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% Galileo flew to Jupiter by means of a VEEGA trajectory (Venus-Earth-Earth Gravity Assist).
% Assuming that the trajectory to Venus was ballistic, determine the parameters of the interplanetary
% orbit knowing that the Earth departure was on October 8, 1989 and the arrival to Venus was on
% February 10, 1990. Assume that the departing vâ<sup>*</sup>z was parallel to the Earth's velocity. Use JPL
% Horizon to determine the positions and velocities of the planets for those dates.
% Marc C
% Based on Pi method
clc
close all
clear all
r1_v = [1.353683421048372E + 086.236351063675036E + 071.616180081151426E + 03];
r2_v = [-9.694952181127319E+07\ 4.610774545357175E+07\ 6.225620771722047E+06];
mu = 1.33e11:
time_expected = 115; %days
p = 1.2e8;
% Trial example values
%mu = 3.964016e-14;s
%r1_v = [0.473265 - 0.899215 0]; To check with example code
%r2 v = [0.066842 \ 1.561256 \ 0.030948];
%time_expected = 207; %days
%p = 1.250633;
r1 = norm(r1 \ v);
r2 = norm(r2 \ v);
delta theta = acos (dot(r1 v,r2 v)/(r1*r2));
k = r1 * r2 * (1 - cos(delta_theta));
I = r1 + r2;
m = r1*r2*(1+cos(delta\ theta));
p1 = k/(l+sqrt(2*m));
p2 = k/(1-sqrt(2*m));
error cons = 1; %days
error = error cons+1;
%%Starting the trial
while (error>error cons)
a = m * k * p / [(2*m - I*I)*p*p + 2*k*I*p - k*k];
f = 1 - (r2/p)*(1 - \cos(delta theta));
g = r1*r2*sin(delta\_theta)/sqrt(mu*p);
E = a\cos(1 - r1 / a * (1 - f));
t = g + sqrt(a*a*a/mu)*(E - sin(E));
tdays = t/(3600*24)
error = abs(-tdays+time_expected);
p = p + 10000;
end
f_p = -\sin(E) \cdot \frac{(mu/a)}{(r1 \cdot r2)}
g_p = 1-(1-\cos(E))*a/r2;
v1_v = (r2_v-f^*r1_v)/g
norm(v1_v)
v2_v = f_p*r1_v + g_p*v1_v
norm(v2_v)
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