

# Edge Detection

Edges are significant local changes of intensity in an image

# Edge Descriptors



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- ▶ Edge direction:
  - ▶ Perpendicular to the direction of maximum intensity change (i.e., edge normal)



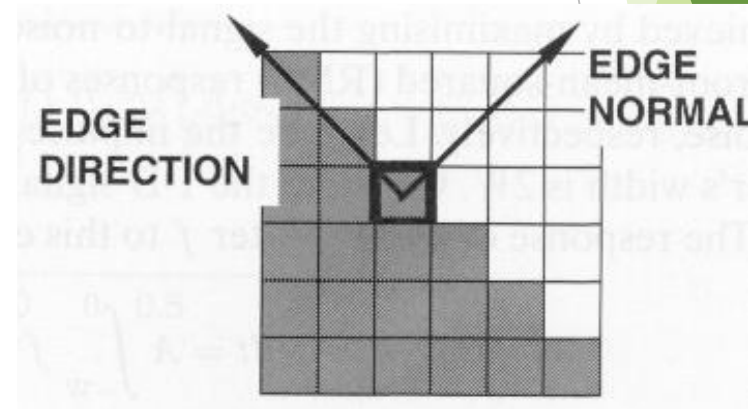
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  - ▶ Perpendicular to the direction of maximum intensity change (i.e., edge normal)
- ▶ Edge strength:
  - ▶ Related to the local image contrast along the edge normal
- ▶ Edge position:
  - ▶ The image position at which an edge is located

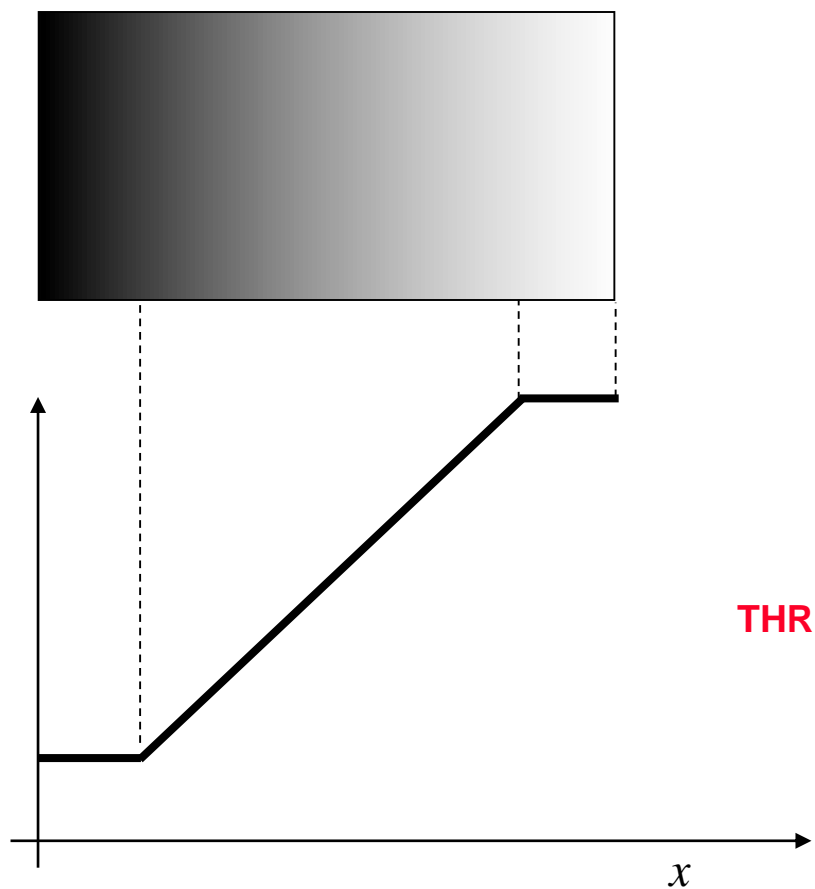


# Detecting the Edge

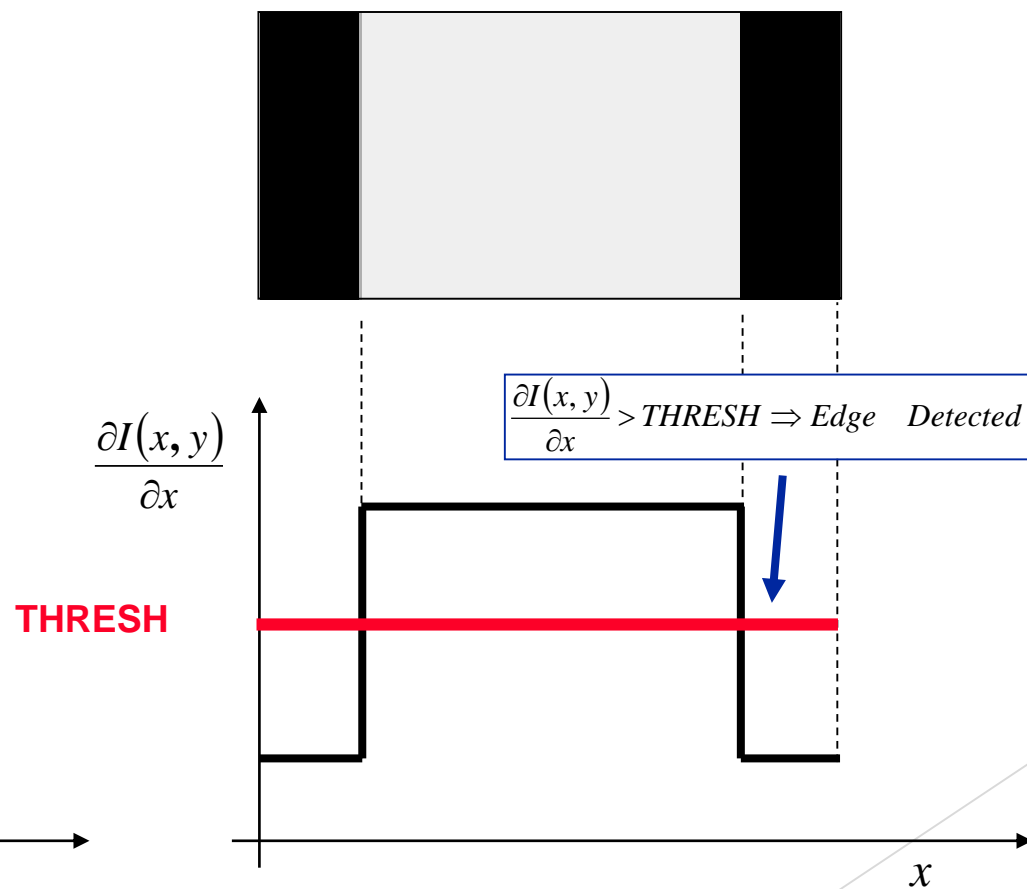


# Detecting the Edge

Original



First Derivative



# Gradient Approximation

- Consider the arrangement of pixels about the pixel  $(i, j)$ :

3 x 3 neighborhood:

$$\begin{array}{ccc} a_0 & a_1 & a_2 \\ a_7 & [i, j] & a_3 \\ a_6 & a_5 & a_4 \end{array}$$

- The partial derivatives  $\frac{\partial f}{\partial x}$   $\frac{\partial f}{\partial y}$  can be computed by:

$$\begin{aligned} M_x &= (a_2 + ca_3 + a_4) - (a_0 + ca_7 + a_6) \\ M_y &= (a_6 + ca_5 + a_4) - (a_0 + ca_1 + a_2) \end{aligned}$$

- The constant  $c$  implies the emphasis given to pixels closer to the center of the mask



# Prewitt Operator



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$$M_x = \begin{bmatrix} -1 & 0 & 1 \\ -1 & 0 & 1 \\ -1 & 0 & 1 \end{bmatrix} \quad M_y = \begin{bmatrix} -1 & -1 & -1 \\ 0 & 0 & 0 \\ 1 & 1 & 1 \end{bmatrix}$$

$M_x$  and  $M_y$  are approximations at  $(i, j)$

# Sobel Operator



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- ▶ Setting  $c = 2$ , we get the Sobel operator:

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$$M_x = \begin{bmatrix} -1 & 0 & 1 \\ -2 & 0 & 2 \\ -1 & 0 & 1 \end{bmatrix} \quad M_y = \begin{bmatrix} -1 & -2 & -1 \\ 0 & 0 & 0 \\ 1 & 2 & 1 \end{bmatrix}$$

$M_x$  and  $M_y$  are approximations at  $(i, j)$

# Canny Edge Detector - example

original image

vertical edges

horizontal edges

norm of the gradient

after thresholding

after thinning

# Canny Edge Detector - example



original image

vertical edges

horizontal edges

norm of the gradient

after thresholding

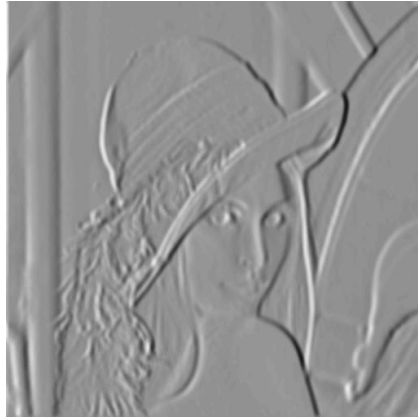
after thinning



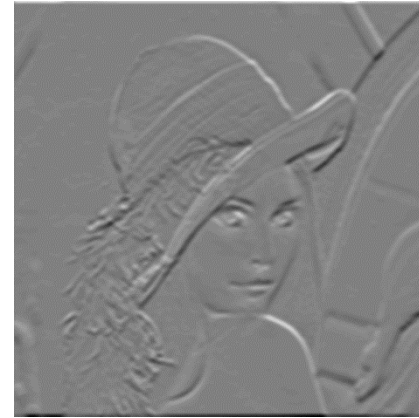
# Canny Edge Detector - example



original image



vertical edges



horizontal edges

norm of the gradient

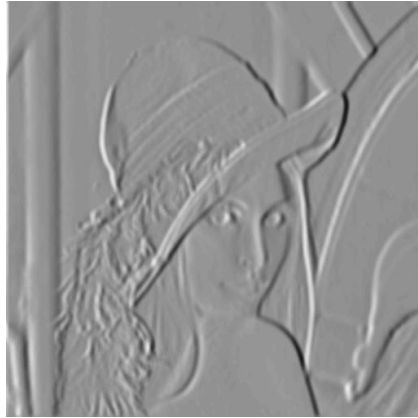
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# Canny Edge Detector - example



original image



vertical edges



horizontal edges



norm of the gradient

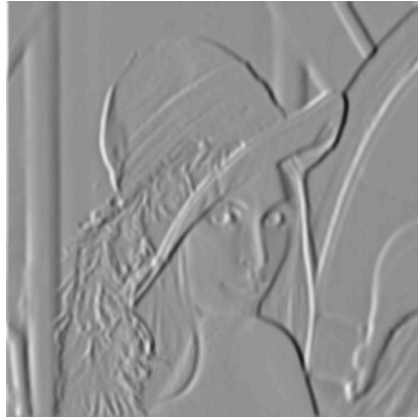
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original image



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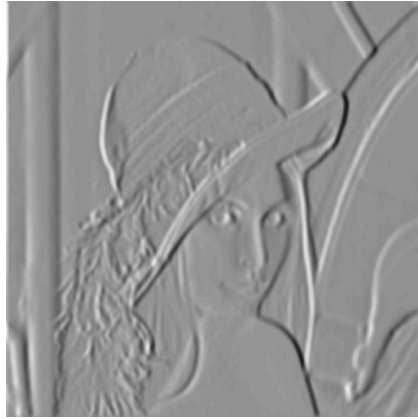
after thresholding

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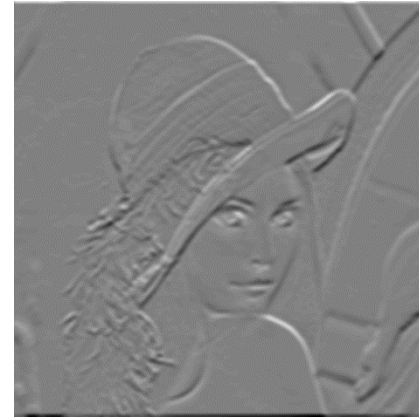
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original image



vertical edges



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norm of the gradient



after thresholding



after thinning