
Algorithm 1 SCHEDULING ALGORITHM (NEW)

Require: $\Theta = \{D_1, \dots, D_m\}$ the set of data managed by the scheduler

Require: $\Delta_k = \{D_1^k, \dots, D_n^k\}$ the data cache managed by the reservoir host k

Require: $\Omega(D_i) = \{k, \dots\}$ the set of reservoir host owning data D_i

Ensure: $\Psi_k = \{D_1^k, \dots, D_o^k\}$ the new dataset managed by the reservoir host k

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1.  $\Psi_k \leftarrow \emptyset$ 
2. {Step 1: Remove obsolete data from cache}
3. for all  $D_i^k \in \Delta_k$  do
4.   if  $((D_i^k \in \Theta) \wedge (D_i^k.lifetime.absolute > now()) \wedge (D_i^k.lifetime.relative \in \Theta))$  then
5.      $\Psi_k \leftarrow \Psi_k \cup \{D_i^k\}$ 
6.     if  $(D_i^k.faultTolerant == true)$  then
7.       update  $\Omega(D_i^k)$ 
8.     end if
9.   end if
10. end for
11. {Step 2: Add new data to the cache}
12. for all  $D_j \in (\Theta \setminus \Delta_k)$  do
13.   if  $(D_j.faultTolerant == true)$  then
14.     update  $D_j$ 
15.   end if
16.   Let  $\alpha_k = \{D_i^k \in \Delta_k \mid D_i^k.attr = D_j.attr\}$ 
17.   Let  $addElement = false$ 
18.   {Resolve affinity dependence}
19.   for all  $D_i^k \in \Delta_k$  do
20.     if  $((D_j.affinity == D_i^k) \wedge (D_j \notin \Delta_k))$  then
21.        $addElement = true$ 
22.     end if
23.   end for
24.   {Schedule replica}
25.   if  $((D_j.replica == -1) \vee (D_j.replica < |\Omega(D_j)|))$  then
26.      $addElement = true$ 
27.   end if
28.   {Evaluate distrib}
29.   if  $(addElement == true)$  then
30.     if  $((D_j.distrib == -1) \vee (|\alpha_k| < D_j.distrib))$  then
31.        $\Psi_k \leftarrow \Psi_k \cup \{D_j\}$ 
32.        $\Omega(D_j) \leftarrow \Omega(D_j) \cup \{k\}$ 
33.     end if
34.   end if
35.   if  $(|\Psi_k \setminus \Delta_k| \geq MaxDataToSchedule)$  then
36.     break
37.   end if
38. end for
39.
40. return  $\Psi_k$ 
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