



# General Topic: Whole Numbers up to Millions

## Lesson Overview:

Students learn to read, write, compare, and order **numbers up to the millions** place value, as well as perform basic operations with them.

## Key Concepts and Subtopics:

- Place value up to millions

♦ **What is Place Value?**

Place value tells us the **value** of a digit depending on its position in a number.

♦ **Place Value Chart (up to Millions)**

Millions	Hundred Thousands	Ten Thousands	Thousands	Hundreds	Tens	Ones
1,000,000	100,000	10,000	1,000	100	10	1

♦ **Example**

Number: 4,572,389

- 4 → 4,000,000 (Four Million)
- 5 → 500,000 (Five Hundred Thousand)
- 7 → 70,000 (Seventy Thousand)
- 2 → 2,000 (Two Thousand)
- 3 → 300 (Three Hundred)
- 8 → 80 (Eighty)
- 9 → 9 (Nine Ones)

👉 Together: Four million, five hundred seventy-two thousand, three hundred eighty-nine

- Comparing and ordering numbers

♦ **Comparing Numbers**

When we compare numbers, we check which is bigger, smaller, or equal.  
We use the symbols:

- > means greater than (bigger)
- < means less than (smaller)
- = means equal

👉 **Example:**

- $6,432 > 6,321$  (because 6,432 is bigger)
- $45,120 < 45,210$  (because 120 is smaller than 210)
- $500,000 = 500,000$

♦ **Ordering Numbers**

- Ascending order → from smallest to biggest (low → high)
- Descending order → from biggest to smallest (high → low)

👉 **Example:**

Arrange 23,501; 23,150; 23,410 in:

- Ascending order: 23,150, 23,410, 23,501
- Descending order: 23,501, 23,410, 23,150



- Rounding off numbers

- ♦ What is Rounding?

Rounding means making a number simpler but keeping its value close to the original.

- ♦ Rules in Rounding

1. Look at the digit to the right of the place value you are rounding.
2. If the digit is 5 or more → add 1 to the rounding place.
3. If the digit is 4 or less → keep it the same.
4. Replace the digits to the right with zero (0).

- ♦ Examples

- Round 3,846 to the nearest hundred:
  - Look at tens place (4).
  - 4 is less than 5, so hundreds digit stays 8.
  - Answer: 3,800
- Round 7,592 to the nearest thousand:
  - Look at hundreds place (5).
  - 5 is 5 or more, so add 1 to 7 → 8.
  - Answer: 8,000

- Addition, subtraction, multiplication, and division with large numbers

- ♦ 1. Addition (+)

Add numbers starting from the ones place, carry over if needed.

👉 Example:  
 $45,678 + 32,945 = 78,623$

- ♦ 2. Subtraction (−)

Subtract starting from the ones place, borrow if needed.

👉 Example:  
 $98,402 - 56,789 = 41,613$

- ♦ 3. Multiplication (×)

Multiply numbers using long multiplication (step by step).

👉 Example:

$$325 \times 46 =$$

- $325 \times 6 = 1,950$
- $325 \times 40 = 13,000$
- Add = 14,950

- ♦ 4. Division (÷)

Use long division to divide step by step.

👉 Example:

$$8,568 \div 12 = 714$$

## Real-Life Example:

Calculating the total population of several cities combined.

## Remember This!

- Always align numbers according to their place value when performing operations.



# General Topic: *Fractions, Decimals, Percentages*

## Lesson Overview:

Focuses on the relationship between **fractions**, **decimals**, and **percentages**, and applying these concepts in problem-solving.

## Key Concepts and Subtopics:

- Converting between fractions, decimals, and percentages

<p>♦ 1. Fractions → Decimals</p> <p>👉 Divide numerator by denominator</p> <p>Example:</p> $\frac{1}{4} = 1 \div 4 = 0.25$	<p>♦ 2. Decimals → Percentages</p> <p>👉 Multiply by 100 and add %</p> <p>Example:</p> $0.25 \times 100 = 25\%$	<p>♦ 3. Percentages → Fractions</p> <p>👉 Write it over 100, then simplify</p> <p>Example:</p> $25\% = \frac{25}{100} = \frac{1}{4}$
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- Adding, subtracting, multiplying, and dividing fractions and decimals

<p><b>1. Addition &amp; Subtraction</b></p> <p>👉 Make the denominators the same first (LCD), then add or subtract numerators.</p> <p>Example:</p> $\frac{1}{2} + \frac{1}{4} = \frac{2}{4} + \frac{1}{4} = \frac{3}{4}$ $\frac{3}{5} - \frac{1}{10} = \frac{6}{10} - \frac{1}{10} = \frac{5}{10} = \frac{1}{2}$	<p>🟡 <b>Decimals</b></p> <p><b>1. Addition &amp; Subtraction</b></p> <p>👉 Line up the decimal points, then solve.</p> <p>Example:</p> $3.45 + 2.6 = 6.05$ $7.8 - 3.25 = 4.55$
<p><b>2. Multiplication</b></p> <p>👉 Multiply numerator <math>\times</math> numerator and denominator <math>\times</math> denominator.</p> <p>Example:</p> $\frac{2}{3} \times \frac{4}{5} = \frac{8}{15}$	<p><b>2. Multiplication</b></p> <p>👉 Multiply normally, then count decimal places.</p> <p>Example:</p> $1.2 \times 0.3 = 0.36$
<p><b>3. Division</b></p> <p>👉 Multiply the first fraction by the reciprocal of the second.</p> <p>Example:</p> $\frac{3}{4} \div \frac{2}{5} = \frac{3}{4} \times \frac{5}{2} = \frac{15}{8} = 1\frac{7}{8}$	<p><b>3. Division</b></p> <p>👉 Move the decimal in the divisor until it's a whole number, then do the same to the dividend.</p> <p>Example:</p> $6.4 \div 0.2 = 64 \div 2 = 32$



- Finding percentages of numbers

**Rule**

To find a percentage of a number:

$$\text{Percentage} = \frac{\text{Percent}}{100} \times \text{Whole Number}$$

**Examples**

1. 25% of 200

$$\frac{25}{100} \times 200 = 50 \quad \checkmark$$

2. 10% of 500

$$\frac{10}{100} \times 500 = 50 \quad \checkmark$$

3. 75% of 80

$$\frac{75}{100} \times 80 = 60 \quad \checkmark$$

- Solving real-world problems involving discounts, taxes, and interest

### Real-Life Example:

Calculating the percentage discount on a sale item.

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### ***Remember This!***

- *Percent means “per hundred,” so 50% = 50 out of 100 = 0.5.*



# General Topic: Ratio and Proportion

## Lesson Overview:

Teaches how to compare quantities and determine equivalent **ratios and proportions** in practical contexts.

## Key Concepts and Subtopics:

- Writing ratios in different forms

### 1. Discounts (Sale Price)

👉 Formula:

$$\text{Discount} = \frac{\text{Rate}}{100} \times \text{Original Price}$$

$$\text{Sale Price} = \text{Original Price} - \text{Discount}$$

Example:

A bag costs ₱1,000. It has a 20% discount.

Discount = 20% of 1,000 = ₱200

Sale Price = 1,000 - 200 = **₱800** ✓

### 2. Taxes (Extra payment added)

👉 Formula:

$$\text{Tax} = \frac{\text{Rate}}{100} \times \text{Price}$$

$$\text{Total Price} = \text{Price} + \text{Tax}$$

Example:

A meal costs ₱500. VAT is 12%.

Tax = 12% of 500 = ₱60

Total Price = 500 + 60 = **₱560** ✓

### 3. Simple Interest (Money earned in savings/loans)

👉 Formula:

$$I = P \times R \times T$$

Where:

- $P$  = Principal (starting money)
- $R$  = Rate (in decimal)
- $T$  = Time (in years)

Example:

You save ₱5,000 in a bank at 10% per year. How much interest after 2 years?

$$I = 5,000 \times 0.10 \times 2 = \text{₱}1,000$$

So total money = 5,000 + 1,000 = **₱6,000** ✓

- Simplifying ratios

### What does it mean?

👉 To simplify a ratio, divide both numbers by their **greatest common factor (GCF)**.  
(Just like simplifying fractions!)

#### Example 1

Ratio: 6:9

- Find GCF of 6 and 9 → 3
- Divide both by 3 →  $\frac{6}{3} : \frac{9}{3} = 2 : 3$  ✓


#### Example 2


Ratio: 12:16

- GCF of 12 and 16 = 4
- $\frac{12}{4} : \frac{16}{4} = 3 : 4$  ✓




- Solving proportions

 **What is a Proportion?**

 A proportion is when two ratios are equal.

Example:

$$\frac{2}{3} = \frac{4}{6}$$

Yes!  They are equal.

- Applying ratios and proportions to real-life problems

### **Real-Life Example:**

Mixing paint in a 2:3 ratio of blue to yellow.

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### ***Remember This!***

- *In a proportion, the cross-products are equal.*



# General Topic: Geometry: Polygons, Circles, Solid Figures

## Lesson Overview:

Explores the **properties and classifications** of 2D and 3D shapes.

## Key Concepts and Subtopics:

- Types of polygons and their properties

### What is a Polygon?

👉 A polygon is a closed figure made of straight lines.

- Has **sides** (lines)
- Has **vertices** (corners)
- Has **angles**

🚫 Not polygons: shapes with curves (like circles) or open shapes.

### Types of Polygons (Based on Sides)

#### 1. Triangle (3 sides) ▲

- 3 sides, 3 angles
- Types: equilateral, isosceles, scalene

#### 2. Quadrilateral (4 sides) ■

- Examples: square, rectangle, trapezoid
- Opposite sides can be parallel

#### 3. Pentagon (5 sides) ⬠

- Example: shape of a star outline
- Regular pentagon = all sides equal

#### 4. Hexagon (6 sides) ⬡

- Example: honeycomb cell 🍯
- Regular hexagon = all sides and angles equal

#### 5. Octagon (8 sides) ●

- Example: stop sign 🛑

### Properties of Regular Polygons

- ✓ All sides are equal
- ✓ All angles are equal
- ✓ Symmetrical

### Fun Real-Life Examples

- Triangle → traffic yield sign 🚧
- Square → chessboard 🏁
- Rectangle → door 🚪
- Pentagon → Pentagon building (USA) 🏛️
- Hexagon → beehive 🍯
- Octagon → stop sign 🛑



- Parts of a circle: radius, diameter, circumference

**What is a Circle?**

A circle is a round shape where all points are the same distance from the center.

**Parts of a Circle**

**1. Radius (r)**

- A line from the **center** to any point on the circle.
- Half the diameter.
- Example: If the diameter is 10 cm, radius = 5 cm.

**2. Diameter (d)**

- A line that **passes through the center** and touches both sides of the circle.
- **Longest chord** of a circle.
- Formula:

$$d = 2r$$

**3. Circumference (C)**

- The **distance around the circle** (its perimeter).
- Formula:

$$C = \pi d \quad \text{or} \quad C = 2\pi r$$

- Use  $\pi \approx 3.14$ .
- Example: If  $r = 7 \text{ cm} \rightarrow$

$$C = 2 \times 3.14 \times 7 = 43.96 \text{ cm}$$

- Types of solid figures: prisms, pyramids, spheres, cylinders, cones

**1. Prisms**

- Solid figure with **two identical flat faces** (bases) and **rectangular sides**.
- Named by the shape of the base.
  - Example: **Rectangular prism** (box, book)
  - Example: **Triangular prism** (tent)

**2. Pyramids**

- Solid figure with a **polygon base** and **triangular faces** that meet at one vertex (apex).
- Named by the shape of the base.
  - Example: **Square pyramid** (Egyptian pyramid)
  - Example: **Triangular pyramid** (toy pyramid, tents)

**3. Sphere**

- Perfectly round, all points are the same distance from the center.
- No edges, no vertices.
- Example: ball, orange, marble.

**4. Cylinder**

- Has **two parallel circular bases** connected by a curved surface.
- Example: can of soda, drum, water pipe.

**5. Cone**

- Has **one circular base** and a curved surface that meets at one vertex (tip).
- Example: ice cream cone, party hat, traffic cone.





- Identifying edges, vertices, and faces

### ● Key Definitions

- **Faces** – Flat surfaces of a solid figure (like the “sides”).
- **Edges** – Line segments where two faces meet.
- **Vertices** – Corner points where edges meet (plural of *vertex*).

### **Real-Life Example:**

Identifying geometric shapes in buildings and everyday objects.

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### ***Remember This!***

- *A polygon is a closed figure made of straight lines.*



# General Topic: Measurement: Area, Perimeter, Volume, Time

## Lesson Overview:

Covers how to **measure space** in two and three dimensions, as well as time calculations.

## Key Concepts and Subtopics:

- Area and perimeter of rectangles, triangles, and circles

◆ 1. Rectangle

- Perimeter (P): Add all sides

$$P = 2 \times (L + W)$$

- Area (A):

$$A = L \times W$$

👉 Example: A 6 m × 4 m garden

- $P = 2(6 + 4) = 20 \text{ m}$
- $A = 6 \times 4 = 24 \text{ m}^2$

◆ 2. Triangle

- Perimeter (P): Add all three sides

$$P = a + b + c$$

- Area (A):

$$A = \frac{1}{2} \times b \times h$$

👉 Example: A triangle with base 10 cm and height 6 cm

- $A = \frac{1}{2} \times 10 \times 6 = 30 \text{ cm}^2$

◆ 3. Circle

- Perimeter (Circumference, C):

$$C = 2\pi r$$

- Area (A):

$$A = \pi r^2$$

👉 Example: Circle with radius 7 cm

- $C = 2 \times 3.14 \times 7 = 43.96 \text{ cm}$
- $A = 3.14 \times 7^2 = 153.86 \text{ cm}^2$

- Volume of prisms and cylinders

🟡 What is Volume?

- Volume is the amount of space inside a 3D figure.
- Think of it as how much water, sand, or objects can fit inside. 📦

🟡 Formula

1. Prism (Cube/Rectangular Prism)

$$V = \text{Length} \times \text{Width} \times \text{Height}$$

🟡 Example:

A box has dimensions 4 cm × 3 cm × 5 cm.

$$V = 4 \times 3 \times 5 = 60 \text{ cm}^3$$

2. Triangular Prism

$$V = \frac{1}{2} \times \text{Base} \times \text{Height of Triangle} \times \text{Length}$$

🟢 Example:

Base = 6 cm, Height = 4 cm, Length = 10 cm

$$V = \frac{1}{2} \times 6 \times 4 \times 10 = 120 \text{ cm}^3$$

3. Cylinder

$$V = \pi r^2 h$$

where  $r$  = radius,  $h$  = height

🟡 Example:

Radius = 3 cm, Height = 10 cm

$$V = 3.14 \times 3^2 \times 10 = 282.6 \text{ cm}^3$$



- Converting units of measurement

#### ● Key Idea

- Conversion means **changing a measurement into another unit** but keeping the same value.
- Example: 1 meter (m) = 100 centimeters (cm) ✂️ 📏

#### ● Common Conversions

##### ◆ Length

- 1 kilometer (km) = 1000 meters (m)
- 1 meter (m) = 100 centimeters (cm)
- 1 centimeter (cm) = 10 millimeters (mm)

##### ◆ Weight / Mass 🏺

- 1 kilogram (kg) = 1000 grams (g)

##### ◆ Capacity (Liquid) 🍷

- 1 liter (L) = 1000 milliliters (mL)

- Calculating elapsed time

#### ● Key Idea

Elapsed time is the amount of time that passes from the start to the end.

Formula:

$$\text{Elapsed Time} = \text{Ending Time} - \text{Starting Time}$$

#### ● Example Problems

##### 1. Simple Example

Start: 2:15 PM

End: 4:45 PM

➡ Count: 2:15 → 3:15 (1 hour) → 4:15 (2 hours) → 4:45 (+30 min)

✅ Elapsed Time = 2 hours 30 minutes

### Real-Life Example:

Finding the area of a garden and the volume of a water tank.

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### Remember This!

- *Perimeter is the total distance around a shape; area is the surface covered.*



# General Topic: Data Interpretation: Bar Graphs, Line Graphs, Probability

## Lesson Overview:

Teaches how to **read, interpret, and create various graphs**, as well as **understand the basics of probability**.


## Key Concepts and Subtopics:

- Reading and interpreting bar graphs and line graphs

- **Bar Graphs:** Use bars to compare quantities.
- **Line Graphs:** Show changes over time.

Example (Bar Graph):



Number of books read in a month:

- Anna: 5 
- Ben: 8 
- Carla: 4 

👉 Ben read the most books.

- Creating graphs from given data

Steps:

1. Collect data 
2. Choose the right graph (bar, line, pictograph)
3. Label the axes (x = categories, y = numbers)
4. Plot and draw 

Example:

Rainfall for 4 days: 10mm, 20mm, 15mm, 25mm → create a bar graph.

- Understanding probability as a measure of likelihood

- **Probability** = chance of something happening
- Formula:


$$P(\text{event}) = \frac{\text{Number of favorable outcomes}}{\text{Total outcomes}}$$

Examples:

- Tossing a coin:  $P(\text{head}) = 1/2$
- Rolling a die:  $P(\text{rolling a 4}) = 1/6$



- Simple probability experiments

 **Simple Probability Experiments**

Try these activities:

- Flip a coin 10 times, record heads and tails.
- Roll a dice 20 times, record each number.
- Draw colored balls from a bag (e.g., 3 red, 2 blue).

**Question Example:**

If there are 3 red and 2 blue balls in a bag, what is the probability of drawing a red ball?

👉  $P(\text{red}) = \frac{3}{5}$

### Real-Life Example:

Predicting the chance of rain using weather data.

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### Remember This!

- *Probability ranges from 0 (impossible) to 1 (certain).*



# General Topic: Patterns and Sequences

## Lesson Overview:

Introduces identifying and extending number **patterns and sequences**.

## Key Concepts and Subtopics:

- Recognizing arithmetic and geometric patterns

- **Arithmetic Pattern:** add or subtract the same number each time.  
Example: 2, 4, 6, 8, 10, ... (+2 each time)
- **Geometric Pattern:** multiply or divide the same number each time.  
Example: 3, 6, 12, 24, ... ( $\times 2$  each time)

- Finding the rule in a sequence

Steps:

1. Look at how the numbers change.
2. Check if it's addition, subtraction, multiplication, or division.
3. Write the rule.

Example:  
5, 10, 15, 20 → Rule: +5

- Continuing patterns

- Once you know the rule, you can continue the sequence.

Example:  
1, 2, 4, 8, 16 → Rule:  $\times 2$  → Next numbers: 32, 64, 128

## Real-Life Example:

Predicting the next number in a sequence of bus arrival times.

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## Remember This!

- *Patterns often follow a fixed rule—look for it!*