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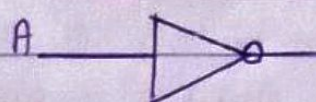
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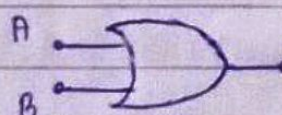
AIM: To verify the truth table of basic gates: AND, OR, NOR, NAND, Not also verify the truth table of

Ex-OR, Ex-NOR, for (2,3,4 as an input)
(2,3,4 as an output)

Apparatus Required :- Trainer kit, power supply and connecting lids

Theory:- There are ^{seven} ~~three~~ types of logical gates in which three are basic gates that are Not, OR, AND gates and two universal gates NOR, NAND two special gates Ex-OR, Ex-NOR. The basic gates do basic arithmetic operations like NOT gate does inverse of input OR gate does addition of input and AND gate does multiplication of input. There are some fundamentals of these gates.

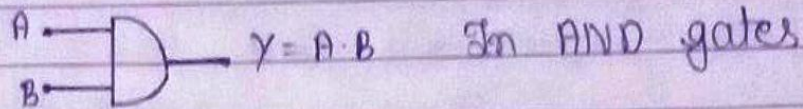
 $Y = \bar{A}$ In NOT gate

 $Y = A+B$ In OR gate

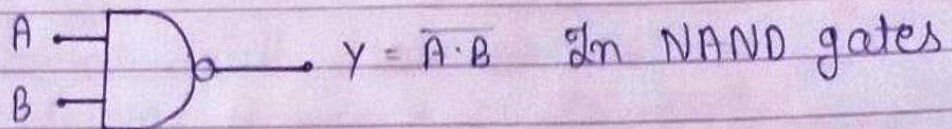
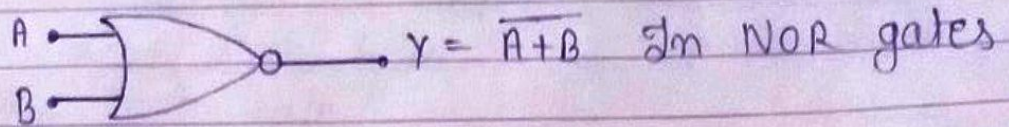


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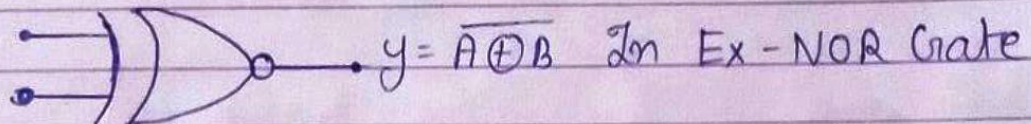
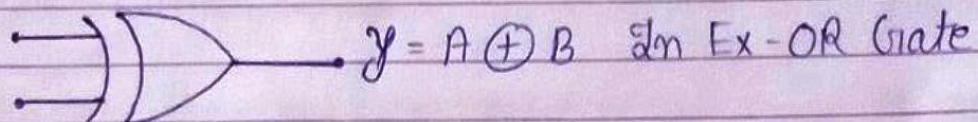
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universal gates are in like :-



Special gates



* Procedure :-

- Verification of truth table of 'AND' Gates
- Connect A and B input AND gates to logic Input '0' & '0' as shown in the ~~at~~ ^{the} truth table of AND gate
- written as the instruments using a 1 toggle switch provided on the front



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(3) Because the output indicator. If it glows the
is that the output is in
'1' and otherwise '0'

(4) verify the output for other communication of input A and B as in the truth table for AND gate

(d) Verification of truth table of 'OR'

(1) connect A and B input of OR gate to logic input '0' and '0' is shown in the truth table for OR Gate also.

(2) Switch on the instrument using off/on toggle provided on the front panel

(3) the output . If it glow the indication is that output is '1' and otherwise '0'

(4) Similarly verify the output for other combination of input 'A' and 'B'

4. Verification of truth table of Ex-OR gates

1. Connect A and B input of Ex-OR gates to logic input '0' and '0' as for Ex-OR gates also connect output of Ex-OR gate to output indicator.



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- (d) Similar on the instrument using OFF/ON toggle switch provided on the front panel.
- (3) The output indicator if it glow the indicator that output is '1' and if also not glow then '0'
- (4) Similarly verify the output for other combination of A and B in truth table for EX-OR gate.
- (4) Verification of truth table for NOR
- (a) Connect A and B of NOR gate to logic input '0' and truth table. Also connect output NOR gate to output indicator through
- (b) ON the instrument using OFF/ON toggle
- (c) The output if indicator glow then output is '1' and '0'
- (d) verify the output for other of A and B
- (5) Verification of NAND Gate.
- (i) Connect A and B input of NAND Gate to logic inputs '0' and '0' for NAND gate. Also connect output NAND gates to output indicator
- (ii) on the instrument.
- (iii) verify the output of other of A and B



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Verification of NOT gate.

- (a) Connect A input of NOT gate to logic input '0' also gate connect output of NOT gate to output indicator
- (b) On the Instrument.
- (c) The output Indicator
- (d) Similarly verify the output of other inputs

Result:- Thus are verified the truth table of logic gate.



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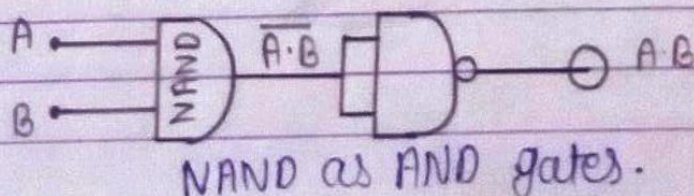
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Aim:- To verify the truth table of OR, AND, NOR, EX-OR, EX-NOR utilizing using NAND and NOR gates.

Apparatus Required:- Trainer Kit, power Supply, connecting Jids.

Theory:- For every Boolean expression the logic circuit can be built. For every logic circuit, can write a Boolean expression. To build logic circuit OR gates is used for multiplication. Sign and NOT gate is used for inverse. Hence AND, OR and NOT logic gates all called basic building of logic circuit. Logic circuit have the property of i.e. If the of logic logic circuit have the property of i.e. If the no logic gates for particular are given other logic can be obtained by of these gate. NAND and NOR gates the basic block. Hence NAND and NOR are called universal building block of logic gates.

Procedure:- Verification of "NAND", "AND" gate.



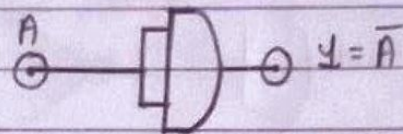
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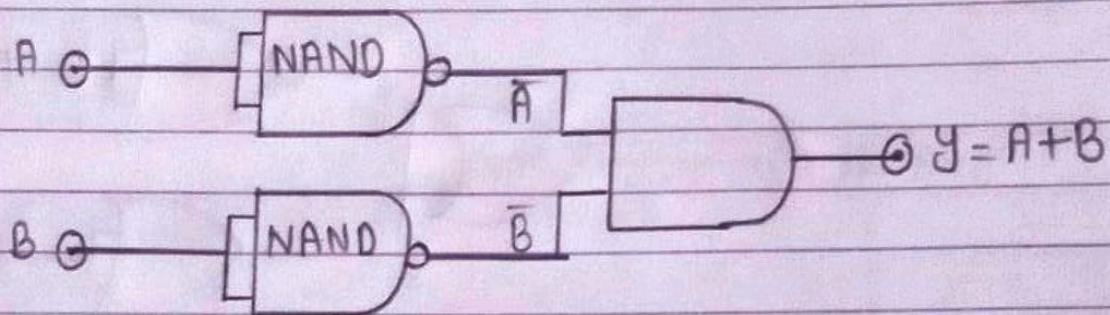
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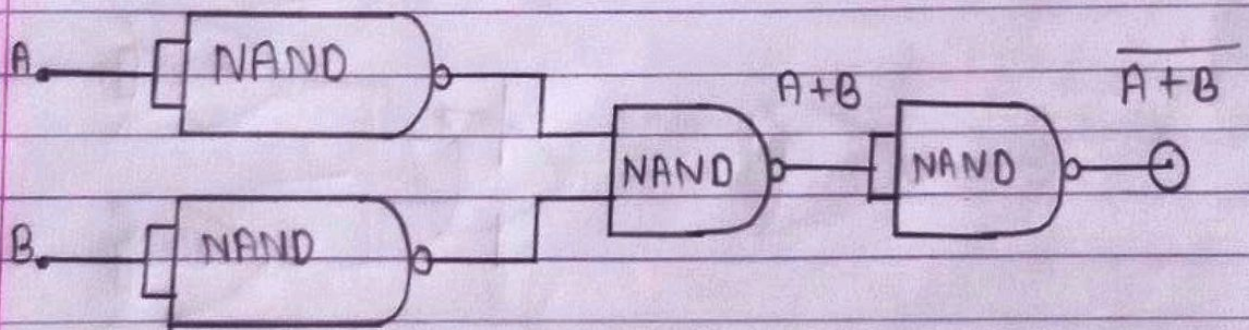
verification of "NAND" as "NOT" gate.



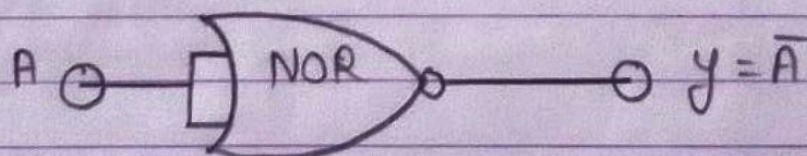
verification of "NAND" as "OR" gate



verification of "NAND" as NOR gate



Verification of NOR as NOT gate



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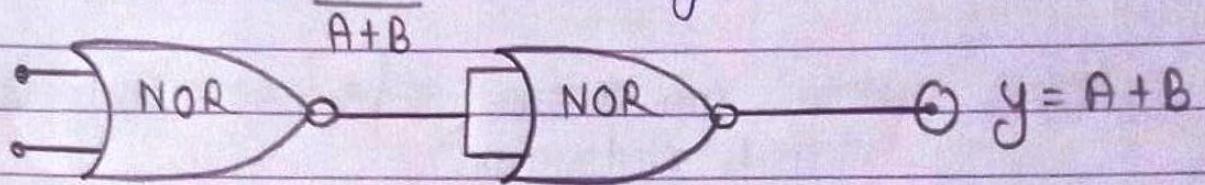
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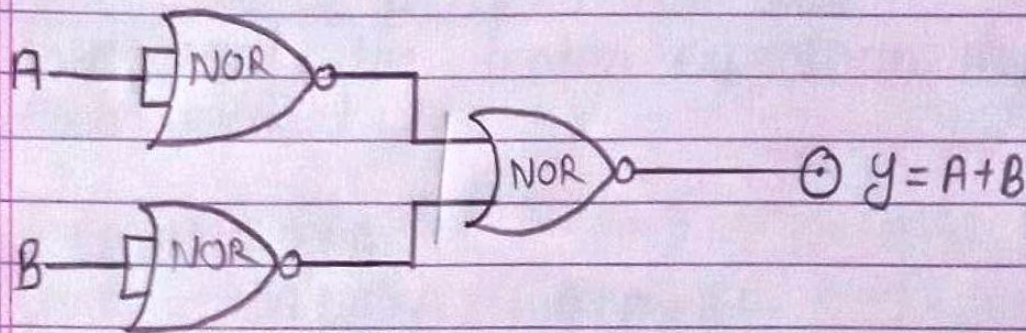
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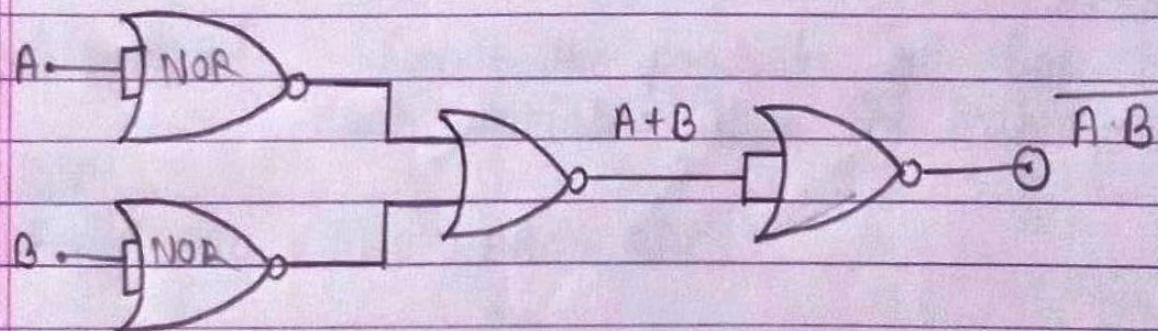
Verification of "NOR" as "OR" gate.



Verification of "NOR" as "AND" gate.



Verification of "NOR" as "NAND" gate.



Result:- Thus we verified the truth table of AND, NOR, EX-OR, EX-NOR using NAND and NOR gate.



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Aim:- To an SOP and POS exp.

Apparatus required :- Trainer kit, power supply connecting leads.

Theory:-

SOP [Sum of product] \rightarrow In this we represent the boolean expression by sum of each product

$$\begin{aligned}\text{Eq } f(A, B) &= A + \bar{B} \\ &= A(B + \bar{B}) + \bar{B}(A + \bar{A}) \\ &= AB + A\bar{B} + \bar{B}A + \bar{B}\bar{A} \\ f(A, B) &= AB + A\bar{B} + \bar{A}\bar{B}\end{aligned}$$

Standard SOP:- The product of SOP that each variable then SOP called

SOP

$$\text{Eq : } \bar{A}\bar{B}C + \bar{A}BC + A\bar{B}C + A\bar{B}\bar{C}$$

Minterm :- Term Sop product
Term that is logic 1 called as
of Sop m

$$\begin{aligned}\text{Eq:- } 1 &= \bar{A}\bar{B} + A\bar{B} \\ 1 &= [f(A, B)] \\ 1 &= [f(A, B)] = \sum m(1, 2)\end{aligned}$$

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POS (Product of Sum) :- In this technique we represent the boolean exp. by the product of each sum term.
Eq : $y = (A + \bar{B} + C) \cdot (\bar{A} + B) \cdot (A + B + \bar{C})$

Standard POS :- The sum item of pos that contains each variable then pos.

$$Y = (A + \bar{B} + C) \cdot (\bar{A} + B + C) \cdot (A + B + \bar{C})$$

Max term :- In the POS those sum terms that value is logical '0' called as MAX term

$$Y = (A + B) \cdot (\bar{A} + \bar{B})$$

$$Y = [f(A, B)]$$

=

Relization of pos :- ($\because A\bar{A} = 0$)

$$f(A, B) = (A + B)(B)$$

$$= (A + B)(B + A\bar{A})$$

$$= (A + B)(B + A)(B + \bar{A})$$

$$f(A, B) = (A + B)(\bar{A} + B)$$

$$Y = (A + B)(\bar{A} + B)$$

Result :- Thus we realize an Sop and Pos exp. by using of logic gate.