

Assignment #4

Getting Started with MATLAB/Octave

Try programming in the MATLAB language. You can access MATLAB environments in any of the following ways:

- In a workspace, type `matlab`
- In a workspace, type `octave`
- Launch the OCTAViEw tool: <https://nanohub.org/tools/octaview>

Once you've got any of these environments up and running, experiment with the "Spirograph" equation:

$$z(t) = e^{(i2\pi n_1 t)} + e^{(i2\pi n_2 t)} + e^{(i2\pi n_3 t)}$$

where the variable t runs along the domain $[0,1]$. The variable $z(t)$ is a complex number with some interesting characteristics. If you plot the real part of $z(t)$ versus the imaginary part, you get different curves that look like Spirograph drawings, depending on the values that you pick for n_1 , n_2 , and n_3 . If you want to learn more about Spirograph and the underlying mathematics, read this article: <http://linuxgazette.net/133/luana.html>

For our purposes, this simple formula can be expressed in the MATLAB language as follows:

```
n1 = 13;  
n2 = -7;  
n3 = -3;  
  
z = exp(i*2*pi*n1*t) + exp(i*2*pi*n2*t) + exp(i*2*pi*n3*t);  
plot(real(z), imag(z));
```

Add a line of code to define the variable t , which should have 1000 points equally spaced from 0 to 1. Then, try running this code in your MATLAB environment. Experiment with different values for n_1 , n_2 , and n_3 , and see the various plots that you get.

What happens if you don't include the semicolon at the end of each line?

Lessons Learned:

- MATLAB is a good language for expressing equations and making scientific calculations.
- MATLAB has built-in symbols like `i` and `pi` for mathematical concepts.

- Built-in plotting makes it easy to visualize what you compute.