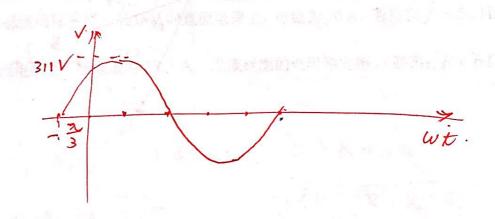
第四章。正弦交流电路

(答案: (1) 314
$$rad/s$$
 ; 50 Hz ; 0.02 s ; 220 V ; $\varphi_u = \frac{\pi}{3} rad$ (2) $u_{(t=0)} = u_{(t=0.1)} = 269.3 \text{ V}$)

Ø
$$f = \frac{10}{50} = 50 \text{ Hz}$$
.
 $T = \frac{1}{f} = 0.02 \text{ S}$.
 $U = \frac{311}{\sqrt{2}} = 220 \text{ V}$.
 $Q = \frac{7}{3} \text{ rad}$.

(2)
$$u_{t=0} = 311 \text{ Sin } \frac{\pi}{3}$$

 $u_{t=0} = 311 \text{ Sin.} (107 t + \frac{\pi}{3}) = 311 \text{ Sin} \frac{\pi}{3}$
 $= 269.3 \text{ V}$



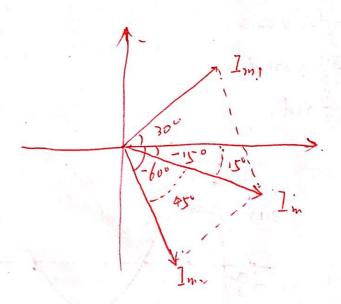
- ① 波形图表示。 和对相角, 色对相角
- 回相写的画法和高·ii N有效位 UI. 鸭对位 Ui
- 3 J= 121= JR+X

田跨网络不愿直接考较到

4—2 已知 $i_1 = 10\sin(314t + 30^0)$ A, $i_2 = 10\sin(314t - 60^0)$ A, $i = i_1 + i_2$ 。试用相量法求i,并画出三个电流的相量图。(答案: $i = 10\sqrt{2}\sin(314t - 15^0)$ A)

$$\frac{1}{1_{m}} = 10 \angle .30^{\circ} = \frac{10 \cos 30^{\circ} + 10 \sin 30^{\circ}}{10 \cos 30^{\circ} + 10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \sqrt{3} + 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}} = 5 \int_{10}^{\infty} \frac{1}{10 \cos 30^{\circ}}$$

2= 14.14 Sin(314x-150) A.



试用

第四章 正弦交流电路

4—3 电压 $u = 220\sqrt{2}\sin 314t$ V ,分别作用在(1)R = 100 Ω;(2)L = 0.5 H;

(3) C=10 μF 的元件上。试求 i_R 、 i_L 、 i_C ,并画出相量图。(答案: $i_R=2.2\sqrt{2}\sin 314t$ A;

 $i_L = 1.4\sqrt{2}\sin(314t - 90^{\circ}) \text{ A}; \quad i_C = 0.69\sqrt{2}\sin(314t + 90^{\circ}) \text{ A}$

(1)-iR= 2.2.2/2sim314t V = 200/20° jXL=jwL=314x05/2900

I = U = 20000 = 14 L-90° [= 1.4/2 Sm (3.14t-90°) V

-jXc = 1 310×10×10-6 = 3140×10-5 <- 900

ic = U = 200 = .0.69290° : = 0.6911 Sim BIU t + 90°)

4—4 一个电感线圈接在 $U=120~{
m V}$ 的直流电源上,电流为 20 A,若接在 $f=50~{
m Hz}$,

U=220 V的交流电源上,则电流为 28.2 A,求该线圈的电阻和电感。(答案: $R=6 \Omega$;

L = 15.9 mH)

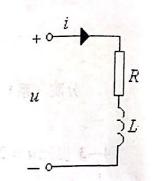
 $R = \frac{V}{1} = \frac{170}{20} = 6 \text{ C}. \qquad Z = R + j \times L$

W1 = V = 782 | 121 = VR2+ XL2

L= V = 22.4 = 28.2.6.28×30 = 8792

 $\begin{cases} \frac{U}{L} = 12 = \sqrt{8^2 + \chi_{12}} \implies \chi_{12} \\ \chi_{12} = 12 = \sqrt{8^2 + \chi_{12}} \implies \chi_{22} \end{cases}$ L = 15.9 m/H

4-5 如图所示电路中 $R=4\Omega$,频率f=50 Hz时,电路的功率P=16 W,功率因数 $\lambda=0.8$,求f=25 Hz时电路的电流 I ,有功功率P ,无功功率Q 和视在功率S 。 (答案:



I' = 2.34 A; P' = 21.9 W; Q' = 8.21 Var; S' = 23.4 VA)

 $P = 1^{2}R \implies 1 = \sqrt{\Gamma} = 2A.$ $P = U1 corr \implies U = 10V$ $Corr = 0.8 \implies Q = 37^{\circ}.$ $1' = \frac{U}{|2|} = \frac{10}{|4^{2}+15|^{2}} = 2-32/A.$

 $\frac{\chi_L}{\Phi} = \tan 37^{\circ} \Rightarrow \chi_L = 3 \text{ S.}$ $P = U1' \cos \varphi' = 21.9 \text{ W}$ $27. to \cdot L = 3 \Rightarrow \chi_2 + \chi_1 + L = 1.1 + \Omega$ Q = U1' Sine = 8.71 Vav. $Q' = \operatorname{arctan} \frac{1.5}{4} = 20.5^{\circ}$ S = U1 = 23.4 VA. Cun Q' = 0.902

4-6 无源二端网络如图所示,输入端电压 $u=220\sqrt{2}\sin(314t+20^0)$ V ,电流 $i=4.4\sqrt{2}\sin(314t-33^0)$ A,求该二端网络的等效电路(两个元件串联)和元件参数值;并求二端网络的功率因数及输入的有功功率和无功功率。(答案: $R=30\,\Omega$; L=0.127 H; $\cos\varphi=0.6$; P=580.8 W; Q=773 Var)

$$\dot{U} = 220 \angle w^{\circ}$$

 $\dot{I} = 4.4 \angle -33^{\circ}$ +0 元
 $Z = \dot{V} = 220 \angle 50^{\circ} = 30 + 40 \dot{I} = 7$ R= 30 Ω. u 解
 $\Delta = auq = as 50^{\circ} = 0.6$. $u = 40 \Omega$ $u = 40 \Omega$

SR= VI= 220.4.4=968. 00 VA P= Pr. comp = 580.8 W. Q=Pr. sint3° = 733 Var 18

第四章 正弦交流电路

分院(系) 班级

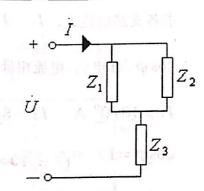
4—7 在图示电路中,电源电压 $U = 220/0^{\circ} \text{ V}$,阻抗

$$Z_1 = 4.4 + j2.65 \Omega$$

$$Z_2 = 21.69 - j12.6 \Omega$$

 $Z_3 = 1.5 + j2.6 \Omega$ 求电路的有功功率,无功功率和视在功率。

(答案: P = 5.39 kW; Q = 4 kVar; S = 6.71 kVA)

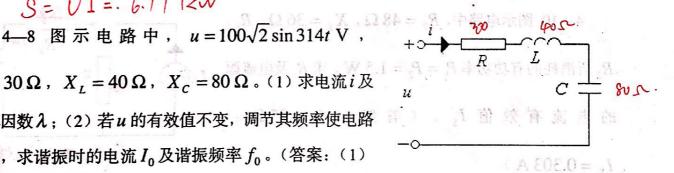


 $z = 211121 + 23 = \frac{2121}{21+21} + 23 = 5.78+7431$ = 7.15 236.7 题 4-7 电路图

P=VI cs q = . 220.30.77 aux 36.7° & 5.42. Kw. Q= V1 sinq = 220.30.77 sin 36.70 \$ 4.0 KW.

S= V1=. 6.77 KW

 $R = 30 \Omega$, $X_L = 40 \Omega$, $X_C = 80 \Omega$ 。(1) 求电流 i 及 功率因数 λ ; (2) 若u 的有效值不变,调节其频率使电路 谐振,求谐振时的电流 I_0 及谐振频率 f_0 。(答案: (1)



$$i = 2\sqrt{2}\sin(314t + 53.1^{\circ}) \text{ A}$$
; $\lambda = 0.6$ (2)

 $I_0 = 3.33 \,\mathrm{A}$; $f_0 = 70.6 \,\mathrm{Hz}$)

XL=314 L=40=> L=

V = 100 LU Z = 30 + j (40-80) = 30-40j=50L=530. $X_c = \frac{1}{314c} = 80 \Omega \Rightarrow C = \frac{1}{314c}$

19 fo= = = 70.6 Hz.

常振时、 X=Yc星他門 = R=30元 Scanned by CamScanner

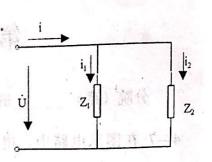
4—9 在图示电路中,已知:

 $Z_1 = 12 + j16 \Omega$, $Z_2 = 10 - j20 \Omega$, U = 120 + j160 V,

求各支路电流 I 、 I_1 、 I_2 ,总有功功率 P 及总功率因数

 $\cos \varphi$,作电压、电流相量图。(答案: $I = 10/53.13^{\circ}$ A

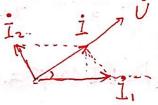
 $I_1 = 10/0^{\circ} \text{ A}$ $I_2 = 8.94/116.56^{\circ} \text{ A}$ P = 2000 W



U = 200 253.13° Z1 = 20/53.13° Z2= 22.36 /63.43 $\cos \varphi = 1$ Z1=121/29, 21= 10/0 A = 2=21/21=12/19 Zz= 121/2 1= = = 8.94/116.560

 $I=1+1=1025313 ÜI同相位 <math>\varphi=0$ cus $\varphi=1$

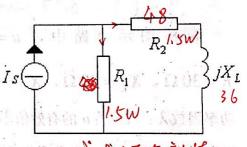
P=. VI cus φ = V1 = 200×10=2000W. Iz. i



4—10 图示电路中, $R_2 = 48 \Omega$, $X_L = 36 \Omega$, R_1 、

 R_2 所消耗的有功功率 $P_1 = P_2 = 1.5 \text{ W}$,求 R_1 及电流源 I_s

的电流有效值 I_s 。(答案: $R_1 = 75\Omega$;



 $I_s = 0.303 \,\mathrm{A}$

11 部的人。《神神》的成本电压有效值。

U. 23627 2 = Retjxc = 48+j36 1020= 60/370 P2= 12R2 = 12= 12= 0.177A == 2= 0.177A == 2= 0.177A

日文V=V200 由くV]2×0.8=1.5W. 43]=0.8]2=0.8×0.177=0.142) 117. = 1.5W

12R=1.5w 43 R,=74.8 sz.

Scanned by CamScanner 0.263 - 10.107

第四章 正弦交流电路

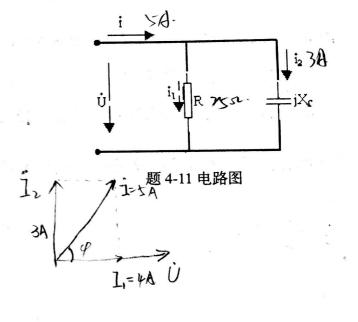
4—11 在图示电路中,电流有效值 I=5 A , $I_2=3$ A , R=25 Ω , 求电路的阻抗 |Z|

为多少? (答案: $|Z| = 20 \Omega$)

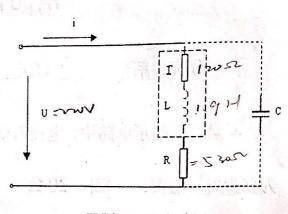
粉、中の易失る場

$$G = \text{orrcsin} \frac{3}{4}$$

 $J_1 = I \text{sin} \mathcal{Y} = 4A$
 $U = I_1 R = 4 \cdot X = 100 \text{ V}$
 $|Z| = \frac{U}{I} = \frac{100}{5} = 20 \Omega$



4-12 日光灯电路如图所示,灯管电阻 $R=530\,\Omega$,镇流器电阻 $r=120\,\Omega$,电感 $L=1.9\,\mathrm{H}$,接在 $220\,\mathrm{V}$, $50\,\mathrm{Hz}$ 交流电源上,求 电路电流;灯管电压;镇流器电压; $P\cdot Q\cdot S\,\Omega$ $\cos\varphi_1$,要把电路功率因数提高到 $\cos\varphi=0.85$,问 在 日光灯两端应并多大电容?(答案: $I=0.25\,\mathrm{A}$ $U_R=132.16\,\mathrm{V}$ $U_{rL}=152.14\,\mathrm{V}$



习题 4—12 电路图

$$P = 40.63 \text{ W}$$
 $Q = 37.29 \text{ Var}$ $S = 55.15 \text{ VA}$ $\cos \varphi_1 = 0.74$ $C = 0.8 \mu F$)

$$Z = m+530 + j22.50.1.9 = 650+j596.6.$$
 $|Z| = 1882.51$

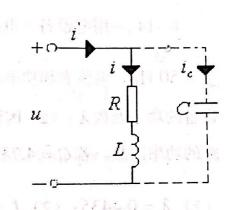
$$Q = arctan \frac{596.6}{650} = 42.50$$

4—13 在图示 R、L 串联电路中,已知 $i=2.82\sqrt{2}\sin 314t$ A, R=60 Ω, L=0.255 H,求(1)

若在电路两端并联 $C = 11.3 \mu$ F的电容,电源供出电流的有效值变化了多少? (2) 并联电容后的功率因数。(答案: (1)

$$\Delta I = 0.71 \,\mathrm{A}\;;$$

$$(2) \lambda' = 0.8)$$



题 4-13 电路图

MA:
$$W = 314$$
 $Z = 60 + jwL = 60 + j80$

$$Q = ardn - \frac{80}{60} - = 53.1^{\circ}$$

$$U = \frac{I \cdot R}{cup} = \frac{282 \cdot 60}{cm \cdot 53.1} = 282 \cdot V.$$

$$II = 11/53.1^{\circ} = 282 \cdot \frac{153.1^{\circ}}{2}$$

$$\frac{1}{1c} = \frac{V}{X_c} \frac{190^\circ}{190^\circ} = \frac{282 \frac{153.1^\circ}{1900}}{\frac{314 \times 11.3 \times 10^{-0} \frac{1}{290^\circ}}{1900}} = \frac{1.7(143.1)^\circ}{1.143.1^\circ}$$

$$= \frac{1}{2.82} + \frac{1}{100} + \frac{1}{$$

= 2.11 Lb.5°

$$\Delta 1 = 2.82 - 2.11 = 0.71 A.$$

$$\Delta' = C45(53.7 - 16.5) = 0.8$$

4—14 一用电设备(电感性负载)接于220 V 的交流电源上,如图所示,电源频率 $f=50~{\rm Hz}$,电流表和功率表测得的电流 $I=0.41~{\rm A}$,功率 $P=40~{\rm W}$ 。试求(1)该电器设备的功率因数 λ ;(2)因该电器设备是电感性负载,故可用并联电容器 C 来提高整个电路的功率因数。若 $C=4.75~\mu{\rm F}$,电流表的读数和整个电路的功率因数为多少?(答案:

、并联电客压电流表的读和的 0.186 A. 野性的功量因知的 0.977