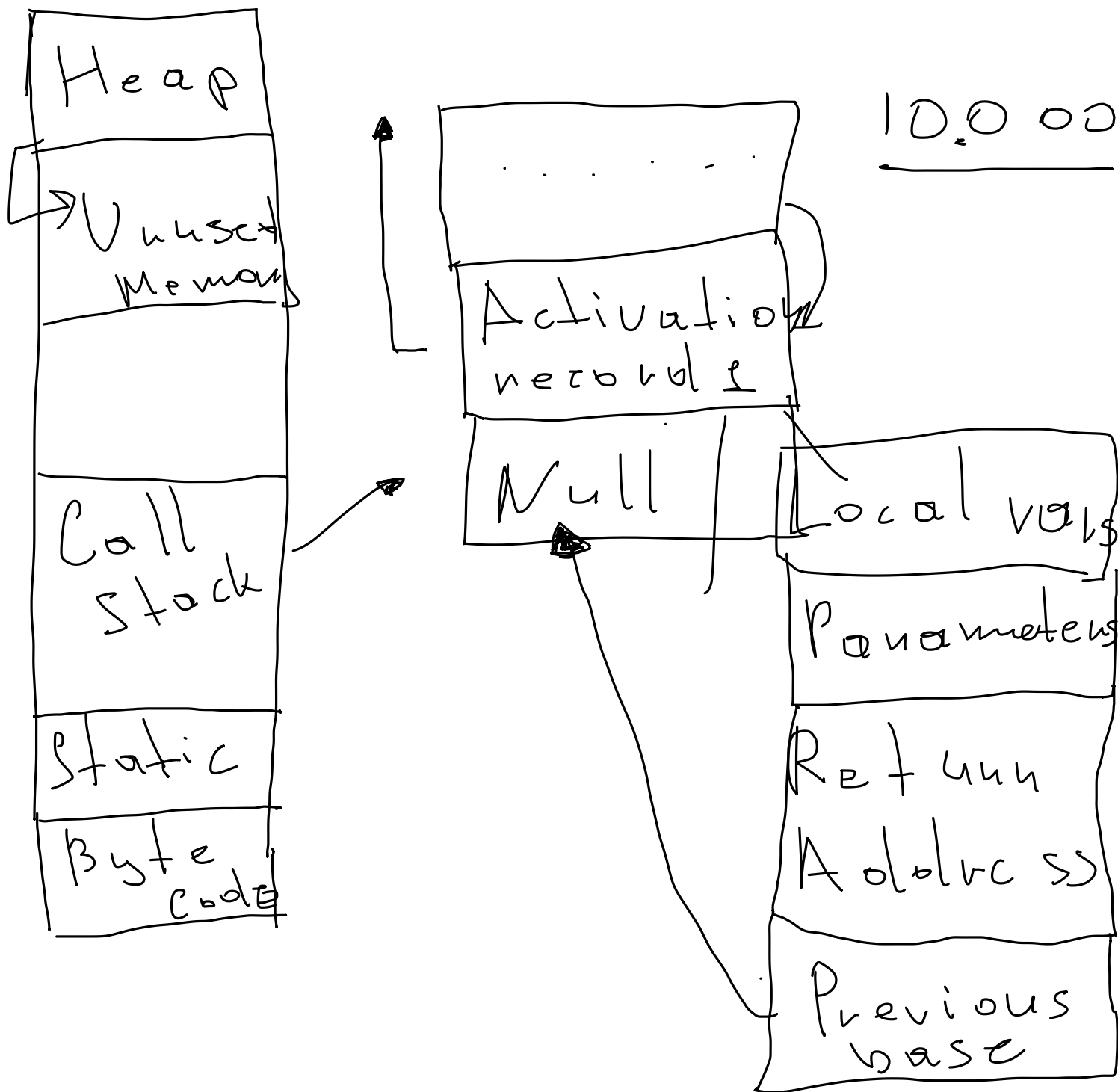
Stack

LIFO - Last in First Out



- push(x)

- pop()



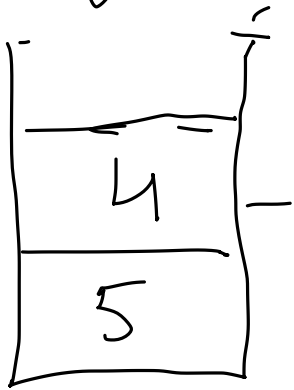
2 Application

$$5 + ((143 * 555) + 3)) * (8 + 7) =$$

Inverse Polish Notation

$$53+ = 5+3$$

$$531(\oplus)+$$



$$1 + 3 = 4$$

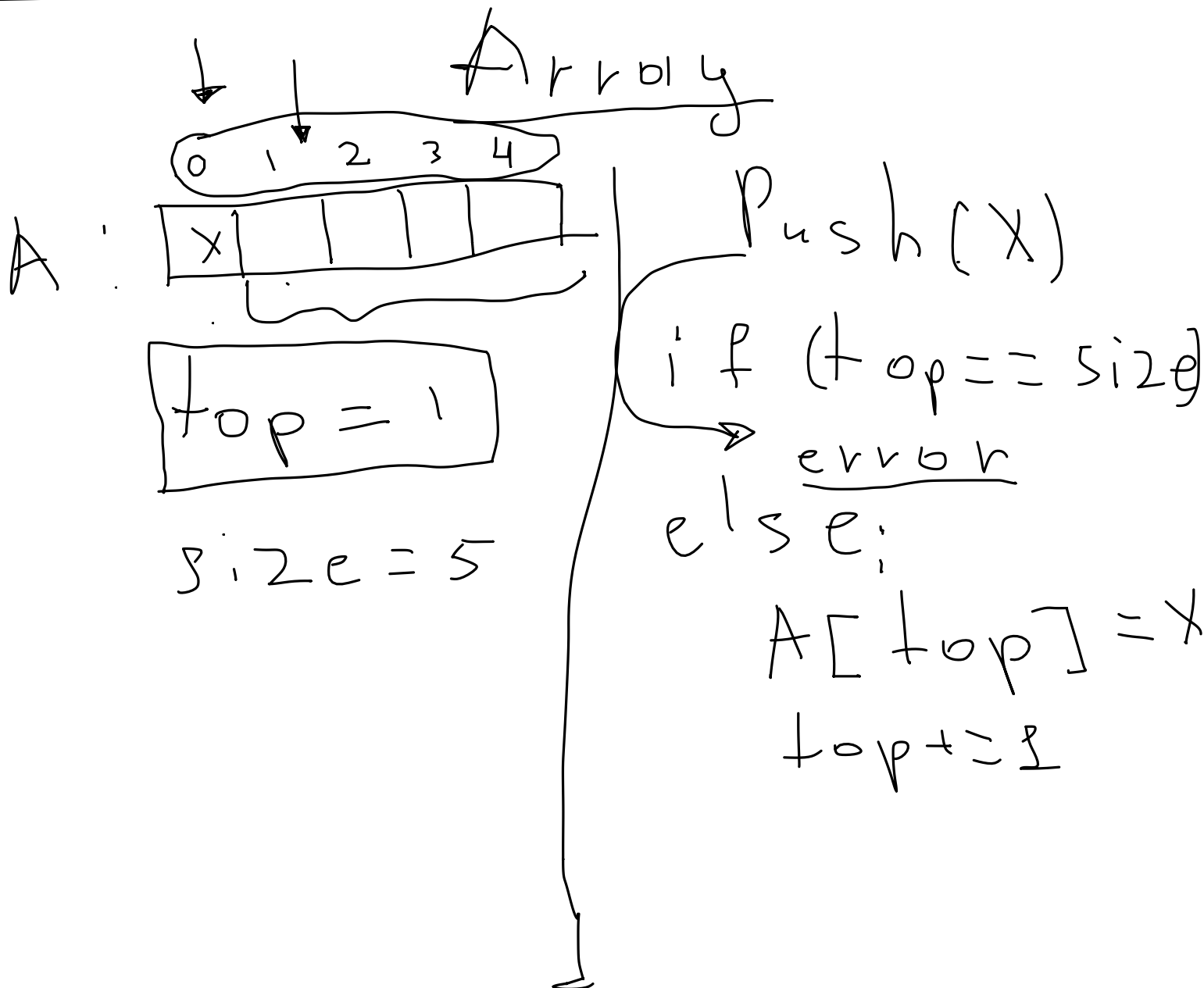
$$4 + 5 = 9$$

$$\underline{531 * +} = (3 * 1) + 5$$

3

Implementation

- Array \rightarrow
- Linked List \rightarrow



Pop():

if $top == 0$:

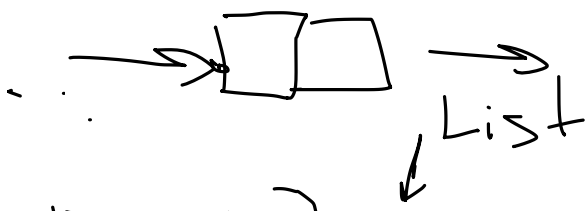
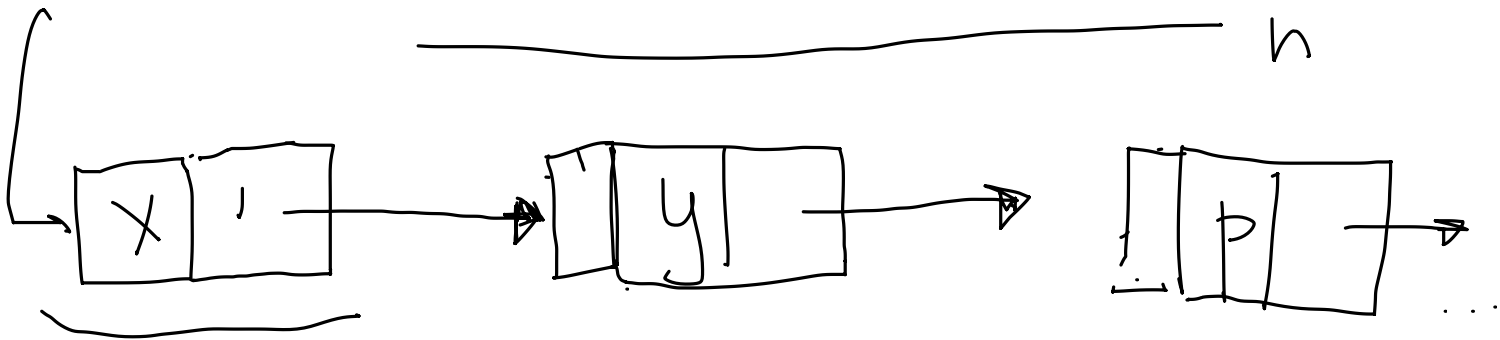
error

else:

$top -= 1$

return $A[top]$

Linked List



Read: $O(1)$

Append: $O(1)$

↓ Array
 $\begin{bmatrix} O(1) \\ O(n) \end{bmatrix}$

Push

Head = null
capacity = x

Push(x):

new_head = ^hNode(x)

new_head.next = head

head = new_head

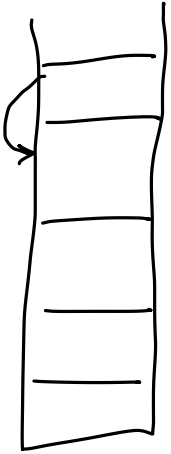
Pop():

old_head = head.

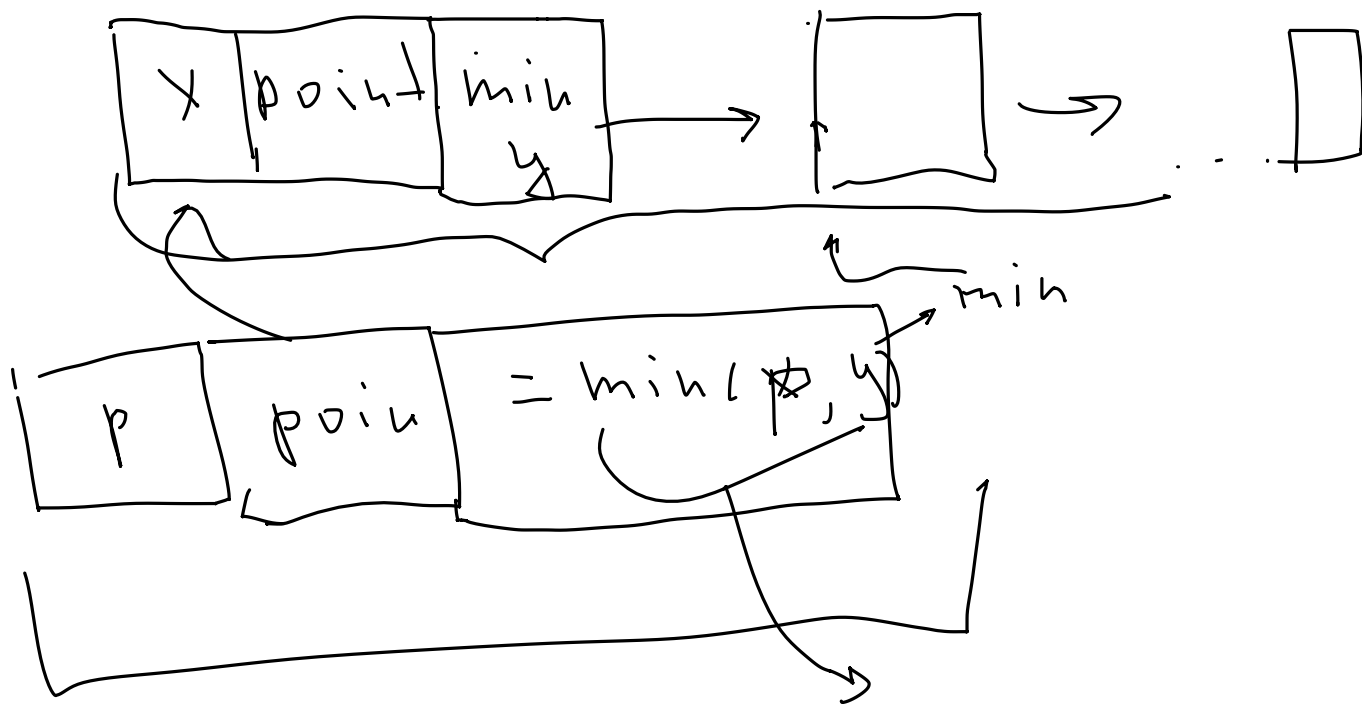
head = old_head.next

return old_head.value

Keeping the minimum



GetMin():



Correct Bracket Sequence parsing

S $[, (, \{, \},),]$ $\rightarrow A$

1. $S = \emptyset$

2. $S \rightarrow [S]$

(S)

$\{ S \}$

3. $S \rightarrow S_1 S_2$

$[()]$

$[] ()$

$[)] ($

Problem: A sequence S of elements from A .

Is S a connection or not?

([])
↓

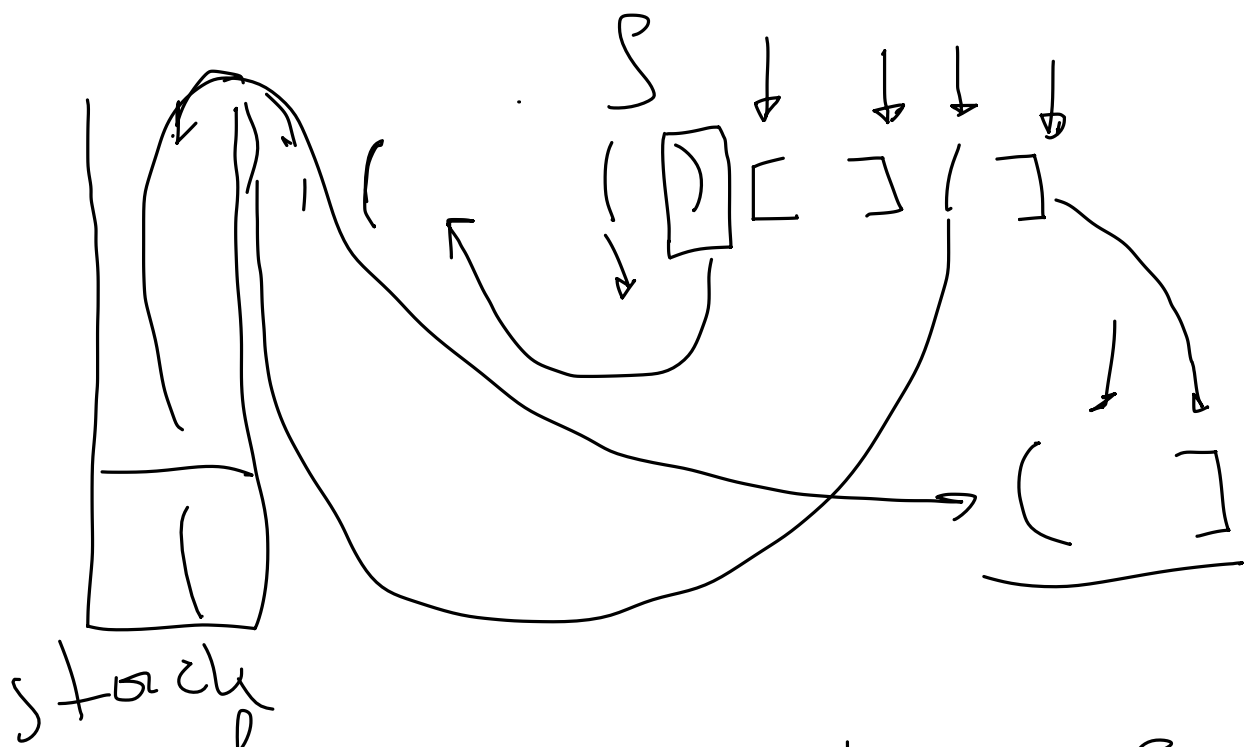
([])

counter

(, [, { $\rightarrow +1$

),], } $\rightarrow -1$

counter ≥ 0



if symbol = '(', '[', '{':
stack.push(symbol)

else:

if (stack.empty):
return NO

if symbol = ')'

if stack.top() = '[':

return NO

if symbol = ']'

stack.top = '('

return NO

stack.pop()

O(1)

