

# A Closer Look at Stellar Rotation and the Close Binary Fraction in APOGEE

SDSS-IV Paper 0619

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# So why study binaries anyway?

Because stellar multiplicity affects or is tied to practically every area of astronomy!

Astro2020 Science White Paper

## Stellar multiplicity: an interdisciplinary nexus

*Thematic Areas:*

- |  |   |   |
|--|---|---|
| <input checked="" type="checkbox"/> Formation and Evolution of Compact Objects | <input checked="" type="checkbox"/> Planetary Systems                                   | <input checked="" type="checkbox"/> Star and Planet Formation         |
| <input checked="" type="checkbox"/> Stars and Stellar Evolution                | <input checked="" type="checkbox"/> Resolved Stellar Populations and their Environments | <input checked="" type="checkbox"/> Cosmology and Fundamental Physics |
| <input checked="" type="checkbox"/> Galaxy Evolution                           | <input checked="" type="checkbox"/> Multi-Messenger Astronomy and Astrophysics          |   |

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Name: **Adrian M. Price-Whelan**

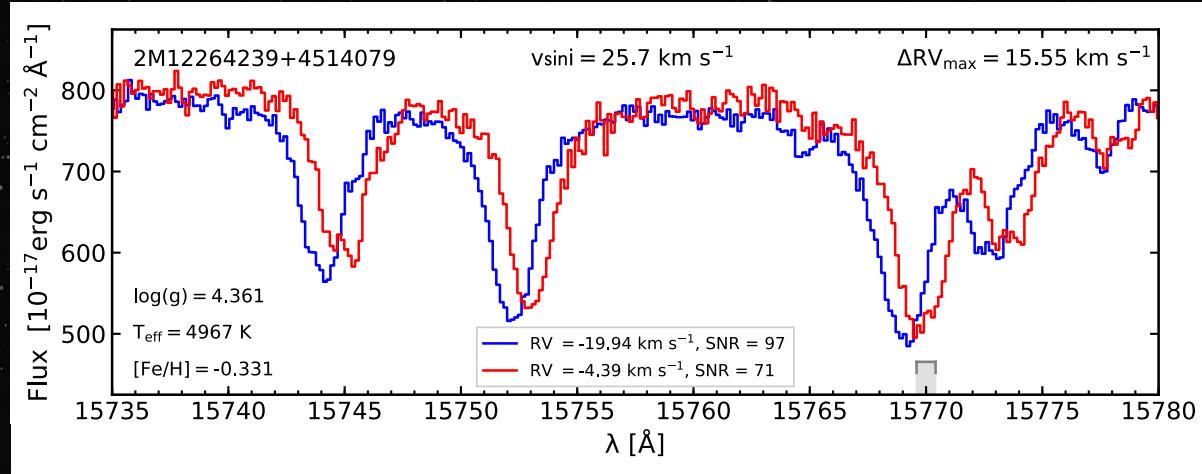
Institution: Princeton University

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# Close Binaries in APOGEE DR14

APOGEE RVs,  $T_{\text{eff}}$ ,  $\log(g)$

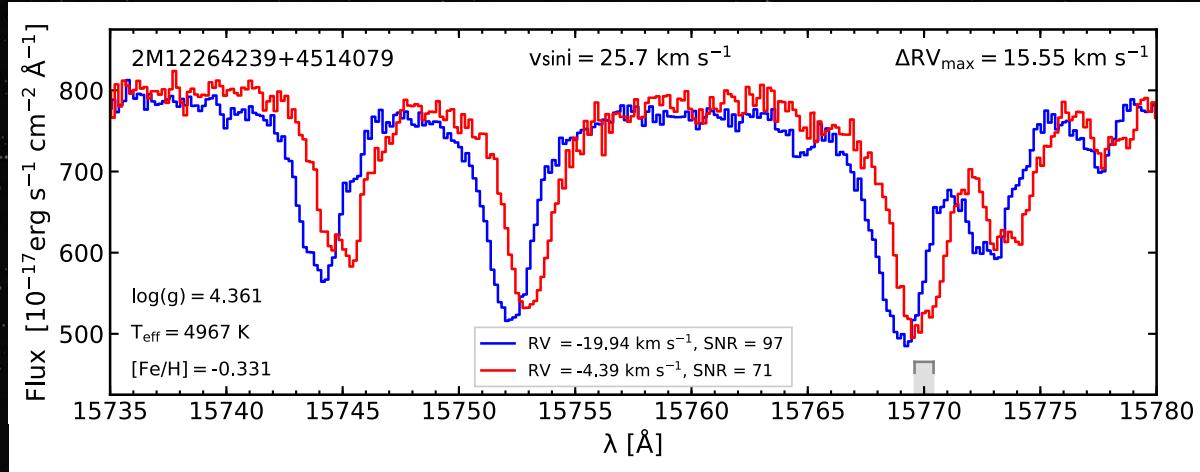


Daher+21 (in-prep)

# Close Binaries in APOGEE DR14

APOGEE RVs,  $T_{\text{eff}}$ ,  $\log(g)$

$v \sin(i)$  : ASPCAP value +  
extra rotation fit  
by Jamie's pipeline  
[Tayar+2015, Dixon+2020]

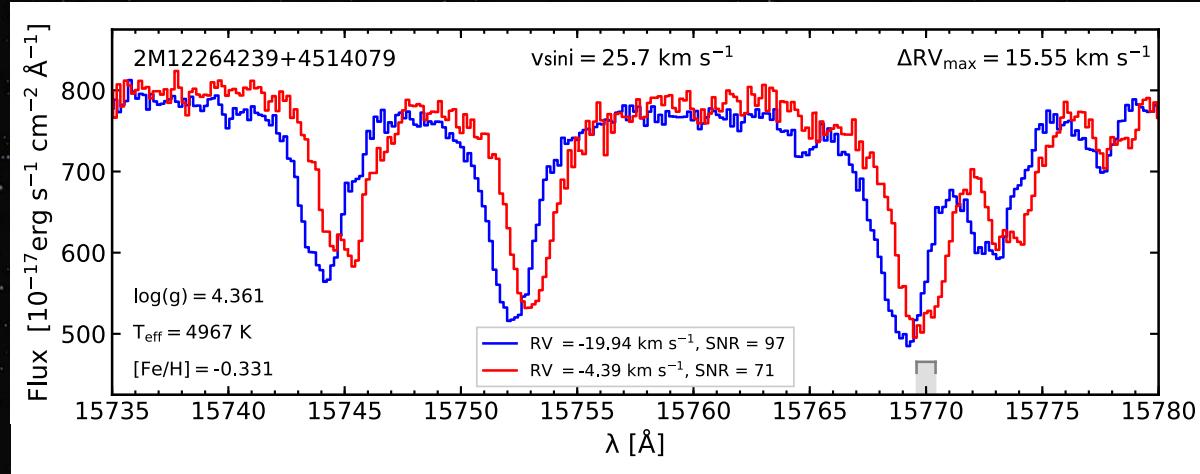


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Masses, distances, and  
ages from isochrone fits

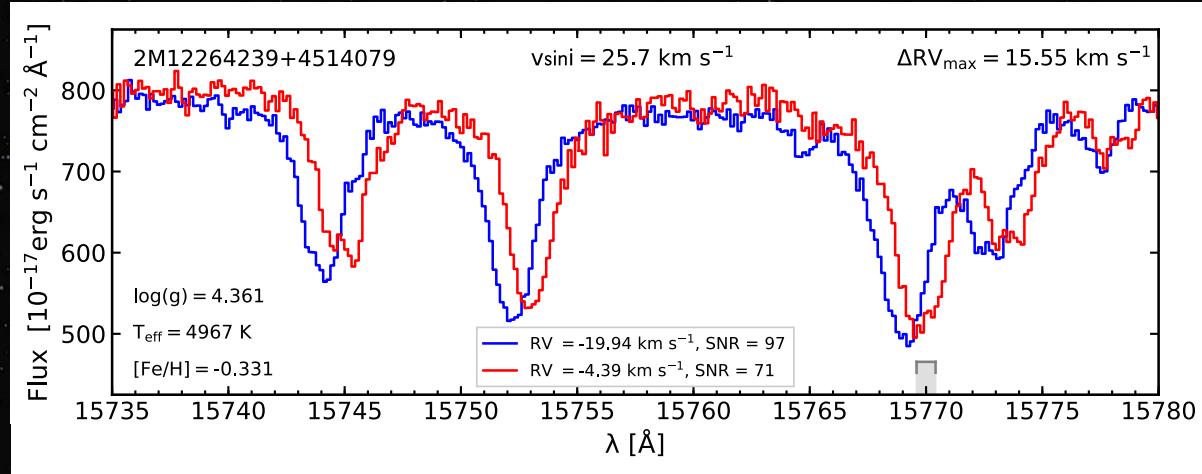
[Sanders & Das 2018]

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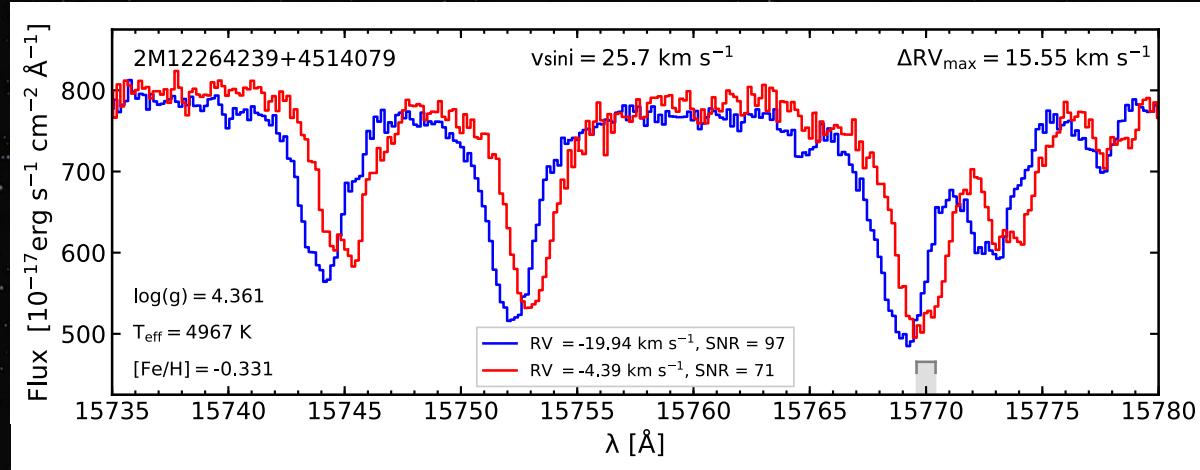
SB2s identified in Marina's  
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[Mazzola+2020, Kounkel+2021]

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Masses, distances, and ages from isochrone fits

[Sanders & Das 2018]

$$\Delta RV_{\max} = | RV_{\max} - RV_{\min} |$$

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[Mazzola+2020, Kounkel+2021]

Need 2+  $RVs$  to identify likely close binaries!

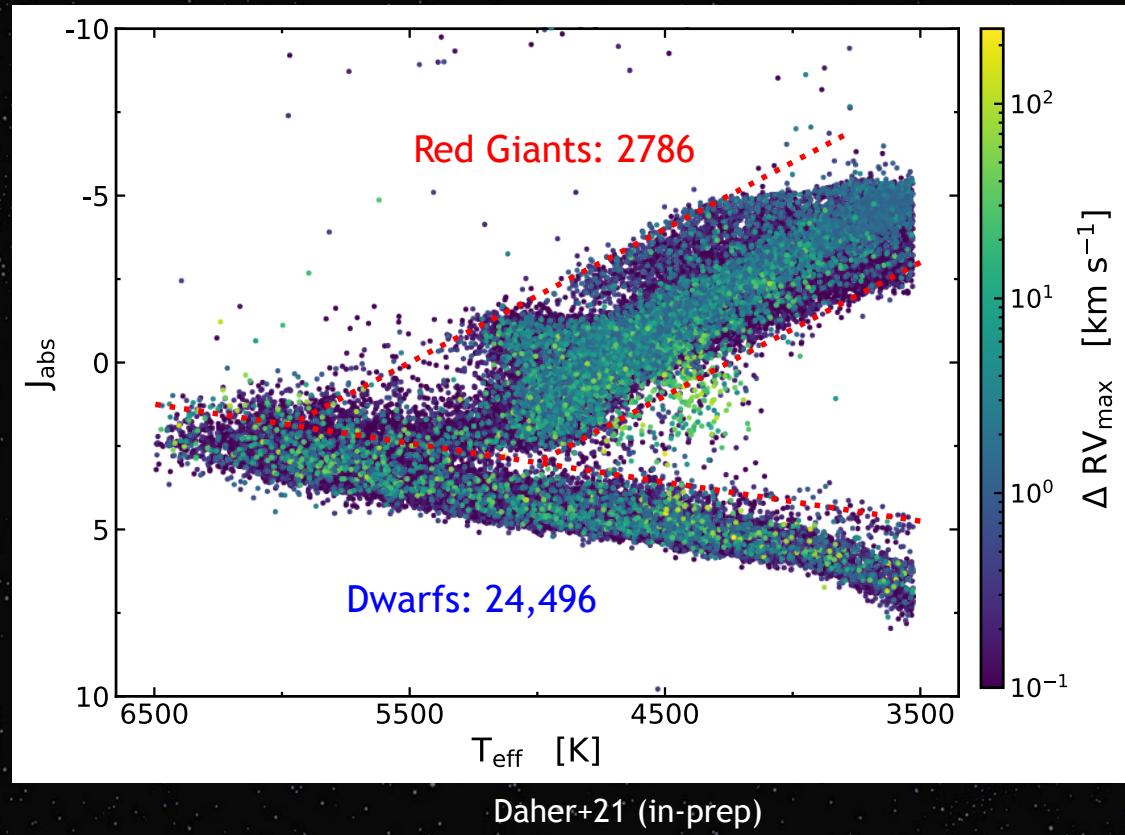
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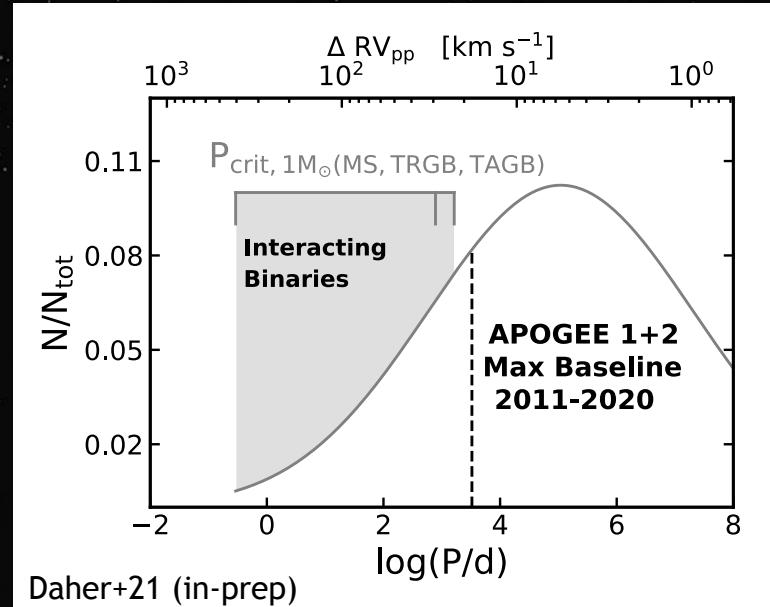
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# Close Binaries and Evolution

Raghavan+10: lognormal period distribution for Sun-like stars in the Solar neighborhood

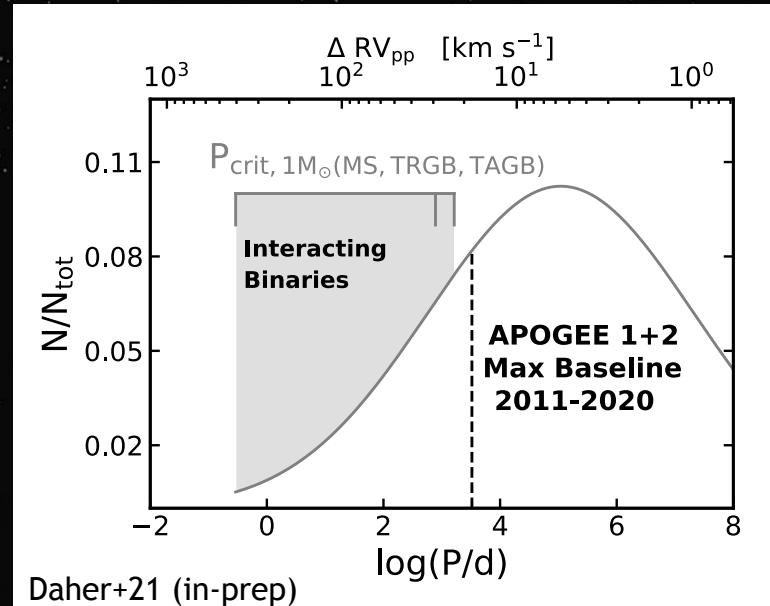


# Close Binaries and Evolution

Raghavan+10: lognormal period distribution for Sun-like stars in the Solar neighborhood

Critical period for RLOF to occur at  $q = M_2/M = 1$ :

$$P_{\text{crit}} \propto \sqrt{\frac{R^3}{GM}}$$

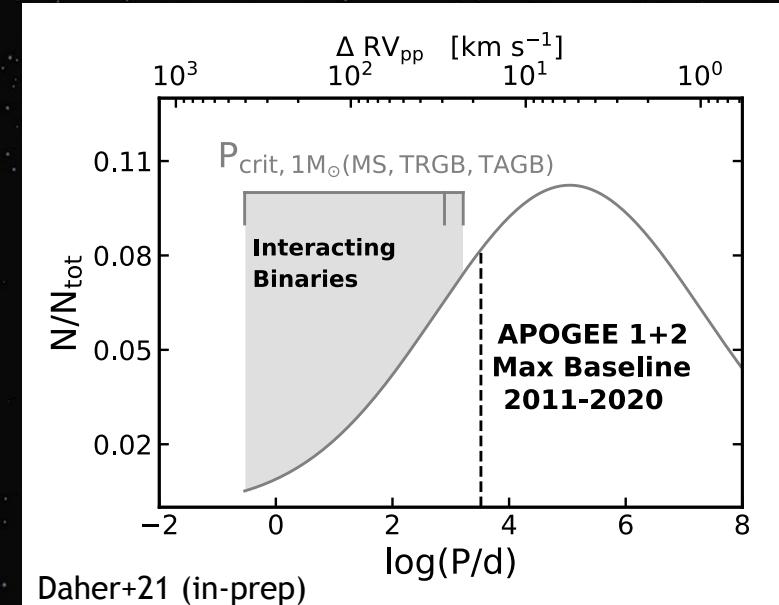
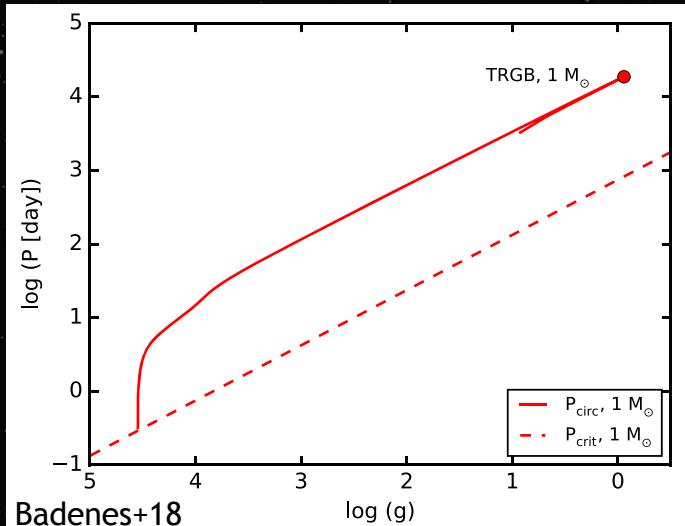


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$P_{\text{crit}}$  changes as the primary evolves

Increases as the star expands (ascends RGB)

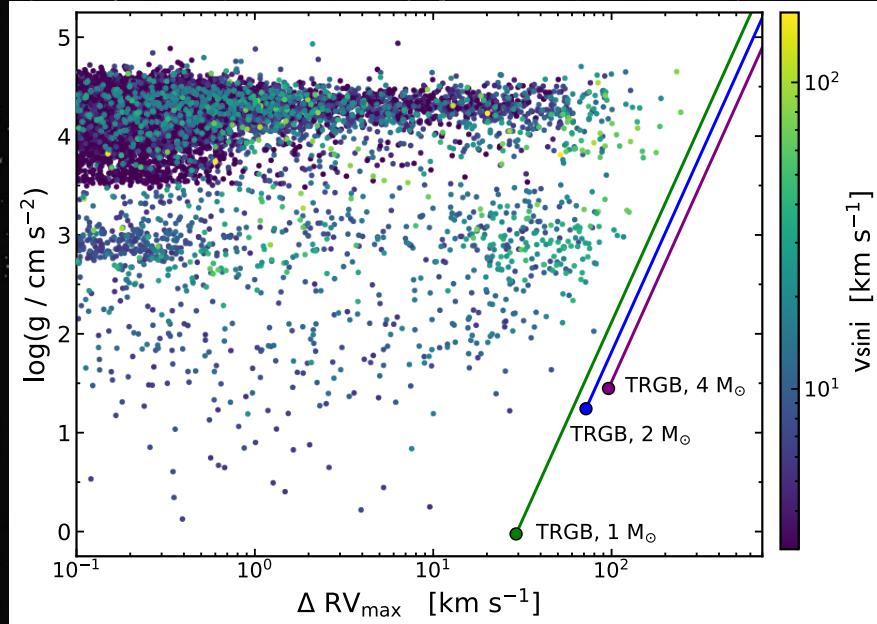
# Close Binaries and Evolution

Compare observed  $\Delta RV_{\max}$  to the max peak-to-peak shift of the RV curve,

$$\Delta RV_{\text{pp}} \propto \left( \frac{M}{P_{\text{crit}}} \right)^{1/3}$$

$$P_{\text{crit}} \propto \left( \frac{GM}{g^3} \right)^{1/4}$$

Dwarfs and subgiants: smaller  $P_{\text{crit}}$  → larger max  $\Delta RV_{\max}$  values [Badenes+2018]



Daher+21 (in-prep)

# Close Binaries and Evolution

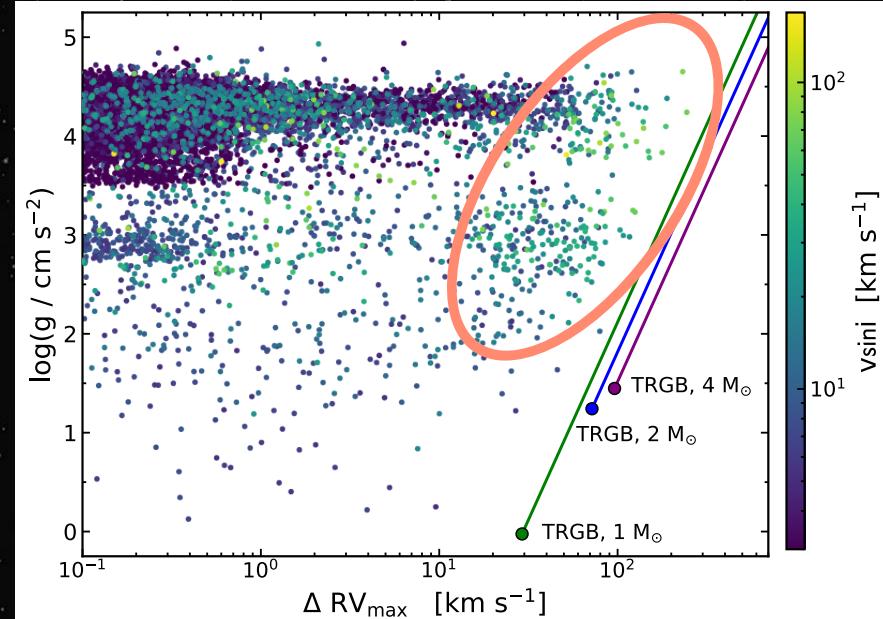
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Stars with large  $\Delta RV_{\max}$  → larger rotation speeds,  $v \sin(i)$



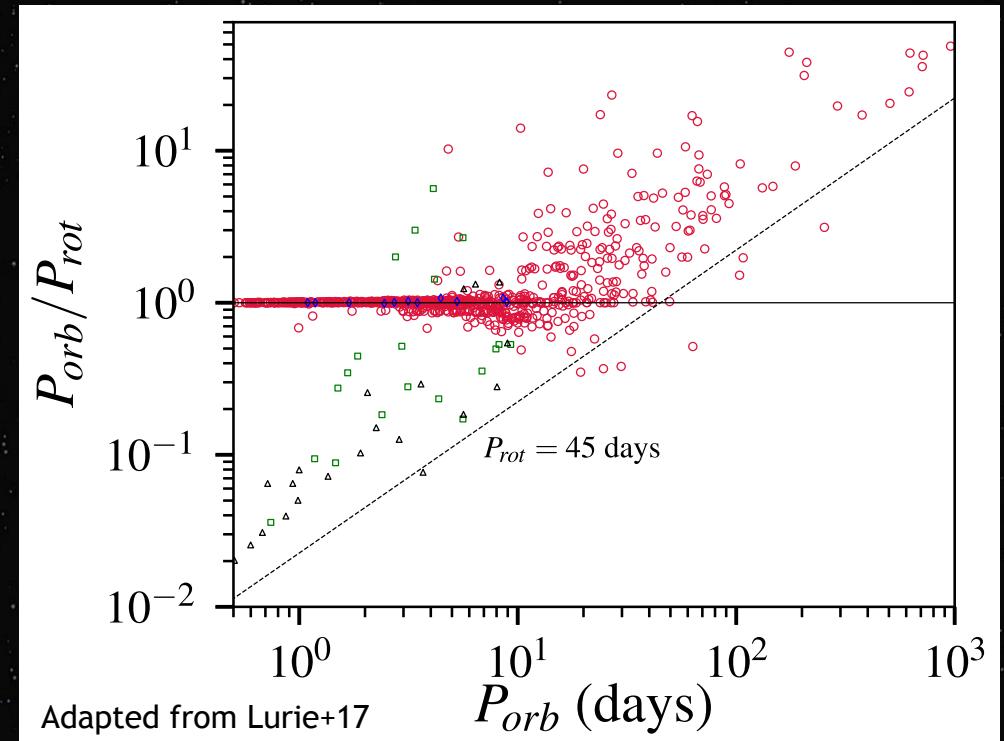
Daher+21 (in-prep)

Hints of tidal interactions in close binaries?

# Close Binaries and $v \sin(i)$

## Rotational Synchronization

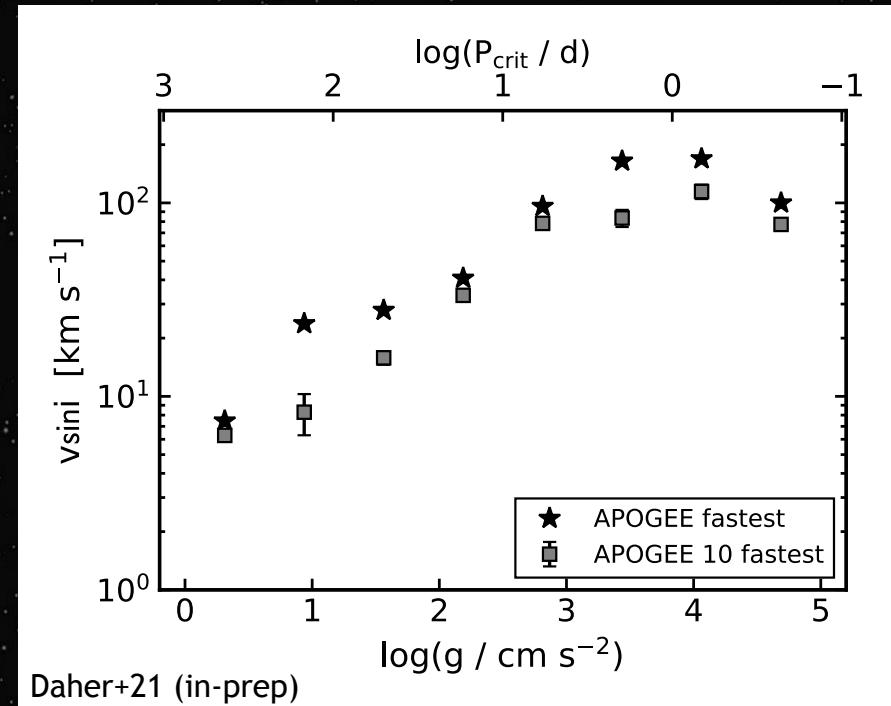
A short-period binary's  $P_{\text{orb}}$  and its stars'  $P_{\text{rot}}$  tend to become synchronized due to tidal interactions:  $P_{\text{rot}} \approx P_{\text{orb}}$



# Close Binaries and $v \sin(i)$

Compare the fastest rotators as a function of  $\log(g)$ :

- Gray squares: median  $v \sin(i)$  of the 10 fastest rotators
- Black stars:  $v \sin(i)$  of fastest rotator



# Close Binaries and $v \sin(i)$

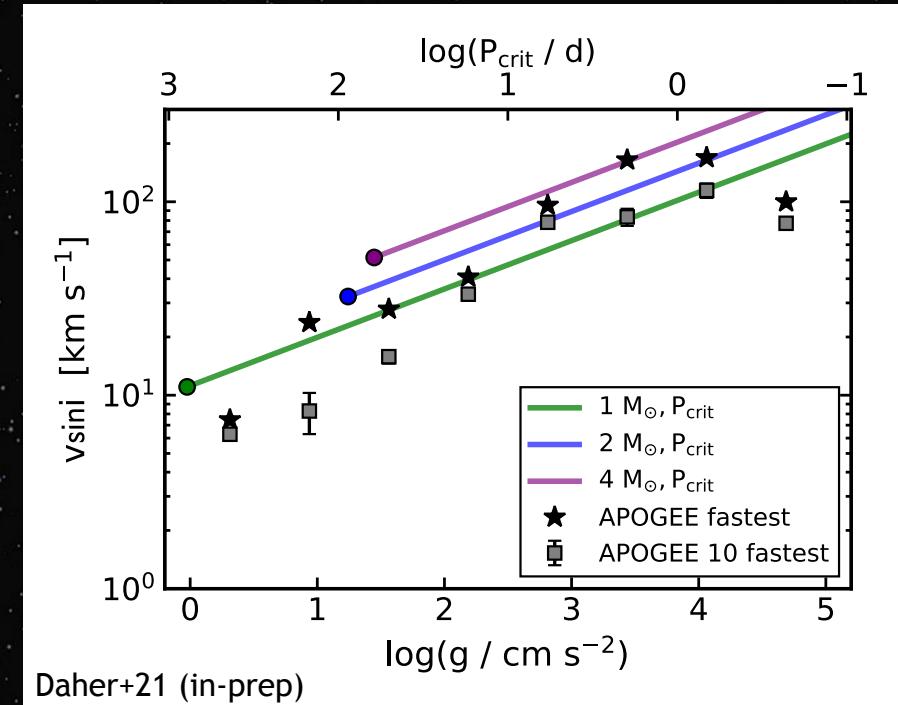
Compare the fastest rotators as a function of  $\log(g)$ :

- Gray squares: median  $v \sin(i)$  of the 10 fastest rotators
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Compare them against the max  $v \sin(i)$  we expect from rotational synchronization,  $P_{\text{rot}} \approx P_{\text{crit}}$  :

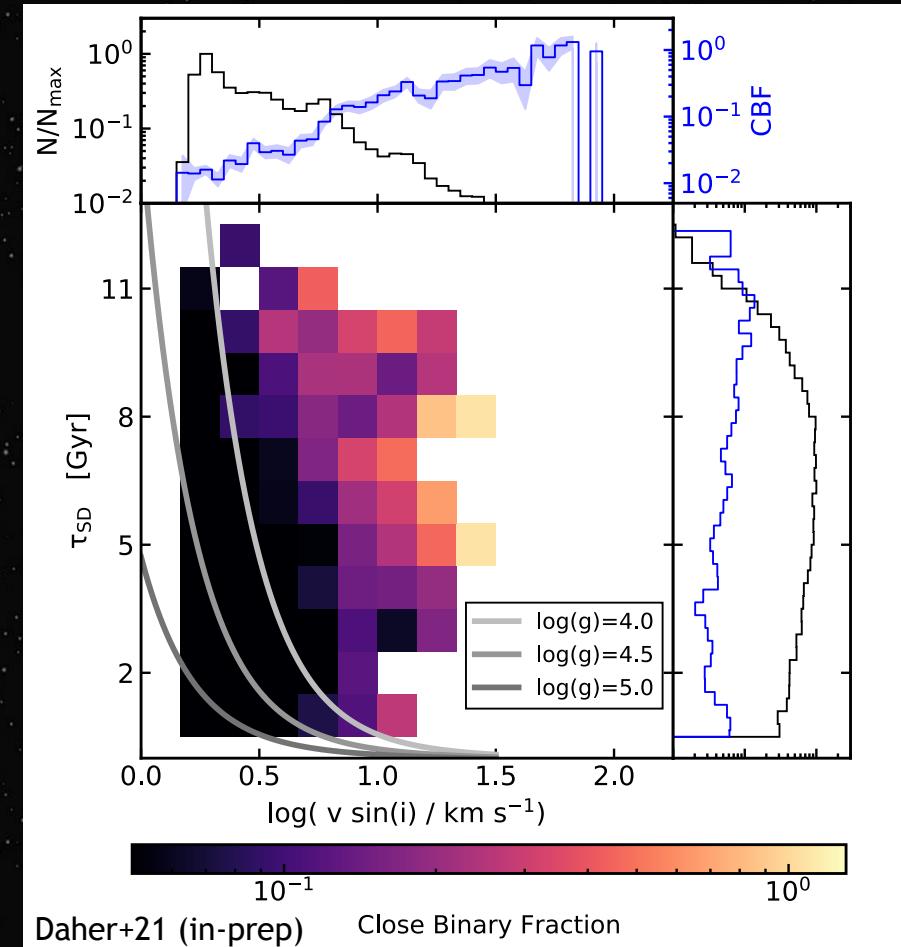
$$v \sin(i) \propto \frac{1}{P_{\text{rot}}} \sqrt{\frac{GM}{g}}$$

$$P_{\text{crit}} \propto \left( \frac{GM}{g^3} \right)^{1/4}$$



# Close Binaries and Gyrochronology

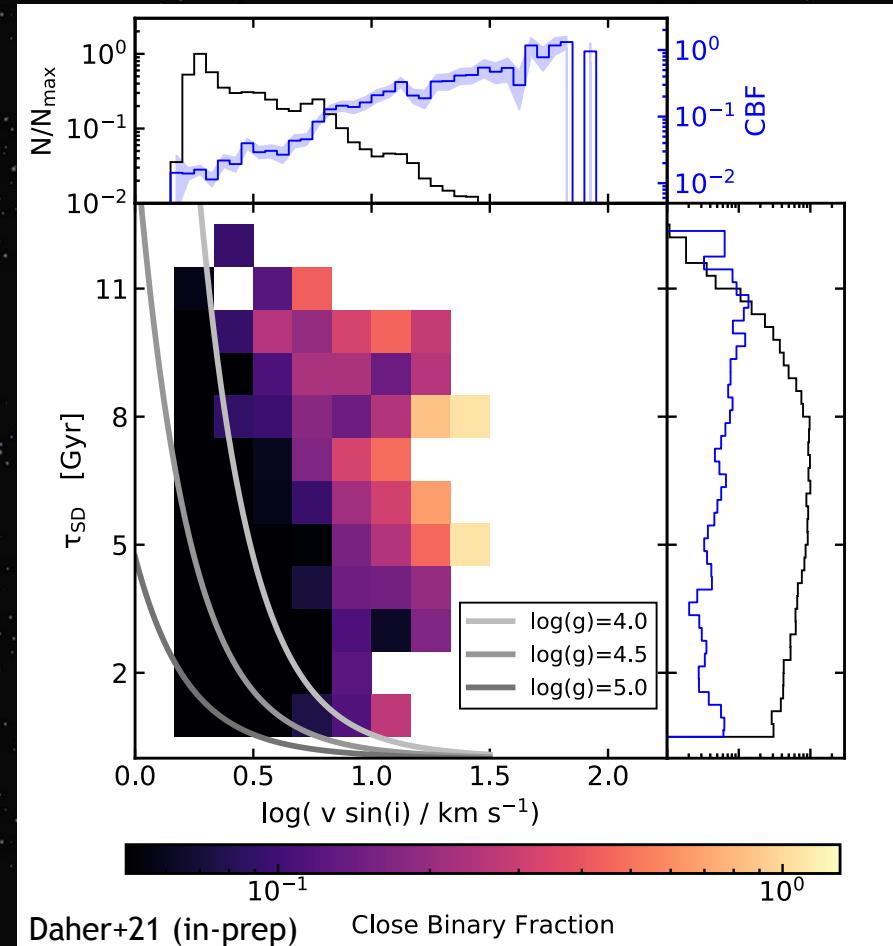
Let's consider dwarfs below the Kraft break ( $T_{\text{eff}} < 6200$  K).



# Close Binaries and Gyrochronology

## Predictions from Gyrochronology

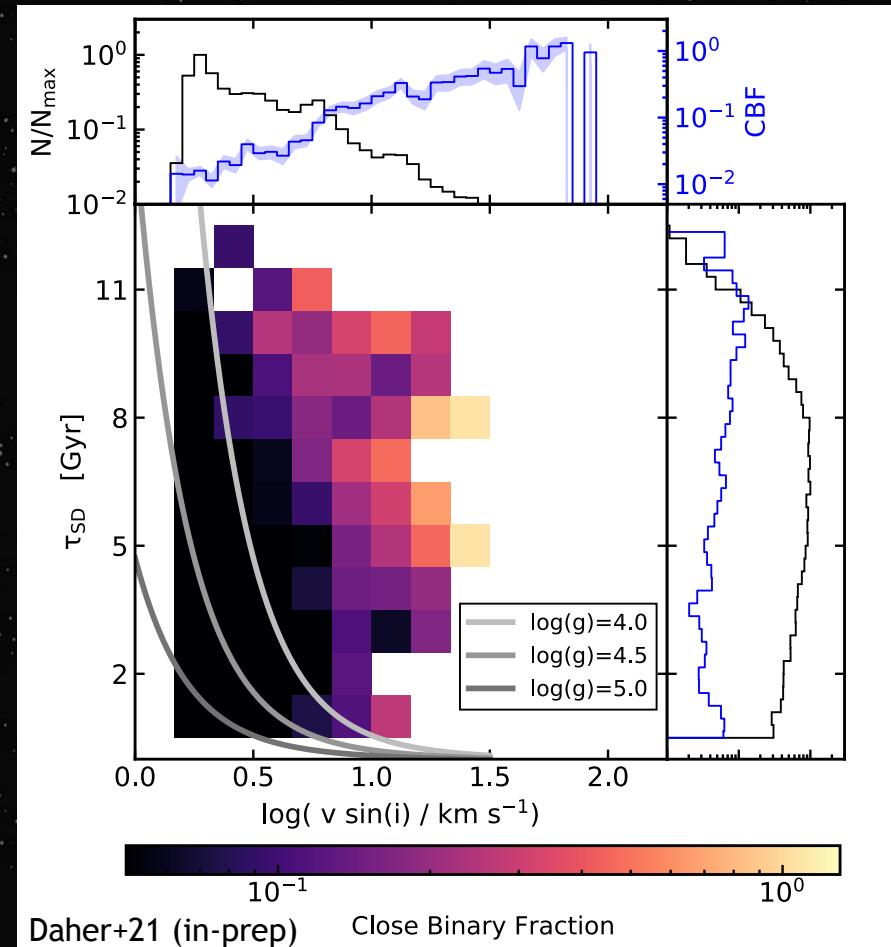
1. Young stars can rotate at a range of speeds due to leftover angular momentum from birth



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## Predictions from Gyrochronology

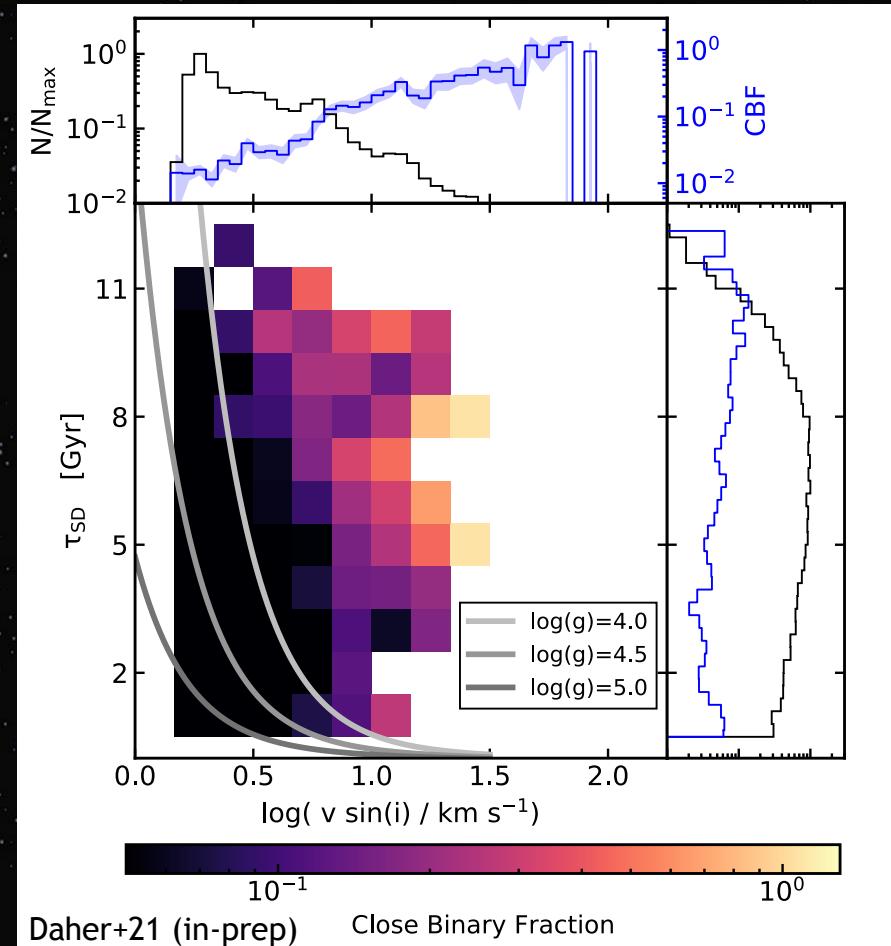
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2. In isolation, older stars will naturally spin down over time, so we expect few to no rapid rotators



# Close Binaries and Gyrochronology

## Predictions from Gyrochronology

1. Young stars can rotate at a range of speeds due to leftover angular momentum from birth
2. In isolation, older stars will naturally spin down over time, so we expect few to no rapid rotators
3. Rotationally synchronized binaries rapidly rotate regardless of age once synchronization has occurred



# Conclusions

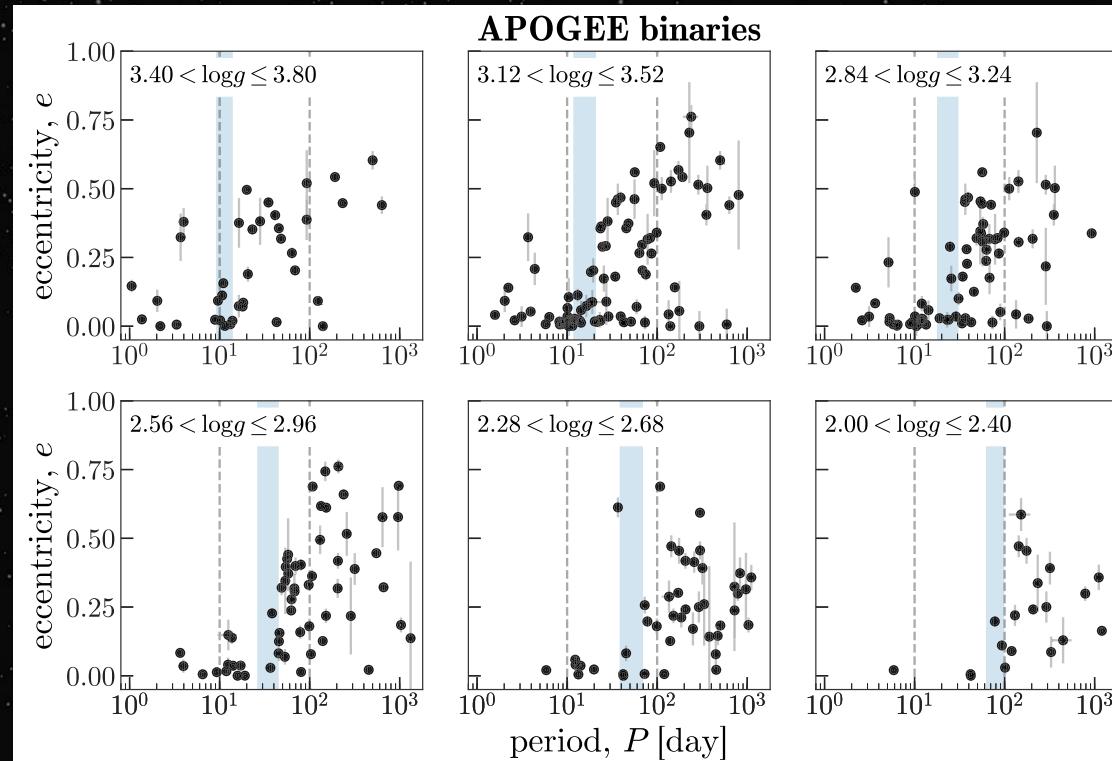
- APOGEE's formula for success:  
(high-res spectra + multi-epoch RV curves)  $\times \sim 10^5$  Milky Way field stars  
= large, statistical sample to study stellar multiplicity
- Sparse RV curves? No problem! Just use  $\Delta RV_{\max}$  to infer the presence of close companions up to  $\log(P/d) \leq 4$ .
- With this, we've found:
  - Hints of tidal interactions via rotation: trends in data agree with simple rotational synchronization limits + attrition of short period systems as stars evolve
  - Link between age, rotation, and binarity: age-dependent correlation between rotation and CBF agree with expectations from gyrochronology

Background image credit: *Star Wars*, 1977

# EX: Binaries and $v \sin(i)$

Tidal interactions in close binary systems can lead to several effects.

- Tidal circularization: short-period orbits tend to become circularized –  $e \approx 0$

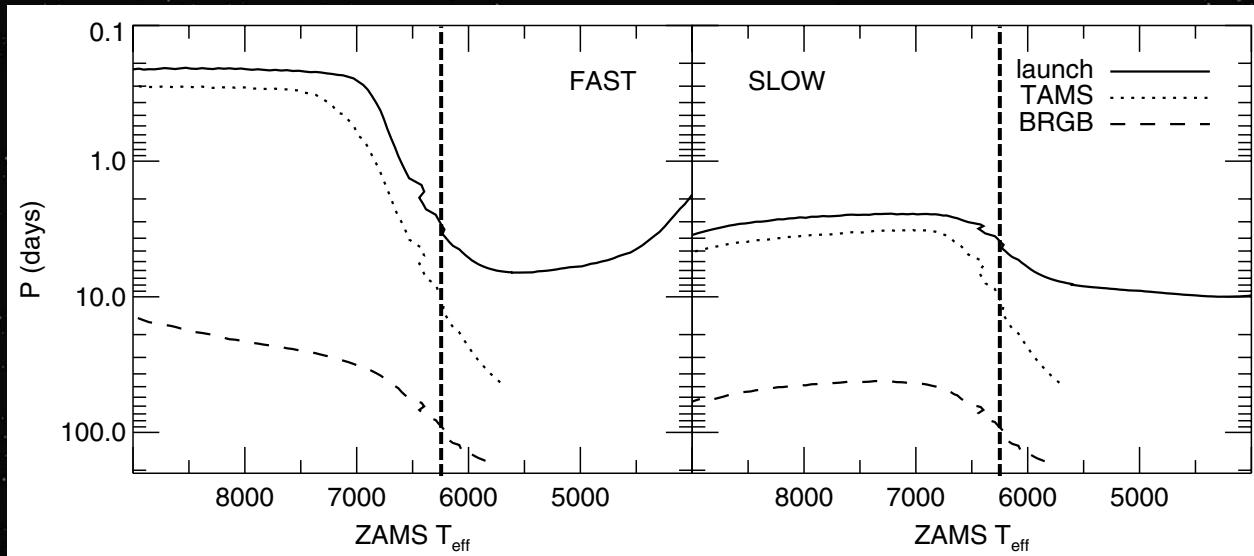


Price-Whelan &  
Goodman 2018

# EX: Binaries and Gyrochronology

Rotation is tied to stellar age via the Kraft break ( $T_{\text{eff}} \approx 6200$  K,  $M \approx 1.3 M_{\odot}$ )

**Below the Kraft break:** the star's convective envelope produces a magnetized wind that loses angular momentum and thus slows its rotation over its MS lifetime



van Saders & Pinsonneault 2013

# EX: Multiplicity and Gyrochronology

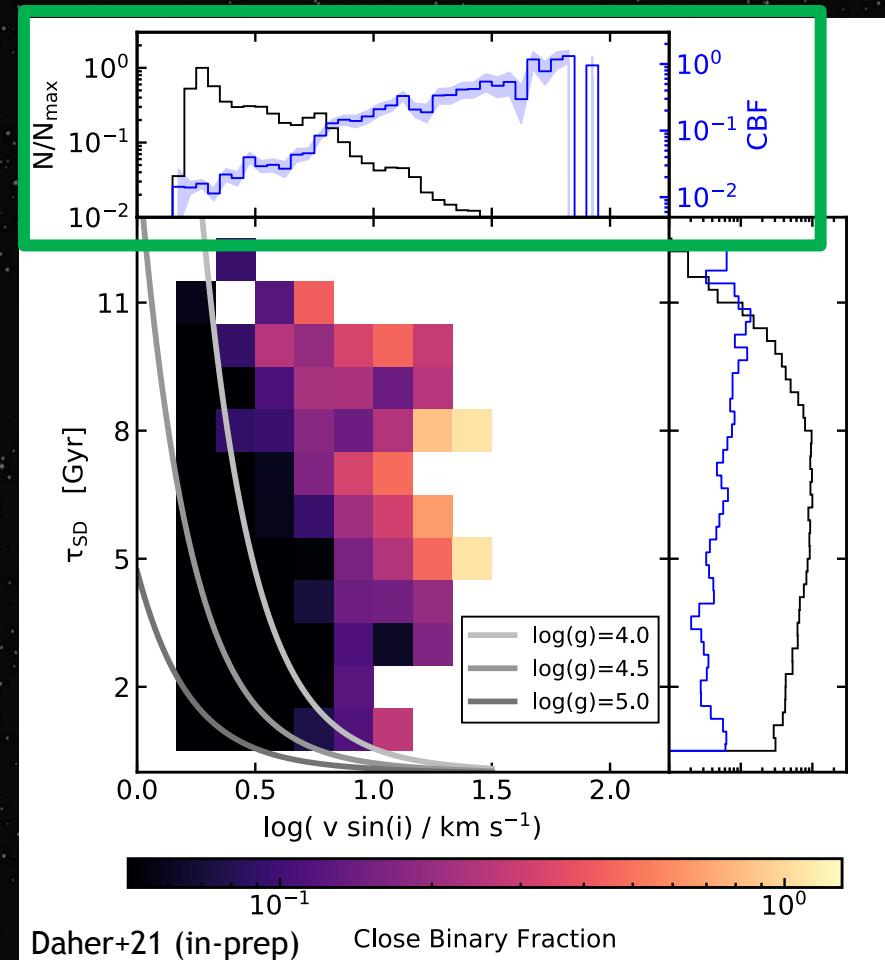
Let's consider dwarfs that are below the Kraft break ( $T_{\text{eff}} < 6200$  K).

In the top panel, we observe a strong correlation between  $v \sin(i)$  and the close binary fraction!

RV variability fractions + completeness corrections

= completeness-corrected CBFs

[Moe+2019, Mazzola+2020]



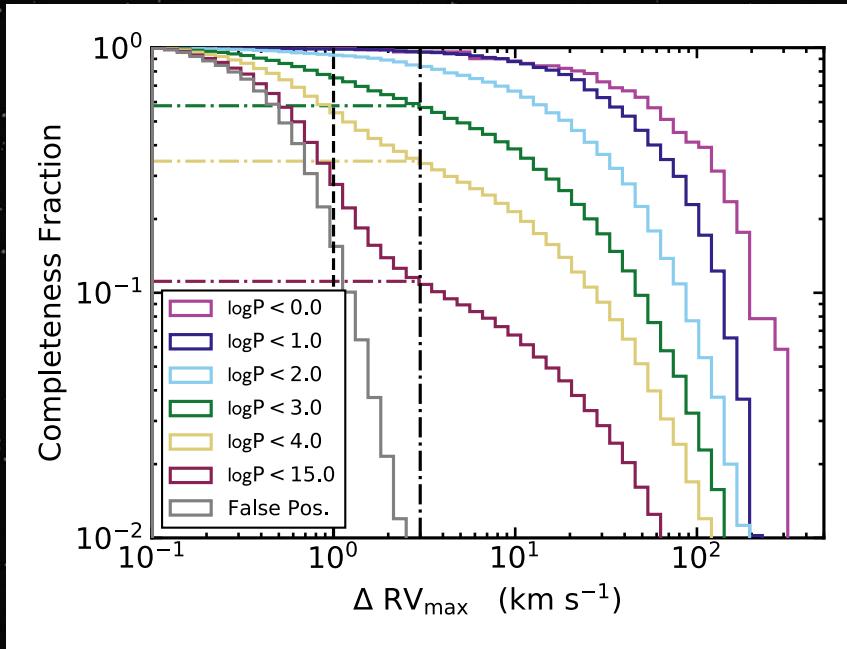
# EX: Completeness Corrections

Choosing a threshold is important...  
but how important? We can check!

Monte Carlo sampler to simulate  
 $\Delta RV_{\max}$  distributions

- Observationally motivated parameter distributions when possible
- Theoretical expectations when not
- Randomly assign APOGEE visit histories:  
 $N_{\text{visits}}$  and time lags between visits

[See Badenes & Maoz 2012, Maoz+12,  
Badenes, CMD+18, Moe+19, Mazzola+20]



Adapted from Mazzola+20

Can use this to estimate a completeness-corrected close binary fraction!