CHIHW (DDL: %1) 遊設

```
2.1
                                        (Vd)
                          ((c))
                (b)
 (0)
               X+XY XY+XY'
                                         (A+B)(A+B)
                                                             助
 X(X'+Y)
            = X(1+Y)_{\#} = X(Y+Y') = A+BB'
= XX+XY
                                                             抱
                                       = A+0=A+
                           = X.1=X#
 = 0 + XY = XY = X_{4}
                                                            积你
                                                             找了。
2.5
                           (b) (X+Y) (X+Z)=
 10)
                             (A+B+C)(A+C+O)(B+D)
  (A+B)(C+B)(D+B)(ACD+E)
 = (B+AC)(B+0')(ACV+E) = (A+C'+BD)(B+D')
 = (B+ACD) (ACD+E)
                            = AB+AD+CB+CD #
                                                             聖山
= ACD'+ BE #
2.6
                 MX+WYX+ZYX
  (a)
                                          A'BC + EF + DEF
                 · WX[I+Y')+ZYX
                , = X(W+YZ)
                                        = A'BC + E(F+DF')
 = (AB+C')(AB+D)+ = x (w+r)(w+Z)+
                                        = A'BC+ E(F+D) = (A'BC+E).
                                                             (ABC+F+D)4
                                     (f)
  (d)
                    ACD + CD + AC A+BC+DE
   XYZ+WZ+XQZ
                   = c(AD+A')+C'D' = (A+B)(A+C)+DE
  = = = (XY + W' + XQ')
                                     = (A+B+DE)(A+c+DE)#
 = = = [X(Y+Q)+W] = c(A+b)+cb.
2.11 = \frac{1}{2}(w+x)(w+y+q) = \frac{(c+c'p')(A+p+c'+p')}{(c)} = \frac{(c+p')(A+p+c'+p')}{(c)} = \frac{(c+p')(A+p+c'+p')}{(c)}
                    AB(\underline{C'+D}) + B(\underline{C'+D}) \xrightarrow{AB} + (\underline{C'+D})(\underline{AB})
                  = (C+D)(AB+B) = (X+Y)(X+X')
                  = (C+D) B=BC+BD# = AB+C+D#
   (e)

(A'BF+CD) (A'BF+CEG) (AB+(C+D)+E'F) (C+D) A'(
                                               A'(B+C)(DE+F)+(DE+F)
                                              ( Y . E . X ) + X
                      = XY+XZ = X+YZ
= (C+D)+ABEF#
                                             = X+YZ
  = ABF+DEG
                                              DE+F+AB+AC #
          (分配)等)
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$$F_3 = ((AB+C)' \cdot D)((AB+C)+D)$$

$$(x' \cdot Y) (x + \xi)$$