

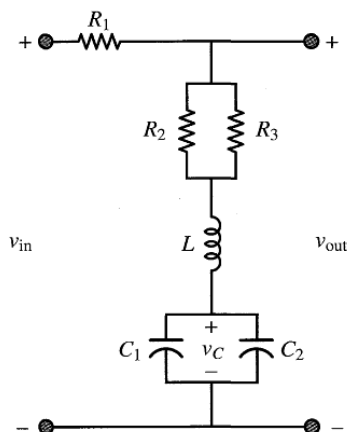
# Electrical Engineering

## HW 5– Chapter 6

<1>

**6.4** Repeat Problem 6.1 for the circuit of Figure P6.4.

$$R_1 = 300 \, \Omega, R_2 = R_3 = 500 \, \Omega, L = 4 \, \text{H}, \\ C_1 = 40 \, \mu\text{F}, C_2 = 160 \, \mu\text{F}.$$



**Figure P6.4**

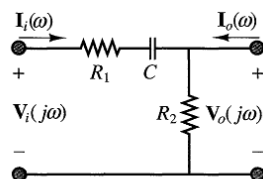
(Problems in 6.1)

- Determine the frequency response
- Plot the magnitude and phase of the circuit for frequencies between  $10$  and  $10^7$  rad/s on graph paper, with a linear scale for frequency.
- Repeat part b, using semilog paper. (Place the frequency on the logarithmic axis.)

<2>

**6.11** In the circuit shown in Figure P6.11, determine the frequency response function in the form:

$$H_v(j\omega) = \frac{V_o(j\omega)}{V_i(j\omega)} = \frac{H_{vo}}{1 \pm jf(\omega)}$$



**Figure P6.11**

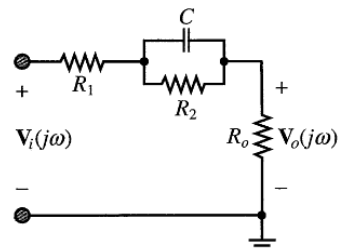
Hint: Calculate what it  $H_{v0}$  and  $f(\omega)$ .

<3>

**6.12** The circuit shown in Figure P6.12 has

$$R_1 = 100 \, \Omega \quad R_o = 100 \, \Omega \\ R_2 = 50 \, \Omega \quad C = 80 \, \text{nF}$$

Determine the frequency response  $V_o(j\omega)/V_{in}(j\omega)$ .

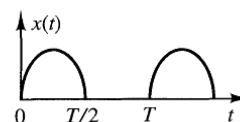


**Figure P6.12**

<4>

**6.20** Compute the Fourier series expansion of the function shown in Figure P6.20, and express it in sine-cosine ( $a_n$ ,  $b_n$  coefficients) form.

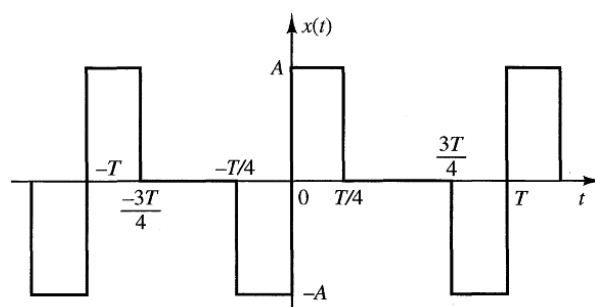
$$x(t) = \begin{cases} \sin\left(\frac{2\pi}{T}t\right) & 0 \leq t < \frac{T}{2} \\ 0 & \frac{T}{2} \leq t < T \end{cases}$$



**Figure P6.20**

<5>

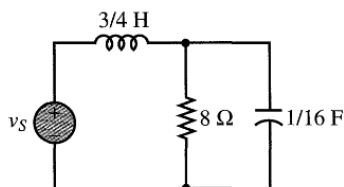
**6.22** Write an expression for the signal shown in Figure P6.22 and derive its Fourier series.



**Figure P6.22**

## <6>

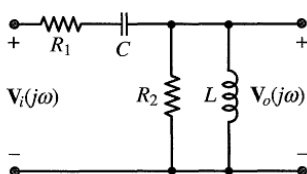
- 6.50** Consider the circuit shown in Figure P6.50. Determine the resonant frequency and the bandwidth for the circuit.



**Figure P6.50**

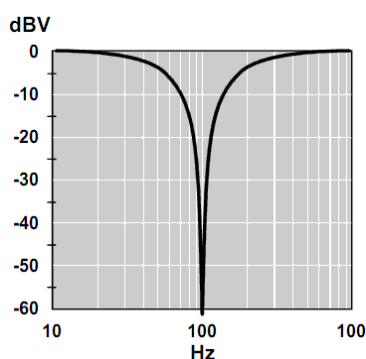
## <7>

- 6.53** For the filter circuit shown in Figure P6.53:
- Determine if this is a low-pass, high-pass, bandpass, or bandstop filter.
  - Determine the frequency response  $V_o(j\omega)/V_i(j\omega)$  assuming  $L = 10 \text{ mH}$ ,  $C = 1 \text{ nF}$ ,  $R_1 = 50 \text{ ohms}$ ,  $R_2 = 2.5 \text{ kohms}$



**Figure P6.53**

(Hint: We may not learn the bandstop(notch) filter. Its frequency response is similar to the following frequency response)



## <8>

- 6.57** In the filter circuit shown in Figure P6.56:

$$R_S = 5 \text{ k}\Omega \quad C = 0.5 \text{ nF}$$

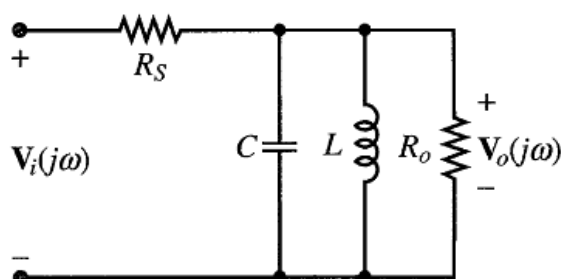
$$R_o = 100 \text{ k}\Omega \quad L = 1 \text{ mH}$$

Determine:

- The voltage frequency response

$$H_v(j\omega) = \frac{V_o(j\omega)}{V_i(j\omega)}$$

- The resonant frequency.
- The half-power frequencies.
- The bandwidth and  $Q$ .

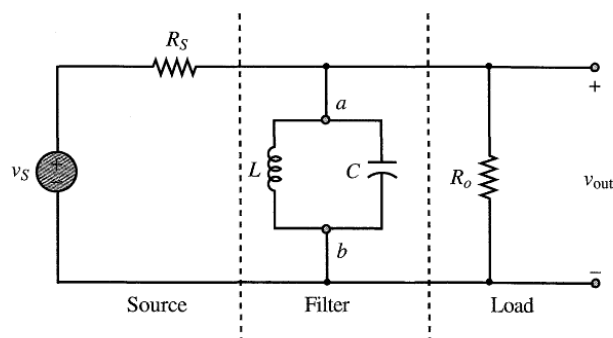


**Figure P6.56**

(Hint: Half-power frequency is the cut-off frequency. In this filter it may have more than one half-power frequency.)

## <9>

- 6.65** Determine the frequency response  $V_{out}(\omega)/V_S(\omega)$  for the network in Figure P6.65. Generate the Bode magnitude and phase plots when  $R_S = R_o = 5 \text{ k}\Omega$ ,  $L = 10 \text{ }\mu\text{H}$ , and  $C = 0.1 \text{ }\mu\text{F}$ .



**Figure P6.65**

**6.69** The circuit of Figure P6.69 is representative of an amplifier-speaker connection. The crossover filter allows low-frequency signals to pass to the woofer. The filter's topography is known as a  $\pi$  network.

- Find the frequency response  $V_o(j\omega)/V_s(j\omega)$ .
- If  $C_1 = C_2 = C$ ,  $R_S = R_o = 600\ \Omega$ , and  $1/\sqrt{LC} = R/L = 1/RC = 2,000\pi$ , generate the Bode magnitude and phase plots in the range  $100\text{ Hz} \leq f \leq 10\text{ kHz}$ .

