

# Introduction to AI -Tutorial Planning-

Assignment Project Exam Help

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# STRIPS: rocket domain

1. Formulate the rocket domain below in STRIPS. There are three possible actions:
  - to load a piece of cargo into a rocket
  - to unload a piece of cargo from a rocket
  - to move a rocket from a location to anotherwhere
  - for a rocket to be moved, it must have fuel, and moving uses up fuel
  - for a piece of cargo to be loaded/unloaded into/from a rocket, cargo and rocket must be at the same location
2. Modify your formulation of the *rocket domain* to accommodate fuel as a resource that can be consumed and produced

# STRIPS : rocket domain – example solution to 1.

*Move(r,x,y)*      preconditions: *Rocket(r), At(r,x), Has-fuel(r),  $x \neq y$*   
effects: *At(r,y),  $\neg At(r,x)$ ,  $\neg Has-fuel(r)$*

*Unload(c,r,x)*      preconditions: *Cargo(c), Rocket(r), In(c,r), At(r,x)*  
effects:  *$\neg In(c,r)$ , *At(c,x)**

*Load(c,r,x)*      preconditions: *Cargo(c), Rocket(r), At(c,x), At(r,x)*  
effects:  *$\neg At(c,x)$ , *In(c,r)**

# STRIPS : rocket domain – example solution to 2.

- One needs to accommodate **resource constraints** (see Section 11.1.1 in Russel&Norvig for a formal account).
- Intuitively this could be done, assuming every move requires 10l of fuel and each refill adds exactly 10l and the rocket has only up to 20l capacity, by adding a new action Refill and modifying Move as follows

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*Move(r,x,y)*      preconditions: *Rocket(r), At(r,x), Fuel(r)>10, x≠y*  
effects: *At(r,y), ¬At(r,x), Fuel(r) := Fuel(r) - 10*

*Refill (r,x)*      preconditions: *Rocket(r), At(r,x), Fuel(r)<10*  
effects: *Fuel(r) := Fuel(r) + 10*

# Graph-plan

Apply GRAPHPLAN to the shopping domain with

**actions:**

*Go(x)*    *preconditions:*  $At(y), x \neq y$     *effects:*  $At(x), \neg At(y)$

*Buy(x)*    *preconditions:*  $At(s), Sells(s, x)$     *effects:*  $Have(x)$

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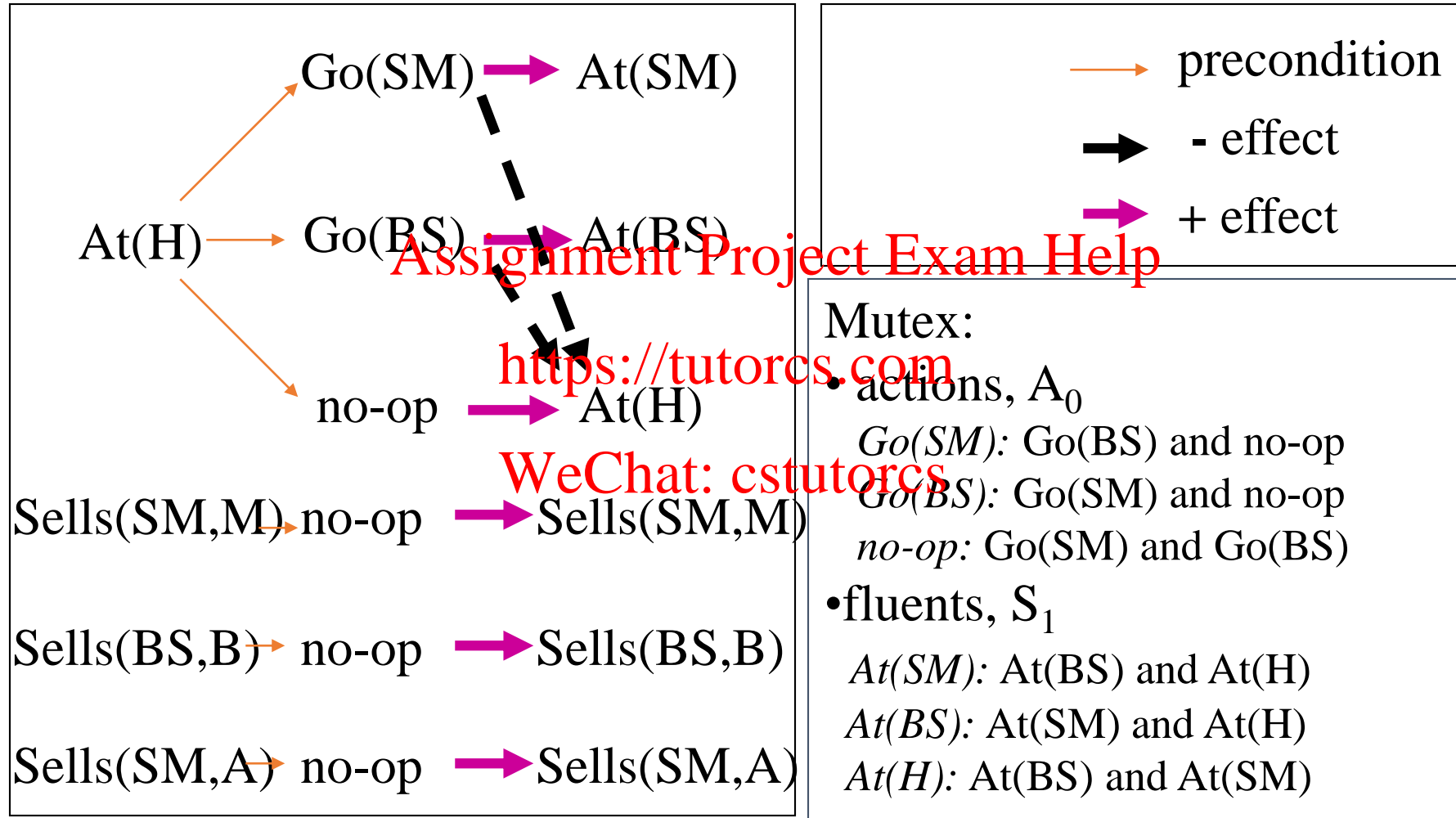
**start state:**  $At(H), Sells(BS, B), Sells(SM, A), Sells(SM, M)$

**goal:**  $At(H), Have(M), Have(A), Have(B)$

Show explicitly the graph (including mutex) for S0, A0, S1

Return the computed plan explicitly, and indicate the level at which the plan can be extracted.

Graph-plan solution:  $S_0, A_0, S_1$



# Graph-plan solution: (sub-graph) with plan

