## 3000788 Intro to Comp Molec Biol

Week 4: Metagenomics and microarray

Fall 2024



#### Sira Sriswasdi, PhD

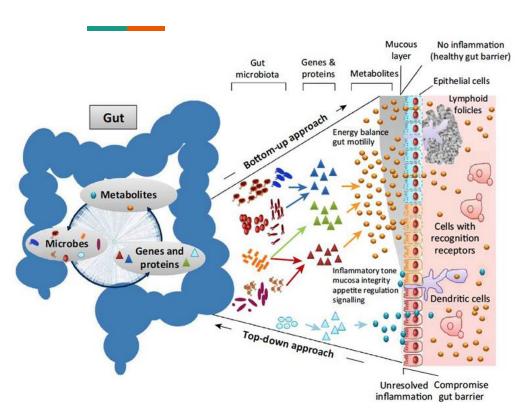
- Research Affairs
- Center of Excellence in Computational Molecular Biology (CMB)
- Center for Artificial Intelligence in Medicine (CU-AIM)

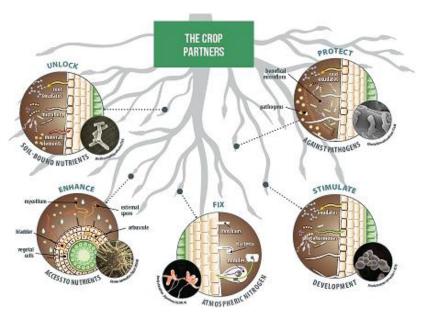
## Part I: Metagenomics

- Mixture data sequencing reads from multiple species
- Environmental samples → Monitoring & discovery
- Capture species that cannot be isolated / cultured
- Challenging to process alignment and assembly

## Microbiome and meta-omics

#### **Microbiomes**

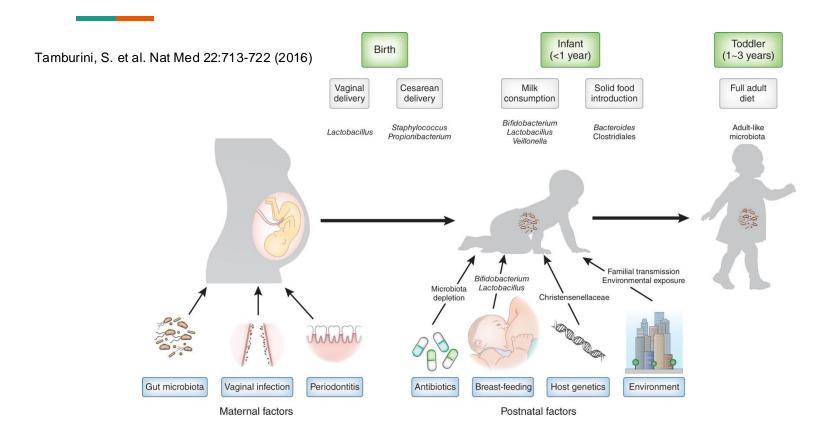




http://www.lallemandplantcare.com/en/our-solutions/rhizosphere-inoculants/

Moya and Ferrer, Trends in Microbiology 24: 402-413 (2016)

## Microbiome is dynamics

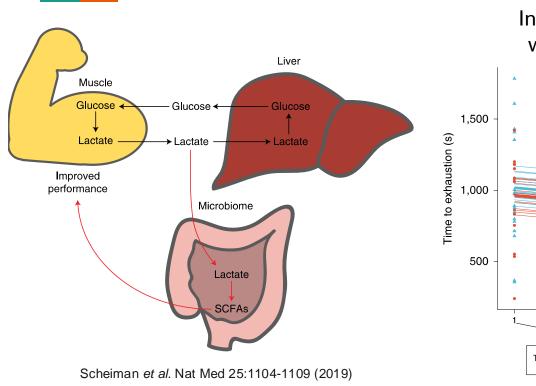


## Mostly metagenomics

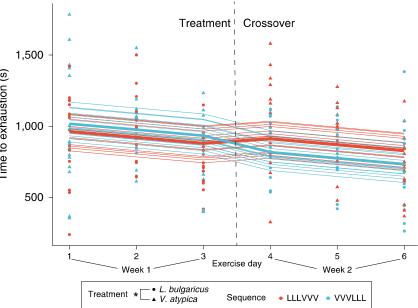
- Metatranscriptomics:
  - Difficult sample preparation
  - RNA are fragile
  - Challenging to determine whether a gene is ON or OFF in which subpopulations
- Metaproteomics:
  - Require reference protein database to interpret mass spectrometry data

## **Applications of meta-omics**

## Lactate-utilizing bacteria in athelete guts



Increased athletic ability in mice with transplanted microbiome



#### Wildlife conservation



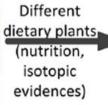


Père David's deer and their gut microbiome

Dissimilarity

Conservation





Next-generation sequencing bioinformatics' analysis

Gut microbial

composition

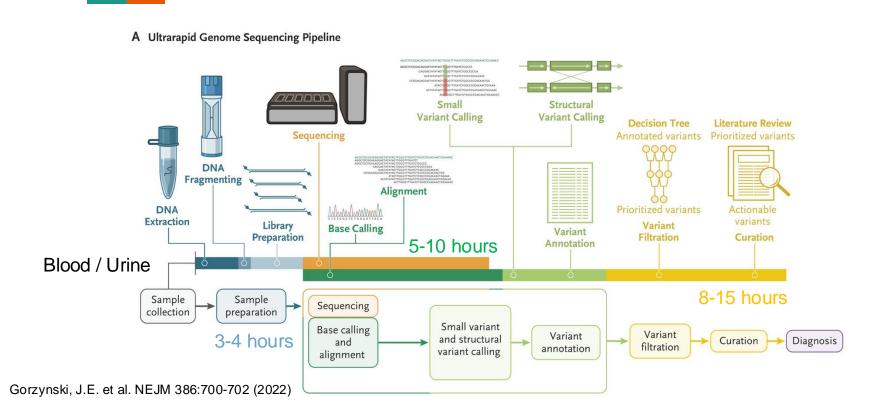
Gut microbial function (cellulose digestion, salt-related metabolism) Reflecting increased evolutionary potential and resilience in response to environment changes

Helping us select a putative translocation region



Yao, R. et al. Evol Bioinfo 15:1-3 (2019)

## Rapid pathogen detection for clinical decision



## Research questions in meta-omics

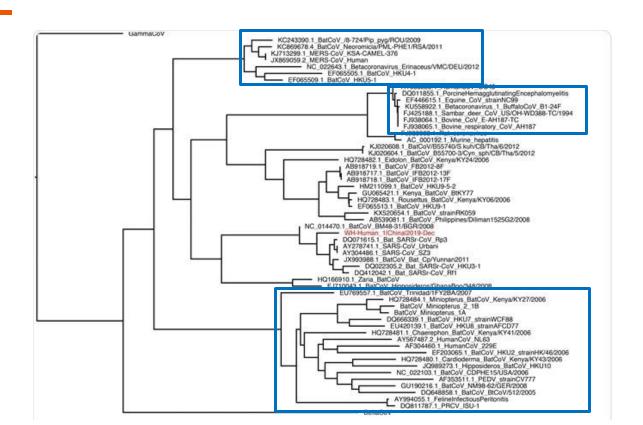
- Health
  - Host-pathogen association
  - Drug resistance genes
  - Gut microbiome, cancer microbiome
- Ecology
  - Change in microbiome due to human actions
    - Factory and hospital wastes
    - Global warming
  - Microbiome of extreme conditions
- Agriculture = pathogens and yield
- Surveillance

## Challenges in meta-omics

- Grouping of DNA from the same organism facilitate assembly
- Gene operon structure is required for functional interpretation
  - Read assembly
- Small genomic differences across species and sub-species
- Presence of plasmids

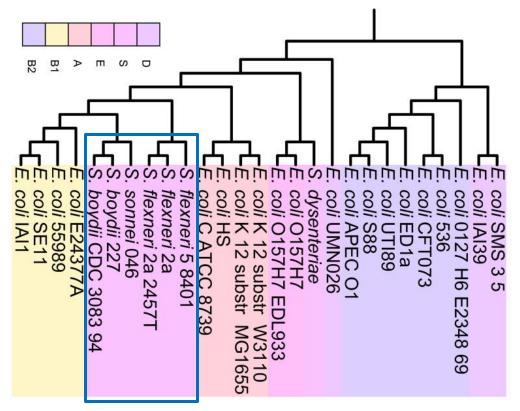
## Operational texonomic unit (OTU)

## Cluster of sequences with high similarity

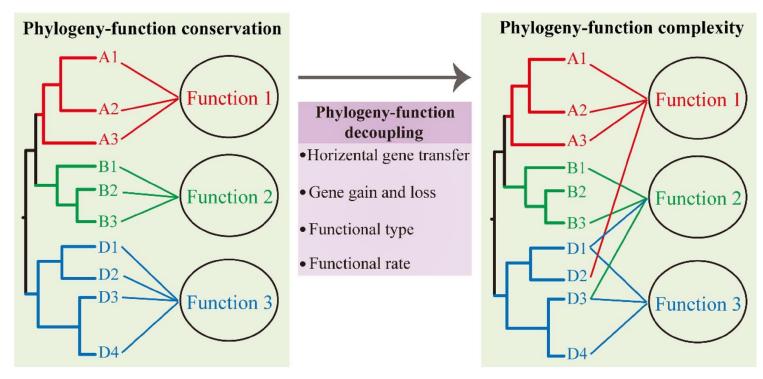


## Blurry boundary between species

- Genus Shigella are pathogens that evolved from an E. coli ancestor
- 80-90% similarity to some E.
  coli clades
- Definition of taxonomy may require both genotypes and phenotypes



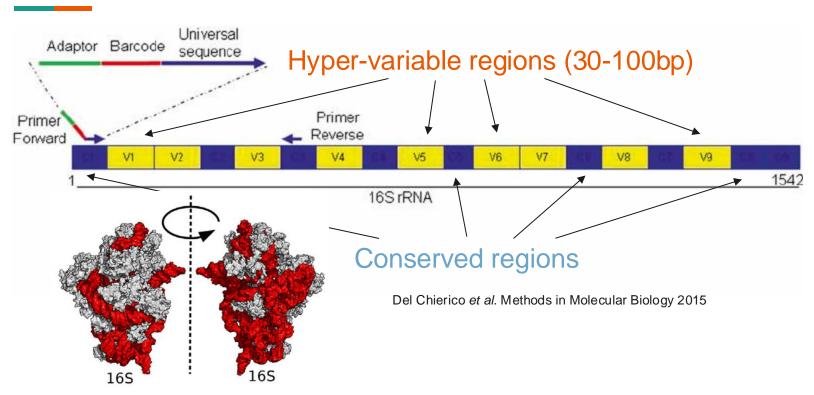
## Functional view of taxonomy



Liu et al., Marine Life Science & Technology 1: 112-128 (2019)

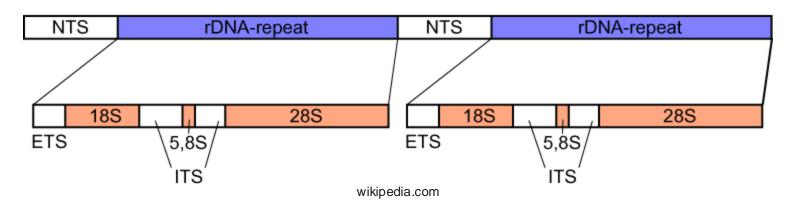
# Taxonomy analysis via rRNA loci

## **16S rRNA in prokaryotes**



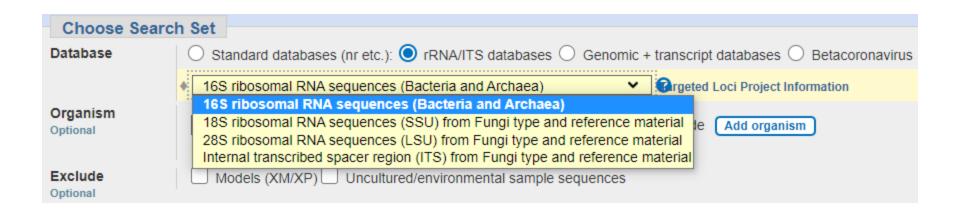
Ramazzotti and Bacci, Metagenomics: Perspectives, Methods, and Applications, 103-119 (2018)

## Internal transcribed spacer (ITS)



- Located between rRNA repeats
- ITS1 and ITS2
- 400-1000 bp
- Phylogenetics analysis of fungi and algae

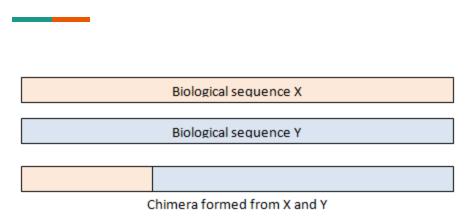
#### rRNA BLAST



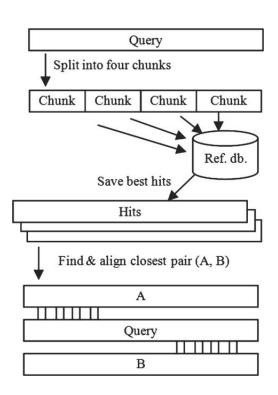
- Endpoint of rRNA amplicon analysis is taxonomic assignment
- Abundance profiles of taxa can be correlated to environment condition or disease status

# Some analyses of rRNA data

## Chimeric reads in amplicon sequencing

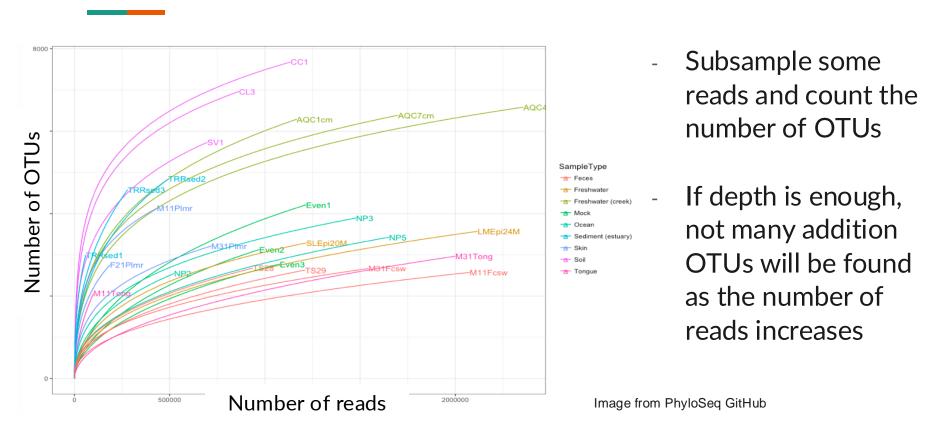


- Produced during PCR amplification
- Detected by alignment different portion of the reads to rRNA databases
- Mismatch of hits = chimeric reads



Edgar et al. Bioinformatics 27:2194-2200 (2011)

## Rarefaction curve for evaluating depth of sequencing



## Complexity of microbiome composition

Diversity indices/ Parameters	Description	Formula
Shannon diversity index (H)	Estimator of species richness and species evenness: more weight on species richness	$H = -\sum_{i=1}^{s} (p_i \ln p_i)$ where $s$ is the number of OTUs and $p_i$ is the proportion of the community represented by OTU $i$ .
Simpson's index (D)	Estimator of species richness and species evenness: more weight on species evenness	$D = \frac{1}{\sum_{i=1}^{s} p_i^2}$ where <i>s</i> is the total number of species in the community and <i>p<sub>i</sub></i> is the proportion of community represented by OTU <i>i</i> .

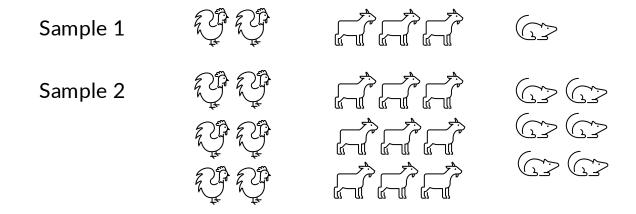
Kim, B.-R. et al. J Microbiol Biotechnol 27:2089-2093 (2017)

- Richness = number of distinct species
- Evenness = no dominant species

## Comparing microbiome composition

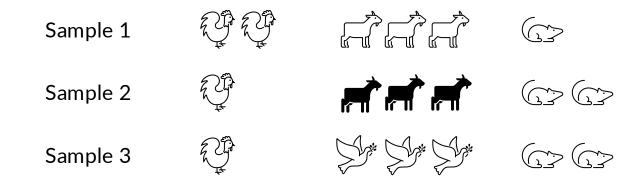
- $S_1$  = # of individuals in sample 1 = 6
- $S_2$  = # of individuals in sample 2 = 5
- Overlap = 1 + 2 + 1 = 4
- Bray-Curtis dissimilarity =  $1 \frac{2 \times \text{Overlap}}{S_1 + S_2} = 1 \frac{8}{11} = \frac{3}{11}$

## Impact of sequencing depth



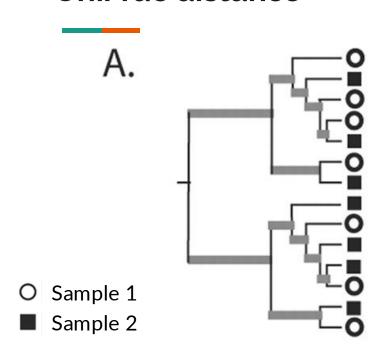
Bray-Curtis is suitable between samples with similar sequencing depths

## Impact of taxonomic similarity

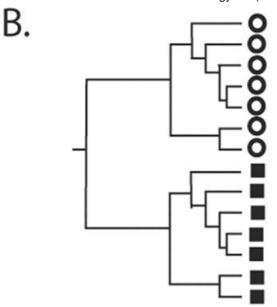


Bray-Curtis does not take into account taxonomic similarity

#### **UniFrac distance**



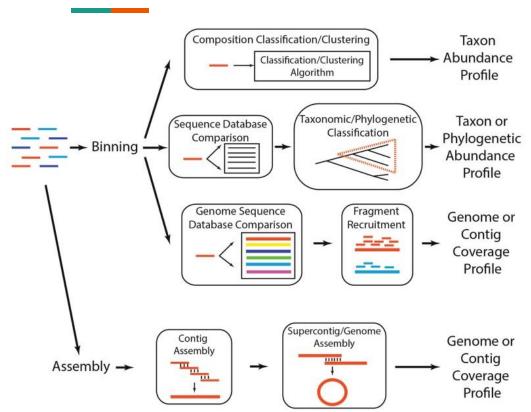
Lozupone, C. and Knight, R. Applied and Environmental Microbiology 71 (2005)



- UniFrac = fraction of shared phylogenetic branches between samples
- Can be weighted or unweighted by taxa abundances

## **Shotgun metagenomics**

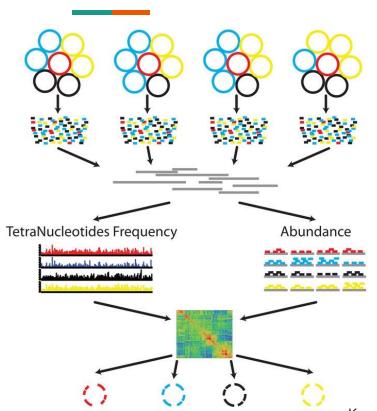
## Key steps in shotgun metagenomics



- Dealing with contamination
  - Host DNA
- Binning = grouping
  DNA/RNA from the same
  host organisms together
- Direct assembly is possible for abundant species

Sharpton et al. Front. Plant Sci. 5:209 (2014)

## **Read binning strategies**

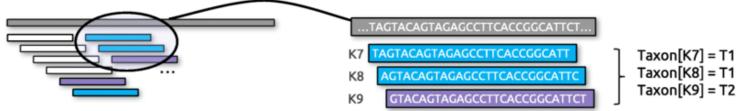


- Reads originated from the same species should have similar *k*-mer profile
- Pairs of reads originated from the same species should have highly correlated abundances across samples (because their abundances correlated with species abundance)

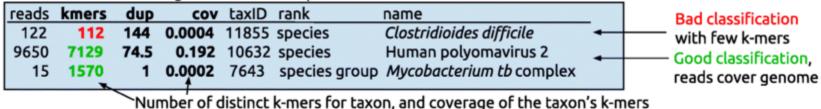
Kang et al. PeerJ (2015)

## k-mer matching to predict taxonomy

A Read k-mers are looked-up in the database and assigned to taxa:



C K-mer count and coverage in taxonomic report show evidence behind classifications:



## Metagenomics workflows

## Amplicon analysis pipeline (16S rRNA)

Marker gene analyses Raw reads **Exploration** FASTQC SegKit **Processing** FASTX-Toolkit PRINSEQ Trimmomatic fastq-join (paired-end) PEAR (paired-end) OTUS/ASVs estimation QIIME2 mothur DADA2 Deblur **UNOISE3** 

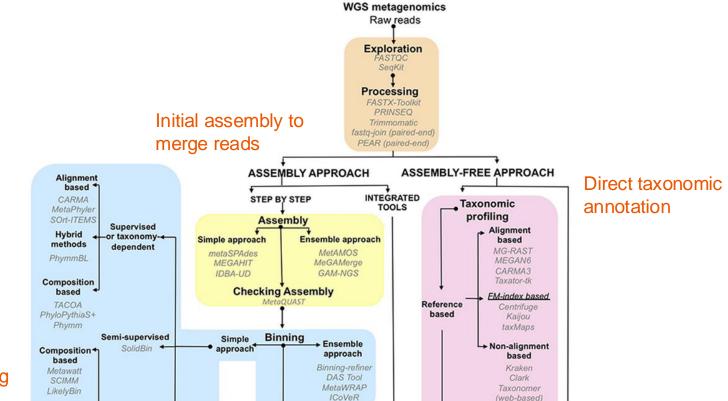
Taxonomic classification RDP classifier q2-feature classifier (QIIME2) UCLUST BLAST Functional prediction (optional) PICRUSt2 Tax4Fun PanFP Normalization DesegR (R Bioconductor package) edgeR (R Bioconductor package) metagenomeSeg (R Bioconductor package) R core software Copy number correction rrnDB (R package) CopyRighter pplacer

picante R package

*k*-mer, machine learning, or alignment

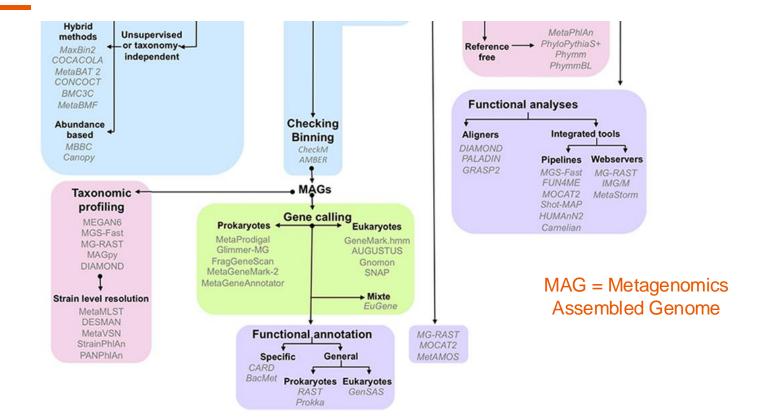
Remove noises, reads with high error, and chimera

## Shotgun analysis pipeline



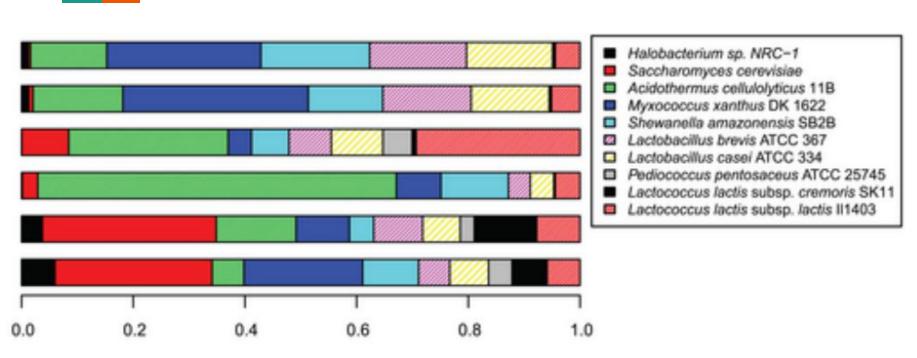
Read binning

## Shotgun analysis pipeline



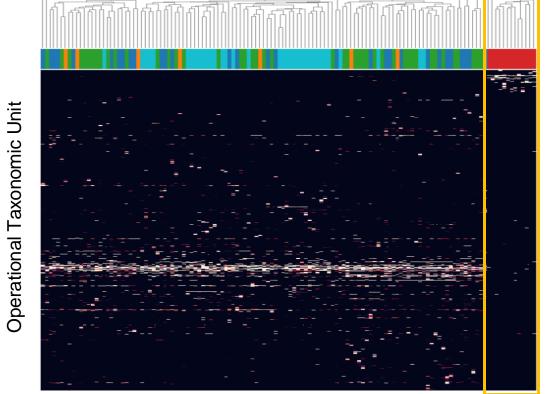
## Variability in microbiome analysis

#### Same sample, different profiles



Source: http://www.cbs.dtu.dk/courses/27626

#### **Batch effects**



Red = same batch

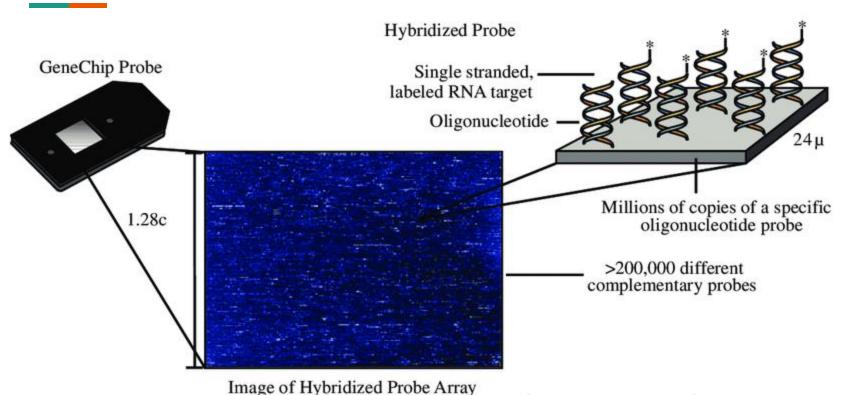
### Any question?

#### Part II: Microarray and Nanostring

- Targeted transcriptomics
- Cheap and scalable
- A good illustration of how to apply statistics to biological data

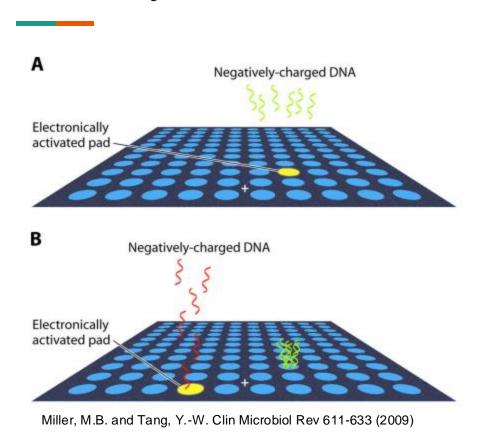
## Oligonucleotide microarray

#### Microarray technology overview

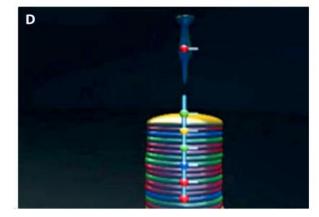


Suarez, E. et al. P R Health Sciences J 28:89-104 (2009)

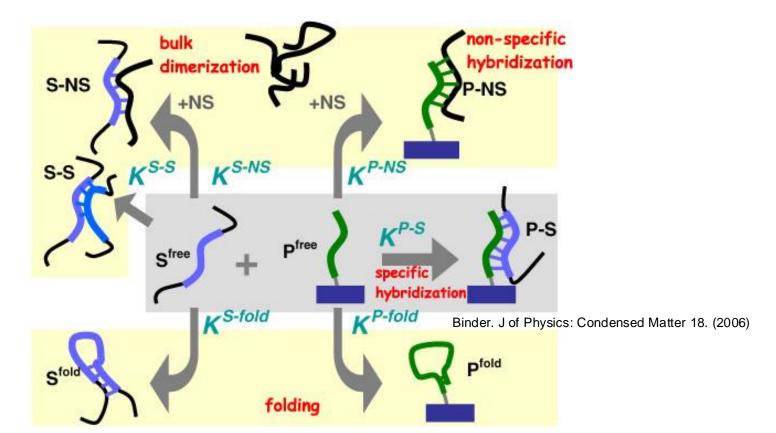
### **Microarray fabrication**



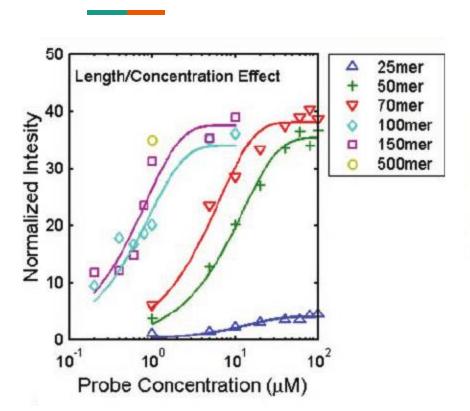


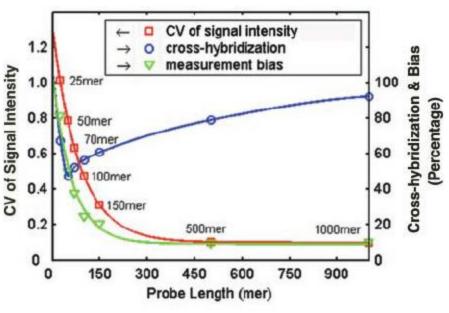


### **Unwanted probe interactions**



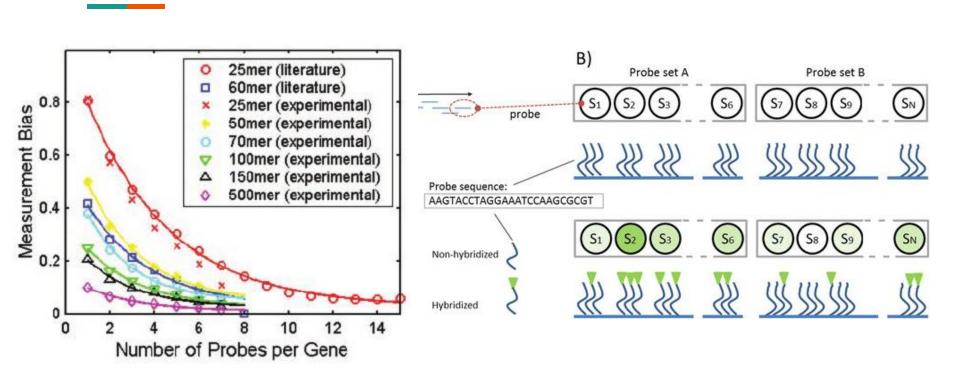
### Impact of probe length





Chou, C.-C. NAR 32:e99 (2004)

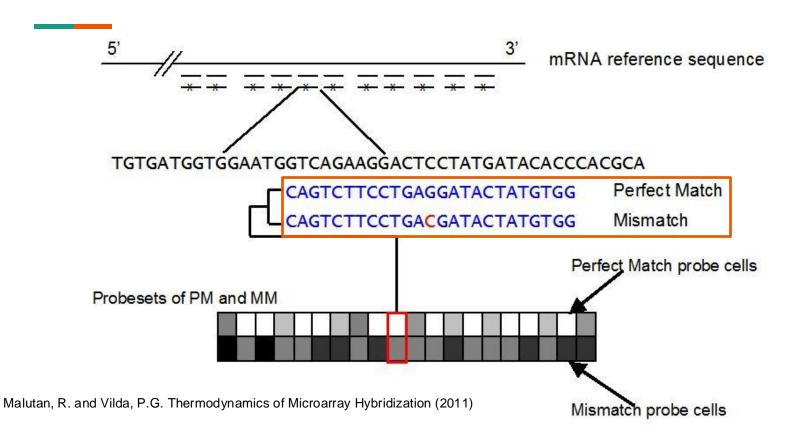
### Probe set = multiple probes per gene



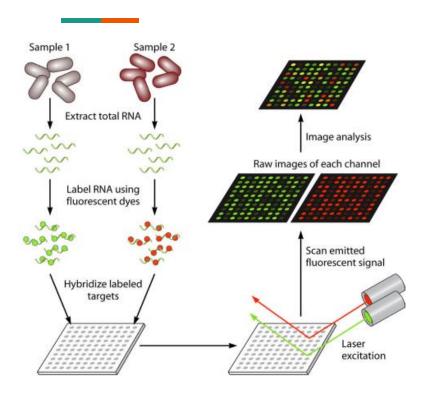
Chou, C.-C. NAR 32:e99 (2004)

Jaksik, R. et al. Biology Direct 10:46 (2015)

#### Perfect match (PM) and mismatch (MM)



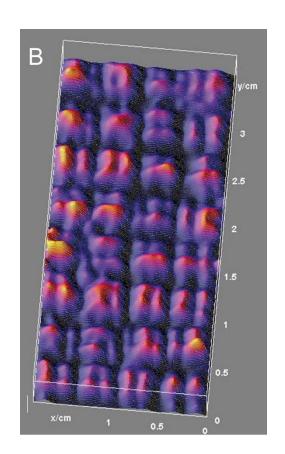
#### Multi-channel microarray



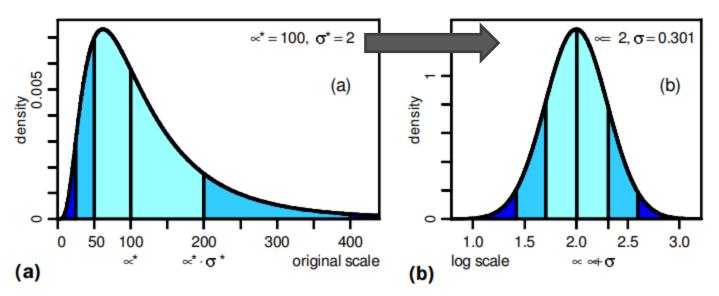
- Two samples are labeled with different dyes
- Mix and hybridize to microarray
- Relative fluorescence signal (ratio) directly indicates fold difference in gene expression
- Minimize technical variance

### **Key processing steps**

- Redefining probe set
  - BLAST to latest genome annotation
- Intensity correction
  - Model background using probe location & sequence
  - Perfect match (PM) vs mismatch (MM)
  - Global & local correction
- Outlier removal
- Probe set aggregation
- Log transform

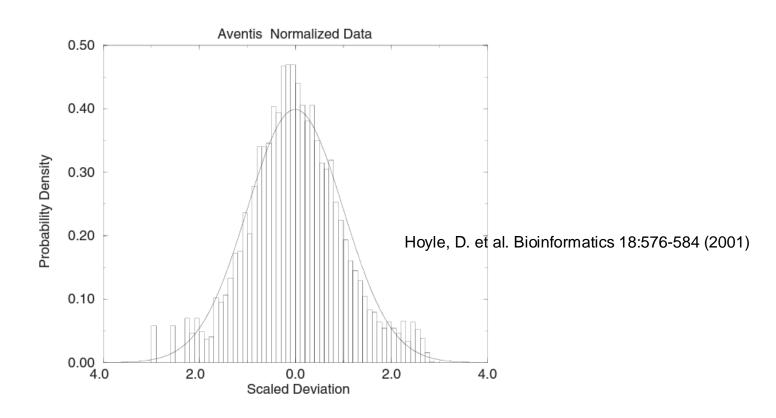


#### Log-normal distribution



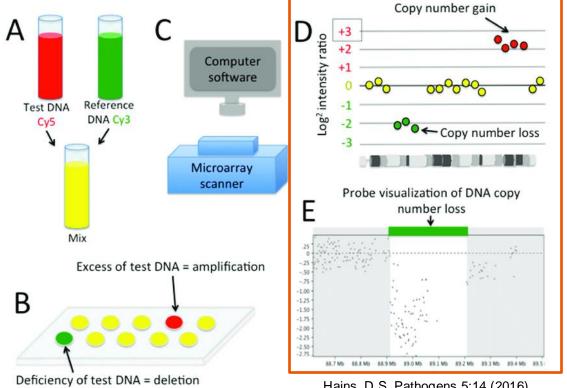
Limpert, Stahel, and Abbt. BioScience 2001.

### Microarray data are log-normal distributed



# **Beyond transcriptomics**

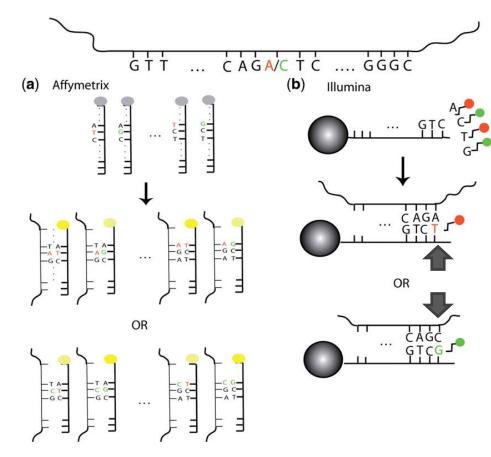
#### Comparative genome hybridization (CGH)



Hains, D.S. Pathogens 5:14 (2016)

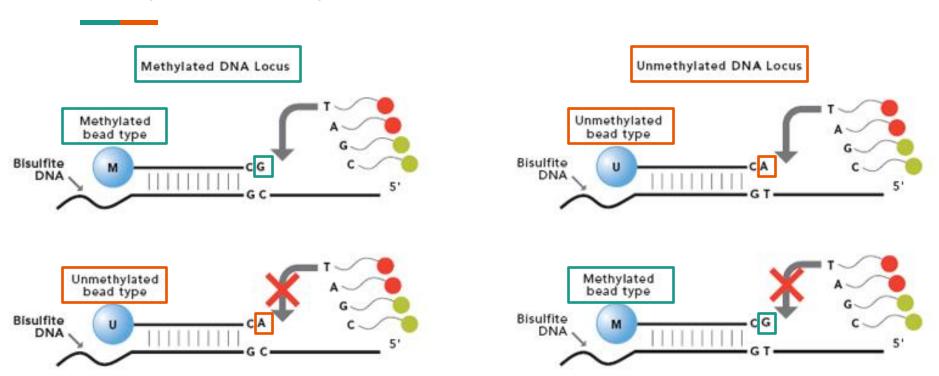
### **SNP** genotyping array

- Design probes for alternative
  SNPs at each position
  - Relative hybridization
- Single-nucleotide sequencing
  - Probe acts as primer
  - Match to the position up until right before the SNP
  - Incorporation of the next nucleotide determine the genotype



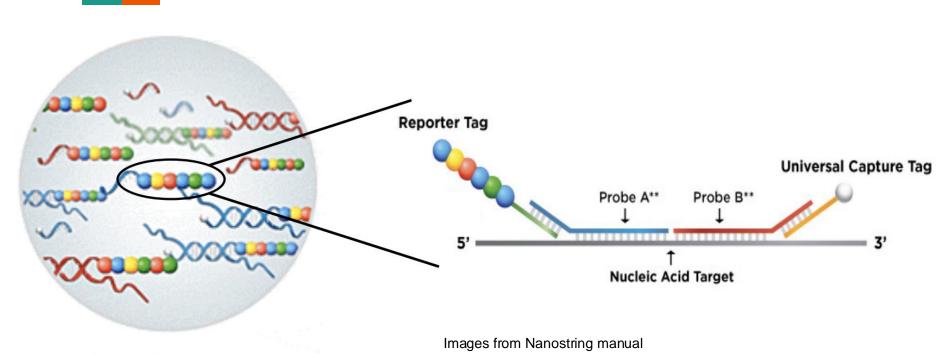
LaFramboise, T. NAR 37:4181-93 (2009)

### **Methylation array**



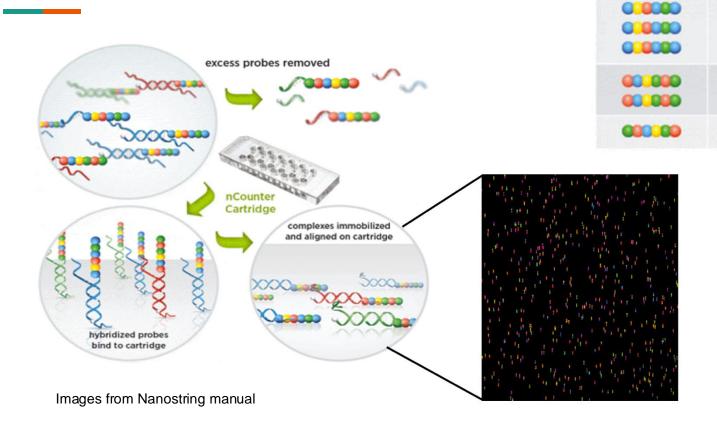
# **Nanostring**

#### Transcript-specific probes & fluorescence barcodes



solution phase hybridization

### **Counting number of molecules**



Barcode

Counts

Identity

XLSA

FOX5

INSULIN

#### Prebuilt barcode set (up to 800 targets)



#### PanCancer IO 360

Human 🔁 Mouse 🛨

750 cancer-related genes involved in the complex interplay between the tumor, microenvironment and immune response including 20 internal reference controls.

Application:

Species:

Human, Mouse

Oncology

770, 770

Inventoried

Genes in panel:

100%, 100%

% Match: Panel type: Platform:

nCounter Analysis System



#### Canine IO

Canine 🛨

The nCounter® Canine IO Panel includes 780 genes covering 47 annotated pathways involved in canine immune response to IO treatments, and 20 internal reference genes for .... show more

Application:

Oncology

Species:

Canine

Genes in panel: % Match: 800 100%

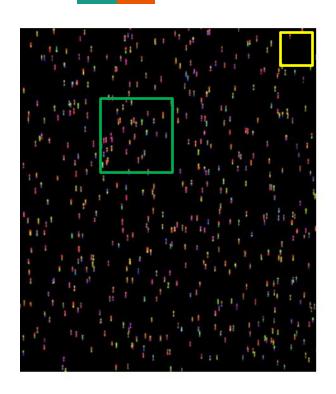
Panel type:

Inventoried

Platform:

nCounter Analysis System

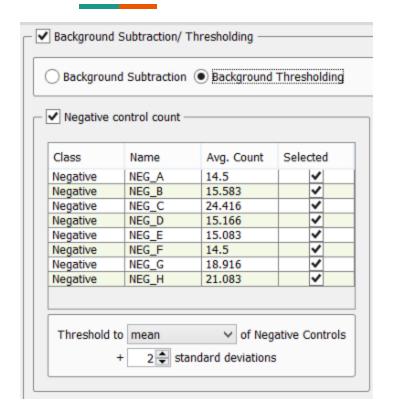
#### Nanostring quality control



- Imaging QC
  - % of successful imaging field of view > 75%
- Binding QC
  - 0.1-2 molecules per square micron
- Positive control
  - Six synthetic DNA ranging from 0.125-128 fM
- Negative control
  - Eight synthetic DNA that do not bind to probe

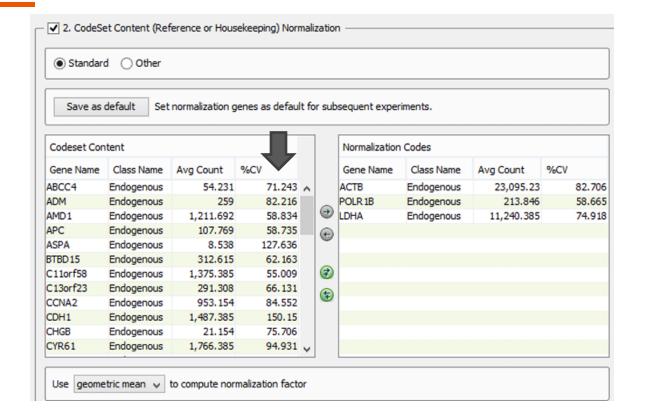
# Nanostring data preprocessing

#### Negative and positive control

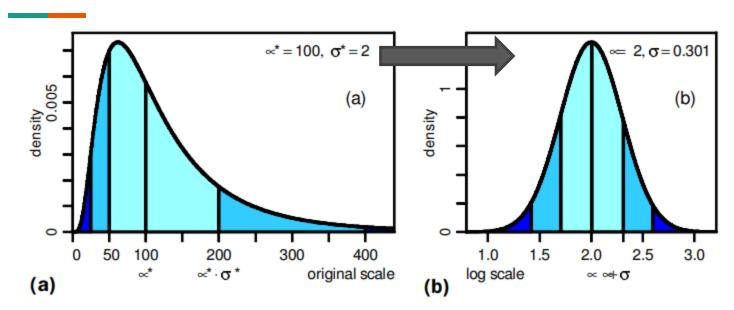


Raw Data							
			Sample 1	Sample 2	Sample 3		
Positive	POS_A	ERCC_00117.1	24573	21007	21856		
Positive	POS_B	ERCC_00112.1	6948	6414	6589		
Positive	POS_C	ERCC_00002.1	2123	1826	1932		
Positive	POS_D	ERCC_00092.1	432	363	425		
Positive	POS_E	ERCC_00035.1	52	68	53		
Positive	POS_F	ERCC_00034.1	49	38	52		
		Geomean of POS:	858.01	783.19	829.55		
	Arithmetic	mean of geomeans:	823.58				
POS	control no	ormalization factors:	0.96	1.05	0.99		

#### Housekeeping control



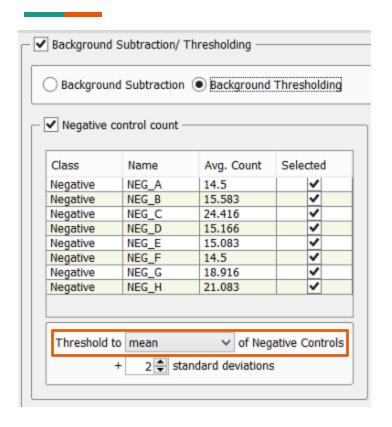
#### Arithmetic Mean vs Geometric Mean



Limpert, Stahel, and Abbt. BioScience 2001.

$$\frac{\log(x) + \log(y)}{2} = \log(\sqrt{xy})$$
  $\rightarrow$  AM of log-transformed = GM of original data

#### Arithmetic mean of background noises



- Background noises are Normal
- Arithmetic Mean is ok

#### Geometric mean of positive controls

Raw Data							
			Sample 1	Sample 2	Sample 3		
Positive	POS_A	ERCC_00117.1	24573	21007	21856		
Positive	POS_B	ERCC_00112.1	6948	6414	6589		
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	Arithmetic	mean of geomeans:	823.58				
POS	control no	ormalization factors:	0.96	1.05	0.99		

- Real expression data are closer to Log-Normal
- Use GM to represent AM of log-transformed data
- Positive controls with known concentration serve as correction factor

# Simple transcriptomics analysis

#### Transformed data can be analyzed with t-test

Treatment

		Control			ı	reaume	116		
	J15								
_1	Α	В	С	D	Е	F	G	Н	
1	Acc ID	Exp1	Exp2	Exp3	Exp4	Exp5	Exp6		
2	NM_007818	67540.89	70924.09	80243.76	3501.2	5697.47	2426.72		
3	NM_001105160	811.93	801.36	740.71	128.67	104.42	101.33		
4	NM_028089	190.41	211.06	236.19	9.05	23.33	8.44		
5	NM_016696	66.77	57.56	101.09	750.9	659.84	491.89		
6	NM_013459	3.3	11.29	1.89	735.82	816.46	118.22		
7	NM_007809	45.34	36.12	51.02	245.27	372.13	335.67		
8	NM_009999	103.04	370.21	200.29	17.09	13.33	8.44		
9	NM_133960	7708.78	6976.38	6569.04	1731	1641.81	1853.55		
10	NM_027881	31.32	10.16	24.56	268.39	186.62	135.11		
11	NM_054053	31.32	24.83	19.84	323.68	428.78	116.11		
12	NM_007377	47.81	89.17	70.86	370.93	378.79	279.72		
13	NM_028064	703.95	689.62	662.29	214.11	168.85	144.61		
14	NM_008182	222.56	339.73	226.75	30.16	63.32	26.39		
15	NM_013661	12.36	11.29	8.5	97.51	77.76	71.78		
16	NM_007815	20613.09	25218.13	31540.46	5209.07	7680.3	6312.2		

Control

- Log transform
- Perform t-test on each gene
- Correct the p-values for multiple testing

#### Choosing the right *t*-test



Two-tailed tests whether the expression is higher or lower

=t.test(A2:A13,B2:B13,2,						
T.TEST(array1, array2, tails, type)						
() 1 - Paired				T.TEST per	forms a pair	ed t-Test
()2 - Two-s	mple equal variar	nce (homosced	lastic)			
() 3 - Two-s	imple unequal var	iance (heteros	cedastic)			

- Use paired only for before & after treatment data of the same sample
- Otherwise, assuming unequal variance (Welch) is safer

#### **Correction with Bonferroni method**

- Divide the p-value cutoff by the number of test
- Adjusted p-value cutoff = 0.05 / 1000 = 0.00005
- Applying similar test 1,000 times will result in 0.05 tests on average with smaller p-value than 0.00005 just by chance
- Easy to calculate but lose power

#### False discovery rate (FDR) vs p-value

- **P-value** = probability of observing the same or more extreme (higher fold change) under the null hypothesis (that there is no differential expression)
- **False Discovery Rate** = probability that a detected differentially expressed gene was not differentially expressed
- P-value is easy to calculate (because it assumes no differential expression)
- But FDR involves alternative hypothesis
- There are ways to control FDR through p-value!

#### Benjamini-Hochberg procedure

- Valid under broad assumptions (independent tests, positively correlated tests, etc.)
- Given a series of tests with p-values,  $p_1, p_2, ..., p_n$
- To control FDR to be within 0.05
  - Sort p-values from low to high,  $p'_1, p'_2, ..., p'_n$
  - Find largest k such that  $p'_k \le 0.05 \times k / n$ 
    - For the smallest p-value, this is equivalent to Bonferroni
    - For other p-values, this technique gradually loosens the cutoff
  - Reject null hypothesis for tests corresponding to  $p'_1, p'_2, ..., p'_k$

### **Correction method comparison**

P-value	Bonferroni	В-Н	B-Y
Smallest	0.0005	0.0005	0.0005
2 <sup>nd</sup> smallest	0.0005	0.001	0.000667
3 <sup>rd</sup> smallest	0.0005	0.0015	0.000818
4 <sup>th</sup> smallest	0.0005	0.002	0.00096
5 <sup>th</sup> smallest	0.0005	0.0025	0.001095

- There are 100 tests
- Target p-value or FDR cutoff = 0.05

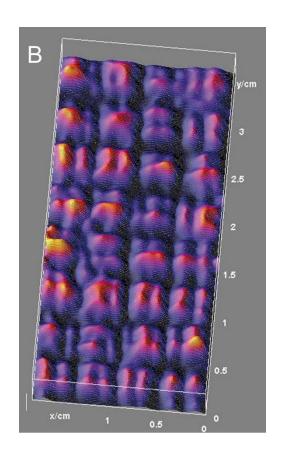
#### **Effect of correction**

Gene	Sorted p- value	Rank	Benjamini- Hochberg	Result	c(rank)	Benjamini- Yekutieli	Result
Gene M	0.000001	1	0.0005	Pass	1	0.0005	Pass
Gene S	0.0000035	2	0.001	Pass	1.5	0.00067	Pass
Gene A	0.00028	3	0.0015	Pass	1.83	0.00082	Pass
Gene C	0.0011	4	0.002	Pass	2.08	0.00096	Fail
Gene P	0.06	5	0.0025	Fail	2.28	0.0011	

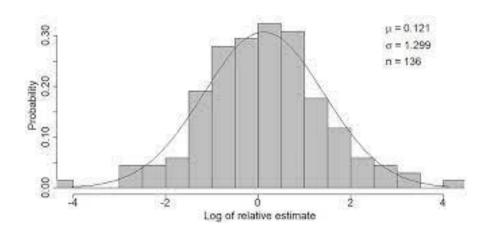
### Linear effect model

#### Background noise correction models

- Null hypothesis
  - Background noise is normally distributed and is the same over the entire array
- Linear effect model
  - Background noise is normally distributed with mean depending on (x, y) positions and a fixed variance



#### Fitting normally distributed data



- Probe intensities:  $n_1, n_2, ..., n_k$ 
  - Fitted mean and variance:  $\mu = \frac{\sum_i n_i}{k}$  and  $\sigma^2 = \frac{1}{k-1} \sum_i (n_i \mu)^2$
  - Likelihood:  $\prod_i P(n_i | \mu, \sigma^2) = \left(\frac{1}{\sigma\sqrt{2\pi}}\right)^k e^{-\frac{1}{2}\sum_i \left(\frac{n_i \mu}{\sigma}\right)^2}$

#### Linear effect model

- Position of probe *i* with intensity  $n_i$  is  $(x_i, y_i)$
- Fitted mean:  $\mu(x_i, y_i) = ax_i + by_i + c$ 
  - Solve for a, b, c that minimize MSE:  $\sum_{i} (n_i (ax_i + by_i + c))^2$
- Recall calculus:

$$-\frac{\delta MSE}{\delta a} = \sum_{i} 2(n_i - (ax_i + by_i + c))(-x_i)$$

$$-\frac{\delta MSE}{\delta b} = \sum_{i} 2(n_i - (ax_i + by_i + c))(-y_i)$$

$$-\frac{\delta MSE}{\delta c} = \sum_{i} 2(n_i - (ax_i + by_i + c))(-1)$$

#### Some algebra exercises

- Setting partial derivatives to zero
  - $-0 = \sum_{i} (n_i (ax_i + by_i + c))(-x_i)$
  - $-0 = \sum_{i} (n_i (ax_i + by_i + c))(-y_i)$
  - $-0 = \sum_{i} (n_i (ax_i + by_i + c))$
- Or equivalently
  - $a \sum_{i} x_i^2 + b \sum_{i} x_i y_i + c \sum_{i} x_i = \sum_{i} n_i x_i$
  - $a \sum_{i} x_i y_i + b \sum_{i} y_i^2 + c \sum_{i} y_i = \sum_{i} n_i y_i$
  - $a\sum_{i} x_{i} + b\sum_{i} y_{i} + ck = \sum_{i} n_{i}$
- Three linear equations with three variables ©

### Incorporating confounding variable

#### - Design matrix

Sample	Condition	Batch	Patient's Age
S1	Control	1	35
S2	Control	2	21
S3	Control	3	45
S4	Treatment	1	18
<b>S</b> 5	Treatment	2	37
S6	Treatment	3	52

### Any question?