3050571 Practical Clin Data Sci

Session 2: Computational thinking

February 1, 2024

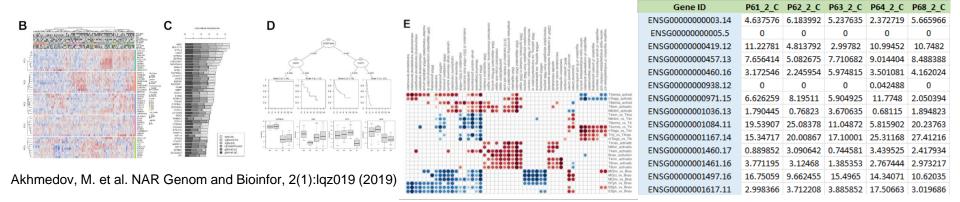


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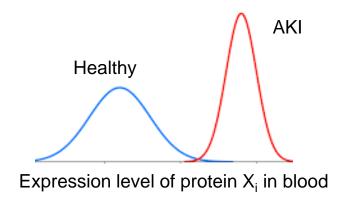
- Research Affairs
- Center of Excellence in Computational Molecular Biology (CMB)
- Center for Artificial Intelligence in Medicine (CU-AIM)

What can you do with computational thinking?

- Data analysis
 - Identify calculations that will support or disprove your hypothesis
 - Be aware of assumptions and limitations of each calculation
- Modeling and simulation
- Algorithm

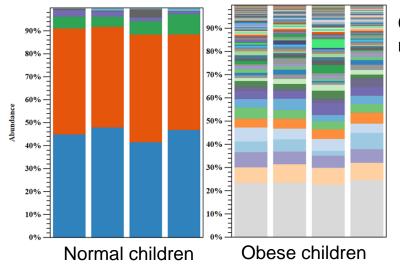


Quantifying the "goodness" of biomarkers



- Identify significantly differentially expressed proteins, $X_1, X_2, ..., X_{200}$ with t-test
- What if we want to identify the **best biomarkers**?
 - How to quantify the ability of a protein to distinguish healthy and AKI?
 - Independent two-sample t-test's statistics = $\frac{\text{Mean}_1 \text{Mean}_2}{\sqrt{\frac{1}{n}(\text{Variance}_1 + \text{Variance}_2)}}$

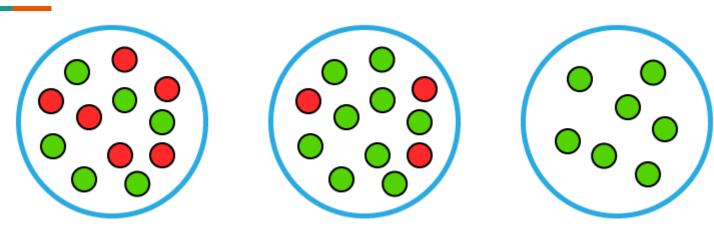
Quantifying diversity of gut microbiomes



Colors indicate different microbial taxa

- Visually, microbial taxa distributions in obese children are clearly more diverse
- Can we quantify this pattern?
 - Number of taxa
 - **Entropy** = $-\text{Frequency}_1 \log_2(\text{Frequency}_1) \dots \text{Frequency}_n \log_2(\text{Frequency}_n)$

Entropy quantifies purity of a mixture

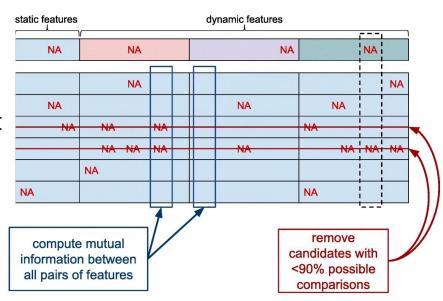


https://www.javatpoint.com/entropy-in-machine-learning

- Entropy = $-\text{Freq}_1 \log_2(\text{Freq}_1) \dots \text{Freq}_n \log_2(\text{Freq}_n)$
 - Left sample: $-\frac{6}{12}\log_2\left(\frac{6}{12}\right) \frac{6}{12}\log_2\left(\frac{6}{12}\right) = \log_2(2) = 1$
 - Middle sample: $-\frac{3}{12}\log_2\left(\frac{3}{12}\right) \frac{9}{12}\log_2\left(\frac{9}{12}\right) = 0.811278$
 - Right sample: $-\frac{0}{12}\log_2\left(\frac{0}{12}\right) \frac{12}{12}\log_2\left(\frac{12}{12}\right) = 0$

Mutual Information ~ correlation for categorical data

- MI = difference between P(X, Y) and P(X) P(Y)
- If X and Y are statistically independent
 - P(X, Y) = P(X) P(Y)
 - MI = 0
- $MI(X;Y) = \sum_{x} \sum_{y} p(x,y) \log \left(\frac{p(x,y)}{p(x)p(y)} \right)$



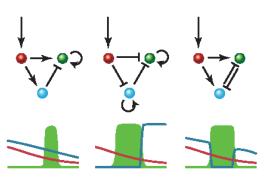
Tavazzi, E. et al. BMC Medical Informatics and Decision Making 2020

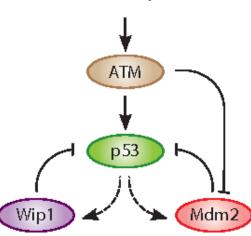
What can you do with computational thinking?

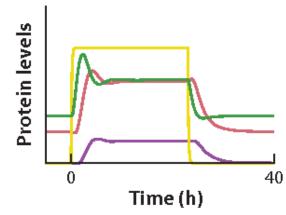
- Data analysis
- Modeling and simulation
 - Identify mechanisms that underlie the phenomenon or system of interest
 - Develop models
 - Study the behavior of the models / systems

- Synthesize new data

- Algorithm

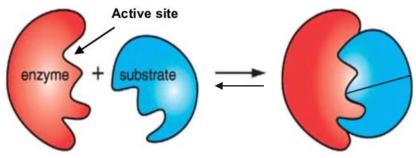






Rue and Garcia-Ojalvo. Annu Rev Biophys 42:605-627 (2013)

Enzyme substrate binding

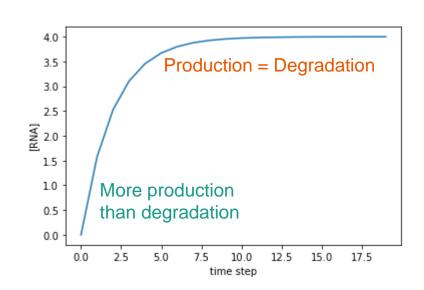


Graham Hutchings. "Development of new highly active nano gold catalysts for selective oxidation reactions" (2014)

- K_{dissociation} = [E][S] / [E-S] at equilibrium
- Association = P(E meeting S) $\times P_{\text{binding}} = k_1 [E][S]$
- Dissociation = Number of E-S molecules x P_{dissociating} = k₂ [E-S]
- At equilibrium, Association = Dissociation
 - k_1 [E][S] = k_2 [E-S] \rightarrow $K_{dissociation} = k_2 / k_1$

A simple gene expression model

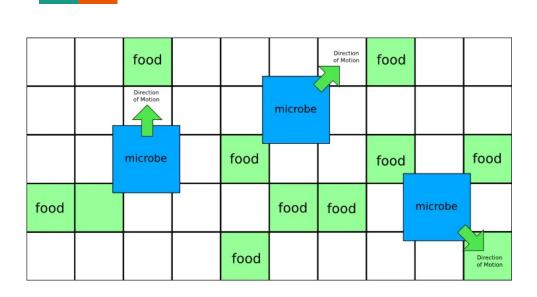
$$k_{\text{transcription}}$$
 $DNA \rightarrow DNA + RNA$
 $RNA \rightarrow \emptyset$
 $k_{\text{degradation}}$



$$- \frac{d[RNA]}{dt} = k_{transcription} - k_{degradation}[RNA]$$

- This is called an **ordinary differential equation**

Microbial growth

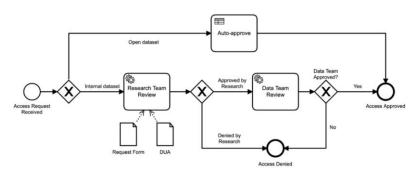


Time = 0Time = 100

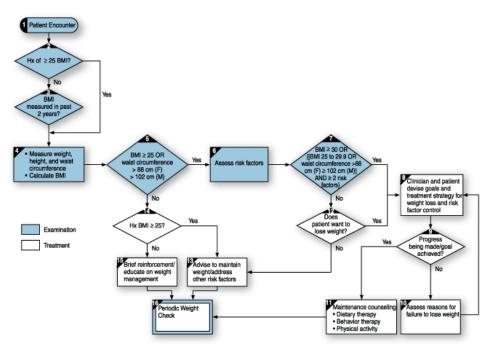
- Model different movement behaviors (probability of moving in a certain direction) with different genes
- See more at https://beltoforion.de/en/simulated_evolution/

What can you do with computational thinking?

- Data analysis
- Modeling and simulation
- Algorithm
 - Formulating step-by-step instructions
 - Identifying weak points



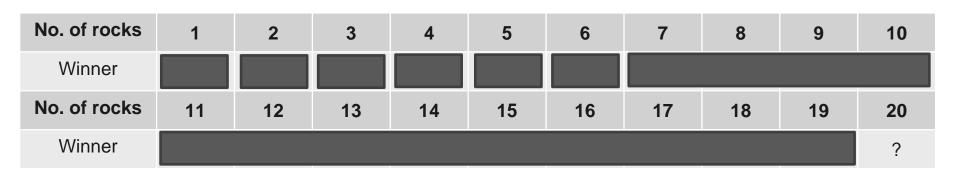
https://www.aridhia.com/blog/accessibility/



^{*} This algorithm applies only to the assessment for overweight and obesity and subsequent decisions based on that assessment. It does not include any initial overall assessment for cardiovascular risk factors or diseases that are indicated.

https://en.wikipedia.org/wiki/Medical_algorithm

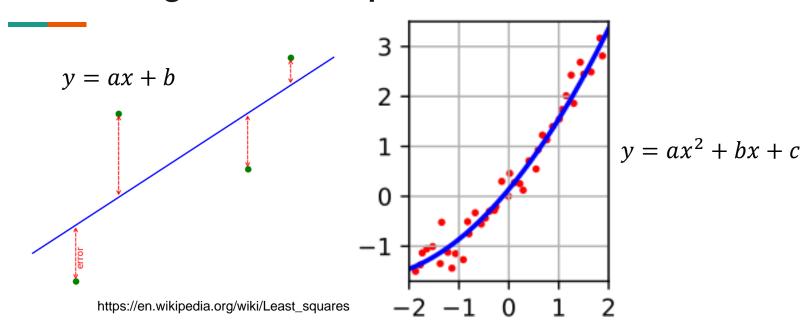
Dynamic programming



- Dynamic programming build the solution of complex problem using on the solutions of simpler ones
- There is a pile of 20 rocks. Two players take turns by removing 1 or 2 rocks from the pile. Whoever removes the last rock(s) win. Who is the winner?

Everything is optimization

Curve fitting with least square

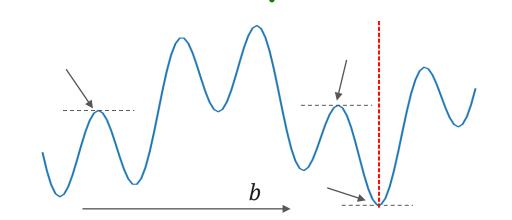


- Finding the **best** *a*, *b*, and *c* that make the curve fit to the observations
- Minimize least square error $\frac{1}{n} ((\hat{y}_1 y_1)^2 + \dots + (\hat{y}_n y_n)^2)$

How can we find the best parameters

- Minimize
$$L(a,b) = \frac{1}{n} ((\hat{y}_1 - y_1)^2 + \dots + (\hat{y}_n - y_n)^2)$$

- Randomly search for (a, b)
 - Heuristic guess: $a = \frac{\sum y_i}{\sum x_i}$
- Use calculus
 - At optimal, slopes are zero
 - Solve $\frac{\partial L(a,b)}{\partial a} = 0$ and $\frac{\partial L(a,b)}{\partial b} = 0$



y = ax + b

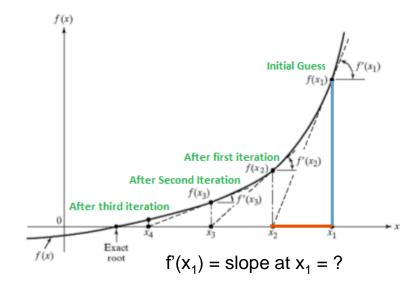
Newton-Ralphson method

Want to maximize L(x) by solving

$$f(x) = \frac{dL(x)}{dx} = 0$$

- Start with an initial guess x_1
- Calculate f(x) and f'(x) at x_1
- Define $x_2 = x_1 \frac{f(x_1)}{f'(x_1)}$
- Repeat the process for $x_3, x_4, ...$
- Stop when x_i converges to a value

f(x) = the first derivative of the objective L(x)



(Almost) all algorithms involve optimization

- Curve fitting = minimize square error
- Drug-protein docking = minimize energy
- **Hospital queuing** = minimize wait time
- Diagnosis = maximize accuracy
- **Triaging** = maximize number of severe patients at the top of the list

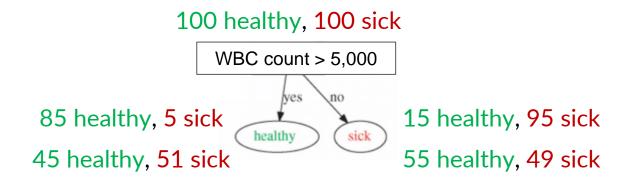
Knapsack problem



https://en.wikipedia.org/wiki/Knapsack_problem

- Limited capacity
- Want to pick as much value as possible while not exceeding the capacity
- General optimization setting
 - **Objective** = Total value
 - Constraint = Total weight ≤ W
- Paying X baht with the minimal number of coins and bank notes

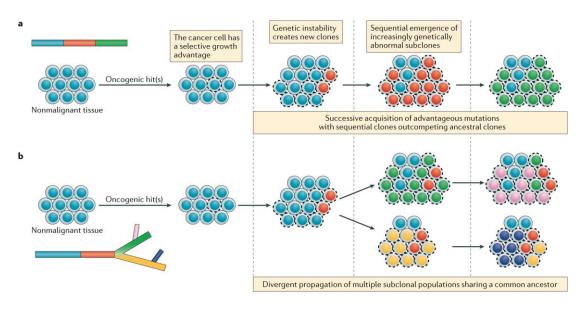
Constructing a decision point



- Gini impurity: $\sum p(1-p)$
- Entropy: $-\sum p \ln(p)$
 - Minimal at p = 0 or 1 → Perfect split
 - Maximal at p = $0.5 \rightarrow 50-50$ split
- **Search for variable and cutoff** that strongly reduce impurity

Simulation

Tumor growth

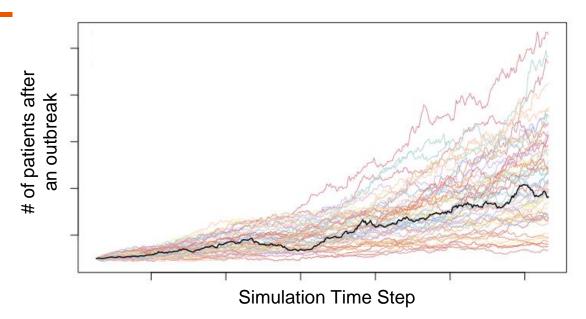


Dagogo-Jack and Shaw, Nat Rev Clin Oncol (2017)

Nature Reviews | Clinical Oncology

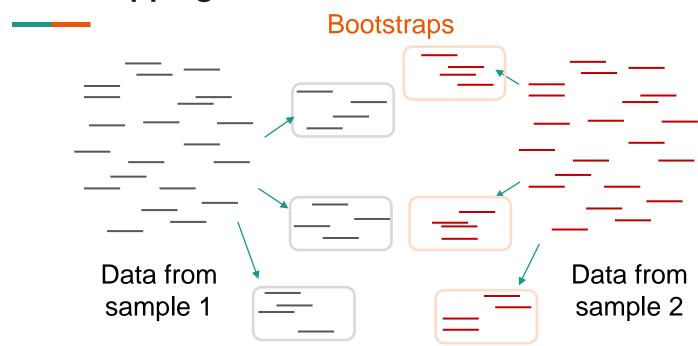
- Cell's actions: Gain mutation, Divide, Die
 - What are the parameters influencing these actions?

Monte Carlo technique



- Perform repeated sampling to explore broad parameter scenarios
- Provide estimates for the probability of different scenarios and outcomes
- May require millions of repetition (can utilize multiple CPUs)

Bootstrapping



- Instead of using the whole data to perform one calculation
- Sampling from data to perform multiple calculations → Estimate variance

Summary

- Computational thinking is about transforming abstract hypothesis into a quantitative statement that can be tested with data
- Identify relevant components and mechanisms that underlie the phenomenon and develop the models
- Fit the models or simulate the phenomenon to derive knowledge
- Every algorithm boils down to an optimization problem

Let's do some practices

Apply computational thinking principles

- Reduce hospital deficit
- Reduce patient wait time
- Predict future bone fracture in elderly patients
- Predict future admission of home isolation patients
- Improve OR scheduling

- Reduce prescription error in pharmacy
- Alert doctors when patients visit other clinics
- Identify potential viral outbreak
- Triaging patients for ICU
- Manage mobile beds and wheelchairs

Any questions?

See you on February 2nd