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**DIV:** B/B1

# **ADBMS**

Exp 2

1	ЕАР 2
	Kantik Jolapana
	81 ADDMS 21 Page No. 1 25 Data 8 10 22
8/10/22	81 ADBMS 7 25 (Data 8 10 122)
	[xp 2]
	Aim Perhoum operation like searching, insertion, deletion
	on B-tree and B+tree
	Thealty:
	OB-Tree
-	B-Tree is a self-balancing tree. B-trees are
	werel when we are dealing with huge amounts
	of data that con't be fitted in main memory.
	when the number of keys is high the data is
	read from the disk in forme of blocks, pisk
	occuss time is very high comparted to line main
	memoly occurs time
	The main idea of using B-Trees is to he duce
	the number of disk occess, most of the the
	operations require (o(h)) disk access where his
	the neight of the thee. 8-thee is a fat they meaning, the hight of Bethee is Kept but by
ľ	putting naximum possible keys in a s-tree made
	orenerally, the B-tree mode size is kept equal to
	disk block size since The height of the B-tree
	is kept low so total ousk accept for mort of the
	operations are reduced significantly compared to
	balanced Binary search tree like AN Trees.
	Ophopelities of B-tree
	-> All leaves are at the same level
	>B-Tree is defined by term minimum degree 't'.
	The value of 't' depends you disk block size
	-> Every node except the most must contain atteast
	(t-1) keys. The scoot may contain minimum of I key.
21	

→ All nodes may contain almost (2\*t-1) keys.

→ No. of children of a node is equal to no of keys in it plus 1.

→ All keys of a node once softed in journearing order.

→ It ghous & shidnes from swot. → Inscrition happens only at leaf node.

Time complexity or B-THER: search - Ollygn)

Jasett - Olugn)

Delete - Olugn)

## DB+ Tree

efficient insertion deletion and search operations In B-tree keys and records both can be started in Internal as well as leaf modls. whereas, in B+ tree mewords can only be storted on leaf modes and internal nodes can only storte key values.

The leaf node of a Bttree one linked together in the bun of singry linked list to make rearch queries more efficient. Bt theep are sed to store the large amount of data which wit be stored in main memory. Due to the fact that size of main memory; anways limited, the internal modes of 8t thee are stored in main memory whereas. Leafnodes were stored in secondary memory.

(	opproperties of 8+ tree						
1.00	-> All icals are at some level						
118	The most has atteast two children						
	-> Each node except root can have a merriminum of m						
	children and atteast mrz mildren						
	- Fach gode can contain a maximum of (m-1) keys						
7	and a maximum of CM/2J-1 Keys						
	- heys are used for indexing						
	-> parta can be stored sequentially or directly						
	O Time Complexity						
100	search - Ollign)						
	Ingent - Olugn)						
	pelete - O (lugn)						
	& B-Tree V/5 B+ tree						
	B-Tree	B+ tree					
	Oseanch keys connot be						
	regontedly sound	can be originate					
	@pata constitued in the loof	an be prepent.  Douta can only be storted					
	node as well as internal	on the lead podls					
	nades						
	(3) searching for some	O search is comparitively					
	data is slower phocess	fuster as data can					
	some douta can be found	only be found on the					
	on internal modes as	least nodes.					
	well as leaf nodes	@ Deletion will never be					
	Opeletion of internal	a complexed peruals					
	nodes are complicated of	since some elements will					
	time consuming	be deleted from leaf					

B	Tree	and property and problem in according	B+Ton	C
@leat not	lls cont he	unked	@ Leas nod	es are linked
together			together to	make seart
			operations	melle
			estivent.	
			Andreas colored to the objective congressions of the	E
Conclusion	: This we	Successfu	My studico	& comparted
	varibus of	exactions	in 8 Tree	& somp ared & B+ tree.
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		Secure Application of the Secure Control of the Con	The second secon	

# **B Tree Code:**

```
class BTreeNode:
 def __init__(self, leaf=False):
  self.leaf = leaf
self.keys = [] self.child
= []
class BTree:
 def __init__(self, t):
  self.root = BTreeNode(True)
  self.t = t
 def insert(self, k): root = self.root
if len(root.keys) == (2 * self.t) - 1:
    temp = BTreeNode()
self.root = temp
temp.child.insert(0, root)
self.split_child(temp, 0)
self.insert_non_full(temp, k)
else:
    self.insert_non_full(root, k)
```

```
def insert_non_full(self, x, k):
  i = len(x.keys) - 1
if x.leaf:
   x.keys.append((None, None))
while i \ge 0 and k[0] < x.keys[i][0]:
x.keys[i + 1] = x.keys[i]
                               i -= 1
   x.keys[i+1] = k
else:
   while i \ge 0 and k[0] < x.keys[i][0]:
i = 1
          i += 1
   if len(x.child[i].keys) == (2 * self.t) - 1:
     self.split_child(x, i)
if k[0] > x.keys[i][0]:
      i += 1
self.insert_non_full(x.child[i], k)
 def split_child(self, x, i):
  t = self.t
              y =
x.child[i]
BTreeNode(y.leaf)
x.child.insert(i + 1, z)
  x.keys.insert(i, y.keys[t - 1])
  z.keys = y.keys[t: (2 * t) - 1]
  y.keys = y.keys[0: t - 1]
if not y.leaf:
   z.child = y.child[t: 2 * t]
```

```
y.child = y.child[0: t - 1]
 def print_tree(self, x, l=0):
  print("Level ", 1, " ", len(x.keys), end=":")
for i in x.keys:
                  if len(x.child) > 0:
1 += 1
                               for i in
             self.print_tree(i, l)
x.child:
 def search_key(self, k, x=None):
if x is not None:
          while i < len(x.keys) and k >
   i = 0
                           if i < len(x.keys)
x.keys[i][0]:
                 i += 1
and k == x.keys[i][0]:
     return (x, i)
elif x.leaf:
return None
else:
     return self.search_key(k, x.child[i])
else:
   return self.search_key(k, self.root)
def main(): B
= BTree(3)
```

```
for i in range(10):
B.insert((i, 2 * i))
 B.print_tree(B.root)
 if B.search_key(8) is not None:
  print("\nFound")
 else:
  print("\nNot Found")
if __name__ == '__main__':
 main()
Output:
               2:(3, 6) (4, 8)
Level
          1
               4: (6, 12) (7, 14) (8, 16) (9, 18)
         1
Level
Found
```

#### B+ Tree

## **Code:**

import math

```
class Node: def
__init__(self, order):
```

```
self.order = order
self.values = []
                     self.keys
=[]
         self.nextKey =
           self.parent =
None
           self.check_leaf =
None
False
  def insert_at_leaf(self, leaf, value, key):
     if (self.values):
       temp1 = self.values
for i in range(len(temp1)):
if (value == temp1[i]):
            self.keys[i].append(key)
break
                elif (value <
temp1[i]):
            self.values = self.values[:i] + [value] + self.values[i:]
self.keys = self.keys[:i] + [[key]] + self.keys[i:]
                elif(i + 1 == len(temp1)):
break
self.values.append(value)
                                        self.keys.append([key])
break
           else:
       self.values = [value]
self.keys = [[key]]
class BplusTree:
```

```
def __init__(self, order):
self.root = Node(order)
self.root.check_leaf = True
  def insert(self, value, key):
    value = str(value)
old_node = self.search(value)
old_node.insert_at_leaf(old_node,
value, key)
    if (len(old_node.values) == old_node.order):
       node1 = Node(old_node.order)
node1.check leaf = True
                                node1.parent =
                       mid = int(math.ceil(old_node.order /
old_node.parent
              node1.values = old_node.values[mid + 1:]
2)) - 1
node1.keys = old_node.keys[mid + 1:]
                                             node1.nextKey
= old_node.nextKey
                           old node.values =
old_node.values[:mid + 1]
                                 old_node.keys =
old_node.keys[:mid + 1]
                                old_node.nextKey = node1
self.insert_in_parent(old_node, node1.values[0], node1)
  def search(self, value):
                              current_node =
self.root
             while(current_node.check_leaf
== False):
       temp2 = current_node.values
for i in range(len(temp2)):
if (value == temp2[i]):
```

```
current_node = current_node.keys[i + 1]
break
                elif (value < temp2[i]):
            current_node = current_node.keys[i]
break
                elif(i + 1 ==
len(current_node.values)):
current_node = current_node.keys[i + 1]
break
    return current_node
  def find(self, value, key):
                                 1 =
self.search(value)
                       for i, item in
enumerate(l.values):
                            if item ==
                if key in l.keys[i]:
value:
return True
                      else:
return False
                 return False
  def insert_in_parent(self, n, value, ndash):
if (self.root == n):
       rootNode = Node(n.order)
rootNode.values = [value]
rootNode.keys = [n, ndash]
self.root = rootNode
                            n.parent
= rootNode
                   ndash.parent =
rootNode
                 return
    parentNode = n.parent
temp3 = parentNode.keys
                               for
```

```
i in range(len(temp3)):
                             if
(temp3[i] == n):
         parentNode.values = parentNode.values[:i] + \
            [value] + parentNode.values[i:]
parentNode.keys[:i +
                              1] + [ndash] + parentNode.keys[i + 1:]
if (len(parentNode.keys) > parentNode.order):
           parentdash = Node(parentNode.order)
parentdash.parent = parentNode.parent
                                                  mid =
int(math.ceil(parentNode.order / 2)) - 1
parentdash.values = parentNode.values[mid + 1:]
parentdash.keys = parentNode.keys[mid + 1:]
value_ = parentNode.values[mid]
                                            if (mid == 0):
              parentNode.values = parentNode.values[:mid + 1]
else:
              parentNode.values = parentNode.values[:mid]
parentNode.keys = parentNode.keys[:mid + 1]
                                                         for j
in parentNode.keys:
                                  j.parent = parentNode
for j in parentdash.keys:
                                      j.parent = parentdash
self.insert_in_parent(parentNode, value_, parentdash)
  def delete(self, value, key):
node_ = self.search(value)
    temp = 0
    for i, item in enumerate(node_.values):
if item == value:
```

```
if key in node_.keys[i]:
if len(node\_.keys[i]) > 1:
node_.keys[i].pop(node_.keys[i].index(key))
elif node_ == self.root:
                                      node_.values.pop(i)
node_.keys.pop(i)
                               else:
               node_.keys[i].pop(node_.keys[i].index(key))
del node_.keys[i]
node_.values.pop(node_.values.index(value))
self.deleteEntry(node_, value, key)
                                             else:
            print("Value not in Key")
           if temp == 0:
return
       print("Value not in Tree")
return
  def deleteEntry(self, node_, value, key):
    if not node_.check_leaf:
       for i, item in enumerate(node_.keys):
if item == key:
            node_.keys.pop(i)
break
             for i, item in
enumerate(node_.values):
                                    if item
== value:
```

temp = 1

```
break
    if self.root == node_ and len(node_.keys) == 1:
       self.root = node\_.keys[0]
node_.keys[0].parent = None
del node_
                 return
     elif (len(node_.keys) < int(math.ceil(node_.order / 2)) and node_.check_leaf
== False) or (len(node_.values) < int(math.ceil((node_.order - 1) / 2)) and
node_.check_leaf == True):
       is_predecessor = 0
parentNode = node_.parent
       PrevNode = -1
       NextNode = -1
       PrevK = -1
                          PostK = -1
                                            for
i, item in enumerate(parentNode.keys):
         if item == node_:
if i > 0:
              PrevNode = parentNode.keys[i - 1]
              PrevK = parentNode.values[i - 1]
            if i < len(parentNode.keys) - 1:
NextNode = parentNode.keys[i + 1]
```

PostK = parentNode.values[i]

node\_.values.pop(i)

```
if PrevNode == -1: ndash = NextNode
value = PostK
                      elif NextNode == -1:
                                                    is_predecessor
                                        value_ = PrevK
             ndash = PrevNode
= 1
              if len(node_.values) + len(NextNode.values) <</pre>
else:
node .order:
           ndash = NextNode
value_ = PostK
                        else:
           is_predecessor = 1
ndash = PrevNode
value_ = PrevK
       if len(node_.values) + len(ndash.values) < node_.order:
if is_predecessor == 0:
                                 node_{-}, ndash = ndash,
               ndash.keys += node_.keys
                                                  if not
node_
node_.check_leaf:
           ndash.values.append(value_)
         else:
           ndash.nextKey = node_.nextKey
ndash.values += node_.values
         if not ndash.check_leaf:
for j in ndash.keys:
j.parent = ndash
         self.deleteEntry(node_.parent, value_, node_)
del node
                 else:
                               if is_predecessor ==
              if not node_.check_leaf:
1:
```

```
ndashpm = ndash.keys.pop(-1)
ndashkm_1 = ndash.values.pop(-1)
node_.keys = [ndashpm] + node_.keys
node_.values = [value_] + node_.values
parentNode = node_.parent
                                        for i, item in
enumerate(parentNode.values):
                if item == value_:
                  p.values[i] = ndashkm_1
break
                 else:
              ndashpm = ndash.keys.pop(-1)
ndashkm = ndash.values.pop(-1)
node_.keys = [ndashpm] + node_.keys
node_.values = [ndashkm] + node_.values
parentNode = node_.parent
                                         for i, item in
enumerate(p.values):
                                     if item == value:
                   parentNode.values[i] = ndashkm
                                if not
break
               else:
node_.check_leaf:
              ndashp0 = ndash.keys.pop(0)
ndashk0 = ndash.values.pop(0)
                                            node_.keys
                                       node_.values =
= node_.keys + [ndashp0]
node_.values + [value_]
                                     parentNode =
                           for i, item in
node_.parent
enumerate(parentNode.values):
                                               if item ==
value:
                   parentNode.values[i] = ndashk0
break
                 else:
```

```
ndashp0 = ndash.keys.pop(0)
ndashk0 = ndash.values.pop(0)
                                             node_.keys
= node_.keys + [ndashp0]
                                        node_.values =
node_.values + [ndashk0]
                                        parentNode =
node_.parent
                            for i, item in
enumerate(parentNode.values):
                                                if item ==
value_:
                   parentNode.values[i] = ndash.values[0]
break
         if not ndash.check_leaf:
for j in ndash.keys:
j.parent = ndash
                          if not
node_.check_leaf:
                              for j in
node_.keys:
                          j.parent =
                if not
node_
parentNode.check_leaf:
for j in parentNode.keys:
j.parent = parentNode
def printTree(tree):
lst = [tree.root]
level = [0] leaf
```

= None flag = 0

 $lev_leaf = 0$ 

```
while (len(lst) != 0):
lst.pop(0)
                lev = level.pop(0)
if (x.check_leaf == False):
                                    for i,
item in enumerate(x.keys):
          print(item.values)
else:
        for i, item in enumerate(x.keys):
          print(item.values)
if (flag == 0):
lev_leaf = lev
leaf = x
                   flag = 1
record_len = 3 bplustree =
BplusTree(record_len)
bplustree.insert('5', '33')
bplustree.insert('15', '21')
bplustree.insert('25', '31')
bplustree.insert('35', '41')
bplustree.insert('45', '10')
printTree(bplustree)
if(bplustree.find('45', '10')):
  print("Found") else:
```

node1 = Node(str(level[0]) + str(tree.root.values))

# print("Not found") Output:

```
['15', '25']
['35', '45']
['5']
Found
```