

# HADRON CALIBRATION

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# Introduction

- PF hadron calibration on run3 120X single pion sample[1] with CMSSW\_12\_0\_1.
  - Configuration wasn't changed compared to previous PFHC, sample was changed.
- I use  $\pi^-$  only.

[1] /Single\_Pion\_gun\_E\*\_14TeV\_pythia8/Run3Summer21DR-  
NoPUrawRECO\_120X\_mcRun3\_2021\_realistic\_v6-v2/GEN-SIM-RAW

# Calibration Coefficients

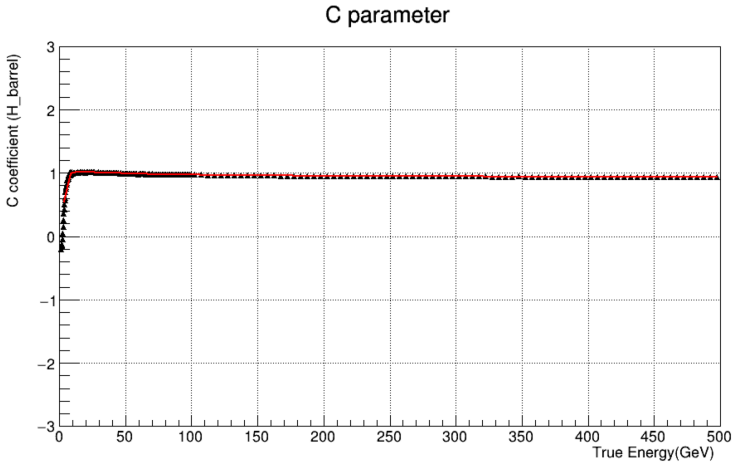
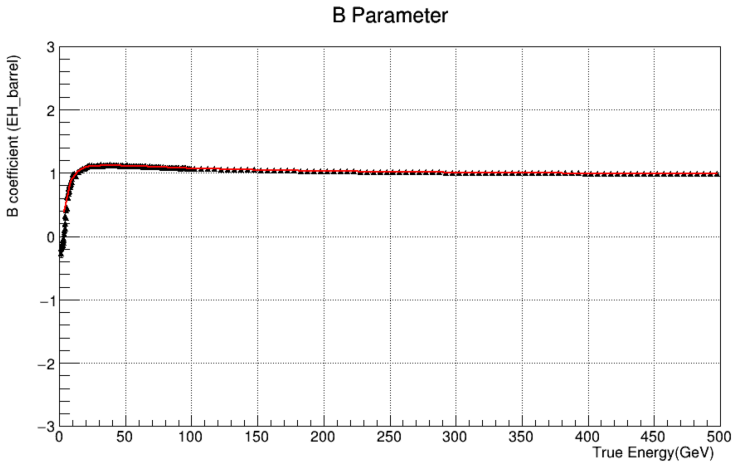
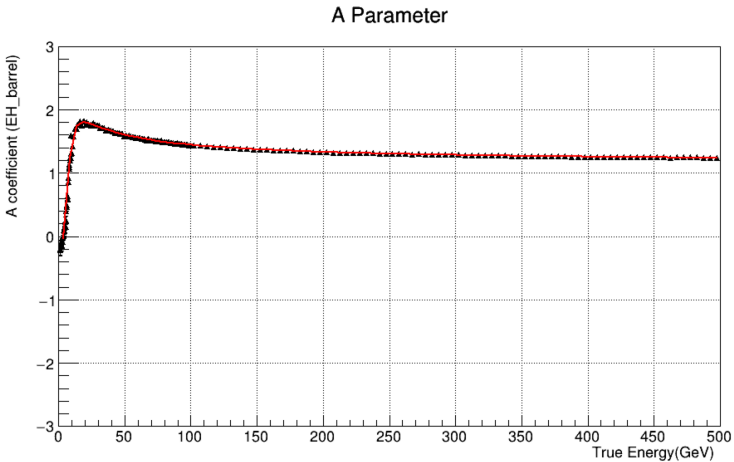
EH hadrons :  $E_{\text{corrected}} = a(E_t) * E_{\text{rawEcal}} + b(E_t) * E_{\text{rawHcal}} + o_{\text{EH}}$

H hadrons :  $E_{\text{corrected}} = c(E_t) * E_{\text{rawHcal}} + o_{\text{H}}$

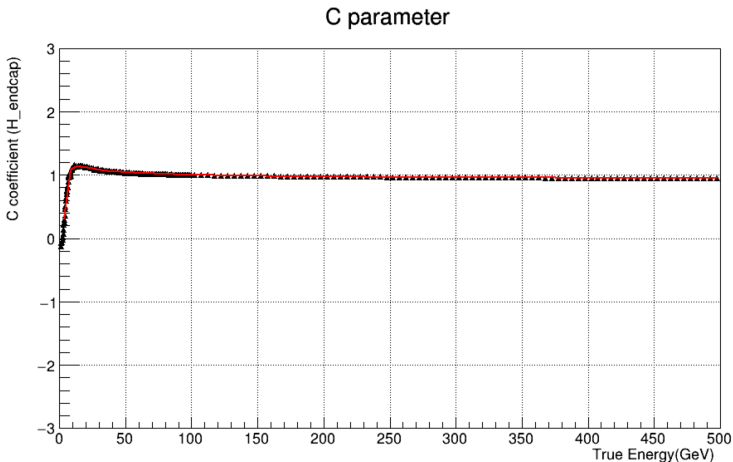
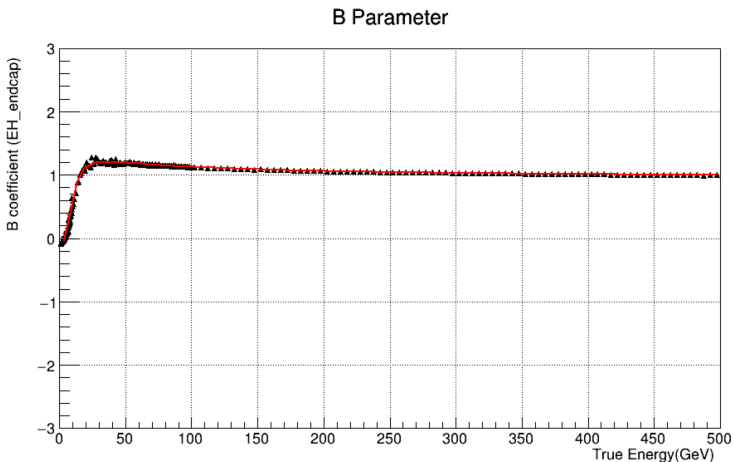
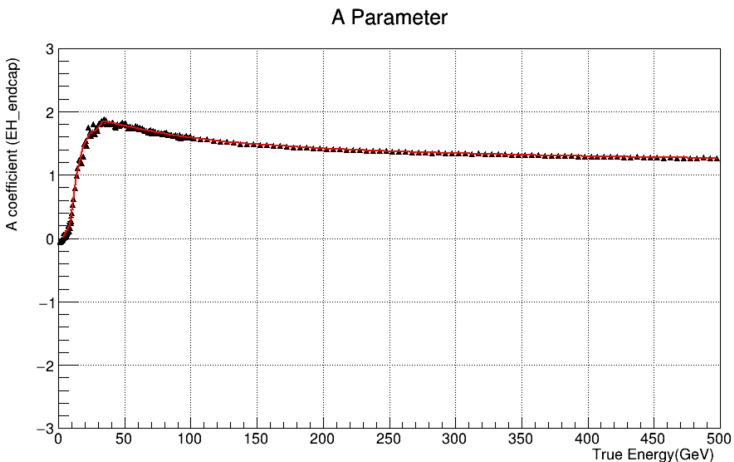
$o_{\text{EH}} = 3.5 \text{ GeV}$

$o_{\text{H}} = 2.5 \text{ GeV}$

Barrel



Endcap

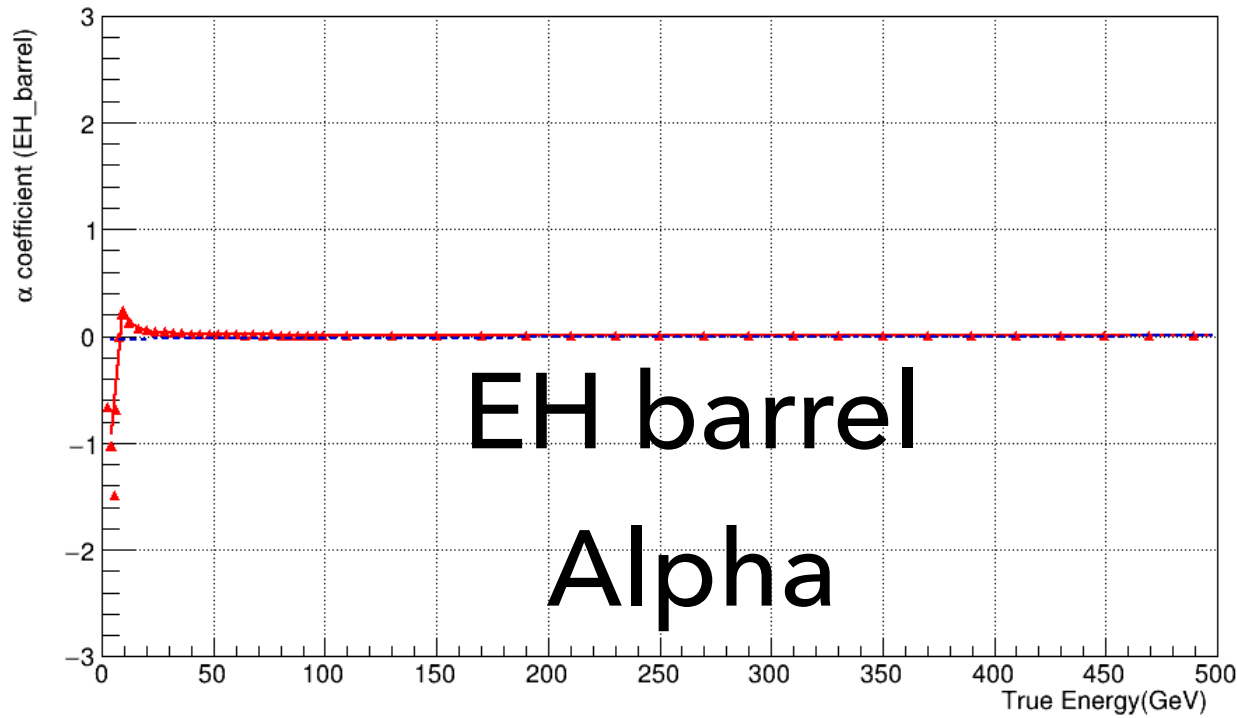


# Calibration Coefficients

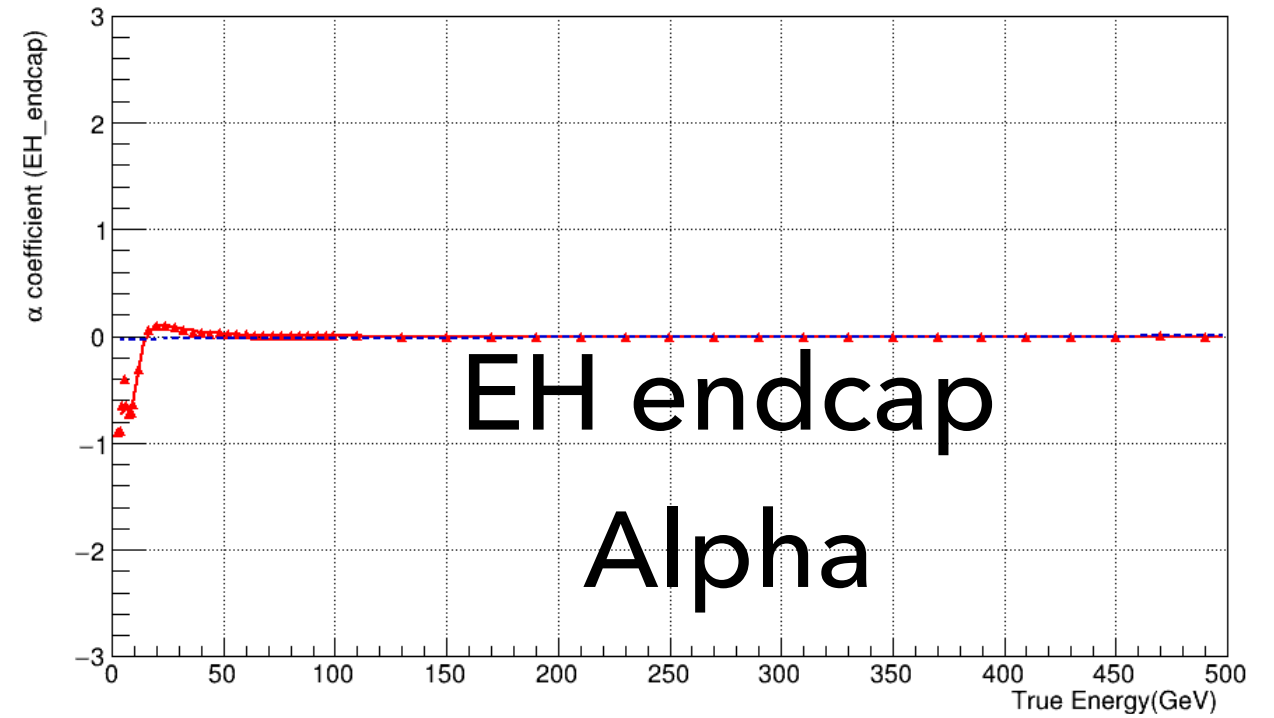
For EH Hadrons (start their shower in ECAL):

- Barrel :  $E_{\text{corr}} = (1 + \alpha(E_t) + 1.3 \cdot \beta(E_t) \cdot |\eta|^2) \cdot E'_{\text{ecal}} + E'_{\text{hcal}}$
- EndCap( $1.5 < |\eta| < 2.5$ ):  $E_{\text{corr}} = (1 + \alpha(E_t)) \cdot E'_{\text{ecal}} + E'_{\text{hcal}}$
- EndCap( $|\eta| > 2.5$ ):  $E_{\text{corr}} = (1 + \alpha(E_t) + 1.3 \cdot \beta(E_t) \cdot ((|\eta| - 1.5)^2 + 0.6)) \cdot E'_{\text{ecal}} + E'_{\text{hcal}}$

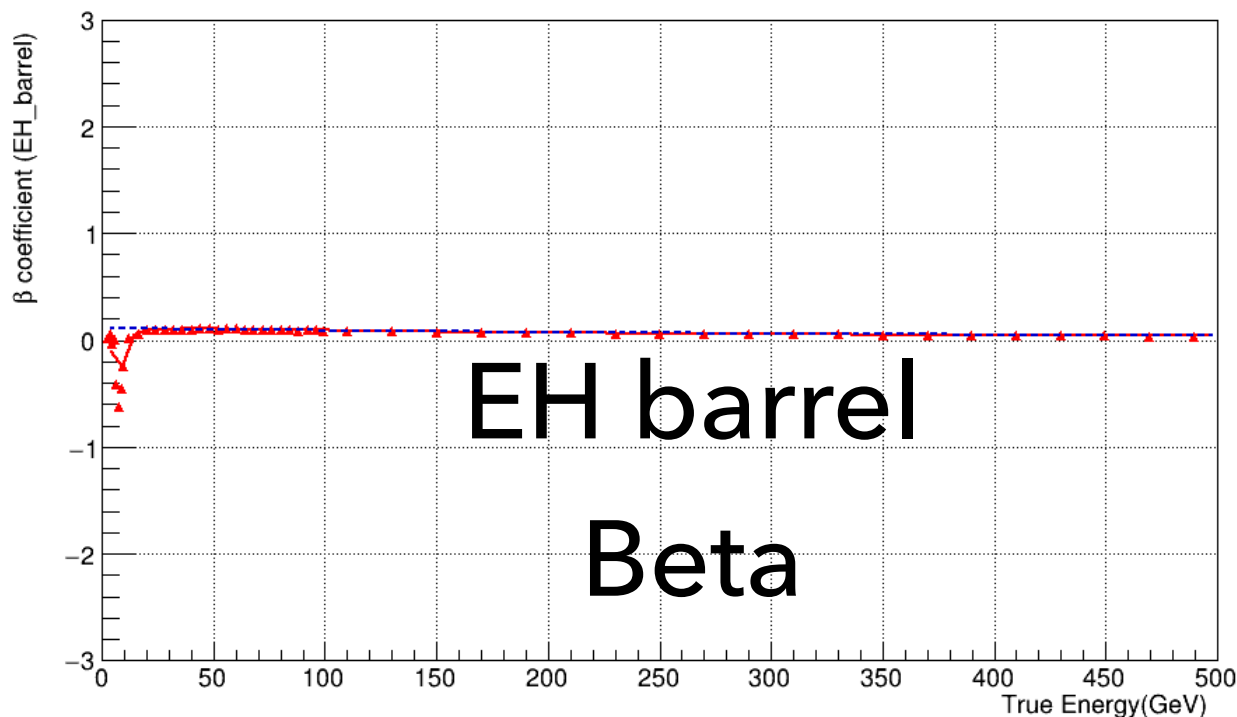
Alpha parameter



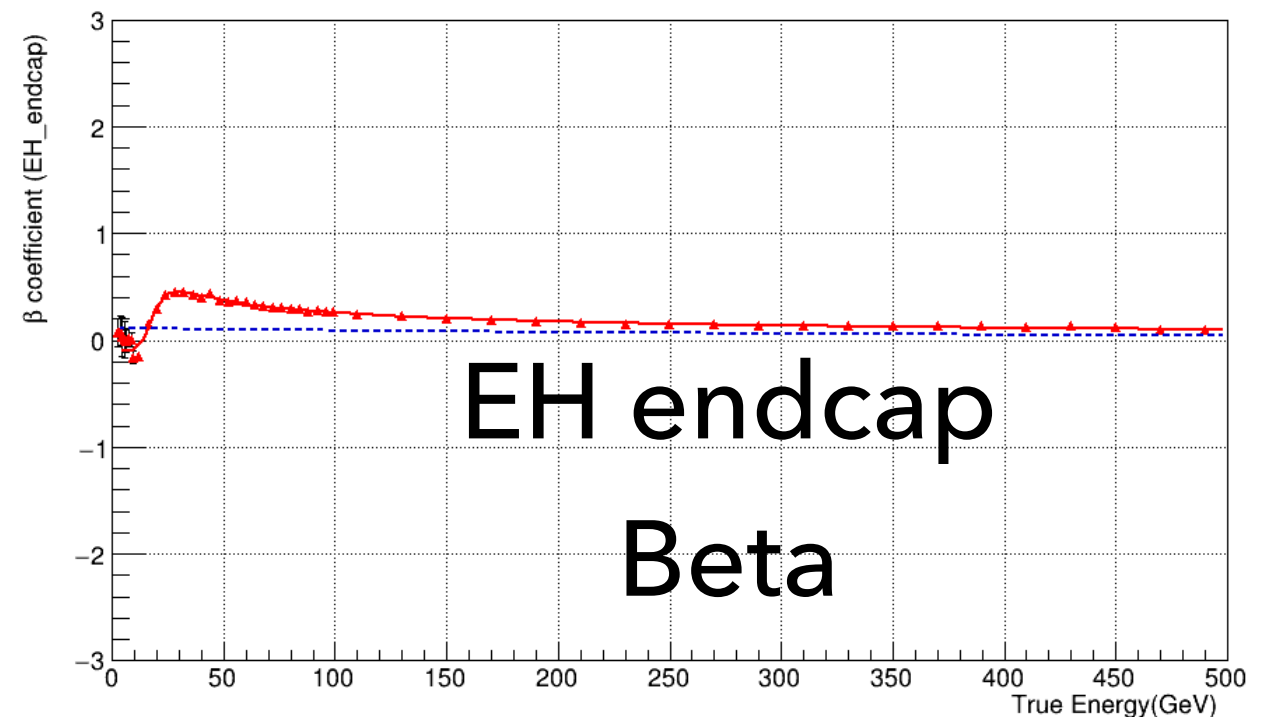
Alpha parameter



Beta parameter



Beta parameter

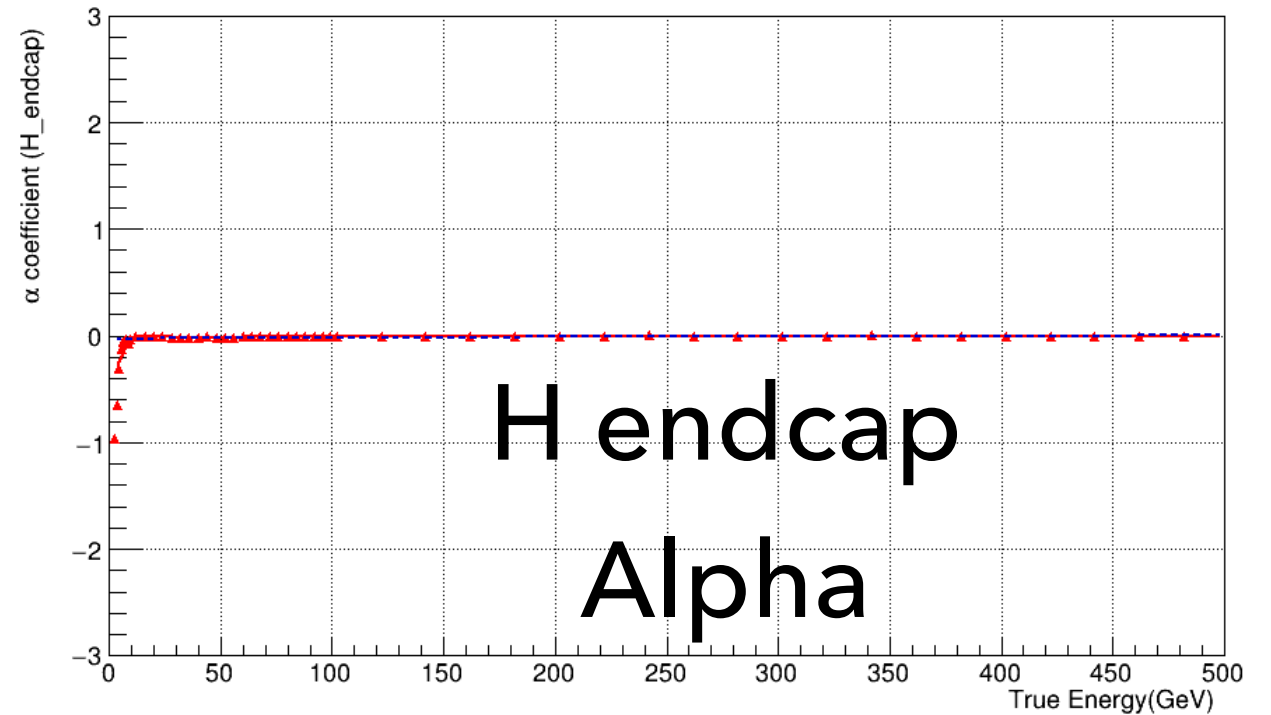
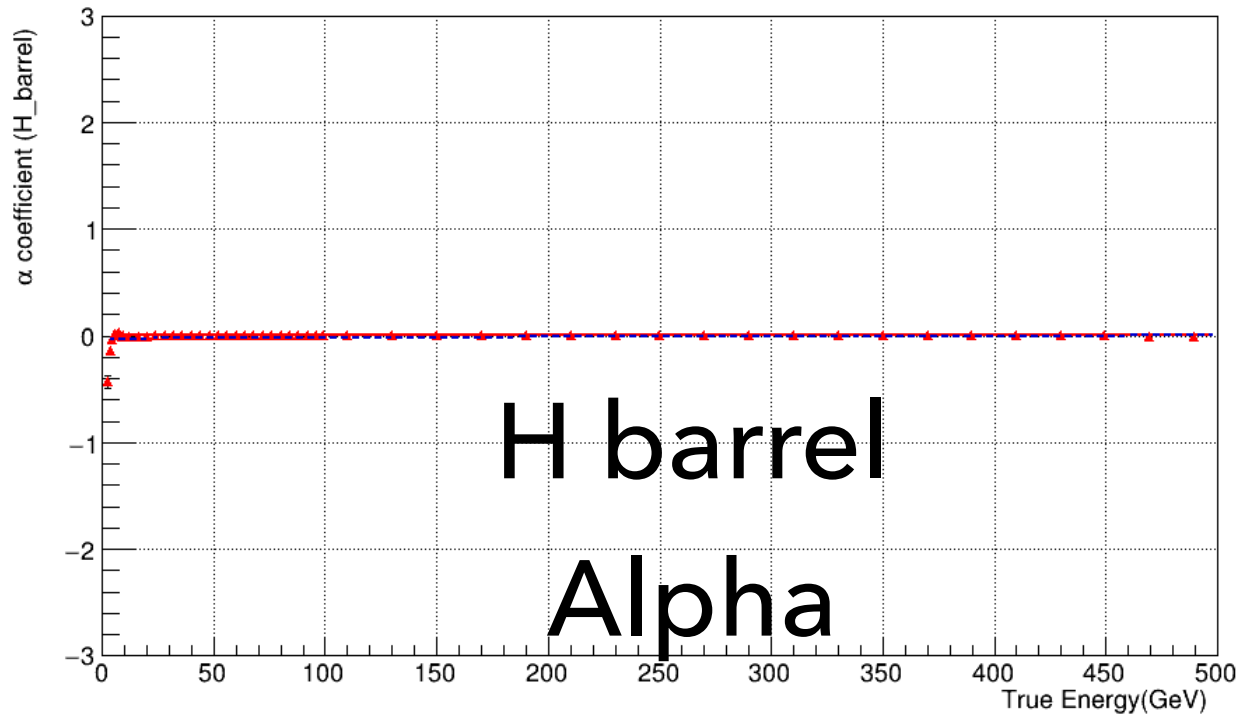


# Calibration Coefficients

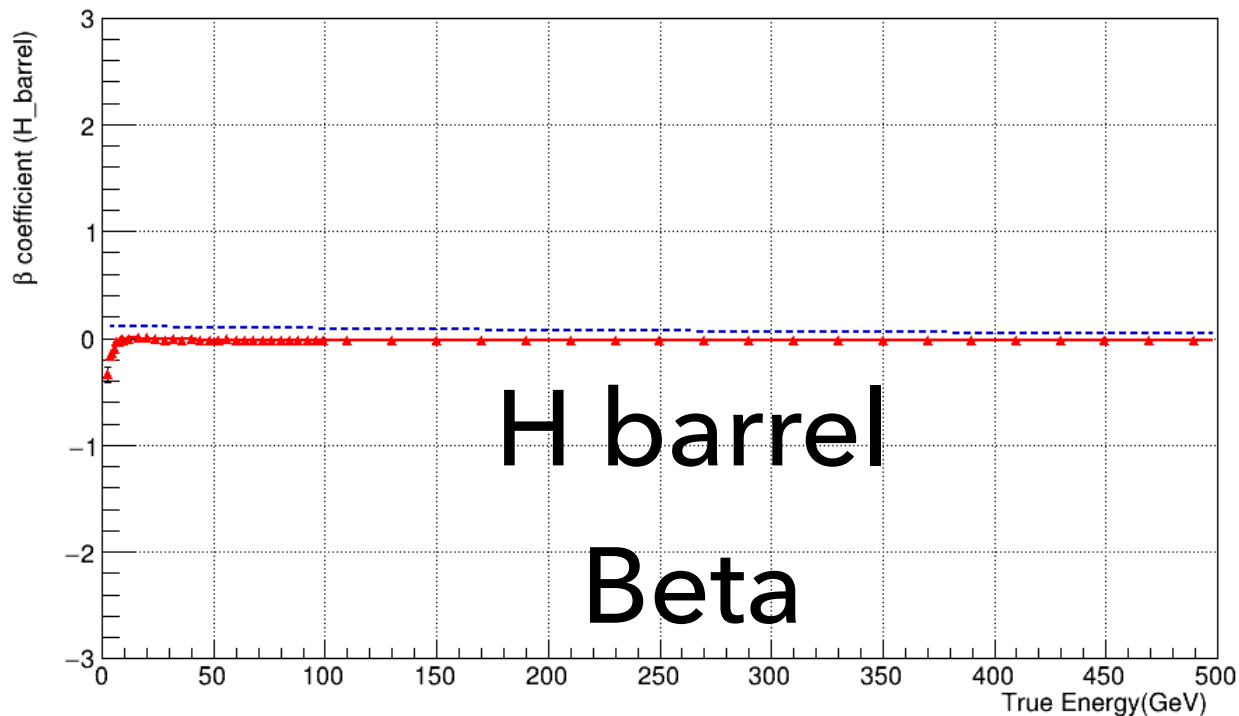
For H Hadrons (start their shower in HCAL):

- Barrel :  $E_{\text{corr}} = (1 + \alpha(E_t) + \beta(E_t) * |\eta|^2) * E'_{\text{hcal}}$
- EndCap ( $1.5 < |\eta| < 2.5$ ):  $E_{\text{corr}} = (1 + \alpha(E_t) + \beta(E_t) * 0.05) * E'_{\text{hcal}}$
- EndCap ( $|\eta| > 2.5$ ):  $E_{\text{corr}} = (1 + \alpha(E_t) + \beta(E_t) * ((|\eta| - 1.5)^4 - 1.1)) * E'_{\text{hcal}}$

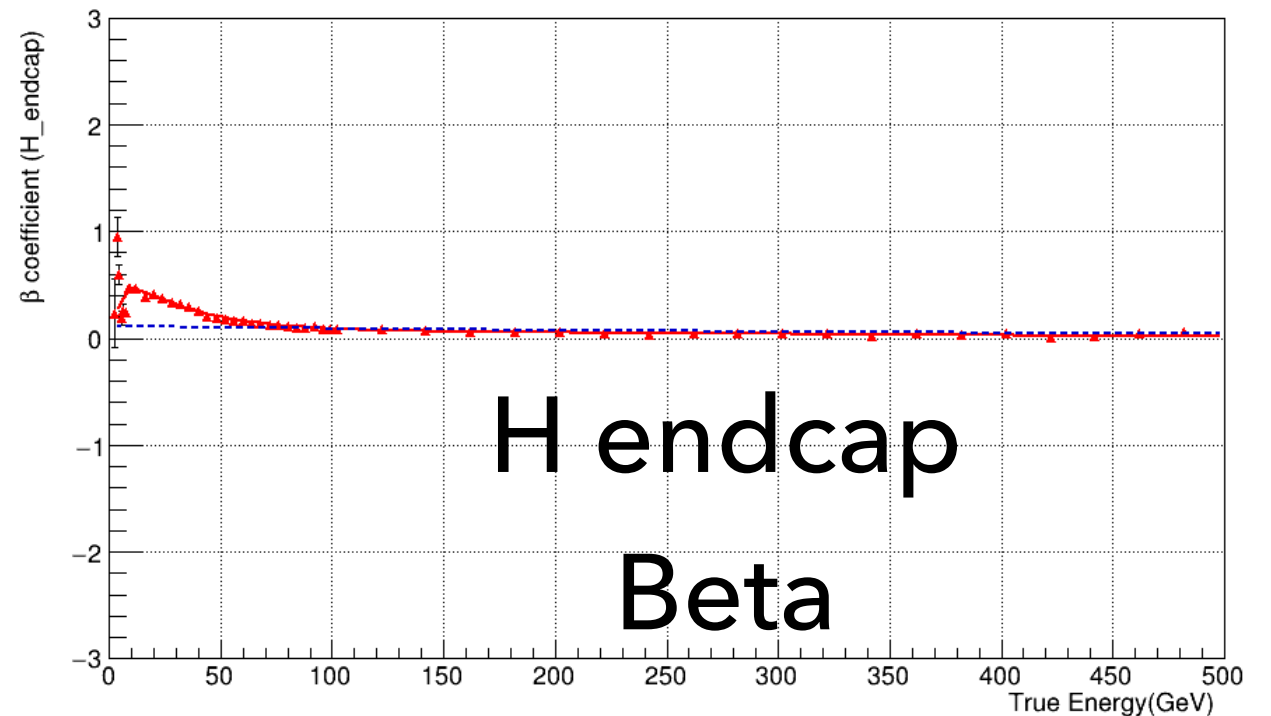
Alpha parameter



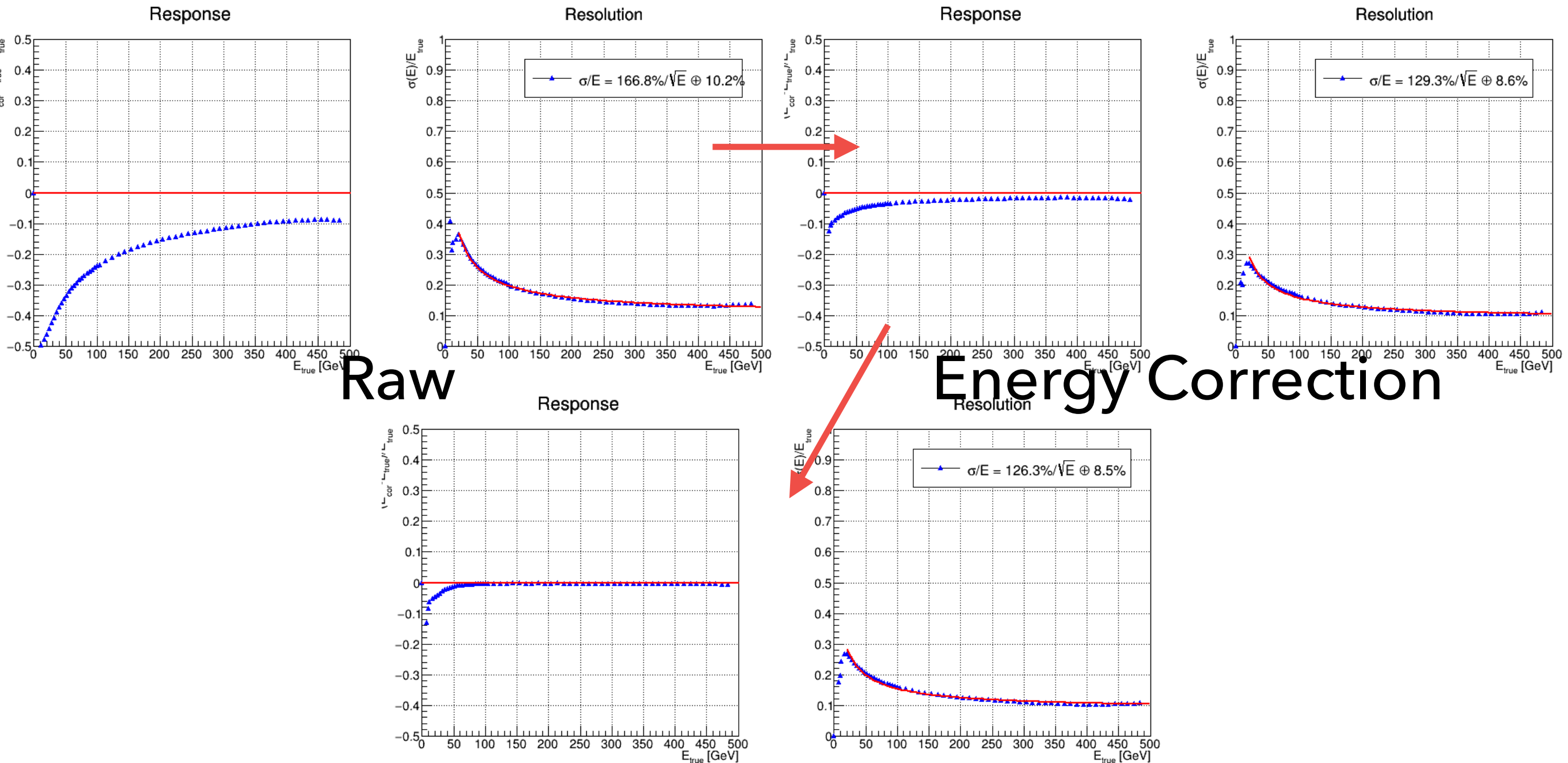
Beta parameter



Beta parameter



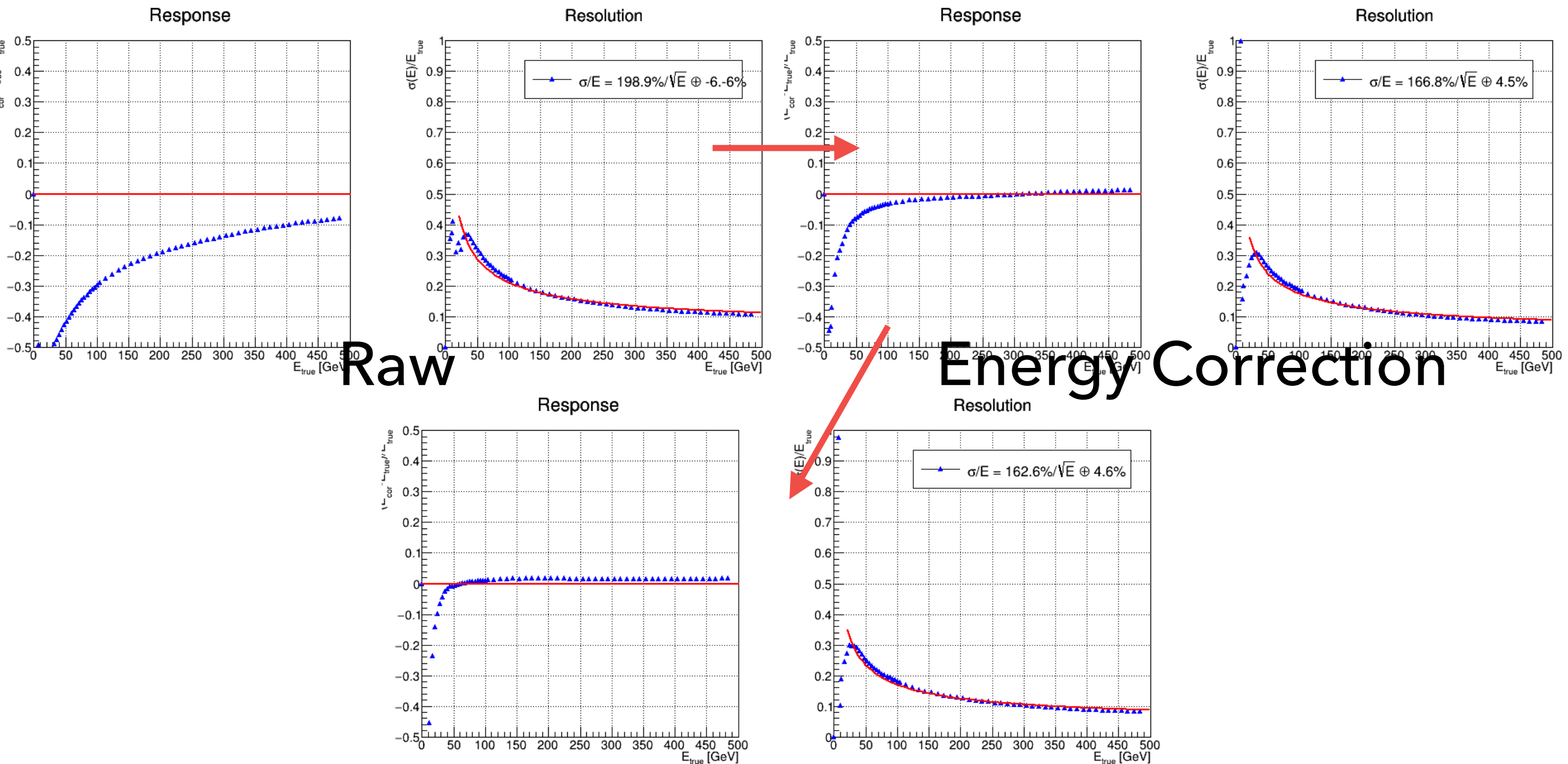
## EH Barrel



## Energy and Eta dependence Correction

The response is improved after eta correction

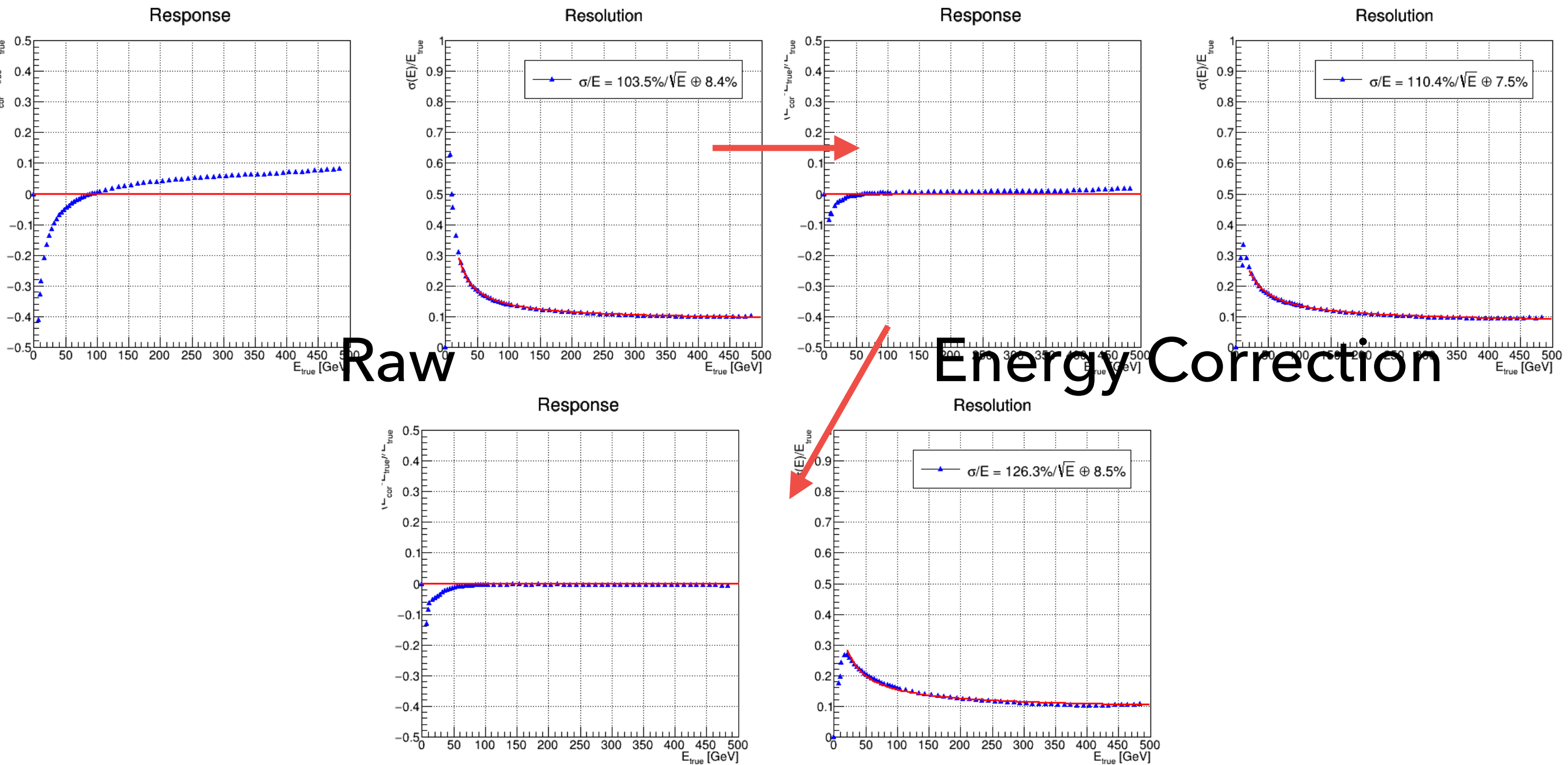
## EH Endcap



## Energy and Eta dependence Correction

The Response is improved after eta correction.

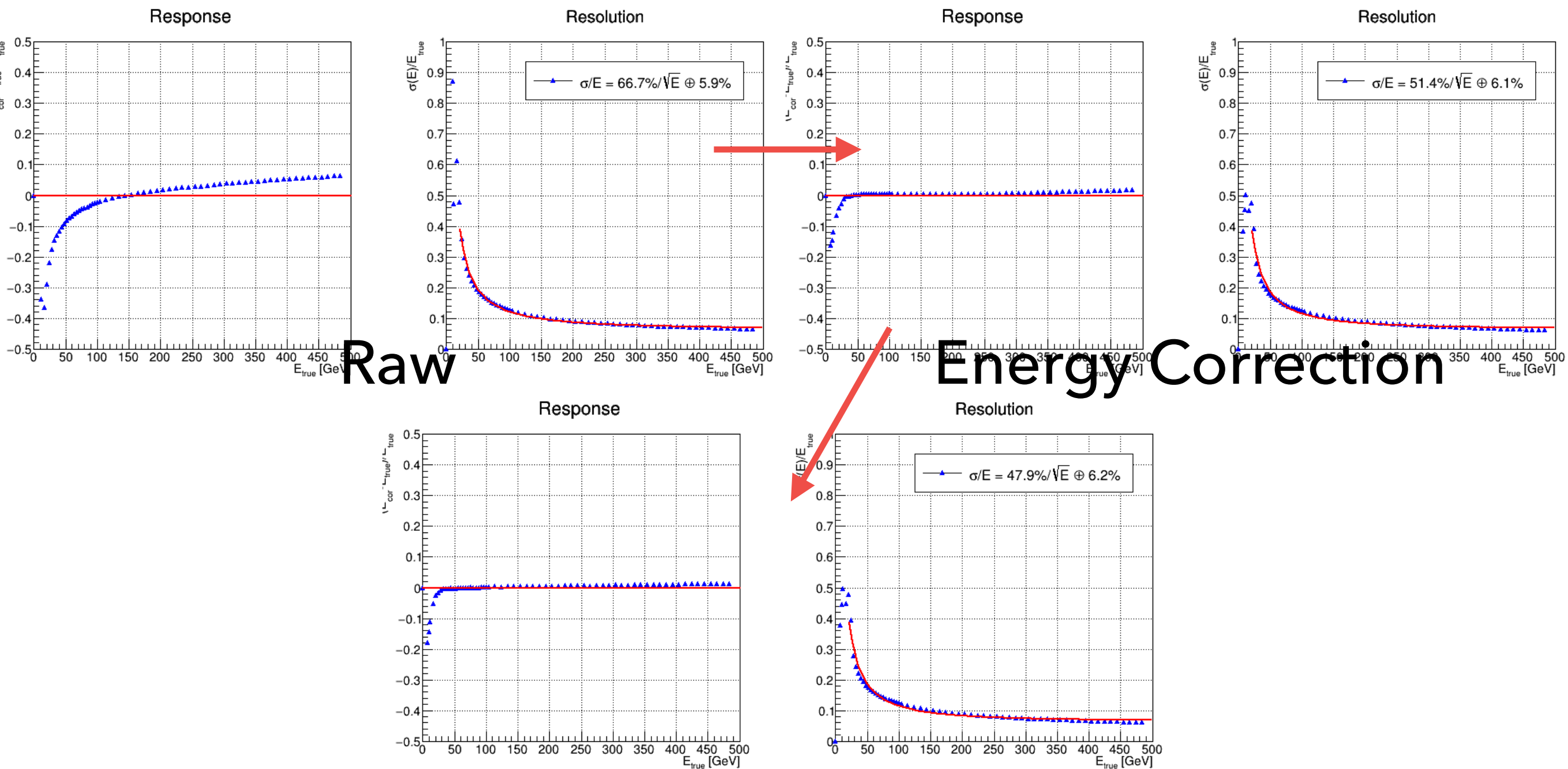
## H Barrel



Energy and Eta dependence Correction



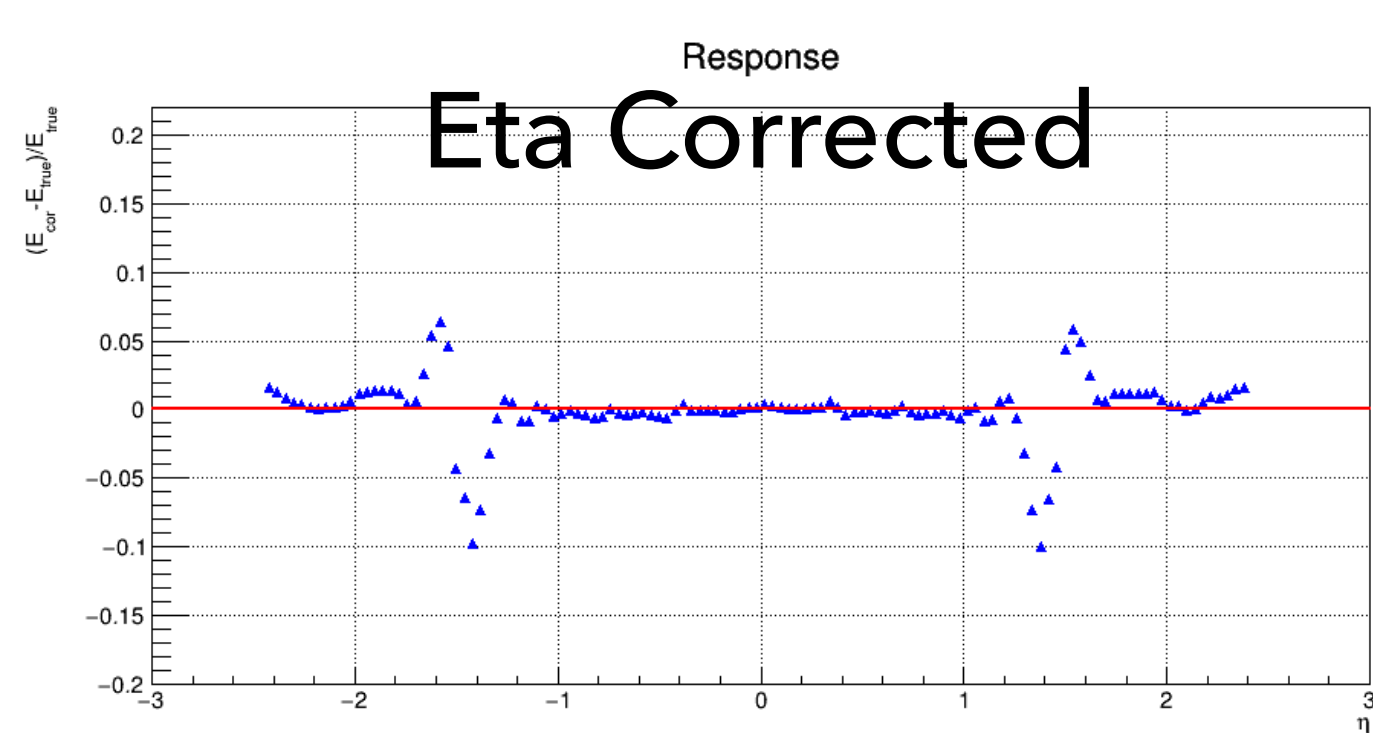
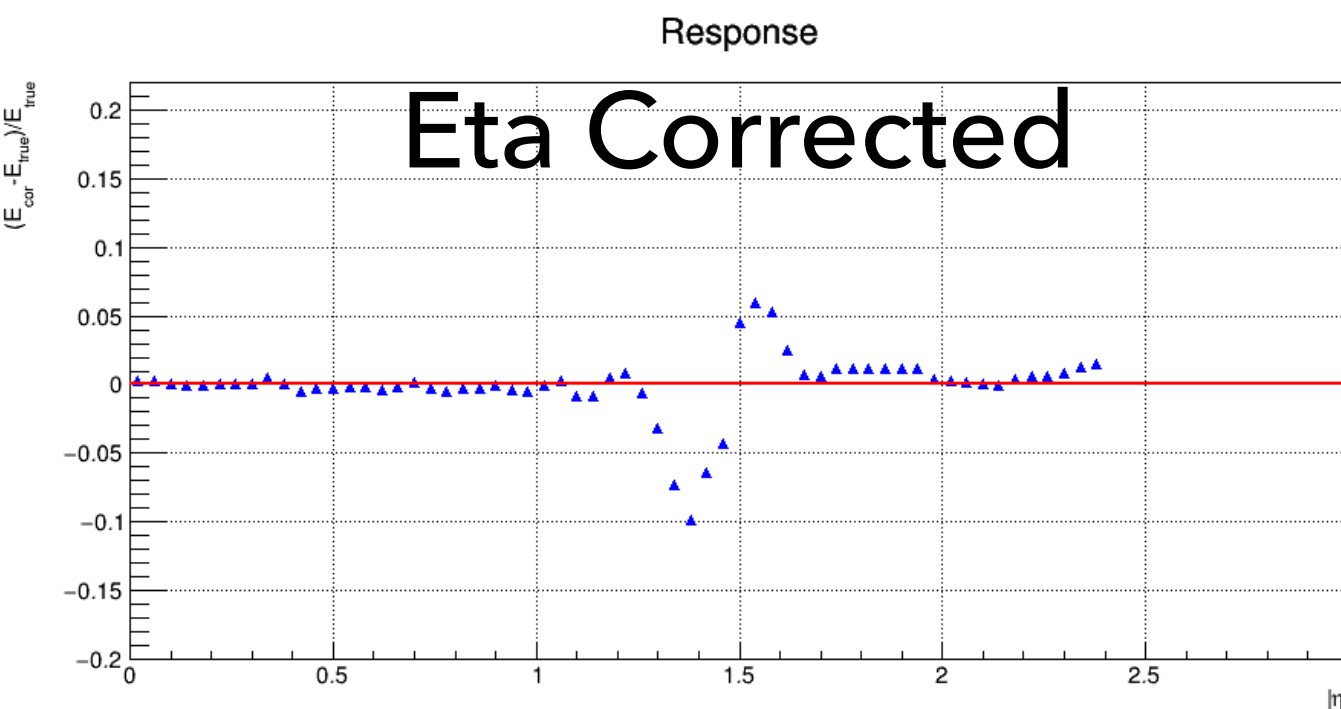
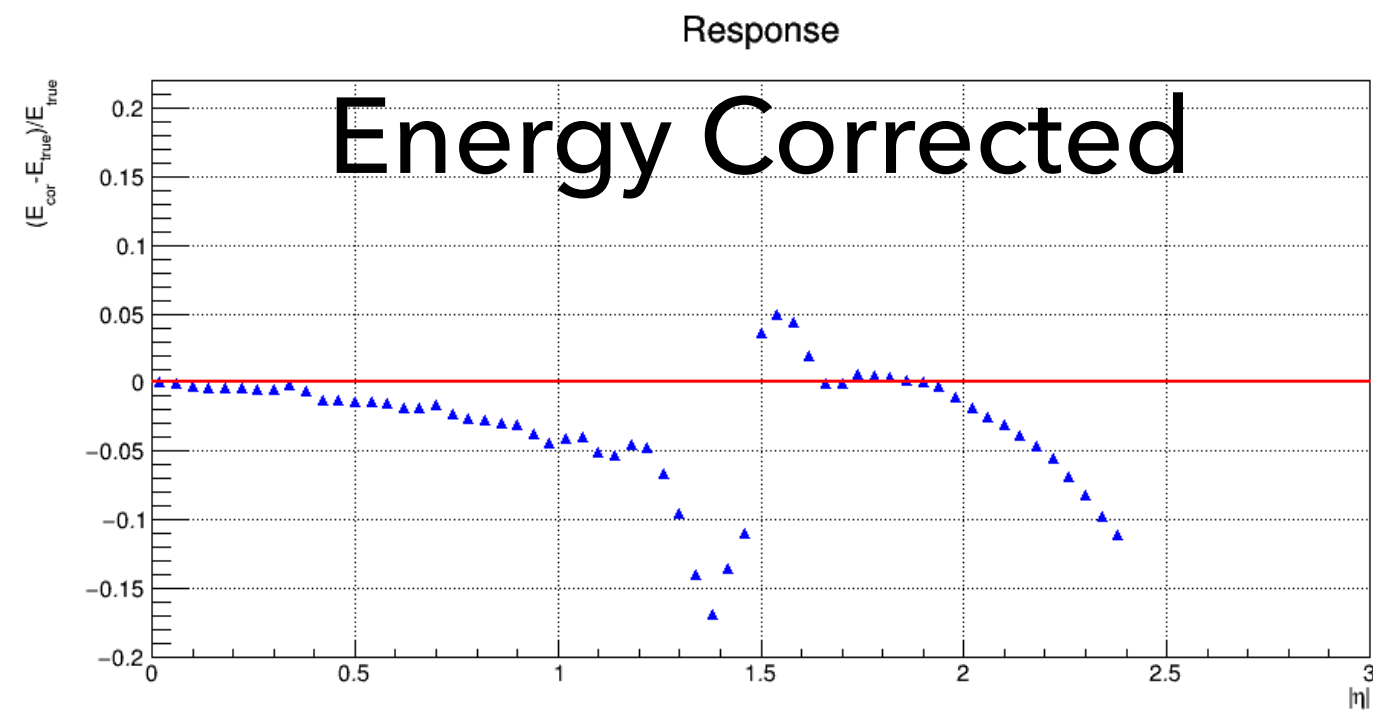
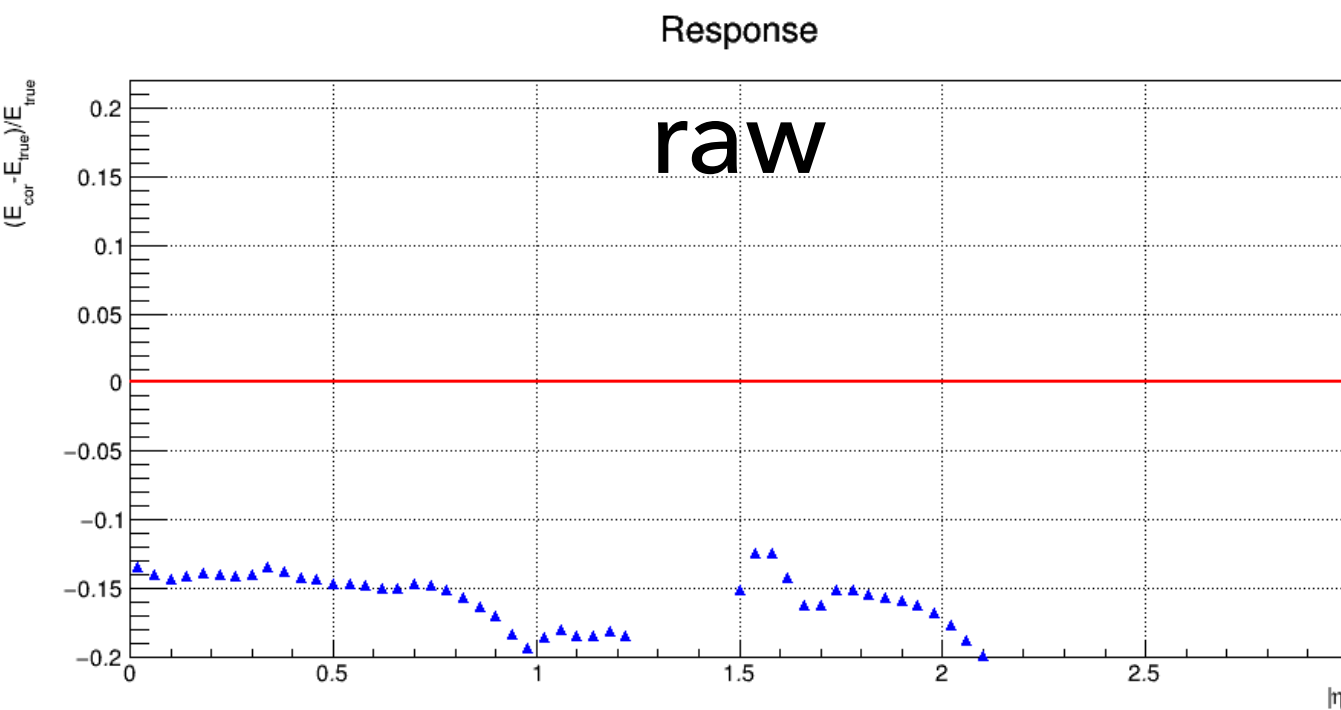
H Endcap



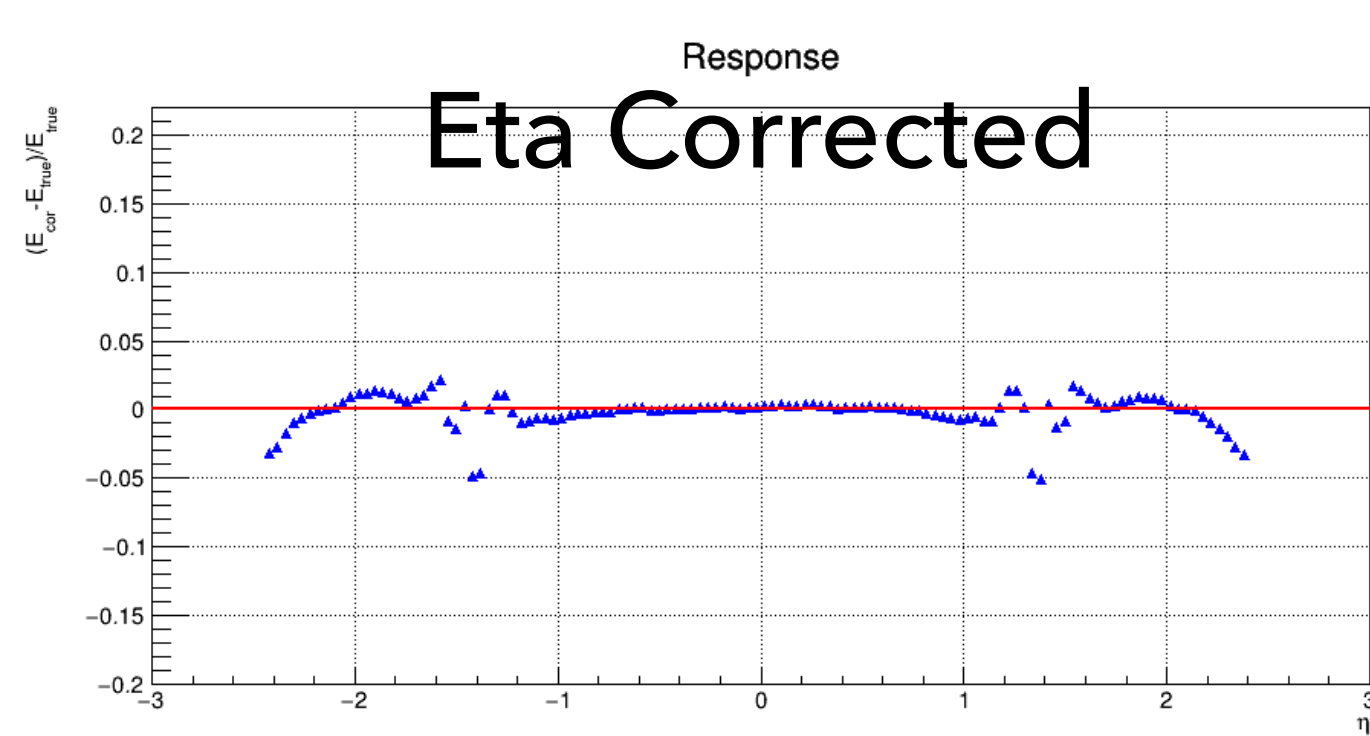
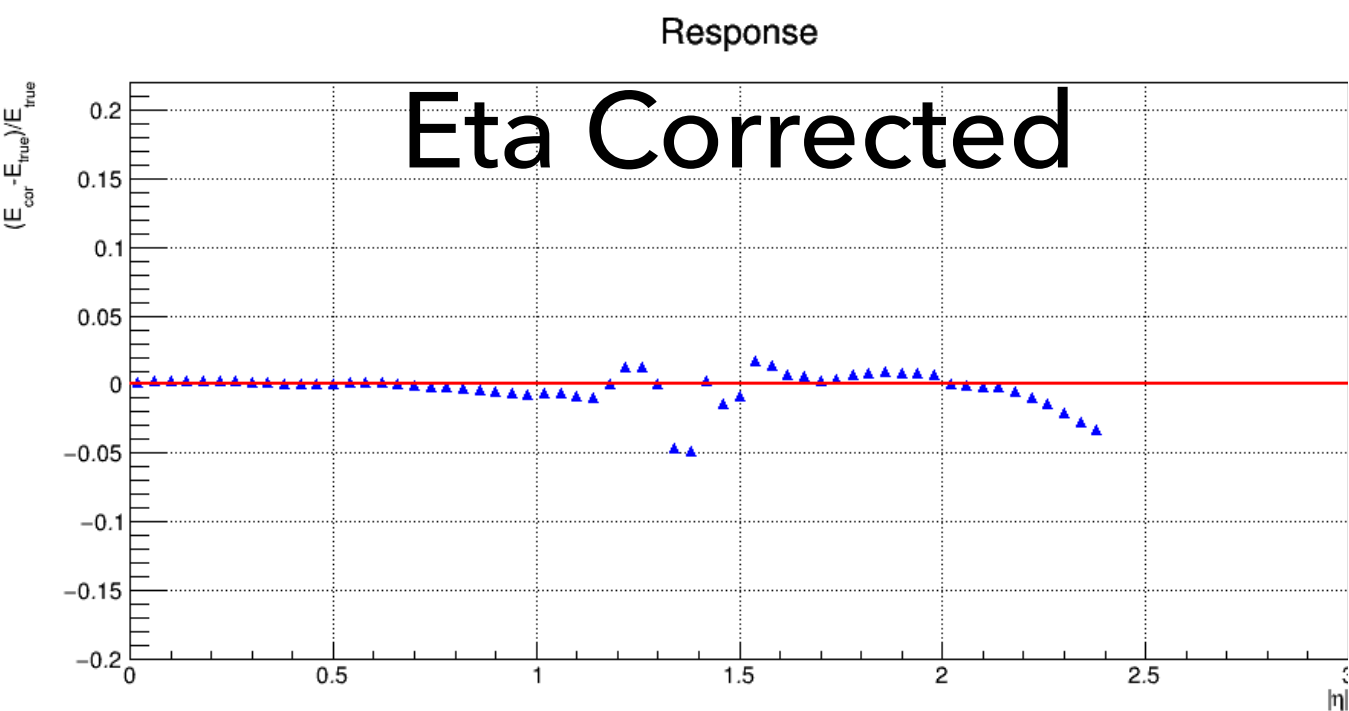
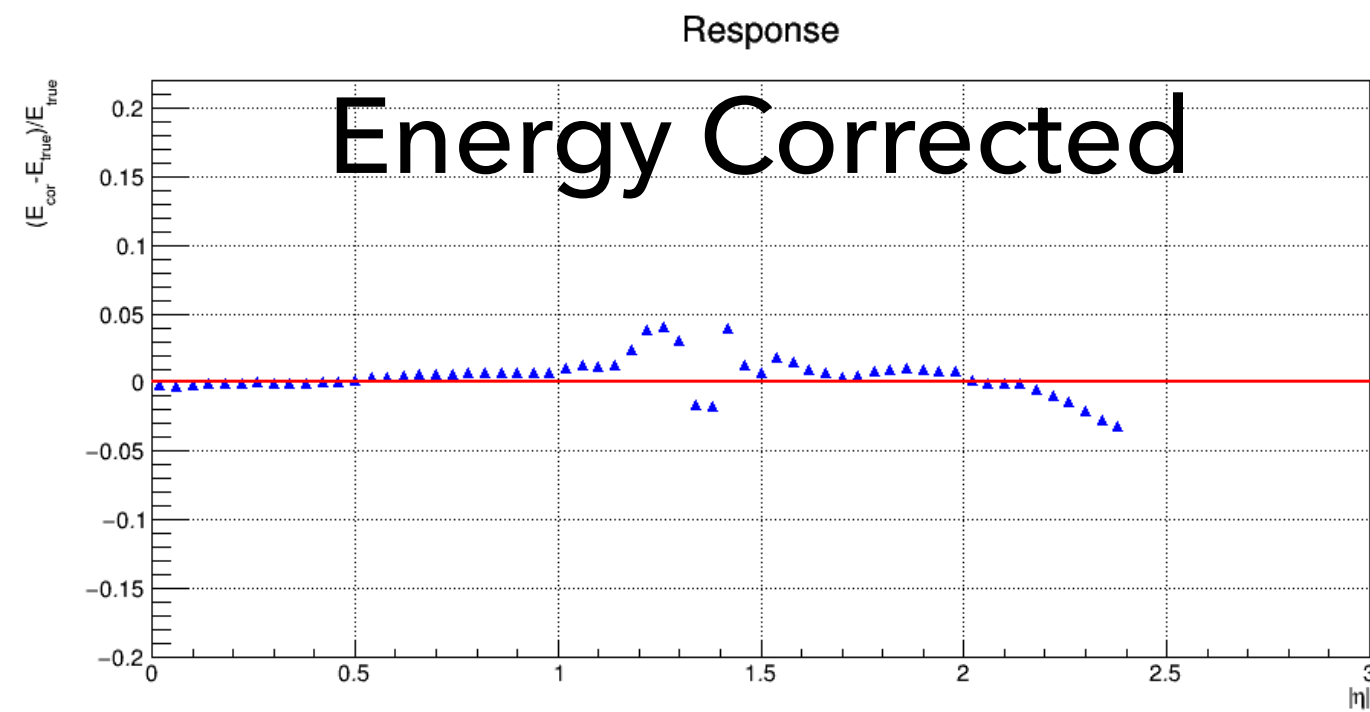
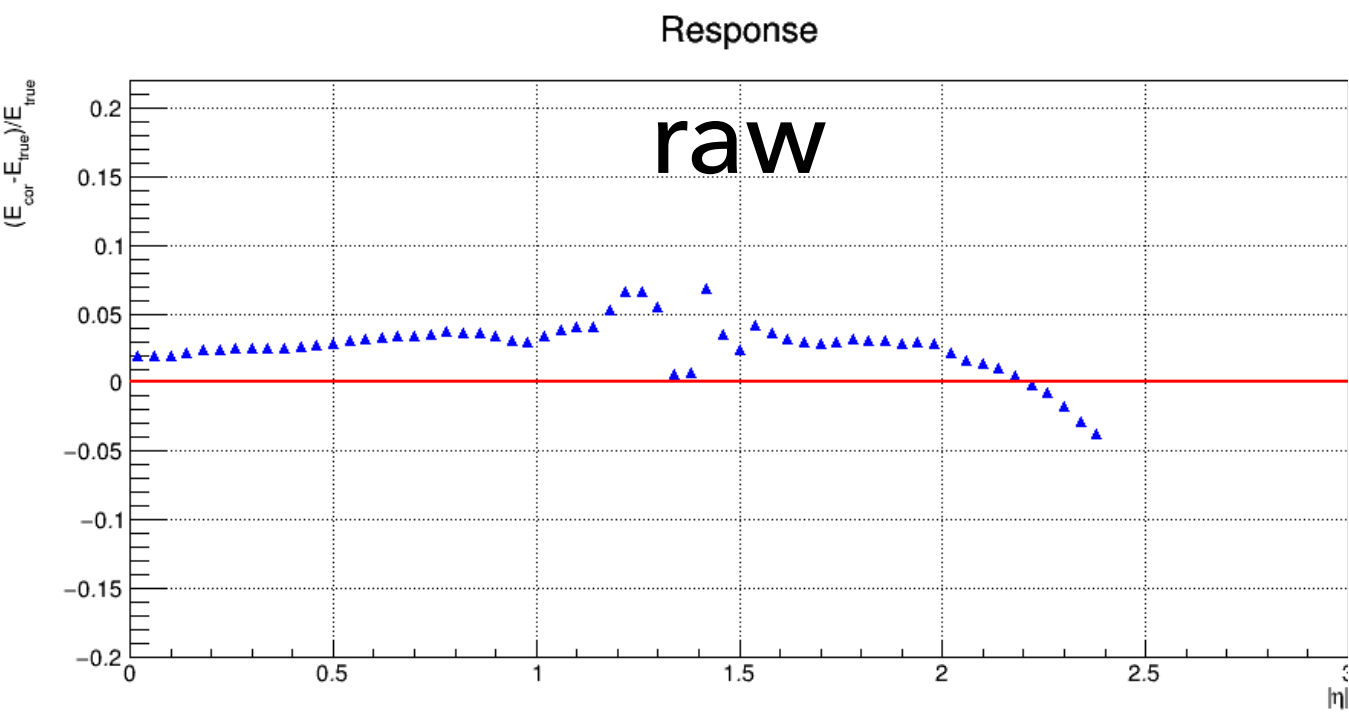
Energy and Eta dependence Correction

# Response vs eta, EH hadron

The response is improved after eta correction.



# Response vs eta, H hadron



## Summary

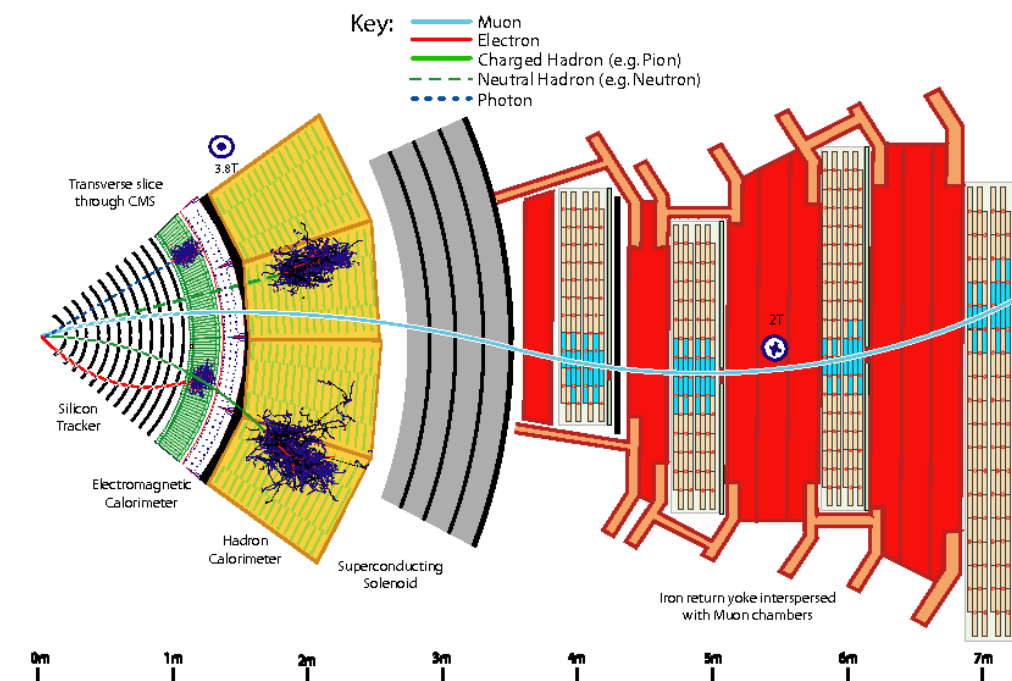
- PF hadron calibration on run3 120X single pion sample with CMSSW\_12\_0\_1.
- The response is improved after energy and energy-eta correction.

# BACKUP



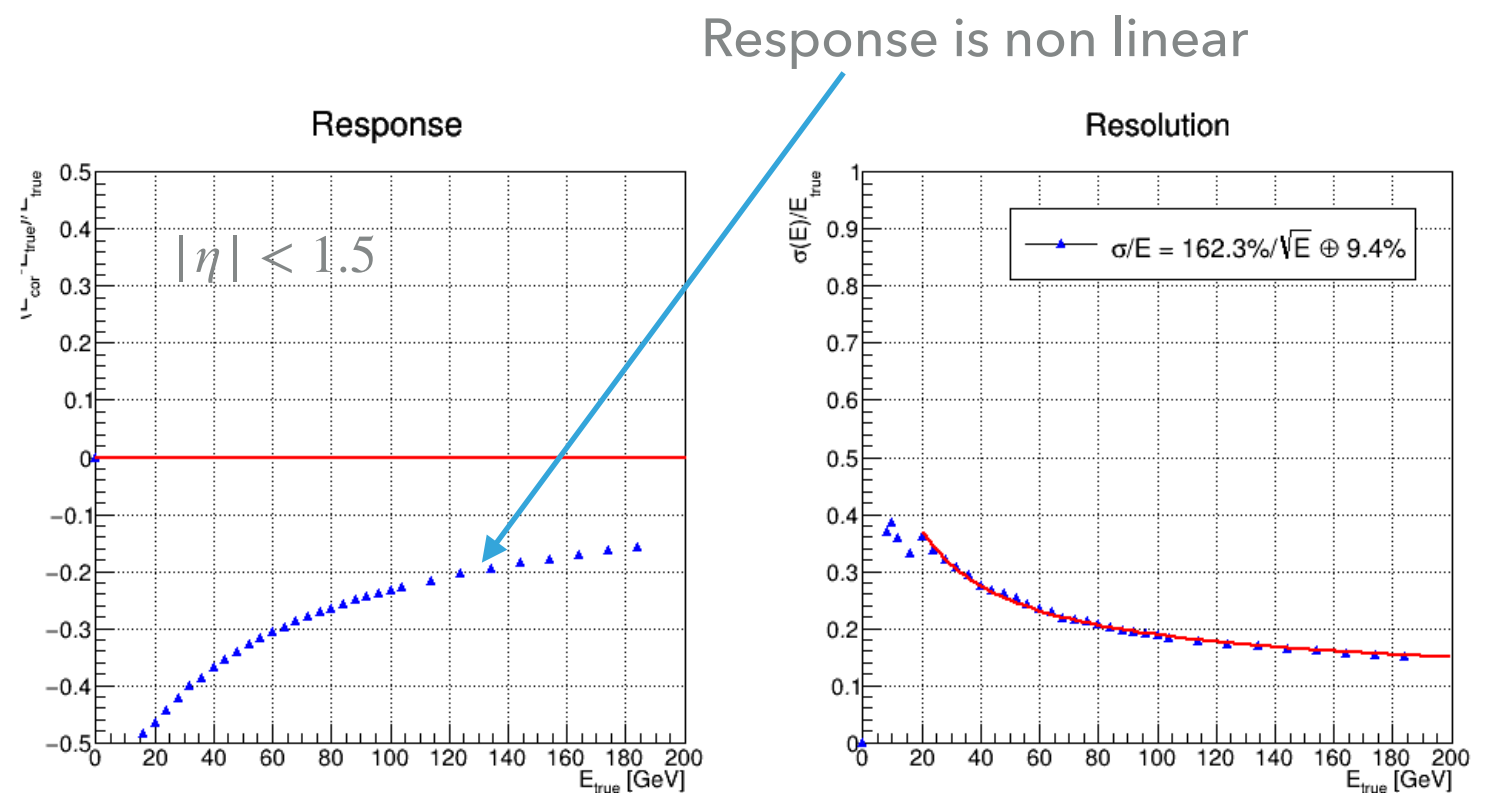
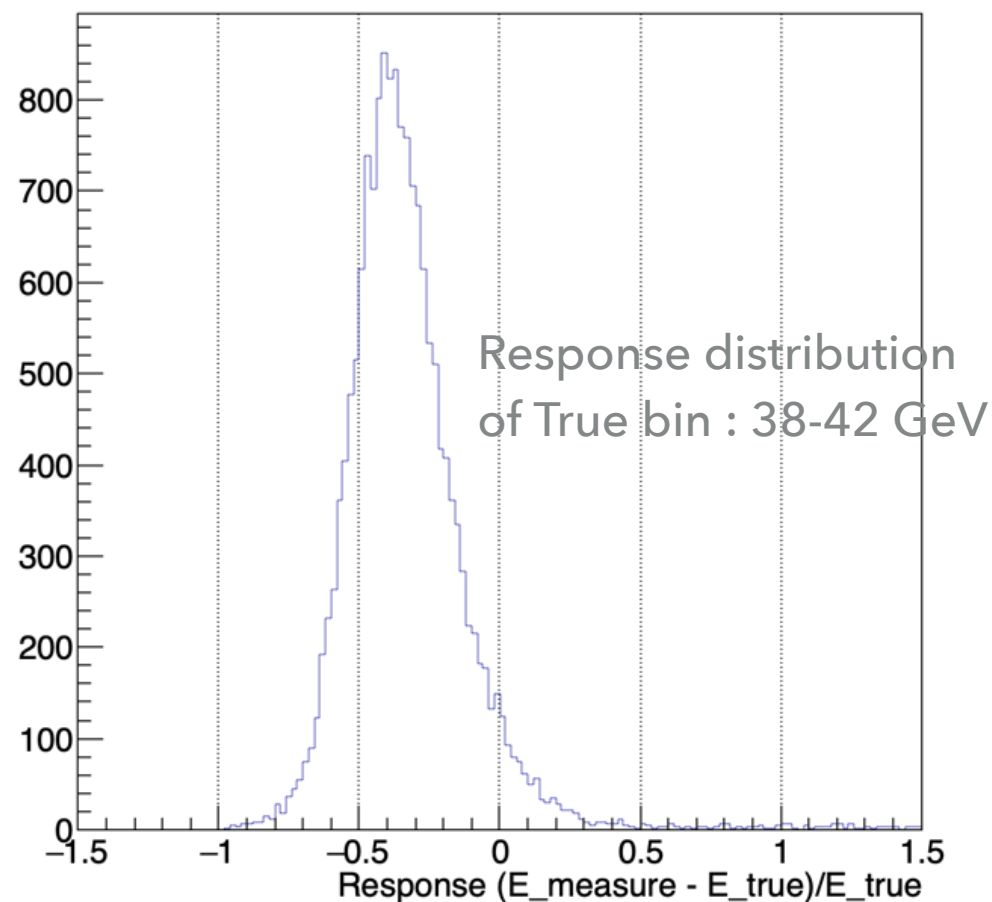
# Introduction to the calibration procedure

- We privately generate  $\pi^-$  sample in the energy range 0-200 GeV.
- Here,  $\eta$  and  $\phi$  of the pions are the position at the ECAL entrance surface propagated through the tracker.
- Particles which do not start a nuclear interaction in ECAL, i.e., do not start a hadronic shower in ECAL are categorized as **H hadrons**.
- Those starting a shower in ECAL are called **EH hadrons**.
- Online(HLT) and offline(Reco) Jets use the same method.



# Calibration method

- Check the raw response distribution in the various  $E_{\text{true}}$  bins.
- **Response =  $(E_{\text{measure}} - E_{\text{true}})/E_{\text{true}}$** ,  $E_{\text{measure}} = E_{\text{rawEcal}} + E_{\text{rawHcal}}$
- Fit a gaussian function.
- Gaussian mean and sigma  $\Rightarrow$  response(mean) and resolution(sigma/mean)



# Energy dependent correction

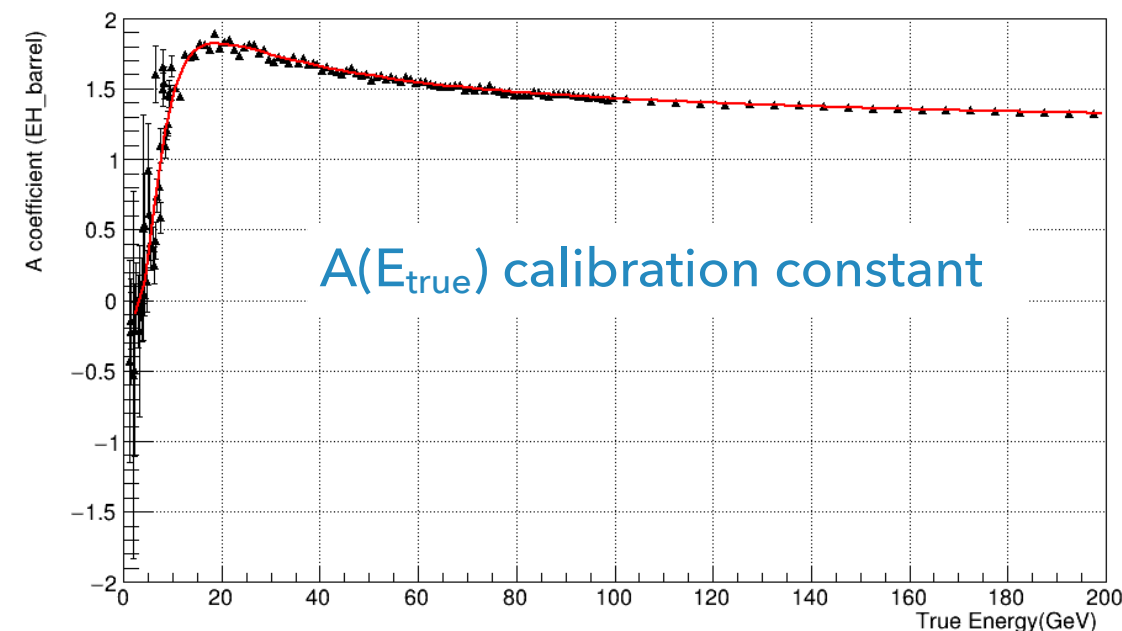
- Divide hadron into two categories:
  - **EH**: start their shower in ECAL
  - **H**: start their shower in HCAL
- For **EH Hadrons**:
  - $E_{\text{corrected}} = A(E_{\text{true}}) * E_{\text{rawEcal}} + B(E_{\text{true}}) * E_{\text{rawHcal}} + O_{\text{EH}};$   
 $O_{\text{EH}} = 3.5 \text{ GeV}$
- For **H Hadrons**:
  - $E_{\text{corrected}} = C(E_{\text{true}}) * E_{\text{rawHcal}} + O_{\text{H}}; O_{\text{H}} = 2.5 \text{ GeV}$
- These parameters are derived separately for Barrel region ( $|\eta| < 1.5$ ), and EndCap region ( $1.5 < |\eta| < 3.0$ )
- Apply these corrections on the raw ECAL & HCAL energies

To get A and B parameters, minimize  $\chi^2$  : defined as, for EH hadrons

$$\chi_{EH}^2 = \sum_{\text{hadrons}} \left[ \frac{E_{\text{true}} - E_{\text{corr}}}{\sigma(E_e + E_h)} \right]^2$$

To get C parameters, minimize  $\chi^2$  : defined as, for H hadrons

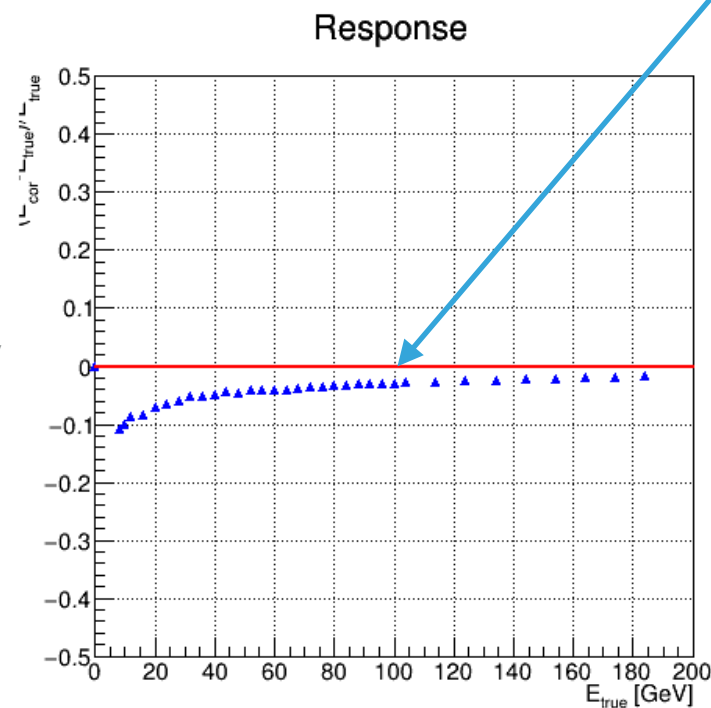
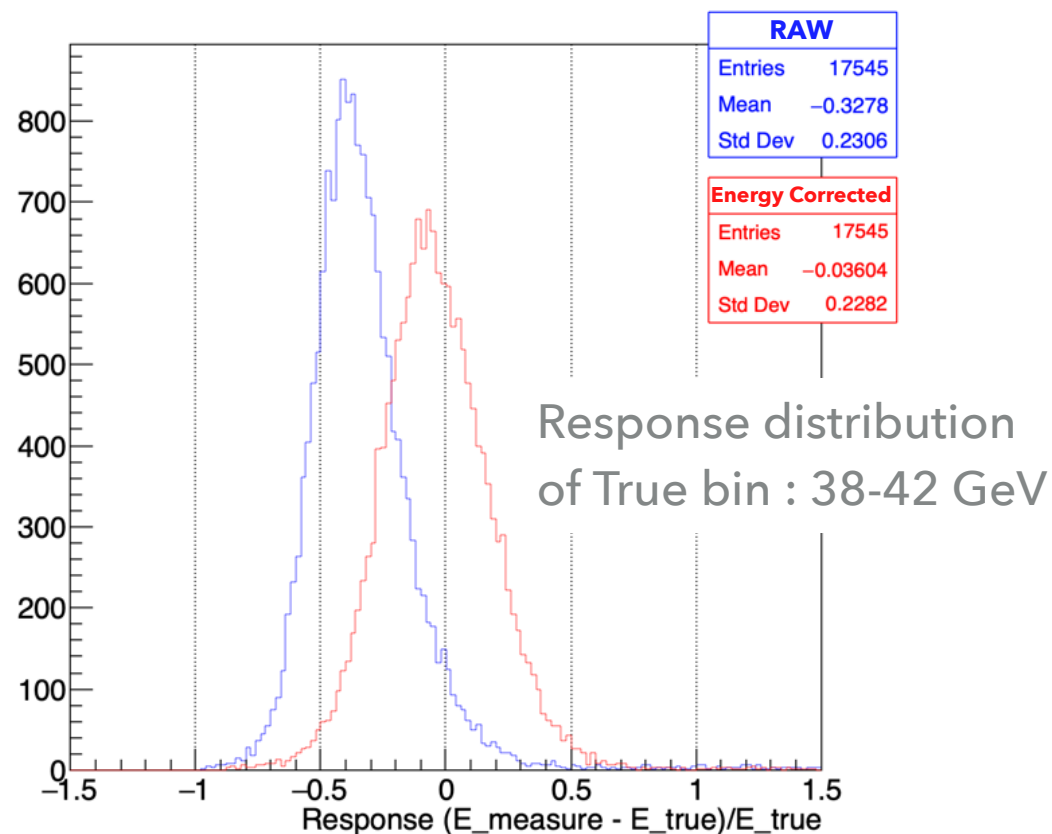
$$\chi_H^2 = \sum_{\text{hadrons}} \left[ \frac{E_{\text{true}} - E_{\text{corr}}}{\sigma(E_h)} \right]^2$$



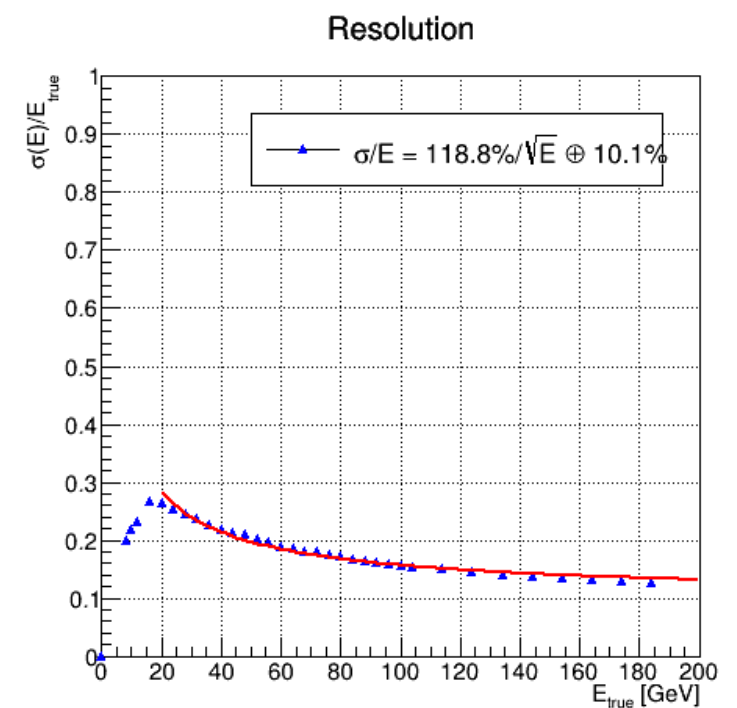


# Energy dependent calibration in a nutshell

- Check the **Raw response** ( $E_{\text{raw}} = E_{\text{rawEcal}} + E_{\text{rawHcal}}$ ) in the various  $E_{\text{true}}$  bins.
- And then define "**corrected response**" for each  $E_{\text{true}}$  bins
  - EH hadrons** :  $E_{\text{corrected}} = A(E_{\text{true}}) * E_{\text{rawEcal}} + B(E_{\text{true}}) * E_{\text{rawHcal}} + O_{\text{EH}}$
  - H hadrons** :  $E_{\text{corrected}} = C(E_{\text{true}}) * E_{\text{rawHcal}} + O_{\text{H}}$



Restored response linearity  
but incomplete closure



# Pseudorapidity dependent calibration in a nutshell

- After energy correction, look at the response as a function of  $\eta$ .
- Parametrize the  $\eta$  dependence.
- For EH hadrons in barrel, we use

$$E_{corr}^{\eta} = \left( 1 + \alpha(E_{true}) + \beta(E_{true}) * |\eta|^2 \right) * E_{ecal}^{Energy-corrected} + E_{hcal}^{Energy-corrected}$$

- Make eta dependent correction
  - using  $\chi^2$  minimization
  - Apply on top of Energy correction

