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Plan.

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Time Series Models (Main Time Series Models (M

- View time series as stochastic processes
- Notions of stationarity (Covariance Stationary)
- Models for stationary time series
 - General linear process (GLP) noseful rejessentation espectations...
- Characteristics of modesmail: tutorcs@163.com
 - Patterns in the AC and PAC of a model: White noise

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Motivation

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- Describe empirically relevant patterns in the data ??
- Obtain the distribution of future values, conditional on the past, in order to forecast the future values sign evelua ertie dikelihand bledertain events ??
- Provide insight in possible sources of non-stationarity Email: tutores@163.com

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Characteristics of a Time Series

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A **time series** y_1, \ldots, y_n quence of values a specific variable y has taken on at equivariants $y_n = y_n + y_n +$

These observations will be considered by some stochastic Data Generating Process (DGP) and Help

- A time series $y_1, ..., y_T$ is generated by a stochastic process y_t , for $t = 1, ..., \frac{1}{2}$ Amail: tutorcs@163.com
- A time series y_1 , 0.0 $y_7 4 s_3 code f$ time of realizations of a random variable y_t ordered in time. https://tutorcs.com

Univariate Time Series Models

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A **time series model** tries to describe the stochastic process y_t has a relatively simple model and private time series models are a class of models where the possible to model and predict (economic) variables up to model and predict (economi

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These models are (mainly) a-theoretical:

- ▶ not based upon anstiguengntgPtneisrettexpmodelp
- ► attempt to capture empirically retevant patterns in the data

⇔ Structural models QQ: 749389476

- ► generally based upon any underlying theoretical model
- attempt to model a variable from the current and/or past values of other explanatory variables (suggested by theory)

Defining stationarity and non-stationarity

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A series y_t is **strictly stationary** if the distribution of its values is not affected by an arb

$$\begin{cases} \mathbf{f}(\mathbf{f}) & \forall k \\ \mathbf{g}(\mathbf{f}) & \forall k \end{cases} \tag{1}$$

 \rightarrow The entire distribution of y_t is not affected by an arbitrary shift along the time axis. See for example Figure 1.

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A series y_t is **covariance** or **weakly stationary** if it satisfies:

- $E(y_t) = \mu < \infty$ Email: tutorcs@163.com
- $Var(y_t) = E(y_t 0.0^2.7493894566)$
- \triangleright Cov $(y_t, y_{t-k}) = F_{\text{heats:7/three}}(y_t, y_{t-k}) = \gamma_k$
- \rightarrow The first and the second moment of the distribution of y_t are finite and not affected by an arbitrary shift along the time axis.

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Defining stationarity and non-stationarity

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▶ After being hit by a stationary series tends to return to its mean (called **ersion**) and fluctuations around this mean (measure variance) will have a broadly constant amplitude.

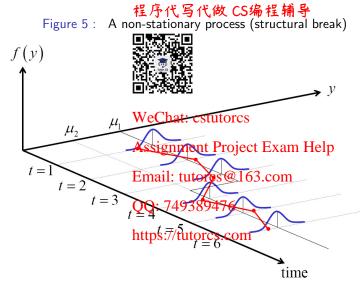
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- If a time series is not stationary in the sense defined above, it is called **non-stationary**; i.e. non-stationary series will have a time-varying mean and/or a time-varying variance and/or time-varying covariances.
 - ▶ Non-stationarity () (1): hat 9 different sources: linear trend, structural break, unit root, ... https://tutorcs.com

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Defining stationarity and non-stationarity



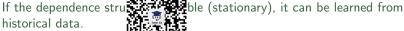
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Stationary Time Series

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- historical data.
- Strict Stationarity



A time series is strictly stationary (SS) if its joint distribution at any set of points in time is in What hat any thing shift.

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- Covariance StationarityEmail: tutorcs@163.com
 - A time series is covariance stationary (CS) if its mean, variance and autocovariance are a 0.0 nd 0.0 of the time index t, and its variance is finite.

$$\frac{\text{https://tutorcs.com}}{E(y_t) = \mu, Var(y_t) = \gamma_0 < \infty, Cov(y_t, y_{t-j}) = \gamma_j \text{ for all } j}$$



Autocorrelation and Partial Autocorrelation Function

Assuming covariance stationarity, particular useful tools when building ARMA models co-called Autocorrelation and Partial Autocorrelation

In general, the joint distributed of all values of y_t is characterised by the so-called **autocovariances**, i.e. the covariances between y_t and all of its lags y_{t-k} . WeChat: cstutorcs

The sample autocovariances γ_k can be obtained as

$$\gamma_k = cov(y_t, y_{t-k}), \quad k = 1, 2, \dots$$
 (2)

$$= \frac{QQ: 749389476}{T \text{ https://gutores.com}} (y_t - \overline{y}) (y_{t-k} - \overline{y}), \tag{3}$$

where $\overline{y} = T^{-1} \sum_{t=1}^T y_t$ is the sample mean.

Autocorrelation and Partial Autocorrelation Function

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As the autocovariances are not independent of the units in which the variables are meas common to standardize by defining autocorrelations ρ_k

$$\rho_{k} = \frac{\nabla_{t}}{\nabla_{t}} \frac{\nabla_{t}}{\nabla_{t}} \frac{\nabla_{t}}{\nabla_{t}} = \frac{\gamma_{k}}{\gamma_{0}}.$$
(4)

Note that $\rho_0 = 1$ and Assignment Project Exam Help

The autocorrelations f_t mainsidered cascal function of f_t are referred to as the autocorrelation function (ACF) or correlogram of the series f_t . The ACF provides useful information on the properties of the DGP of a series as it pless the dependencies among observations.

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Autocorrelation Function

If the data are generated from a **stationary process**, it can be shown that under the **国际** hesis:



the sample autocorrelation coefficients are asymptotically normally distributed Wti Cheen 2010 and variance $\frac{1}{T}$.

Therefore, in finite sample in Project Exam Help

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The **individual significance** of an autocorrelation coefficient can be tested by constructing the QE for confidence interval:

$$\left[-1.96/\sqrt{T}; 1.96/\sqrt{T}\right]$$

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Autocorrelation Function

Looking at a large nu**相身依何能够感染。** will see that some exceed two standard deviations as a result of pure chance even though the true the DGP are zero (Type I error).

The **joint significance** up of m autocorrelation coefficients can be tested by the so-called Box-Pierce Q-statistic:

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$$Q = T \sum_{k=0}^{m} \rho_{k}^{2}$$
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If the data are generated from a stationary process, Q is asymptotically χ^2 distributed with m degrees of freedom.

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Superior small sample performance is obtained by modifying the q statistic (reported in $\frac{\text{even}}{\text{even}}$)com

$$Q^* = T(T+2) \sum_{k=1}^{m} \rho_k^2 / (T-k)$$
 (6)

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Partial Autocorrelation Function

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- The sample partial autocorrelations can be calculated from OLS regressions:
 - $\hat{p}_1 = \hat{\phi}_{11}$ in $y_t = \phi E_0$ mail: t_1 tutores @ 163.com
 - $\hat{p}_2 = \hat{\phi}_{22}$ in $y_t = \phi_{20} + \phi_{21}y_{t-1} + \phi_{22}y_{t-2} + e_{2t}$ $\hat{p}_3 = \hat{\phi}_{33}$ in $y_t = \phi_3 Q \phi_3 y_{t-2} + \phi_{32}y_{t-2} + phi_{33}y_{t-2} + e_{3t}$

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Defining a White Noise Process

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A series y_t is called a **Section Process** if its DGP has a constant mean, a constant mean, a constant mean. Formally:

$$E\left(y_{t}\right)=E\left(y_{t-1}\right)$$
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$$Var\left(y_{t}\right)=Var\left(y_{t}\right)$$
 ignment Froject Exam Help
$$Cov\left(y_{t},y_{t-k}\right)=\text{Exam}\left(y_{t}\right)$$
 ignment Froject Exam Help
$$Cov\left(y_{t},y_{t-k}\right)=\text{Exam}\left(y_{t}\right)$$
 if $k=0$ otherwise
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$$y_{t} \text{ is a zero-mean white noise process if } \mu=0.$$

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Defining a White Noise Process

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- A time series ϵ_t is a wall fits is covariance stationary with zero mean and no autocorrelation.
 - By definition: WeChat: cstutorcs

$$E(\epsilon_t) = 0. Var(\epsilon_t) \equiv \sigma^2 Cov(\epsilon_i, \epsilon_{t\overline{X}}) = 0.$$
 for all $j \neq 0$.

- A white noise is denoted as: $y_t \sim WN(0,\sigma^2)$ A white noise is not necessarily 9.5.3 (independent and identically distributed)
- An i.i.d white noise is denoted as: i.i.d $WN(0, \sigma^2)$
- White noises are building brocks of time series models.

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Test whether a time series is white noise

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- Kev feature of a $WN(\overline{0}, \overline{\sigma})$ is H_0 : no autocorrelation
- The sampling distribution of the AGE and PACF for a WN is approximately N(0, 1/T)
- Reject H_0

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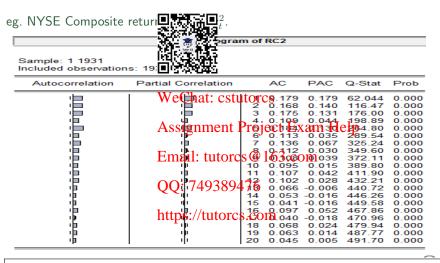
if either ACF or PAC is outside the +1,00/0/Tc bands; or the Ljung-Box Q-stats have small p-values.

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Test whether a time series is white noise

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General linear Process

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- Why general linear p
 - a general linear pro

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$$y_t = \mu + \sum_{i=0}^{\infty} b_i \epsilon_{t-i}, \epsilon_t \sim WN(0, \sigma^2)$$

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- Because $b_i \to 0$ as $i \to \infty$, it is possible to use finite parameters to characterise CS time series. This leads to the total to
- Will mainly consider the cases with iid WN in this topic, for which "conditional"="unconditional" 89476
 - $E(\epsilon_t|\epsilon_{t-j}) = E(\epsilon_t)$ (ϵ_t is not predictable) $Var(\epsilon_t|\epsilon_{t-j}) = Var(\epsilon_t)$ for all $j = 1, 2, 3, \cdots$

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General linear Process

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■ Conditional Expectate

The general linear !



ii.i.d WN:



• Let Ω_t be the information set base project Exam Help

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- Conditional mean and variance of y_{t+h} for $h=1,2,\cdots$: $E(y_{t+h}|\Omega_t) = \mu + \sum_{i=h}^{Q} b_i \epsilon_{t+h-i},$

 - $Var(y_{t+h}|\Omega_t) = \sigma^2 \frac{1}{h_{tips}} \frac{h-1}{h_{tips}} b_t^2$ What happens when $h \to \infty$?

 - Limited memory: info at t is not relevant to remote future.

General linear Process: Conditional Expectations

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$$y_{t+h} = \mu + \underbrace{b_0 \varepsilon_{t+h}}_{\text{in } \Omega_t} + \underbrace{b_h \varepsilon_t + b_{h+1} \varepsilon_{t-1} + \cdots}_{\text{in } \Omega_t}.$$

$$E(y_{t+h}|\Omega_t) = \mu + \sum_{i=1}^n \sum_{j=1}^n a_{j}$$

$$Var(y_{t+h}|\Omega_t) = \sigma^2$$

$$\varepsilon_{t+1}$$
 = 1-step forecast error

eg. When h = 2,

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- $y_{t+2} = \mu + \underbrace{b_0 \varepsilon_{t+2} + b_1 \varepsilon_{t+1} + b_2 \varepsilon_t + b_3 \varepsilon_{t-1} + \cdots}_{\text{not in } \Omega_t}$ 'Help
- $E(y_{t+2}|\Omega_t) = \mu + b_{\text{Effail}} b_3 \mathcal{E}_{\text{totorcs}} @ 163.\text{com}$ • $Var(y_{t+2}|\Omega_t) = \sigma^2(b_0^2 + b_1^2)$.
 - $(b_0 + b_1).$

 $(b_0^2 + b_1^2)$.

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Conditional variance is smaller than unconditional variance. Variance being constant, not ideal to capture the **clustering** in return series. Need ARCH-type model.

General linear Process: Forecast Based on Ω_t

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- Use the information forecast y_{t+h} for $h \ge 1$. Let $f_{t+h|t}$ be the for each ed on Ω_t .
- Choose $f_{t+h|t}$ to militie MSFE

MSFE =
$$E[(y_{t+h} - f_{t+h}|_t)^2 |\Omega_t]$$
.

• The optimal point forecast is Assignment Project Example 10. $f_{t+h|t}^* = E(y_{t+h}|\Omega_t).$

• If μ , b_i , σ^2 are known, the 2-se interval forecast is $E(y_{t+h}|\Omega_t) \pm 2\sqrt{\text{Var}(y_{t+h}|\Omega_t)}$

$$(\mu + \sum_{i=h}^{\infty} b_i \varepsilon_{t+h-i}) \pm 2 (\sigma^2 \sum_{i=0}^{t-1} b_i)^{1/2}$$
.

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Slides-04

Summary: What to take from this lecture?

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- White noise is the building block of time series models
- 2 In order to model the dynamics: of attime series, use the white noise process to piece together the dynamics: GLP
- 3 GLP useful representations icompart experientions and ACF
- 4 Special models: AR, MA Email: tutorcs@163.com

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