PHYS 2211 Test 4 Spring 2015

Name(print	Lab Section

Greco (K or M), Schatz(N)				
Day	12-3pm	3-6pm	6-9pm	
Monday		K01 K02		
Tuesday	M01 N01	M02 N02	M03 N03	
Tuesday	K03 K05	K04 K07	K06 K08	
Thursday	M04 N04	M05 N05	M06 N06	

Instructions

- Read all problems carefully before attempting to solve them.
- Your work must be legible, and the organization must be clear.
- You must show all work, including correct vector notation.
- Correct answers without adequate explanation will be counted wrong.
- Incorrect work or explanations mixed in with correct work will be counted wrong. Cross out anything you do not want us to grade
- Make explanations correct but brief. You do not need to write a lot of prose.
- Include diagrams!
- Show what goes into a calculation, not just the final number, e.g.: $\frac{a \cdot b}{c \cdot d} = \frac{(8 \times 10^{-3})(5 \times 10^6)}{(2 \times 10^{-5})(4 \times 10^4)} = 5 \times 10^4$
- Give standard SI units with your results.

Unless specifically asked to derive a result, you may start from the formulas given on the formula sheet, including equations corresponding to the fundamental concepts. If a formula you need is not given, you must derive it.

If you cannot do some portion of a problem, invent a symbol for the quantity you can not calculate (explain that you are doing this), and use it to do the rest of the problem.

Honor Pledge

"In accordance with the Georgia Tech Honor Code, I have neither given nor received unauthorized aid on this test."

Sign your name on the line above



Period 1, April 27th (Mon) at 8:00am - 10:50am

Every semester, someone receives a zero on the final because they missed the exam. Please don't let this happen to you!

Stressing over a conflict?

Did you complete "PHYS 2211 Final Exam Schedule" on WebAssign? If not, request and extension and complete it by April 14th.

Are you an ADAPTS Student?

Don't forget to schedule your final with the ADAPTS office. Don't delay, spaces are limited.

PHYS 2211
Please do not write on this page

Problem	Score	Grader
Problem 1 (25 pts)		
Problem 2 (25 pts)		
Problem 3 (25 pts)		
Problem 4 (25 pts)		

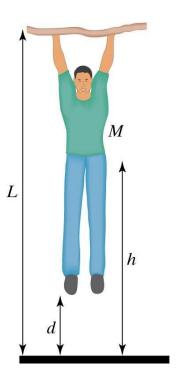
Problem 1 (25 Points)

Below is an incomplete code, very much like the one from your lab, to update the position of a ball hanging from a spring under the influence of gravity. The ball moves through a very thick fluid which exerts a drag on the ball $\vec{F}_{drag} = -b * \vec{v}$, where b is a positive constant and \vec{v} is the velocity of the ball.

```
from visual import *
## constants and data
g = 9.81 ## acceleration due to gravity m/s^2
mball = 0.2099 ## mass in kg of the ball used in lab
              ## the relaxed length (m) of the spring
L0 = 0.3
k = 12
             ## the spring constant (N/m^3)
b = 2
             ## the drag coefficient (N/(m/s))
deltat = 1e-3 ## the time step (s)
              ## start counting time at zero
ceiling = box(pos=(0,0,0), size = (0.2, 0.01, 0.2)) ## origin is at ceiling
ball = sphere(pos=(-0.1284, -0.1434, -0.1905), radius=0.025, color=color.orange)
spring = helix(pos=ceiling.pos, color=color.cyan, thickness=.003, coils=40, radius=0.015)
spring.axis = ball.pos - ceiling.pos
ball.v = vector(-0.17, -0.371, 0.258)
## calculation loop
while t < 6.03:
## (a 15pts) Calculate the net force on the ball
## (b 5pts) Update the position of the ball
## (c 5pts) Calculate the total energy for the spring+ball system (Earth in surroundings)
   E =
## (Extra Credit 5pts) Calculate the total work done by the fluid on the spring+ball system
   W_fluid =
   t = t + deltat ## update time
```

Problem 2 (25 Points)

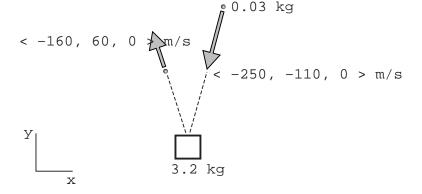
You hang by your hands from a tree limb that is a height L above the ground, with your center of mass a height h above the ground and your feet a height d above the ground, as shown in the figure. You then let yourself fall. You absorb the shock by bending your knees, ending up momentarily at rest in a crouched position with your center of mass a height h above the ground. Your mass is h.



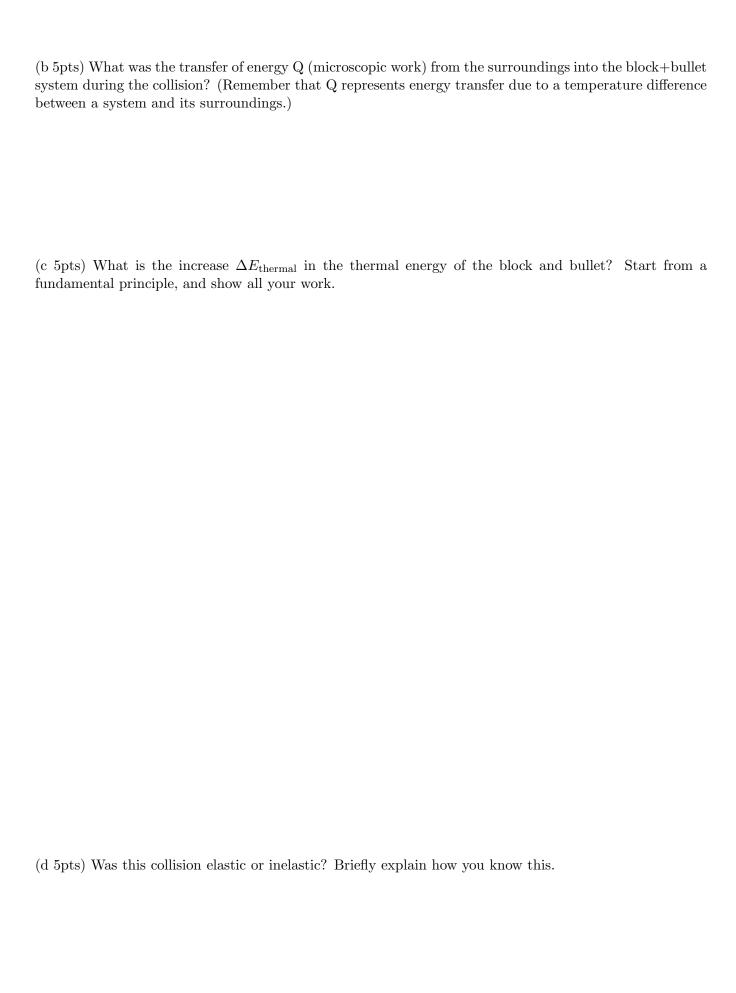
(a 5pts) Starting from the energy principle, find your speed just before your feet touch the ground.



A block of steel with mass 3.2 kg sits on a low-friction surface. A bullet of mass 0.03 kg traveling horizontally bounces off the block as shown in the diagram, looking down from above. We take the plane of the motion to be the xy plane (with z pointing outward, toward the viewer).

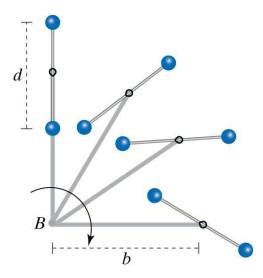


(a 10pts) What is the vector velocity of the block of steel just after the collision? Start from a fundamental principle, and show all your work.



Problem 4 (25 Points)

A barbell consists of two small balls, each with mass m, at the ends of a very low mass rod of length d. The center of mass for the barbell is mounted on the end of a low mass rigid rod of length b. As shown in the diagram, the rod rotates clockwise with angular speed ω . In addition, the barbell rotates counterclockwise about its own center, with an unknown angular speed.



(a 10pts) Determine the translational angular momentum $\vec{L}_{trans,B}$ (magnitude and direction) for the barbell.



This page is for extra work, if needed.

Things you must have memorized

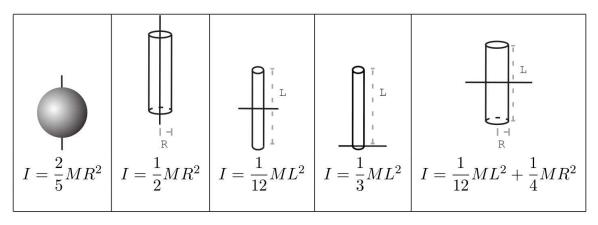
The Momentum Principle	The Energy Principle	The Angular Momentum Principle		
Definition of Momentum	Definition of Velocity	Definition of Angular Momentum		
Definitions of angular velocity, particle energy, kinetic energy, and work				

Other potentially useful relationships and quantities

$$\begin{split} \gamma &\equiv \frac{1}{\sqrt{1-\left(\frac{|\vec{v}|}{c}\right)^2}} \\ \frac{d\vec{p}}{dt} &= \frac{d|\vec{p}|}{dt} \hat{p} + |\vec{p}| \frac{d\hat{p}}{dt} \\ \vec{F}_{grav} &= -G \frac{m_1 m_2}{|\vec{r}|^2} \hat{r} \\ |\vec{F}_{grav}| &\approx mg \text{ near Earth's surface} \\ \vec{F}_{elec} &= \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{|\vec{r}|^2} \hat{r} \\ |\vec{F}_{spring}| &= k_s s \\ U_i &\approx \frac{1}{2} k_{si} s^2 - E_M \\ K_{tot} &= K_{trans} + K_{rel} \\ K_{rot} &= \frac{L^2_{rot}}{2I} \\ \vec{F}_{man} &= \frac{L^2_{rot}}{2I} \\ \vec{F}_{rot} &= \frac{L^2_{rot}}{2I} \\ \vec{F}_{spring} &= \frac{L^2_$$

$$E_N = N\hbar\omega_0 + E_0$$
 where $N = 0, 1, 2...$ and $\omega_0 = \sqrt{\frac{k_{si}}{m_o}}$ (Quantized oscillator energy levels)

Moment of intertia for rotation about indicated axis



Constant	Symbol	Approximate Value
Speed of light	c	$3 \times 10^8 \text{ m/s}$
Gravitational constant	G	$6.7 \times 10^{-11} \text{ N} \cdot \text{m}^2/\text{kg}^2$
Approx. grav field near Earth's surface	g	$9.8 \mathrm{\ N/kg}$
Electron mass	m_e	$9 \times 10^{-31} \text{ kg}$
Proton mass	m_p	$1.7 \times 10^{-27} \text{ kg}$
Neutron mass	m_n	$1.7 \times 10^{-27} \text{ kg}$
Electric constant	$\frac{1}{4\pi\epsilon_0}$	$9\times 10^9~{\rm N}\cdot {\rm m}^2/{\rm C}^2$
Proton charge	e	$1.6 \times 10^{-19} \text{ C}$
Electron volt	1 eV	$1.6 \times 10^{-19} \text{ J}$
Avogadro's number	N_A	$6.02 \times 10^{23} \text{ atoms/mol}$
Plank's constant	h	6.6×10^{-34} joule · second
$hbar = \frac{h}{2\pi}$	\hbar	1.05×10^{-34} joule · second
specific heat capacity of water	C	$4.2 \mathrm{J/g/K}$
Boltzmann constant	k	$1.38 \times 10^{-23} \text{ J/K}$
$\begin{array}{lllll} & \text{milli} & \text{m} & 1 \times 10^{-3} \\ & \text{micro} & \mu & 1 \times 10^{-6} \\ & \text{nano} & \text{n} & 1 \times 10^{-9} \\ & \text{pico} & \text{p} & 1 \times 10^{-12} \end{array}$	$_{ m gi}$	lo K 1×10^3 ega M 1×10^6 ga G 1×10^9 era T 1×10^{12}