# 程序代寫式做CS编程辅导

Faculty of Information Technology  $2^{\text{nd}}$  Semester 2022



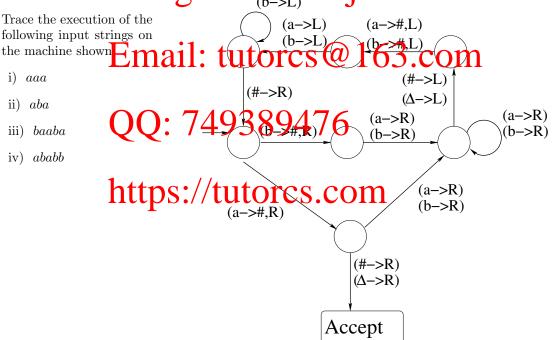
ASSESSED PREP

You must submit a serious attempt at this entire question to your tutor by the Sunday evening prior to your tutorial.

# WeChat: cstutorcs

1.

Assignmert Project Exam Help



- **2.** Build a Turing Machine that accepts the language  $\{a^nb^{n+1}\}$ .
- **3.** Build a Turing Machine which computes the function, f(n) = n/2.
- **4.** For the following inputs trace the execution of the Turing Machine built in Lectures to compute the function f(n) = 2n.
- i)  $\Delta$

### 程序代写代做 CS编程辅导

- ii) a
- iii) aa

**5**.

Describe the classe d by each of the following:

- (i) TMs which can
- (ii) TMs which on
- (iii) TMs which or
- (iv) TMs which of first tape cell, they st

the right (i.e., cannot move to the left).

except that, if they attempt to move Left when in the

- First, read about waternions in Assignment 2, including the use of quaternions to represent tations.

  CSTUTORS 6. 3D rotations.
- For each of the fundamental unit quaternions i, j, k, state the angle and axis of the rotation they represent.

Assignment Project Exam Help If v = xi + yj + zk is any pure quaternion, what can you say about each of iv/i, jv/j, kv/k?

- (c) Prove, by induction on n, that for all n, a product of n fundamental unit quaternions represents a rotation by either 0 Einschied cale it toutobine 163.com
- Suppose we have a sequence of fundamental unit quaternions  $q_1, q_2, \ldots, q_n$ , with each  $q_i \in$  $\{i, j, k\}$ . The quaternion expression

Q: 749389476 (1)

represents the pure quaternion obtained from v by first applying the rotation represented by  $q_1$ , then applying the rotation represented by  $q_2$ , and so on, finally applying the rotation represented by  $q_n$ .

Build a Turing mathir in Satara that takes a Singura tring over the alphabet {i, j, k, v, d} (where d stands for division and is used to represent /, since alphabets in Tuatara can only contain alphanumeric characters), and

- accepts if the input string is of the form described above (see equation (1));
- rejects, by crashing, if the input string is not of this form.

See also Q15.

Explain how a Turing machine can be simulated by a generalised Pushdown Automaton with two stacks (2PDA).

(This is like an ordinary PDA except that a transition is specified by: the input character, the characters at the top of each of the two stacks (which are both popped), and the characters that are then pushed onto each of the two stacks. Any of these characters may be replaced by  $\varepsilon$ , with the usual meaning.)

# 。 程序代写代做 CS编程辅导

Suppose you have a Turing machine M. In this question, we will use the following propositions about M.

• For each time t,  $\square$  • For each symbol s, the propostion  $A_{t,i,s}$  means:

At time s, which is symbol s.

• For each time t • For each time t • Topostion  $B_{t,q}$  means:

At time **17 17 17 17 17 17 17 17 17 17 17 17** te

• For each time t

At time t the Tape Head is at tape cell i.

The time t can be any non-negative integer (with start time being t = 0). The tape cell i can be any positive integer. The state q can be any positive integer. The state q can be any positive integer. The state q can be any positive q can be any positive

Use the above propositions to construct logical expressions with the following meanings.

- (a) At time t, tape cell i has at least one symbol in it.
- (b) At time t, tape all class appositors cript in roject Exam Help (c) At time t, tape cen plas exactly one symbol in it.
- (d) At time t, and with Tape Head at tape cell i, if the current state is p and the symbol in cell i is x, then at time t+1 the state is q, the symbol in cell i is y, and the Tape Head is at cell i+d,

where  $d \in \{\pm 1\}$ . This describes the **Elementary State** This describ

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10.

Suppose that a particular Suppose that a pa

Let U be a Universal Turing Machine (UTM), which takes as input a pair (M, x) where M is any Turing machine and x is an input string for M.

Suppose that any computation by any M that takes t steps can be simulated by U in  $\leq t^3$  steps. Derive an upper bound for the time taken by U to simulate T on an input of length n.

#### Supplementary exercises

- 11. Build a Turing Machine that accepts the language of all words that contain the substring bbb.
- 12. Build a Turing Machine that accepts the language of all words that **do not** contain the substring *bbb*.
- 13. Build a Turing Machine that accepts all strings with more a's than b's.

14. The Turing Machine Gelow computes something related to differ statem. Fun the following inputs on this machine and interpret the results.

- i) aaaba
- ii) baaa
- iii) aabaa



**15.** 

- (a) Prove or disprove: the language of quaternion expressions over  $\{i, j, k, v, /\}$  described in Q7 is regular.
- (b) Prove or disprove: the language of quaternion expressions over  $\{i, j, k, v, /\}$  described in Q7 is context-free.

16.

Explain how a Turing machine can be simulated by a Queue Automaton.

(This is superficially like a PDA, except that instead of a stack, it has a queue. A transition  $x, y \to z$  means that x is the current input character, y is at the head of the queue and is removed from it (i.e., served), and z is then appended to the queue. Any of these characters may be replaced by  $\varepsilon$ , with the usual meaning.)

17. Build a Turing machine that takes as its input a string CS is a binary string and  $b \in \{0,1\}$  is a single bit, and:

• if b = 0, just out

• if b = 1, flips every 1 to 1, and every 1 to 0).

Before stopping, your the the output does not include these characters.

See also Q18.

18. Extend your TM from Q17 so that it how has two bits,  $b_0b_1$ , after the #, and the decision of whether or not to flip a bit of x depends on the parity of the position of the bit on the tape: for bits of x in even-numbered tape cells, we flip or not according to  $b_0$ , while for bits of x in odd-numbered tape cells, we flip or not according to  $b_0$ , while for bits of x in odd-numbered tape cells, we flip or not according to  $b_0$ . (We imagine the tape cells to be numbered  $0, 1, 2, 3, \ldots$ , from left to right.)

As in Q17, your TM must erase # and everything beyond it before stopping.

You can use states of the TM to remember whether you currently want to flip a bit or not But remembering whether the Ses big the liberals on an ever-hundred placed at X a bid-number placed is best done using appropriate marks on the tape, rather than choice of state.

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