DPP -1 (A.P)

8^{th}	term, the	A.P., 5 timen its 13 th to (c)	erm is	term is equal to	8 times the
2. If 7 its	th and 13 18 th tern	3 th term of a	n A.P. be	34 and 64 respec	etively, then
(u)		(0) 00	(6) 6)	then $\Delta = \begin{vmatrix} a_m & a_n & a_p \\ m & n & p \\ 1 & 1 & 1 \end{vmatrix}$	
		arithmetic -1 (c) 0`			equals
4. 7 th	term of	` /	0, then the	e sum of first 13	terms is
The	e sum of	its 40 term	s will be	nd common diffe	erence is 4.
6. The pro	e sum of duct of	the first ar	nd third te cond term	(d) 2800 rm of an A.P. is is 24, the first te	
7. If $\frac{S_{3r}-S_{2r}$	$\frac{S_r}{S_{2r-1}}$ is eq	s the sum o qual to	f the first	r terms of an A.	
(a) 3	2r - 1	(b) $2r + 1$	(c) $4r +$	1	(d) $2r +$
8. If the sum of the first 2 <i>n</i> terms of 2, 5, 8 is equal to the sum of the first <i>n</i> terms of 57, 59, 61, then <i>n</i> is equal to (a) 10 (b) 12 (c) 11 (d) 13					
				A.P. is 4 times to erm and common	
` ,		(b) 2 : 1 m of first <i>p</i> :	` '	(d) $3:2$ t q terms and fire	st <i>r</i> terms
		•	-	ely, then $\frac{x}{p}^{(q-r)+rac{y}{q}(r)}$	

(a) 0 (b) 2

(c) pqr (d) $\frac{8xyz}{pqr}$

11. The sum of all odd numbers of two digits is

(a) 2475 (b) 2530 (c) 4905 (d) 5049

12. If sum of *n* terms of an A.P. is $3n^2 + 5n$ and $T_m = 164$, then *m*

(b) 27 (c) 28 (d) None of these (a) 26

13. The sum of *n* terms of the series $\frac{1}{1+\sqrt{3}} + \frac{1}{\sqrt{3}+\sqrt{5}} + \frac{1}{\sqrt{5}+\sqrt{7}} + \dots$ is

(b) $\frac{1}{2}\sqrt{2n+1}$ (a) $\sqrt{2n+1}$

(d) $\frac{1}{2}^{(\sqrt{2n+1}-1)}$ (c) $\sqrt{2n-1}$

14. If a_1, a_2, \dots, a_{n+1} are in A.P., then $\frac{1}{a_1 a_2} + \frac{1}{a_2 a_3} + \dots + \frac{1}{a_n a_{n+1}}$ is

(a) $\frac{a-1}{a_1 a_{n+1}}$ (b) $\frac{1}{a_1 a_{n+1}}$ (c) $\frac{n+1}{a_1 a_{n+1}}$ (d) $\frac{n}{a_1 a_{n+1}}$

15. Let a_1, a_2, a_3, \ldots be terms of an A.P. If $\frac{a_1 + a_2 + \ldots + a_p}{a_1 + a_2 + \ldots + a_q} = \frac{p^2}{q^2}$.

 $p \neq q$, then $\overline{a_{21}}$ equals-

(b) 7/2 (c) 2/7 (a) 41/1111/41

(d)

16. If the sixth term of an A.P. is equal to 2. the value of the common difference of the A.P. which makes the product a₁ a₄ a₅ the greatest is (the ith term is denoted by a)

(a) $\frac{8}{5}$ (b) 3(c) 2(d) $\frac{4}{5}$

17. The ratio of the sum of n terms of the two A.P's. be $\frac{4n+27}{n}$ and ratio of 11th term is λ then value of 111 $\times \lambda$ is-

(a) 138 (b) 128 (c) 122 (d) 148

18. If 11 A.M.'s are inserted between 28 and 10, then number of integral A.M's is-

(a) 5 (b) 6 (c) 7 (d) 8
19. If the ratio of sums to n terms of two A.P.'s is $(5n + 7)$:
$(3n + 2)$, then the ratio of their 17^{th} terms is -
(a) 172:99 (b) 172:101 (c) 175:99 (d) 175:101
20. n arithmetic means are inserted between the numbers 7 and
49. If the sum of these means be 364 then the sum their
squares is -
(a) 10380 (b) 11380 (c) 11830 (d) 18130
21. If a_1 , a_2 , a_3 a_{2n+1} are in A.P. then $\frac{a_{2n+1}-a_1}{a_{2n+1}+a_1} + \frac{a_{2n}-a_2}{a_{2n}+a_2} + \dots$
$\frac{a_{n+2} - a_n}{a_{n+2} + a_n}$
(a) $\frac{n(n+1)}{2} \cdot \frac{a_2 - a_1}{a_{n+1}}$ (b) $\frac{n(n+1)}{2}$
(c) $(n + 1) (a_2 - a_1)$ (d) None of these
22. Let T_r be rth term of an A.P. whose first term is a and
common difference is d. If for some positive integers m , n ,
$m\neq n$, $T_m=\frac{1}{n}$ and $T_n=\frac{1}{m}$, then $a-d$ equals
(a) $\frac{1}{m} + \frac{1}{n}$ (b) 1 c) $\frac{1}{mn}$
23. After inserting n A.M.'s between 2 and 38, the sum of the
resulting progression is 200. The value of n is
(a) 10 (b) 8 (c) 9 (d) None of these
24 2 4 M 2 1 - 4 2 1 10
24. 3 A.M.'s between 3 and 19 are
(a) 7, 11, 15 (b) 4, 6, 10 (c) 6, 10, 14 (d) None of these
25. If a, b, c, d, e, f are A.M.'s between 2 and 12, then
a+b+c+d+e+f is equal to
(a) 14 (b) 42 (c) 84 (d) None of these
26. If $a_1, a_2, a_3, \dots, a_{24}$ are in arithmetic progression and $a_1 + a_2 + a_{12} + a_{24} + $
$a_1 + a_5 + a_{10} + a_{15} + a_{20} + a_{24} = 225$, then $a_1 + a_2 + a_3 + \dots + a_{23} + a_{24} =$
(a) 909 (b) 75 (c) 750 (d) 900

- **27.** Let a_n be the n^{th} term of an A.P. If $\sum_{r=1}^{100} a_{2r} = \alpha \& \sum_{r=1}^{100} a_{2r-1} = \beta$. then the common difference of the A.P. is

- (a) $\alpha \beta$ (b) $\beta \alpha$ (c) $\frac{\alpha \beta}{2}$ (d) None of these
- 28. If n- arithmetic means are inserted between 1 and 31 such that the 7^{th} mean : the $(n-1)^{th}$ mean = 5 : 9, then 'n' is equal to (a) 12 (b) 13 (c) 14 (d) None of these
- **29.** If $\alpha \& \beta$ are the roots of the equation, $x^2 2px + q = 0$ and γ and δ be those of the equation, $x^2 - 2rx + s = 0$ and if α , β , γ , δ be in A.P., then (s -q) is equal to-(a) $p^2 - r^2$ (b) $p^2 - q^2$ (c) $q^2 - p^2$ (d) r^2 p^{2}
- **30.** If T_n denotes the n^{th} term of an A.P. and $T_p = \frac{1}{q}$, $T_q = \frac{1}{p}$ then which of the following is necessarily a root of the equation $(p + 2q - 3r) x^2 + (q + 2r - 3p) x + (r + 2p - 3q) = 0$? (b) T_q (c) T_{pq} (d) T_{p+q} (a) T_p

Answers

1)a 2)c 3)c 4)b 5)a 6)c 7)b 8)c 9)a 10)a 11)a 12)b 13)d 14)d 15)d 16)a 17)d 18)a 19)b 20)c 21)a 22)d 23)b 24)a 25)b 26)d 27)d 28)c 29)d 30)d