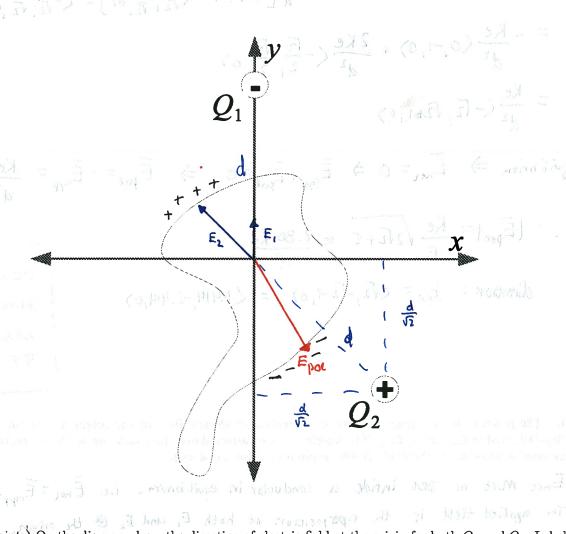
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Section NPQ

Play-Doh is a modeling compound used by young children for art and craft projects at home and in school. The large salt content of Play-Doh means that it is also a conductor. A **neutral** yellow blob of Play-Doh is placed near a negative charge $Q_1 = -e$ and a positive charge $Q_2 = 2e$ as indicated in the figure below. The negative charge Q_1 is located at $\vec{r}_1 = <0, d, 0>$ and the positive charge Q_2 is located at $\vec{r}_2 = < d/\sqrt{2}, -d/\sqrt{2}, 0>$.



1. (20 points) On the diagram draw the direction of electric field at the origin for both Q_1 and Q_2 . Label these arrows E_1 and E_2 . The lengths of your arrows should be consistent so that they correspond to the relative strength of each field.

rength of each field.
$$\rightarrow 10 \text{ pts}$$
 Exach; \vec{E}_1 , \vec{E}_2 , \vec{E}_{pol}

$$\Rightarrow \vec{E}_1 \text{ Arrow should be twice } -5 \text{ pts}$$

$$\Rightarrow \vec{E}_{pol} = -(\vec{E}_1 + \vec{E}_1) \left\{ -10 \text{ pts} \right\}$$

2. (50 points) Once the Play-Doh is in equilibrium, determine the magnitude and direction of the electric field at the origin due to the charge induced on the surface of the polarized Play-Doh.

$$\begin{split} & \bar{E}_{app} = \bar{E}_{1} \tau \bar{E}_{3} \\ & = \frac{KQ_{1}}{d^{2}} \Gamma + \frac{KQ_{1}}{d^{2}} \Gamma \\ & = \frac{KQ_{1}}{d^{2}} \Gamma + \frac{KQ_{1}}{d^{2}} \Gamma \\ & = -\frac{Ke}{d^{2}} \langle O_{1} - I_{1}O \rangle + \frac{2Ke}{d^{2}} \langle -\frac{I_{1}}{2}, \frac{I_{2}}{2}, O \rangle = \langle -\frac{I_{2}}{I_{2}}, \frac{I_{2}}{I_{2}}, O \rangle = \langle -\frac{I_{2}}{I_{2}}, \frac{I_{2}}{I_{2}}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} + I_{1}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} + I_{1}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} + I_{1}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} + I_{1}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} + I_{1}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} + I_{1}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} + I_{1}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{1}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{1}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d^{2}} \langle -I_{2}, I_{2} - I_{2}, O \rangle \\ & = \frac{Ke}{d$$

3. (20 points) On the diagram draw the direction of electric field at the origin due to the polarized Play-Doh. Label this arrow E_{pol} . The lengths of your arrow should be consistent so that it correspond to the relative strength of the field. Briefly explain how you know this.

Enet Must be zero inside a conductor in equilibrium. i.e. Enet = Eapy+ Epoe = 0

The applied field is the superposition of both Fi and Fi @ the origin. Therefore,

the polarized field must have a magnitude and direction such that it cancels the applied field

4. (10 points) On the diagram indicate how the neutral Play-Doh is polarized. Briefly explain how you doe to know this.

Spt { We know the direction of Epoc, therefore we can infer the position of the charges on the play-doh.

(Spts) -> Epoch # of "+" of "-" on surface