

//Write a C++ program to find the Armstrong number for a given range of number.

```
#include<iostream>
```

```
#include<math.h>
```

```
using namespace std;
```

```
int main()
```

```
{
```

```
    int start,end,i,j;
```

```
    cout<<"Enter the starting number = ";
```

```
    cin>>start;//5
```

```
    cout<<"Enter the ending number = ";
```

```
    cin>>end;//15
```

```
    for(i=start;i<=end;i++)
```

```
    {
```

```
        int num = i;
```

```
        int temp = i;
```

```
        int digit=0,sum=0;
```

```
        while(num!=0)
```

```
        {
```

```
            num = num/10;
```

```
            digit++;
```

```
        }
```

```
        for(j=1;j<=digit;j++)
```

```
        {
```

```
            int rem = temp%10;
```

```
            int power = pow(rem,digit);
```

```
            sum = sum + power;
```

```

        temp = temp/10;
    }
    if(sum==i)
    {
        cout<<i<<" ";
    }
}
return 0;
}

```

Program ka Logic

1. Input lena:

- a. Program user se do numbers mangta hai: start aur end. Yeh range define karte hain jismein Armstrong numbers dhundne hain.
- b. Example: Agar start = 5 aur end = 15 hai, toh program 5 se 15 tak har number check karega.

2. Armstrong number kya hota hai?:

- a. Ek number Armstrong number hota hai agar uske digits ke cubes (ya digits ki power, jahan power utni hi hoti hai jitne digits hain) ka sum usi number ke barabar ho.
- b. Example: 153 ek Armstrong number hai kyunki:
 - i. Digits: 1, 5, 3 (total 3 digits)
 - ii. Sum: $(1^3 + 5^3 + 3^3 = 1 + 125 + 27 = 153)$
 - iii. Yeh sum original number ke barabar hai, toh 153 Armstrong hai.

3. Kaise kaam karta hai?:

- a. **Outer loop:** start se end tak har number i ke liye check karta hai.

b. Digits count karna:

- i. Har number ke digits count karne ke liye ek while loop chalega. Number ko 10 se divide karte jao jab tak number 0 na ho jaye. Har division pe digit variable increment hota hai.

c. Sum calculate karna:

- i. Ek for loop chalega jo har digit ko nikalta hai ($\text{temp} \% 10$), uski power (digit count ke barabar) calculate karta hai ($\text{pow}(\text{rem}, \text{digit})$), aur sum mein add karta hai.

d. Check karna:

- i. Agar calculated sum original number i ke barabar hai, toh woh number print ho jayega.

Dry Run

Ab ek example ke saath dry run karte hain. Maan le $\text{start} = 5$ aur $\text{end} = 15$.

Input:

- $\text{start} = 5$
- $\text{end} = 15$

Outer Loop:

- Loop chalega $i = 5$ se $i = 15$ tak.

$i = 5$:

1. $\text{num} = i = 5, \text{temp} = i = 5, \text{digit} = 0, \text{sum} = 0$

2. Digits count karna:

a. while($\text{num} \neq 0$):

- i. $\text{num} = 5 / 10 = 0$ (integer division)
- ii. $\text{digit}++ \rightarrow \text{digit} = 1$
- iii. Loop khatam kyunki $\text{num} = 0$

b. Toh $\text{digit} = 1$ (5 mein 1 digit hai)

3. Sum calculate karna:

a. $\text{for}(j = 1; j \leq \text{digit}; j++) \rightarrow$ sirf ek baar chalega kyunki

$\text{digit} = 1$

i. $\text{rem} = \text{temp} \% 10 = 5 \% 10 = 5$

ii. $\text{power} = \text{pow}(\text{rem}, \text{digit}) = \text{pow}(5, 1) = 5$

iii. $\text{sum} = \text{sum} + \text{power} = 0 + 5 = 5$

iv. $\text{temp} = \text{temp} / 10 = 5 / 10 = 0$

b. Loop khatam

4. Check:

a. $\text{sum} = 5, i = 5$

b. $\text{sum} == i \rightarrow 5 == 5$ (true)

c. Toh $\text{cout} \ll i \ll " "; \rightarrow$ **5 print hoga**

$i = 6:$

1. $\text{num} = 6, \text{temp} = 6, \text{digit} = 0, \text{sum} = 0$

2. Digits count:

a. $\text{num} = 6 / 10 = 0$

b. $\text{digit}++ \rightarrow \text{digit} = 1$

3. Sum calculate:

a. $\text{rem} = 6 \% 10 = 6$

b. $\text{power} = \text{pow}(6, 1) = 6$

c. $\text{sum} = 0 + 6 = 6$

d. $\text{temp} = 6 / 10 = 0$

4. Check:

a. $\text{sum} = 6, i = 6$

b. $\text{sum} == i \rightarrow \text{true}$

c. **6 print hoga**

$i = 7:$

1. $\text{num} = 7, \text{temp} = 7, \text{digit} = 0, \text{sum} = 0$

2. Digits count:

a. $\text{num} = 7 / 10 = 0$
b. $\text{digit}++ \rightarrow \text{digit} = 1$

3. **Sum calculate:**

a. $\text{rem} = 7 \% 10 = 7$
b. $\text{power} = \text{pow}(7, 1) = 7$
c. $\text{sum} = 0 + 7 = 7$
d. $\text{temp} = 7 / 10 = 0$

4. **Check:**

a. $\text{sum} = 7, i = 7$
b. $\text{sum} == i \rightarrow \text{true}$
c. **7 print hoga**

i = 8:

1. $\text{num} = 8, \text{temp} = 8, \text{digit} = 0, \text{sum} = 0$

2. **Digits count:**

a. $\text{num} = 8 / 10 = 0$
b. $\text{digit}++ \rightarrow \text{digit} = 1$

3. **Sum calculate:**

a. $\text{rem} = 8 \% 10 = 8$
b. $\text{power} = \text{pow}(8, 1) = 8$
c. $\text{sum} = 0 + 8 = 8$
d. $\text{temp} = 8 / 10 = 0$

4. **Check:**

a. $\text{sum} = 8, i = 8$
b. $\text{sum} == i \rightarrow \text{true}$
c. **8 print hoga**

i = 9:

- Same process, result: **9 print hoga**

i = 10:

1. $\text{num} = 10, \text{temp} = 10, \text{digit} = 0, \text{sum} = 0$

2. **Digits count:**

a. $\text{num} = 10 / 10 = 1$

b. $\text{digit}++ \rightarrow \text{digit} = 1$

c. $\text{num} = 1 / 10 = 0$

d. $\text{digit}++ \rightarrow \text{digit} = 2$

3. **Sum calculate:**

a. $\text{for}(\text{j} = 1; \text{j} \leq 2; \text{j}++)$:

i. First iteration:

1. $\text{rem} = 10 \% 10 = 0$

2. $\text{power} = \text{pow}(0, 2) = 0$

3. $\text{sum} = 0 + 0 = 0$

4. $\text{temp} = 10 / 10 = 1$

ii. Second iteration:

1. $\text{rem} = 1 \% 10 = 1$

2. $\text{power} = \text{pow}(1, 2) = 1$

3. $\text{sum} = 0 + 1 = 1$

4. $\text{temp} = 1 / 10 = 0$

4. **Check:**

a. $\text{sum} = 1, i = 10$

b. $\text{sum} \neq i \rightarrow \text{false}$

c. **10 print nahi hoga**

i = 11 to 15:

- Similarly, yeh numbers check honge, lekin inme se koi bhi Armstrong number nahi hai kyunki:
 - 2-digit numbers ke liye, har digit ki square ka sum original number ke barabar nahi aata.
 - Example for 11:
 - Digits: 1, 1

- Sum: $(1^2 + 1^2 = 1 + 1 = 2 \neq 11)$

Output:

- 5 se 15 ke beech Armstrong numbers hain: **5, 6, 7, 8, 9**
- Toh output hoga: 5 6 7 8 9

Kuch Important Points:

- Yeh program single-digit numbers (1-9) ke liye hamesha Armstrong number dega kyunki $(n^1 = n)$.
- 2-digit ya zyada digits ke numbers ke liye, sum match karna mushkil hota hai, isliye is range mein sirf single-digit numbers hi Armstrong hain.
- pow function floating-point values deta hai, lekin yahan integer context mein use hota hai, toh result sahi aata hai.