

#### 程序代写代做 CS编程辅导

## Introduction to



## base Systems – Part 2

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Math Concepts Help

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#### 程序代写代做 CS编程辅导 What are the Math Concepts behind Databases?

Set

Tuple

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• Cartesian Product of Sets: tutorcs@163.com

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#### 程序代写代做 CS编程辅导 Set Notation



#### Container

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#### 程序代写代做 CS编程辅导 Set Notation



- We need set notation this course.
- A set is a collection of distinct elements.
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- Two basic properties Assets ment Project Exam Help
  - The elements in a set have no order.
     e.g., {1,2,3} 

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  - Each element da Quot be in the interest more than once.
     e.g., {Monday, Monday, Tuesday, Wednesday, Thursday, Friday} is Not a temps Note that Multisets allow to have duplicate elements.



#### 程序代写代做 CS编程辅导 Set Notation

- - $\{x_1,\ldots,x_n\}$  (i.e. elements in a set)
    - { 2, 3, 4, **W**eChat: cstutorcs
    - {Sydney, Melbourne, Canberra} Assignment Project Exam Help
    - {} or  $\emptyset$ , i.e., the *empty* set.

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  - (i.e., describe the elements that satisfy a property  $\varphi$ )
    - {x | x is a student currently enrolled in COMP7240}
    - $\{x \mid x \text{ is an integer and } x > 0\}$



• Membership:  $x \in A$ 

set A;  $x \notin A$  if x is not in the set A.

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QQ  $= \frac{49389476}{\text{https://turorcs.com}^3} \le \{1,2,3\}$ 

- Equality: If A and B  $\longrightarrow$  The property and
  - $\{x \mid x \text{ is an inte}$  and  $x < 6 \} = \{2, 3, 4, 5\}$
  - If one set contains some element that is not in the other set, then they are different.
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 $\{1,2\} \neq \{1,2,3\}$ 



- Subset: A is called  $a \subseteq B$  if every element of A is in B and we write  $A \subseteq B$ ;
- Proper subset: A is  $\square$  Lagrangian in the proper subset of B if  $A \subseteq B$  and A and B are not equal, and we write  $A \subseteq B$ .

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- Subset: A is called a B if every element of A is in B and we write A ⊂ B;
- Proper subset: A is  $\square$  toper subset of B if  $A \subseteq B$  and A and B are not equal, and we write  $A \subseteq B$ .

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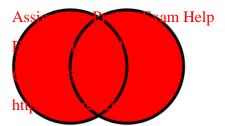


 $\{1,2\} \subset \{1,2,3\}$ 



- Union:  $A \cup B$  for the injury in A and everything in B.
  - ${3, 4, 5} \cup {3, 5, 7, 9} = {3, 4, 5, 7, 9}.$

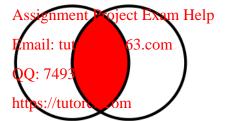
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- - {3, 4, 5} ∩ {3, **□ ? ? ? 4 ? 3**, 5}.

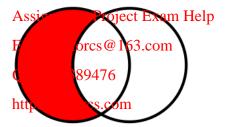
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- **Difference**: A B is A B is the from A that are *not* in B
  - {3, 4, 5} {3, **4**, 5} **4**}.

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#### 程序代写代做 CS编程辅导 Set Operations – Exercise

- Let  $A = \{1, 2, 3\}$  and  $A = \{1, 2, 3\}$
- Which of the following are correct?
- We Chat: cstutorcs No!  $\{2\} \subset A$  and  $2 \in A$ 
  - ② true ⊂ B Assignm\tolth@coje@talick\timueHelp®
  - $\{2,3\}\subseteq A\cup B_{\text{Email: tulorcs}}$
  - $\bigcirc$  2  $\in$   $A \cap B$

- No!  $A \cap B = \{\}$
- **5**  $2 \in A \{1, 3, 5\}$ **Q**:  $749389476\{1, 3, 5\} = \{2\}$

Yes!  $\emptyset = \{\}$ , the empty set









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#### 程序代写代做 CS编程辅导 Tuple Notation

- A tuple is an ordered ments.
  - (1,2,3,4,5)
  - (Melbourne, Sydney, Canberra)
- Two tuples are **equal** if they have the same elements in the same order.

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  - $(1,2,3) \neq (2,3,1)$  (i.e., the order does matter!)
- The same element can be into typically ice.
  - (Monday, Monday, Tuesday, Wednesday, Thursday, Friday, Friday) is a tuple.
- Ordered pairs are special cases of tuples.





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{2, 3, 4, **5**, **6**, **74**, **98**, **94**, **76**, J, Q, K, A}







- The Cartesian production takes an ordered list of sets, and returns a set of tuples.
- Cartesian product  $D_1 \times D_n$  is the set of all possible combinations of values from the sets  $D_1 \times D_n$ : cstutorcs
- It contains all the tuples were the method to the second element from the second set, ...

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- For example,  $A \times B = \{(a,b) \mid a \in A \text{ and } b \in B\}$ . If  $A = \{2,3\}$  and B = Quibs, Diamonds, Hearts, Spades} Then  $A \times B = \{(2, \text{Clubs}), (2, \text{Diamonds}), (2, \text{Hearts}), (2, \text{Spades}), (3, \text{Clubs}), (3, \text{Diamonds}), (3, \text{Hearts}), (9, \text{Spades})\}.$  (2,  $C\text{lubs}) \in A \times B$ ,  $(S\text{pades}, 3) \notin A \times B$ ,  $(4, \text{Hearts}) \notin A \times B$ ,  $(3, \text{Clubs}), (3, \text{Diamonds}), (3, \text{Hearts}), (3, \text{Spades})\} \subseteq A \times B$



{2, 3, 4, 5 (2, 2), 9, 10, J, Q, K, A}

| (2, 3, 4, 5) (2, 2), (3, 4), (4, 4)

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2 3 5 s signment Project, Exam Help
2 5 s signment Project, Exam Help
2 6 s signment Project, Exam Help
2 7 s signment Project, Exam Help
2 7 s signment Project, Exam Help
2 8 s signment Project, Exam





9, 10, J, Q, K, A}



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STRAIGHT



sian product of sets. A relation is a subset

#### Example

- Let  $X = \{Canberra Paris, Tokyo Kyoto\}$ , and  $Y = \{Australia, France, Japan\}$
- Let  $R = \{(a, b) | Assignment Project Exam Help \}$
- It is easy to sectionally is the property of the second section of the second section of the second secon
  - $R \subseteq X \times \mathbb{Q}Q$ : 749389476
  - (Canberratapstratiat @ ₱ (Pans, France) ∈ R but (Tokyo, France)  $\notin R$ , (France, Japan)  $\notin R$



A relation is a subset

sian product of sets.

#### Example

- WeChat: cstutorcs
   Let  $\mathbb{Z} = \{..., -1, 0, 1, 2, ...\}$ , the set of all integers
- Let  $R = \{(x, y) \mid x \in \mathbb{Z}, y \in \mathbb{Z} \text{ and } x \in \mathbb{Z}, y \in \mathbb{Z} \}$
- It is easy to sectional is it is the transfer of the section of
  - $R \subseteq \mathbb{Z} \times \mathbb{Q}Q$ : 749389476
  - (0,1) ∈ Fhttps://tytenss.com but  $(0,0) \notin R$ ,  $(100,-2) \notin R$ .