ChBE 2120, Numerical Methods, Paravastu Section, Fall 2015
Quiz 1: 20 points possible

1) (9 points) The following code has 3 mistakes in it. Correct them.

```
function [ detM ] = CalculateDeterminant( M )
%in: M is a square matrix
    dimM = size(M);
    if (dimM == 1)
        detM = M(1, 1);
    else
        detM = 0;
        for i = 1:dimM(2)
            detM = (-1)^(i+1) * M(1, i) * CalculateDeterminant(MatrixMinor(M, 1, i));
        end
    end
end

function [ MMinor ] = MatrixMinor( M, i, j )
  dimM = size(M);

  MMinor = M([1:i (i+1):dimM(1)], [1:(j-1) (j+1):dimM(2)]);

End
```

How to calculate a determinant:

$|A| = det(A) = \sum_{k=1}^{n} a_{ik} C_{ik}, \ i = 1,2,\dots,n$ *(Laplace row expansion)*

$\quad\quad\quad = \sum_{k=1}^{n} a_{kj} C_{kj}, \ j = 1,2,\dots,n$ *(Laplace column expansion)*

The Cofactor $C_{ik} = (-1)^{i+k} M_{ik}$. The minor M_{ik} is the determinant of the matrix created by removing the ith row and the kth column from A. The determinant of a 1x1 matrix (scalar) is the scalar value.

2) (6 points) Write a Matlab function that accepts a positive integer as input and outputs the sum of the integer's digits. For example, an input of 552 would yield an output of 12. You function should work regardless of the number's magnitude. You may use Matlab's built-in mod function: mod(x, y) outputs the remainder of x/y.

function [DigitSum] = AddDigits(n)

end

3) (5 points) Calculate the inverse of the following matrix, using Gauss-Jordan elimination.

$$\begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix}$$