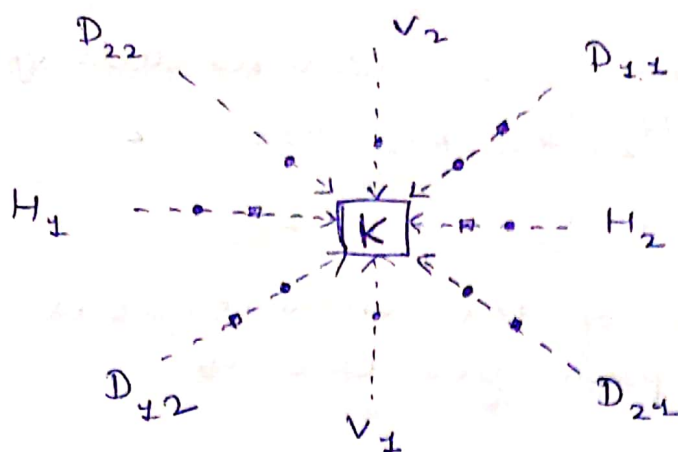


734 D Anton & Chess



① Verticals

• $(x, y+s)$
• (x, y)
• $(x, y-s)$

$$y' = y_{R/Q} - y_K$$

if $y' < 0$

→ piece is in V_1

else

→ piece is in V_2

② Horizontals

• $(x-s, y)$ • (x, y) • $(x+s, y)$

$$x' = x_{R/Q} - x_K$$

if $x' < 0$

→ piece in H_1

else

→ piece in H_2

③ Diagonals

• $(x-s, y+s)$ • $(x+s, y+s)$
• (x, y)
• $(x-s, y-s)$ • $(x+s, y-s)$

$$m = \frac{y_{B/Q} - y_K}{x_{B/Q} - x_K}$$

if $m == 1$

→ piece in D_1

if $x_{B/Q} - x_K < 0$

→ piece in D_{12}

else

→ piece in D_{11}

if $m == -1$

→ piece in D_2

if $x_{B/Q} - x_K < 0$

→ piece in D_{22}

else

→ piece in D_{21}

Algorithm

- ① For each given point, classify it into belonging to either $V_1, V_2, H_1, H_2, D_{11}, D_{12}, D_{21}, D_{22}$.
- ② Sort all the containers V_1, V_2, \dots, D_{22} .
- ③ If first piece of any of the containers is eligible to check the Ring \rightarrow print yes else no.

Time Complexity

$$O(n + 8 \log m + 8) \rightarrow \sum m = n \approx O(n)$$

Implementation

for each piece in pieces

if $!(x_{\text{piece}} == x_{\text{ring}} \parallel y_{\text{piece}} == y_{\text{ring}} \parallel \text{abs}(\frac{y_p - y_k}{x_p - x_k}) == 1)$
continue;

if $(x_{\text{piece}} == x_{\text{ring}}) \{$

if $(y_{\text{piece}} > y_{\text{ring}})$

$S[1].\text{insert}(\text{make_pair}(x_{\text{piece}}, y_{\text{piece}}), \text{dis}(x_k, y_k))$

else

$S[2].\text{insert}(\text{make_pair}(x_{\text{piece}}, y_{\text{piece}}), \text{dis}(x_k, y_k))$

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