Arrays

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Space Complexity extra.

- The maximum Ispace (worst case) that is utilised by our function/algorithm at any point of time.
 - Big-o notation will be used.

$$0(1) \text{ or constant}$$

```
2. func(int N){ // 4 bytes

int am [10]; //40 bytes

int x; // 4 bytes

int y; // 4 bytes

long z; // 8 bytes

int[] arr = new int[N]; // 4*N bytes

}

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```

S. L -> O(N)

```
void fun(int N){
```

}

int
$$x = N$$
; $\rightarrow M \mathcal{B}$
int $y = x^*x$; $\rightarrow M \mathcal{B}$
long $z = y+y$; $\rightarrow 8 \mathcal{B}$
int[] arr = new int[N]; $\rightarrow M \mathcal{B}$
long[][] b = new long[N][N]; $\rightarrow 8 \times M^2 \mathcal{B}$

S.C -> D(N2)

ilp spau

4. int maxArr(int arr[], int N){

```
int ans = arr[0];

for(i=0; i<N; i++){

    ans = Max(ans, arr[i]);
}

return ans;
```

Max element in the array

total extra spau → 4B

S.L-0[1]

Introduction to Arrays

$$\Rightarrow \text{ collection of same types of data.}$$

$$\text{int marks} 1 = 50;$$

$$\text{int marks} 2 = 100;$$

$$\text{Int arr [1000];}$$

$$\text{Int marks [000 = 98]}$$

$$\text{or } -\frac{1}{0.123} - -\frac{1}{0.99}$$

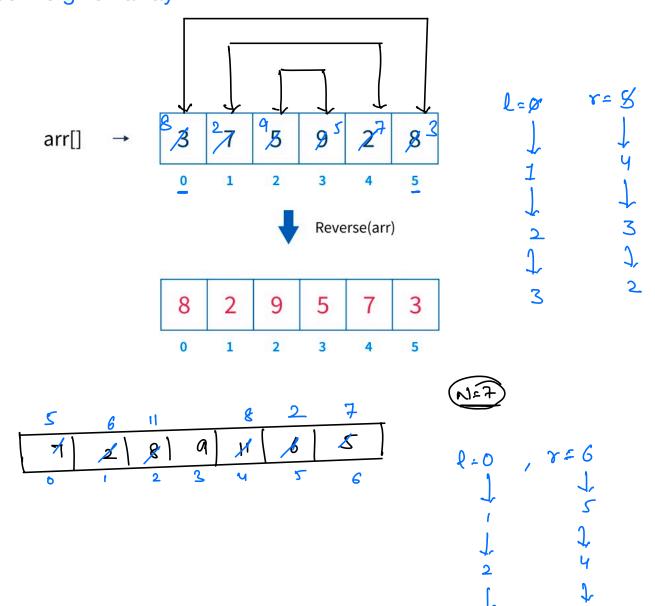
< Question >: Print all elements of the array

void printArr (int() arr, int
$$n$$
) d

$$\begin{cases}
\text{for } (i = 0; i < N; i + 1) < \\
\text{print } (i = 0; i < N; i + 1) < \\
\text{print } (i = 0; i < N; i + 1) < \\
\text{print } (i = 0; i < N; i + 1) < \\
\text{print } (i = 0; i < N; i + 1) < \\
\text{print } (i = 0; i < N; i + 1) < \\
\text{print } (i = 0; i < N; i < N;$$

0720

2. Reverse the given array



</>
</>
Code

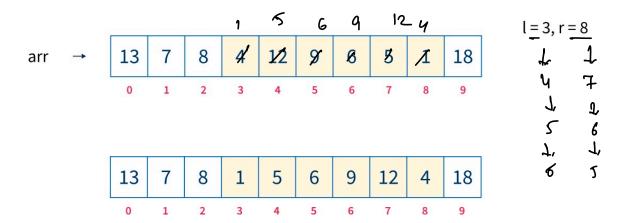
void Reverse Array (int (1 am, int N)) (

int l = 0, r = N-1;

while (l < r) \(\frac{1}{2} \) with array

int temp = array; array = array; ar

3. Reverse part of an array



```
void reversePart(int []arr, int I, int r){

while (2 < r) \uparrow

| hswap arrel with arrel

int temp = arrel;

orrel = arrel;

orrel = temp;

2+t;

2-t;

3
```

Array Rotate An

an array of size N & an integer K. Rotate arrisby K. airen

N=7

7	1	<u> </u>		u		
1	2	3	A	5	Ø	7
0	1	2	3	4	5	6

K=1

7	1	2	3	4	5	6
0	1	2	3	4	5	6

K=2

6	7	1	2	3	4	5
0	1	2	3	4	5	6

K=3

5	6	7	1	2	3	4
0	1	2	3	4	5	6

K=4

لاتِك. 3 5

7 б 5 6

K=6 3 4-7

Z

2 Z 4 12-8

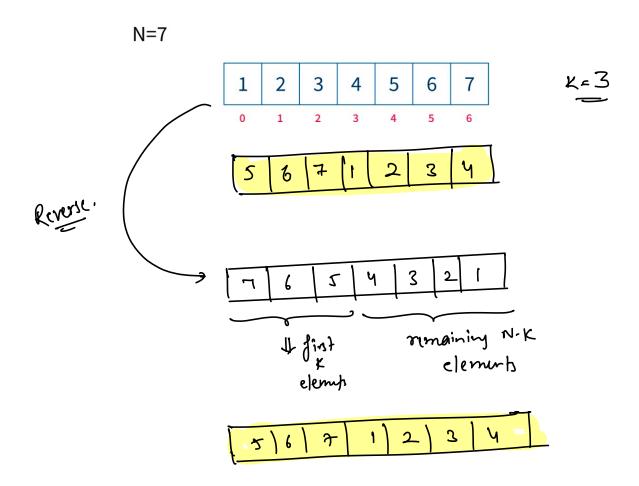
B.f. idea. - Keep bringing the last element at oth index K times.

$$\begin{cases} in(\ i=0; \ i<\kappa; \ i+1) \leqslant \\ int \ last = arr(N-1); \\ for(\ j=N-2; \ j\geq 0; \ j=-) \leqslant \\ arr(j); \end{cases}$$

$$\begin{cases} arr(j) = last; \end{cases}$$

$$(arr(j) = last; \end{cases}$$

Optimisation



- 6 K= K1.N
- 1) Reverse the whole array
- 2 Rivine first K elements.
- 3 Reverse remaining al-k elements

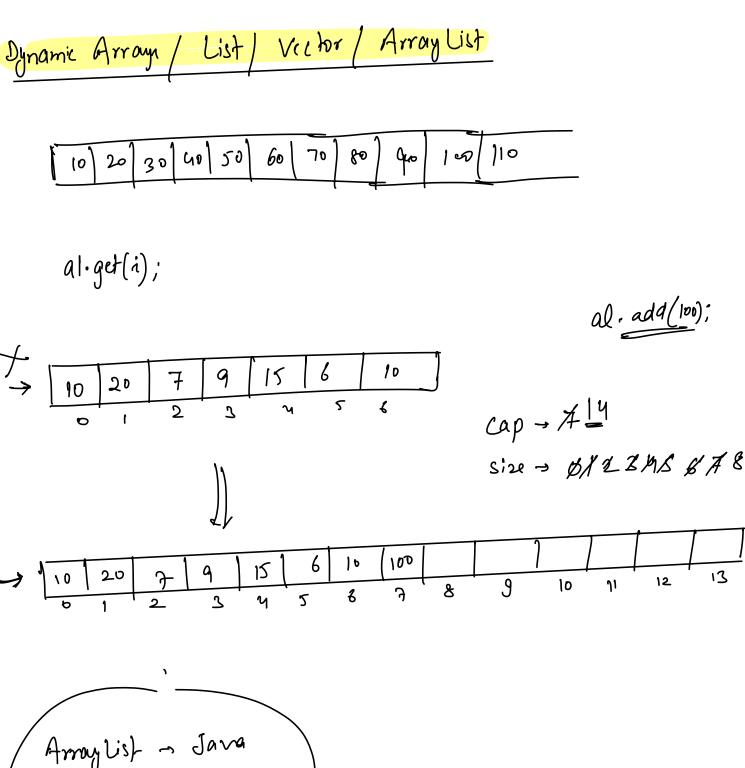
void refate (intt) am, int N, int K) of K = K / N; $\text{reversePart}(\text{ arr, 0, N-1}); \rightarrow N$ $\text{reversePart}(\text{ arr, 0, K-1}); \rightarrow K$ $\text{reversePart}(\text{ am, K, N-1}); \rightarrow N-K.$ 3

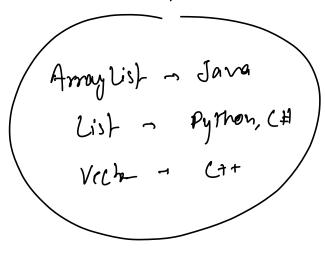
N=7. 1 2 3 4 5 6 7reverse fort (arr, 0, 8)

reverse fort (arr, 0, 8);

Drawback of Arrays ->

→ the size of the array has to be declared bytomhand & that carit be changed.





Time limit - 1 sec.

Space limit - 256 mB

$$\int_{1}^{\infty} \left(i = 0; \quad i < 2^{N}; i + n \right) dx$$
 $\int_{1}^{\infty} \left(i = 0; \quad i < 2^{N}; i + n \right) dx$
 $\int_{1}^{\infty} \left(i = 0; \quad i < 2^{N}; i + n \right) dx$
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 $\int_{1}^{\infty} \left(i = 0; \quad i < 2^{N}; i = 1; \quad i$

<u> </u>	j	ibns
D		٥
1		1
2		2_
3		3
Ч		4
2N-1		2 - 1

1+2,3+4+ - (2^N-1)

$$\frac{2^{N}\left(2^{N+1}\right)}{2} \Rightarrow \frac{2^{N}\times2^{N}}{2} + \frac{2^{N}}{2}$$

$$\Rightarrow \frac{2^{2N}}{2} + \frac{2^{N}}{2}$$

$$\Rightarrow \frac{2^{N}}{2} + \frac{2^{N}}{2}$$

)			