

1. Bisection Method

```
C:\Users\Suresh Dahal\all>gcc bisection.c  
  
C:\Users\Suresh Dahal\all>a.exe  
The root is 1.5214
```

2. Newton Raphson Method

```
C:\Users\Suresh Dahal\all>gcc newton-raphson.c  
  
C:\Users\Suresh Dahal\all>a.exe  
The root is 1.5214
```

3. Secant Method

```
C:\Users\Suresh Dahal\all>gcc secant.c  
  
C:\Users\Suresh Dahal\all>a.exe  
The root is 1.5214
```

4. Lagrange Interpolation

```
C:\Users\Suresh Dahal\all>gcc "lagrange Interpolation.c"  
  
C:\Users\Suresh Dahal\all>a.exe  
Interpolated value at x = 3.50 is 12.2500
```

5. Newton Forward Interpolation

```
C:\Users\Suresh Dahal\all>gcc "Newton Forward Interpolation.c"  
  
C:\Users\Suresh Dahal\all>a.exe  
Interpolated value at x = 2.50 is 6.2500
```

6. Newton Backward Interpolation

```
C:\Users\Suresh Dahal\all>gcc "Newton Backward Interpolation.c"  
  
C:\Users\Suresh Dahal\all>a.exe  
Interpolated value at x = 3.50 is 12.2500
```

7. Newton Divided Difference

```
C:\Users\Suresh Dahal\all>gcc "newton divided difference.c"  
  
C:\Users\Suresh Dahal\all>a.exe  
Interpolated value at x = 7.00 is 13.4667
```

8. Trapezoidal Rule

```
C:\Users\Suresh Dahal\all>gcc "Trapezoidal Rule.c"

C:\Users\Suresh Dahal\all>a.exe
Approximate integral = 22.0000
```

9. Simpson's 1/3 Rule

```
C:\Users\Suresh Dahal\all>gcc "Simpson one third rule.c"

C:\Users\Suresh Dahal\all>a.exe
Approximate integral = 21.3333
```

10. Simpson's 3/8 Rule

```
C:\Users\Suresh Dahal\all>gcc "Simpson three eight rule.c"

C:\Users\Suresh Dahal\all>a.exe
Approximate integral = 21.3333
```

11. Gauss Elimination Method

```
C:\Users\Suresh Dahal\all>gcc "Gauss Elimination.c"

C:\Users\Suresh Dahal\all>a.exe
Solution:
x[0] = 0.6667
x[1] = -5.1667
x[2] = 1.5000
```

12. Gauss-Jordan Method

```
C:\Users\Suresh Dahal\all>gcc "Gauss Jordan Method.c"

C:\Users\Suresh Dahal\all>a.exe
Solution:
x[0] = 0.6667
x[1] = -5.1667
x[2] = 1.5000
```

13. Matrix Factorization using Doolittle LU Decomposition

```
C:\Users\Suresh Dahal\all>gcc doolittle.c

C:\Users\Suresh Dahal\all>a.exe
L matrix:
1.0000  0.0000  0.0000
-2.0000 1.0000  0.0000
-2.0000 -1.0000 1.0000

U matrix:
2.0000  -1.0000 -2.0000
0.0000  4.0000  -1.0000
0.0000  0.0000  3.0000
```

14. Matrix Factorization using Cholesky's Method

```
C:\Users\Suresh Dahal\all>gcc "Choleskey method.c"

C:\Users\Suresh Dahal\all>a.exe
Solution:
x1 = 1.000000
x2 = 1.000000
x3 = 1.000000
```

15. Jacobi Iterative Method

```
C:\Users\Suresh Dahal\all>gcc "Jacobi Iteration Method.c"

C:\Users\Suresh Dahal\all>a.exe
Solution after 18 iterations:
x[0] = 5.000000
x[1] = 5.000000
x[2] = 5.000000
```

16. Gauss-Seidel Iterative Method

```
C:\Users\Suresh Dahal\all>gcc "Gauss Seidel.c"

C:\Users\Suresh Dahal\all>a.exe
Solution after 10 iterations:
x[0] = 5.000000
x[1] = 5.000000
x[2] = 5.000000
```

17. Power Method

```
C:\Users\Suresh Dahal\all>gcc "Power Method.c"

C:\Users\Suresh Dahal\all>a.exe
Dominant Eigenvalue: 6.000000
Eigenvector:
0.500000
1.000000
0.500000
```

18. Taylor Series Method for ODE

```
C:\Users\Suresh Dahal\all>gcc "Taylor Series Method.c"

C:\Users\Suresh Dahal\all>a.exe
x=0.10, y=1.110000
x=0.20, y=1.242050
x=0.30, y=1.398465
x=0.40, y=1.581804
x=0.50, y=1.794894
x=0.60, y=2.040858
x=0.70, y=2.323148
x=0.80, y=2.645578
x=0.90, y=3.012364
x=1.00, y=3.428162
```

19. Picard's Method

```
C:\Users\Suresh Dahal\all>gcc "Picards Method.c"

C:\Users\Suresh Dahal\all>a.exe
x = 0.00, y = 1.000000
x = 0.10, y = 1.101624
x = 0.20, y = 1.206597
x = 0.30, y = 1.315075
x = 0.40, y = 1.427221
x = 0.50, y = 1.543210
x = 0.60, y = 1.663224
x = 0.70, y = 1.787454
x = 0.80, y = 1.916104
x = 0.90, y = 2.049385
x = 1.00, y = 2.187520
```

20. Euler's Method

```
C:\Users\Suresh Dahal\all>gcc "Eulers Method.c"
```

```
C:\Users\Suresh Dahal\all>a.exe
```

```
x=0.10, y=1.100000
```

```
x=0.20, y=1.220000
```

```
x=0.30, y=1.362000
```

```
x=0.40, y=1.528200
```

```
x=0.50, y=1.721020
```

```
x=0.60, y=1.943122
```

```
x=0.70, y=2.197434
```

```
x=0.80, y=2.487178
```

```
x=0.90, y=2.815895
```

```
x=1.00, y=3.187485
```

21. Heun's Method

```
C:\Users\Suresh Dahal\all>gcc "Heuns Method.c"
```

```
C:\Users\Suresh Dahal\all>a.exe
```

```
x=0.10, y=1.110000
```

```
x=0.20, y=1.242050
```

```
x=0.30, y=1.398465
```

```
x=0.40, y=1.581804
```

```
x=0.50, y=1.794894
```

```
x=0.60, y=2.040858
```

```
x=0.70, y=2.323148
```

```
x=0.80, y=2.645578
```

```
x=0.90, y=3.012364
```

```
x=1.00, y=3.428162
```

22. Runge-Kutta Method (4th order)

```
C:\Users\Suresh Dahal\all>gcc "Runge Kutta Four Method.c"

C:\Users\Suresh Dahal\all>a.exe
x=0.10, y=1.110342
x=0.20, y=1.242805
x=0.30, y=1.399717
x=0.40, y=1.583648
x=0.50, y=1.797441
x=0.60, y=2.044236
x=0.70, y=2.327503
x=0.80, y=2.651079
x=0.90, y=3.019203
x=1.00, y=3.436560
```

23. Boundary Value Problem (Using Finite Difference Method)

```
C:\Users\Suresh Dahal\all>gcc "Boundary Value Problem.c"

C:\Users\Suresh Dahal\all>a.exe
x=0.0000, y=0.000000
x=0.1571, y=0.137175
x=0.3142, y=0.277735
x=0.4712, y=0.425147
x=0.6283, y=0.583050
x=0.7854, y=0.755339
x=0.9425, y=0.946265
x=1.0996, y=1.160539
x=1.2566, y=1.403448
x=1.4137, y=1.680986
x=1.5708, y=1.000000
```

24. Shooting Method

```
C:\Users\Suresh Dahal\all>gcc "Shooting Method.c"

C:\Users\Suresh Dahal\all>a.exe
Approximate initial slope  $y'(0) = 0.987740$ 
```