

Class 12: Transcriptomics and the analysis of RNA-Seq data

Charlize Molitor (PID: A18515740)

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Background

Today we will analyze some RNASeq data from Himes et al. on the effects of a common steroid (dexamethasone) on the airway smooth muscle (ASM cells).

Our starting point is the “counts” data and “metadata” that contain the count values for each gene experiments (i.e cell lines with or without the drugs)

Data import

```
library(BiocManager)  
  
counts <- read.csv("airway_scaledcounts.csv", row.names=1)  
metadata <- read.csv("airway_metadata.csv")
```

Let's have a wee peak at these objects:

```
head(counts)
```

	SRR1039508	SRR1039509	SRR1039512	SRR1039513	SRR1039516
ENSG000000000003	723	486	904	445	1170
ENSG000000000005	0	0	0	0	0
ENSG000000000419	467	523	616	371	582
ENSG000000000457	347	258	364	237	318
ENSG000000000460	96	81	73	66	118
ENSG000000000938	0	0	1	0	2
	SRR1039517	SRR1039520	SRR1039521		
ENSG000000000003	1097	806	604		
ENSG000000000005	0	0	0		
ENSG000000000419	781	417	509		
ENSG000000000457	447	330	324		
ENSG000000000460	94	102	74		
ENSG000000000938	0	0	0		

Q1. How many genes are in this dataset?

```
nrow(counts)
```

```
[1] 38694
```

Q. How many different experiments (columns in counts or rows in meta data) are there?

```
ncol(counts)
```

```
[1] 8
```

```
nrow(metadata)
```

```
[1] 8
```

```
head(metadata)
```

```

      id      dex celltype      geo_id
1 SRR1039508 control    N61311 GSM1275862
2 SRR1039509 treated    N61311 GSM1275863
3 SRR1039512 control    N052611 GSM1275866
4 SRR1039513 treated    N052611 GSM1275867
5 SRR1039516 control    N080611 GSM1275870
6 SRR1039517 treated    N080611 GSM1275871

```

Q2. How many ‘control’ cell lines do we have?

```
sum(metadata$dex == "control")
```

```
[1] 4
```

Toy differential gene expression

To start our analysis, we need to calculate the mean counts of all of the genes in the “control” experiments

1. Extract all “control” columns from the `counts` object
2. Calculate the mean for all rows of these “control” columns
3. Do the same for “treated”
4. Do the same for “treated”
5. Compare these `control.mean` and `treated.mean` values

```

control inds <- metadata$dex == "control"
control counts <- counts[ , control inds]

```

```

control means <- rowMeans(control counts)
head(control means)

```

```

ENSG00000000003 ENSG00000000005 ENSG00000000419 ENSG00000000457 ENSG00000000460
      900.75          0.00        520.50        339.75         97.25
ENSG00000000938
      0.75

```

```

treated inds <- metadata$dex == "treated"
treated counts <- counts[ , treated inds]
treated means <- rowMeans(treated counts)
head(treated means)

```

```

ENSG000000000003 ENSG000000000005 ENSG000000000419 ENSG000000000457 ENSG000000000460
       658.00          0.00        546.00        316.50        78.75
ENSG000000000938
       0.00

```

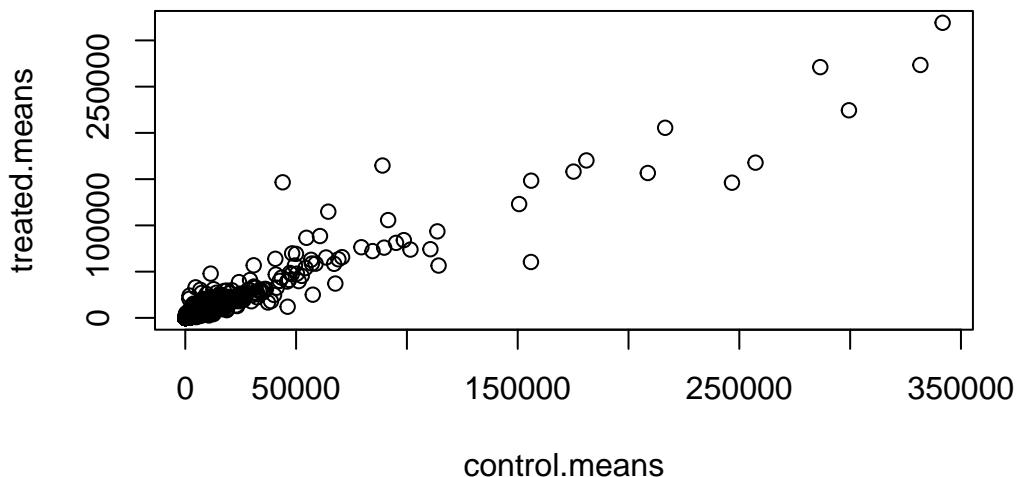
Store these together for ease of bookkeeping as `mean.counts`

```
meancounts <- data.frame(control.means, treated.means)
head(meancounts)
```

	control.means	treated.means
ENSG000000000003	900.75	658.00
ENSG000000000005	0.00	0.00
ENSG000000000419	520.50	546.00
ENSG000000000457	339.75	316.50
ENSG000000000460	97.25	78.75
ENSG000000000938	0.75	0.00

Make a plot of control vs treated mean values for all genes

```
plot(meancounts)
```

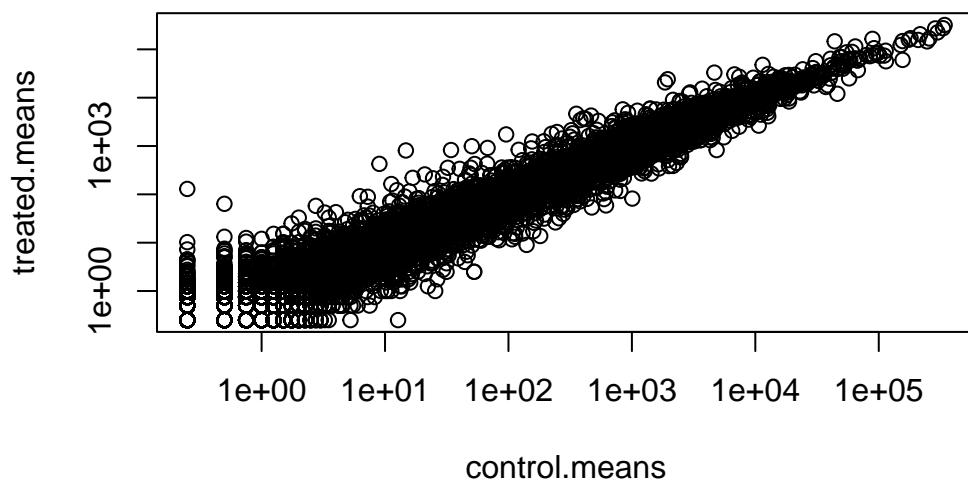


Make this a log log plot

```
plot(meancounts, log = "xy")
```

Warning in xy.coords(x, y, xlabel, ylabel, log): 15032 x values <= 0 omitted from logarithmic plot

Warning in xy.coords(x, y, xlabel, ylabel, log): 15281 y values <= 0 omitted from logarithmic plot



We often talk about metric like “log2 fold-change”

```
# treated/control  
log2(10/10)
```

```
[1] 0
```

```
log2(10/20)
```

```
[1] -1
```

```
log2(20/10)
```

```
[1] 1
```

```
log2(40/10)
```

```
[1] 2
```

```
log2(10/40)
```

```
[1] -2
```

Let's calculate the log2 fold change for out treated over control mean counts.

```
meancounts$log2fc <-  
log2(meancounts$treated.means/  
meancounts$control.means)
```

```
head(meancounts)
```

	control.means	treated.means	log2fc
ENSG000000000003	900.75	658.00	-0.45303916
ENSG000000000005	0.00	0.00	NaN
ENSG000000000419	520.50	546.00	0.06900279
ENSG000000000457	339.75	316.50	-0.10226805
ENSG000000000460	97.25	78.75	-0.30441833
ENSG000000000938	0.75	0.00	-Inf

A common “rule of thumb” is a log2 fold change cutoff of +2 and -2 to call genes “Up regulated or”Down regulated”.

Number of “up” genes

```
sum(meancounts$log2fc >= +2, na.rm = T)
```

```
[1] 1910
```

Number of “down” genes at -2 threshold

```
sum(meancounts$log2fc <= -2, na.rm = T)
```

```
[1] 2330
```

These values may not be true because we need to consider that there is a range of values that may be considered as outliers

DESeq2 analysis

Let's do this analysis properly and keep our inner selves happy - i.e are the difference we see between drug and no drug significant given the replicate experiments

```
library(DESeq2)
```

For DESeq analysis we need 3 things

- Count values (`countData`)
- Metadata telling us about the columns in `countData` (`colData`)
- Design of the experiment (i.e what do you want to compare)

Our first function from DESeq2 will setup the input required for analysis by storing all these 3 things together

```
dds <- DESeqDataSetFromMatrix(countData = counts,
                                colData = metadata,
                                design = ~dex)
```

converting counts to integer mode

```
Warning in DESeqDataSet(se, design = design, ignoreRank): some variables in
design formula are characters, converting to factors
```

The main function in DESeq2 that runs the analysis is called `DESeq()`

```
dds <- DESeq(dds)
```

estimating size factors

```
estimating dispersions
```

```
gene-wise dispersion estimates
```

```
mean-dispersion relationship
```

```
final dispersion estimates
```

```
fitting model and testing
```

```
res <- results(dds)  
head(res)
```

```
log2 fold change (MLE): dex treated vs control
```

```
Wald test p-value: dex treated vs control
```

```
DataFrame with 6 rows and 6 columns
```

	baseMean	log2FoldChange	lfcSE	stat	pvalue
	<numeric>	<numeric>	<numeric>	<numeric>	<numeric>
ENSG000000000003	747.194195	-0.350703	0.168242	-2.084514	0.0371134
ENSG000000000005	0.000000	NA	NA	NA	NA
ENSG00000000419	520.134160	0.206107	0.101042	2.039828	0.0413675
ENSG00000000457	322.664844	0.024527	0.145134	0.168996	0.8658000
ENSG00000000460	87.682625	-0.147143	0.256995	-0.572550	0.5669497
ENSG00000000938	0.319167	-1.732289	3.493601	-0.495846	0.6200029

	padj
	<numeric>
ENSG000000000003	0.163017
ENSG000000000005	NA
ENSG00000000419	0.175937
ENSG00000000457	0.961682
ENSG00000000460	0.815805
ENSG00000000938	NA

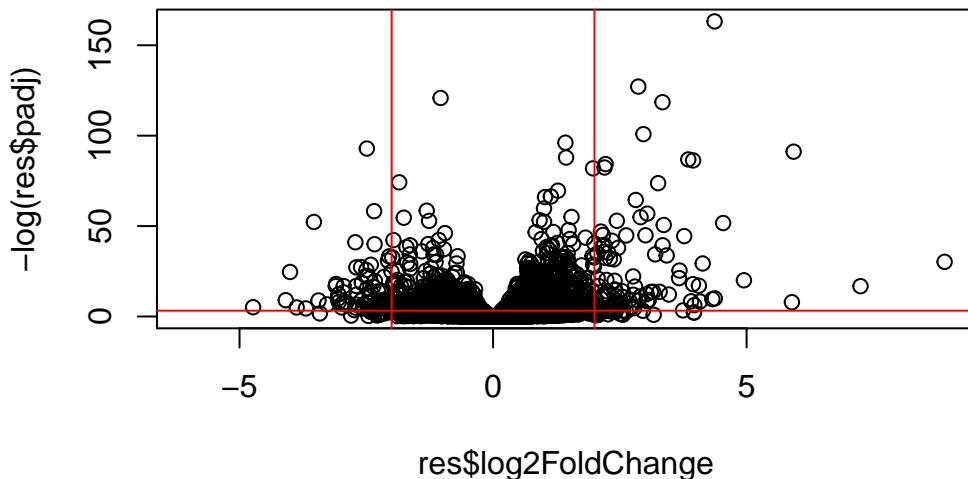
```
36000 * 0.05
```

```
[1] 1800
```

Volcano Plots

This is a common summary result figures from these types of experiences and plot the log2 fold-change vs the adjusted p-value

```
plot(res$log2FoldChange, -log(res$padj))
abline(v=c(-2,2), col="red")
abline(h=-log(0.04), col= "red")
```



```
log(0.1)
```

```
[1] -2.302585
```

```
log(0.000001)
```

```
[1] -13.81551
```

Save our results

```
write.csv(res, file="my_results.csv")
```