

1) N meetings in one room

Problem Statement: There is one meeting room in a firm. You are given two arrays, start and end each of size N . For an index 'i', $\text{start}[i]$ denotes the starting time of the i th meeting while $\text{end}[i]$ will denote the ending time of the i th meeting. Find the maximum number of meetings that can be accommodated if only one meeting can happen in the room at a particular time. Print the order in which these meetings will be performed.

Example:

Input: $N = 6$, $\text{start}[] = \{1, 3, 0, 5, 8, 5\}$, $\text{end}[] = \{2, 4, 5, 7, 9, 9\}$

Output: 1 2 4 5

Explanation: See the figure for a better understanding.

Meeting No.	1	✓	2	✓	3		4	✓	5	✓	6
Start Time	1		3		0		5		8		5
End Time	2		4		5		7		9		9

Approach: * Make a ^{list or} vector $(\text{end}[i], \text{start}[i], i+1)$

- * Sort the list based on the end and the index
- * Declare last_end as 0.
- * Traverse through the list of vectors. If $\text{start} > \text{last_end}$, then append the index to the result list
- * Return the sorted result list

2) Minimum number of platforms required for a railway

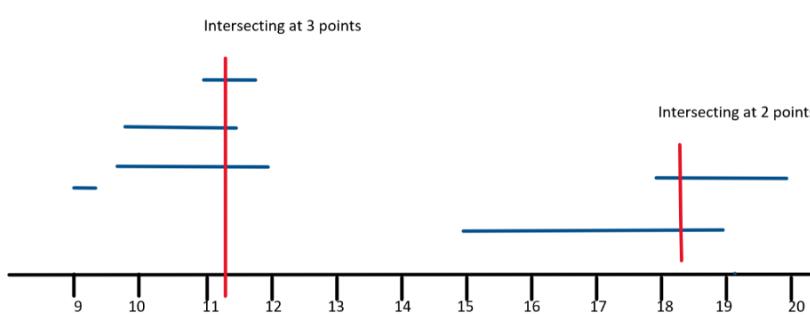
Problem Statement: We are given two arrays that represent the arrival and departure times of trains that stop at the platform. We need to find the minimum number of platforms needed at the railway station so that no train has to wait.

Examples 1:

Input: N=6,
 $\text{arr}[] = \{9:00, 9:45, 9:55, 11:00, 15:00, 18:00\}$
 $\text{dep}[] = \{9:20, 12:00, 11:30, 11:50, 19:00, 20:00\}$

Output: 3

Explanation: There are at-most three trains at a time. The train at 11:00 arrived but the trains which had arrived at 9:45 and 9:55 have still not departed. So, we need at least three platforms here.



Example 2:

Input Format: N=2, $\text{arr}[] = \{10:20, 12:00\}$ $\text{dep}[] = \{10:50, 12:30\}$

Output: 1

Approach: To sort 2 arrays, arr & dep

- * Declare i as 1 , j as 0 , ans as 1 , $count$ as 1
- * While $i < \text{len}(\text{arr})$ & $j < \text{len}(\text{dept})$, do the following.
 - i) if $\text{arr}[i] \leq \text{dept}[j]$, $count++$ & $i++$
 - ii) else, $count--$ & $j++$
 - iii) $ans = \max(ans, count)$
 - iv) Return ans

Eg dry run

$$\text{arr} = [900, 940, 950, 1100, 1500, 1800]$$

$$\text{dept} = [910, 1200, 1120, 1130, 1900, 2000]$$

Sorted array \downarrow

g_0^0 g_1^1 g_2^2 g_3^3 g_4^4 g_5^5

910 1120 1130 1200 1900 2000

count = 1
ans = 1

$i=1, j=0$

count = 0
ans = 1

$i=1, j=1$

count = 1
ans = 1

$i=5, j=4$
count = 2
ans = 3

\therefore Final answer
is 3

$i=2, j=1$

Count = 2
ans = 2

$i=3, j=1$

Count = 3
ans = 3

$i=4, j=1$

Count = 2
ans = 2

$i=4, j=2$
Count = 1
ans = 3

$i=4, j=3$

Count = 0, ans = 3

$i=4, j=4$
Count = 1, ans = 3

3) Job sequencing problem

Problem Statement: You are given a set of N jobs where each job comes with a **deadline** and **profit**. The profit can only be earned upon completing the job within its deadline. Find the **number of jobs** done and the **maximum profit** that can be obtained. Each job takes a **single unit** of time and only **one job** can be performed at a time.

Examples

Example 1:

Input: $N = 4$, Jobs = $\{(1,4,20), (2,1,10), (3,1,40), (4,1,30)\}$

Output: 2 60

Explanation: The 3rd job with a deadline 1 is performed during the first unit of time. The 1st job is performed during the second unit of time as its deadline is 4. Profit = $40 + 20 = 60$

Example 2:

Input: $N = 5$, Jobs = $\{(1,2,100), (2,1,19), (3,2,27), (4,1,25), (5,1,15)\}$

Output: 2 127

Explanation: The first and third job both having a deadline 2 give the highest profit. Profit = $100 + 27 = 127$

Approach : * Make a ^{list or} vector which contains deadline and profit of each job.

* Sort the list based on the profit (descending order)
(parent array)

* Create a Disjoint Set Union (DSU) with the length of max(deadline) + 1.

DSV should contain 0 to max(deadline)

* Iterate through the array of vectors.

* Call this function

and $\text{av_spot} = \text{self}\cdot\text{find}(\text{parent}, \text{spot})$

* The function find is

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def find (self, parent, spot):
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    if parent[spot] == spot:
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```
        return spot
```

```
    parent[spot] = self.find (parent, parent[spot])
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```
    return parent[spot]
```

* If $\text{av_spot} > 0$, then

i) parent[spot] is $\text{self}\cdot\text{find}(\text{parent}, \text{av_spot}-1)$

ii) Increase the number of jobs

iii) Add the profit to the total-profit variable

* Return number of jobs and total-profit.

Eg Dry run.

deadline = [4, 1, 1, 1], profit = [20, 10, 40, 30]

Sorted list of vectors $\rightarrow [(4, 40), (1, 30), (4, 20), (1, 10)]$

Parent = [0, 1, 2, 3, 4]

① $d = 1$

avl - spot = 1
 $1 > 0$

So, parent = [0, 0, 2, 3, 4]

Count = 1

total - profit = 40

② $d = 1$

avl - spot = 0

③ $d = 4$

avl - spot = 4
 $4 > 0$

So, parent = [0, 0, 2, 3, 3]

Count = 2

total - profit = 40 + 20 = 60

\therefore The output = [2, 60]

4) Minimum number of coins

Problem statement

Given an infinite supply of each denomination of Indian Currency {1, 2, 5, 10, 20, 50, 100, 200, 500, 2000} and a target value N .

Find the min number of coins and/or notes needed to make the change for $\mathbb{E} N$. You must return the list containing the value of coins required.

Eg : 1

Input : $N = 43$

Output : 20 20 2 1

Explanation : Min. no. of coins and notes needed to make 43

Eg : 2

Input : $N = 1000$

Output : 500 500

Approach : * Choose those denominations which are greater than N (Lst rden)

* Declare part as [], temp as N , i=0

* While $temp \neq 0$ and i is less than len(rden), do the following.

i) if $rden[i] \leq temp$, then update

count as temp / rden [i], update temp as
temp % rden [i] and add rden [i]
to the list part 'count' number of
times.

- ii) Increment i
 - iii) Return the list part.
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