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# T2

## Gamma spectroscopy and Compton scattering

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### Group 14

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*Experiment Date: 19.–20.02.2019*

*Submission Date: 06.03.2019*

# Contents

<b>1</b>	<b>Introduction</b>	<b>1</b>
<b>2</b>	<b>Gamma spectroscopy</b>	<b>2</b>
2.1	Theory . . . . .	2
2.2	Setup . . . . .	2
<b>3</b>	<b>Compton scattering</b>	<b>3</b>
3.1	Theory . . . . .	3
3.2	Setup . . . . .	3
3.2.1	conventional geometry . . . . .	3
3.2.2	ring geometry . . . . .	3

## List of Figures

## List of Tables

1	A compilation of all radioactive sources used in the experiment, with corresponding activities computed according to the decay law. . . . .	3
2	. . . . .	4

# 1 Introduction

In this experiment we want to analyse the Energy of photons emitted by radioactive probes with a scintillator detector. First we will use Materials with low radiation and with well known energy peaks to calibrate the detector. Then we will use that to analyse the spectrum of a source with stronger radiation and establish a link between scattering angle and the energy of Compton scattered photons.

## 2 Gamma spectroscopy

### 2.1 Theory

We are looking at photons with energies from 5keV up to 2Mev. They are three relevant interactions of photons with matter within this energy range.

Photoelectric effect ( $E_\gamma \sim E_B$ ):

Incoming photon with energy  $E_\gamma$  is absorbed by an electron with binding energy  $E_B$ . That electron leaves the Atom with kinetic Energy  $E_{\text{kin}} = E_\gamma - E_B$ . X-ray radiation follows because of the empty position being filled by an electron of a higher shell.

Compton scattering ( $E_\gamma \gg E_B$ ):

Incoming Photon is scattered at an electron. It is not absorbed but transmits energy to the electron. The maximum transmitted energy is given by  $E_C$ . That maximum is obtained through frontal collision (scattering angle  $\theta = 180^\circ$ ).

Pair production ( $E_\gamma \geq 2m_e c^2(1 + \frac{m_e}{M})$ ):

If the Energy is greater than the mass of two electrons, the photon can decay in a positron and an electron. Given an additional interaction partner with mass  $M$  for momentum conservation, a (non-virtual??) positron-electron-pair can be produced. This pair then decays into two photons.

The expected energy peaks for an incoming photon with energy  $E_\gamma$  are the following:

Photo peak at  $E_\gamma \leftarrow$  All energy is absorbed.

Compton edge at  $E_C \leftarrow$  Compton collision with frontal collision and undetected scattered photon.

Escape peak at  $E_{\text{esc}}^{(1)} = E_\gamma - m_e c^2 \leftarrow$  Pair production with one undetected final state photon.

Double escape peak  $E_{\text{esc}}^{(2)} = E_\gamma - 2m_e c^2 \leftarrow$  Pair production with two undetected final state photon.

Backscatter peak  $E_R = E_\gamma - E_C \leftarrow$  Compton effect outside of the scintillator with absorption of the scattered photon.

### 2.2 Setup

A radioactive probe is placed in front of the scintillator at distance  $r_0$ .

[3.67252799e+07 1.83263680e+04 4.60050810e+03 4.59613372e+03 8.63618713e+02]

	Cs (strong)	Cs (weak)	Co	Eu	Na
Buy date	23.11.2010	12.08.1988	15.04.2003	02.06.1978	12.01.2005
Activity at buy date (kBq)	44400	37	37	37	37
Half-life time (days)	$(1.100 \pm 0.009) \times 10^4$	$(1.100 \pm 0.009) \times 10^4$	$(1.9253 \pm 0.0004) \times 10^3$	$(4.943 \pm 0.005) \times 10^3$	$(9.505 \pm 0.004) \times 10^2$
Decay constant ( $s^{-1}$ )	$(7.29 \pm 0.06) \times 10^{-10}$	$(7.29 \pm 0.06) \times 10^{-10}$	$(4.1669 \pm 0.0009) \times 10^{-9}$	$(1.623 \pm 0.002) \times 10^{-9}$	$(8.440 \pm 0.004) \times 10^{-9}$
Activity today (kBq)	$(3.673 \pm 0.006) \times 10^4$	$(1.83 \pm 0.01) \times 10^1$	$(4.602 \pm 0.002) \times 10^0$	$(4.60 \pm 0.01) \times 10^0$	$(8.64 \pm 0.01) \times 10^{-1}$

Table 1: A compilation of all radioactive sources used in the experiment, with corresponding activities computed according to the decay law.

## 3 Compton scattering

### 3.1 Theory

Energy of scattered photons:  $E'_\gamma = E_\gamma \cdot \frac{1}{1+a(1-\cos\theta)}$   
count rate:  $m = \frac{A \cdot I_\gamma}{4\pi r_0^2} \cdot \eta \cdot \epsilon \cdot N_e \cdot \frac{d\sigma}{d\Omega} \cdot \frac{F_D}{r^2}$

### 3.2 Setup

#### 3.2.1 conventional geometry

The source is placed on the edge of a rotary table, allowing different angles. In the middle of the table we place the scattering body (either a steel or an aluminium cylinder). To shield the radiation coming directly from the source from the detector, we use conveniently shaped lead coils.

Distance from source to scattering body:  $r_0 = 49(1)$  mm

Distance from scattering body to detector:  $r = 272(1)$  mm

#### 3.2.2 ring geometry

The source is aligned with the detector, but shielded of it by a lead cylinder in the middle. The scattering body is an aluminium ring and the whole experiment is axially symmetric.

ring size	outer diameter $d_o$	inner diameter $d_i$	diameter $d$
small	149(1) mm	121(1) mm	149(1) mm
medium	199(1) mm	171(1) mm	149(1) mm
large	250(1) mm	221(1) mm	149(1) mm

Table 2