程序代写代做 CS编程辅导



COMP44 nowledge Representation and Reas g

Propositional Logic 2

WeChat: cstutorcs

Maurice Pagnucco Assignment Project Exam Help

School of Computer Science and Engineering

COMP4418. Week 1 Email: tutorcs@163.com

QQ: 749389476



Propositional Logic

程序代写代做 CS编程辅导

- Thus far we have conside sositional logic as a knowledge representation language
- We can now write sentences in this language (syntax)
- We can also determine the total or stall sitys of these sentences (semantics)
- What remains is to reason; to draw new conclusions from what we know (proof theory) and to do so using a computer to automate the process
- References: Email: tutorcs@163.com
 - Stuart J. Russell and Peter Norvig, Artificial Intelligence: A Modern Approach, Prentice-Hall International, 1995. (Chapter 6)



Overview

程序代写代做 CS编程辅导



- Normal Forms
- Resolution
- Refutation Systems

WeChat: cstutorcs

• Correctness of resolution Assignment Properties Fant Completeness revisited

Conclusion

Email: tutorcs@163.com

QQ: 749389476



Motivation

程序代写代做 CS编程辅导

If either George or Hert Kenneth lose George wins



then both Jack and

Therefore, Jack loses

WeChat: cstutorcs

 $\begin{array}{c}
(G \lor H) \to (\neg J \land \neg K) \\
\underline{G} \\
\neg J
\end{array}$

Assignment Project Exam Help

Email: tutorcs@163.com

QQ: 749389476



Normal Forms

程序代写代做 CS编程辅导

- A normal form is a "stand version of a formula"
- Common normal forms: Negation Normal Form It is an anymbols occur in front of propositional letters only (e.g., $(P \lor \neg Q) \to (P \land (\neg R \lor S))$) (A literal is a propositional letter of the negation of a propositional letter.) Conjunctive Normal Form (GMF) and Propositional letter.) Conjunctive Normal Form (GMF) and Propositional letter.) Disjunctions of literals are propositional letter. Disjunctions of literals are propositional letter. Disjunctions of literals are propositional letter. On the negation of a propositional letter.) Conjunctive Normal Form (PNF4) 3894 disjunct of conjunctions (e.g., $(P \land Q \land \neg R) \lor (\neg S \land \neg R)$)



Negation Normal Form

- To simplify matters, let us we are only dealing with formulae containing the connective we are only dealing with formulae
- A (sub)formula $\phi \to \psi$ is Φ to $\neg \phi \lor \psi$
- A (sub) formula $\phi \leftrightarrow \psi$ is equivalent to $\phi \to \psi$ and $\psi \to \phi$
- DeMorgan's laws: WeChat: cstutorcs

○
$$\neg(\phi \land \psi) \equiv \neg\phi \lor \neg\psi$$

○ $\neg(\phi \lor \psi) \equiv \neg\phi \land \neg\psi$ Assignment Project Exam Help

- Double Negation: ¬¬P ≡Ephail: tutorcs@163.com
- To put a formula in negation normal form, repeatedly apply De Morgan's laws and double negation
- For example, $\neg (P \lor (\neg R \land P)) \stackrel{\text{https://tutores.com}}{=} \neg P \land (R \lor \neg P)$



Conjunctive Normal Form

程序代写代做 CS编程辅导



Note the following distribute:

$$(\phi \land \psi) \lor \chi \equiv (\phi \lor \chi) \quad (\phi \lor \psi) \land \chi \equiv (\phi \land \chi) \quad (\phi \lor \psi) \land \chi \equiv (\phi \land \chi) \quad (\phi \lor \psi) \quad (\phi$$

- To put a formula in conjunctive normal form (CNF) firstly put the formula into negation normal form and then repeatedly apply the identities above
- For example, $R \to (P \land Q) \stackrel{\text{log}}{=} (-1) \stackrel{\text{def}}{=} (-1) \stackrel$

QQ: 749389476



Resolution Rule

程序代写代做 CS编程辅导





• Where β is a literal (i.e., α) to β 000 of α 010 letter or its negation)



Resolution Rule

程序代写代做 CS编程辅导



- Resolution is essentially equivalent to the transitivity of material implication
- In fact, it is a form of the well: RMOWAP & TO rule in logic



Applying Resolution

程序代写代做 CS编程辅导

- The resolution rule is sou
- What does that mean?
- How can we use the resolution rule?
 - Convert premises into MEhat: cstutorcs
 - Repeatedly apply resolution rule to the resultant clauses
 - Each clause produced can be inferred from the original premises
 - If you have a query sentence goal, it follows from the premises if and only if each of the clauses in CNF(goal) is produced by resolution
- There is a better way ... QQ: 749389476



Refutation Systems

程序代写代做 CS编程辅导

- If we would like to prove ϕ is a theorem (i.e., $\vdash \phi$), we start with $\neg \phi$ and produce a contradict
- A "proof by contradiction" WeChat: cstutorcs

- Similarly, if we wish to prove $\psi_1, \ldots, \psi_n \vdash \phi$, start with $\neg \phi$ and together with ψ_1, \ldots, ψ_n produce a contraction Project Exam Help
- Resolution can be used to implement a refutation system
- Repeatedly apply resolution rule until empty clause results



Applying Resolution

程序代写代做 CS编程辅导



- Negate conclusion (resol
- Convert premises and negated conclusion into CNF (clausal form)
- Repeatedly apply Resolution Rule, Double Negation
- If empty clause results you shave a confluence on conclude that the conclusion follows from the premises @ 163.com

QQ: 749389476



Resolution — Example 1



Resolution — Example 2



Resolution — Example 3

$$\vdash ((P \lor Q) \land \neg P) \to Q$$

$$\mathit{CNF}[\neg(((P\lor Q)\land \neg P)\to Q)]$$

- 1. $P \lor Q$ [¬ Conclusion]
- 2. $\neg P$ [\neg Conclusion]
- 3. $\neg Q$ [\neg Conclusion]
- 4. *Q* [1, 2. Resolution]
- 5. □ [3, 4. Resolution]



WeChat: estutores

Assignment Project Exam Help

Email: tutorcs@163.com

QQ: 749389476



Soundness and Completeness — Recap

程序代写代做 CS编程辅导



- An inference procedure (e a logic) is *sound* if and only if it preserves truth
- In other words \vdash is sound whenever $\lambda = \rho$, then $\lambda \models \rho$
- A logic is complete if and longing if iteis: Capable Conprolating all truths

QQ: 749389476



Decidability

程序代写代做 CS编程辅导



- A logic is *decidable* if and only if there is a mechanical procedure that, when asked $\lambda \vdash \rho$, can eventually halt and answer "yes" or halt and answer "no"
- Propositional logic is decidable ment Project Exam Help

Email: tutorcs@163.com

QQ: 749389476



Heuristics in applying Resolution

程序代写代做 CS编程辅导



- Clause elimination car light and certain types of clauses
 - \circ Pure clauses: contain \square An here $\neg L$ doesn't appear elsewhere
 - \circ Tautologies: clauses containing both *L* and $\neg L$
 - Subsumed clauses: another clause exists containing a subset of the literals
- Ordering strategies

Assignment Project Exam Help

- o Unit preference: resolve unit clauses (only one literal) first
- Many others ...

QQ: 749389476



Conclusion

- We have now investigate
 Impossible
 Impo
- This means we can draw clusions from the knowledge we have; we can reason
- Have enough to build a knowledge-based agent
- However, propositional logissisranwealRrlangulagen theme are many things we can't express in it

 Email: tutores@163.com
- It cannot be used to express knowledge about objects, their properties and the relationships that exist between the relationships the relationship
- For this purpose we need a more texpressive language: first-order logic

